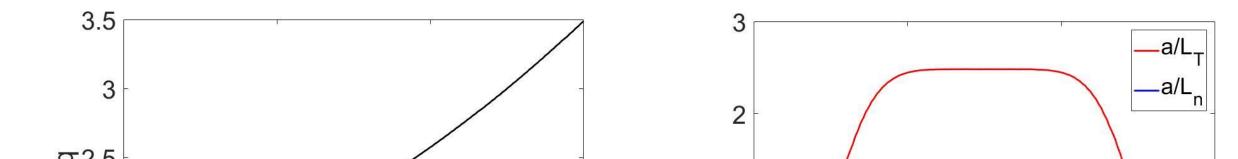
ID: 048 Gyrofluid Studies on Avalanche-like Transport and Formation of Transport Barrier Y.W. Cho¹, M. Yagi². H. Seto², and T.S. Hahm¹ 1. Seoul National University, Seoul Korea 2. National Institutes for Quantum and Radiological Science and Technology, Rokkasho, Japan tofa1234@snu.ac.kr

ABSTRACT

- •We analyzed evolution of corrugated structures using gyrofluid code developed by Yagi[1].
- •From the simple calculation using model equations and traffic jam model [2], spatial scale and the life time of corrugated structures are affected by collisional diffusion and neoclassical poloidal flow.

Initial setup

- R=1.8m, a=0.67m, $B_T = 2.5T$
- Shaping effects are considered ($\Delta = 0.1, \kappa = 1.5, \delta = 0.3$)
- Profile is fixed by external heat source.



•Our simulation results reproduce the tendency suggested by our calculation and traffic jam model.

σ2.5 0.8 0.2 0.6 0.4 0.2 0.4 0.6 0.8 r/a r/a

BACKGROUND

•Recent experiments in KSTAR have exhibited the evidence of the nondiffusive avalanche-like electron heat transport events without MHD instabilities[3].

- •Also, gyrokinetic simulations showed corrugated structures of δT and correlated $E \times B$ staircase structures [4,5].
- Theories explaining the profile corrugation :
- 1) Vorticity mixing based on Self-Organized Criticality (SOC) dynamics[6] 2) Traffic jam model [2]
- Based on traffic jam model, with

 $\partial_t \delta T + \lambda \delta T \partial_x \delta T = \chi_2 \partial_x^2 \delta T - \chi_4 \partial_x^4 \delta T - \tau \partial_t^2 \delta T$

scale length of the structure is $\Delta_{max}^2 = \frac{2\sqrt{\chi_2\chi_4}}{\lambda\delta T_0}$ and $\gamma_{max} = \frac{\lambda\delta T_0}{2\sqrt{\chi_2\tau}}$

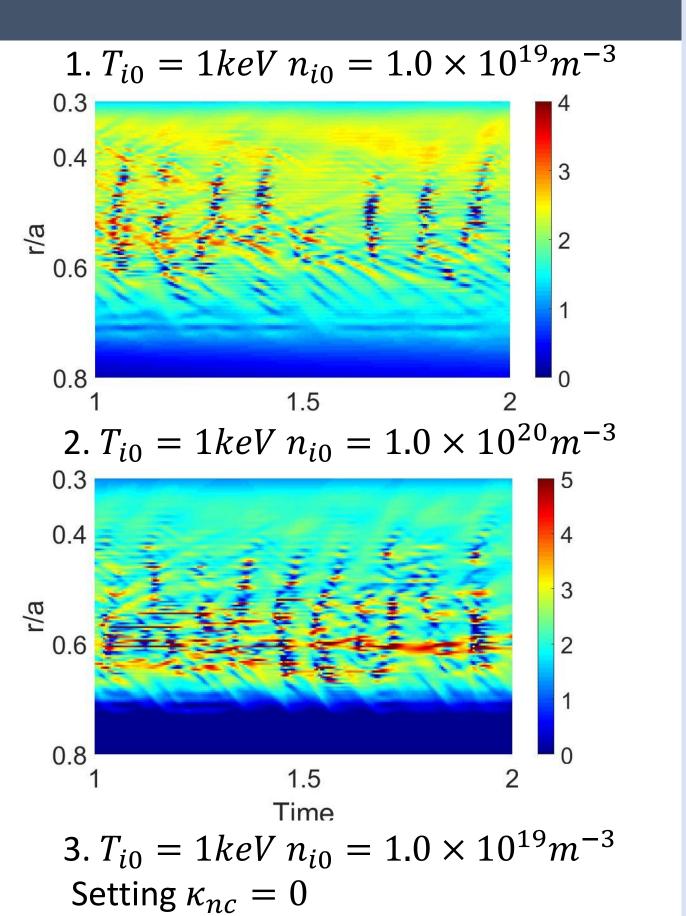
Results & analysis

Check the effects of κ_{nc}

Above 3 figures contour plot of

 a/L_{Ti}

- Linear growth rate of ITG instability is the same.
- Corrugated structures sustain for a longer time for lower κ_{nc} cases.
- Below figure : time averaged (t=1-2) a/L_{Ti}
- Scale length of structures : Case2 > Case 1 > Case 3



Model equation and primary analysis

- **3-field gyrofluid equations used in code [1]**
- Ion continuity equation lacksquare

$$\Rightarrow \frac{dW}{dt} + \kappa_n \frac{1}{r} \frac{\partial \Phi}{\partial \theta} + A \nabla_{\parallel} V = \epsilon \widehat{\omega}_d F + \rho_* \frac{1}{r} \frac{\partial}{\partial r} \left(r \frac{q}{\epsilon} \mu_{nc} U_P \right) - \rho_*^2 \mu \nabla_{\perp}^4 F \quad (1)$$

Ion parallel velocity equation

$$\Rightarrow \frac{dV}{dt} = -A\nabla_{\parallel}F + 4\mu\nabla_{\perp}^{2}V - \mu_{nc}U_{P} - A\sqrt{\frac{1}{\tau}}\frac{2}{5}\sqrt{\pi}|\nabla_{\parallel}|V + \frac{2}{5}A\nabla_{\parallel}T \qquad (2)$$

Ion thermal equation

$$\Rightarrow \frac{3}{2}n_0(r)\left(\frac{dT}{dt} + \kappa_T \frac{1}{r}\frac{\partial\phi}{\partial\theta}\right) - T_i(r)\left(\frac{dn}{dt} + \kappa_n \frac{1}{r}\frac{\partial\phi}{\partial\theta}\right) =$$

$$\frac{5}{2\tau}\epsilon\widehat{\omega}_d T - \frac{9}{5\sqrt{\pi}}A|\nabla_{\parallel}|T + \frac{2}{5}A\nabla_{\parallel}V + \chi_{\perp}\nabla_{\perp}^2T + S_T$$

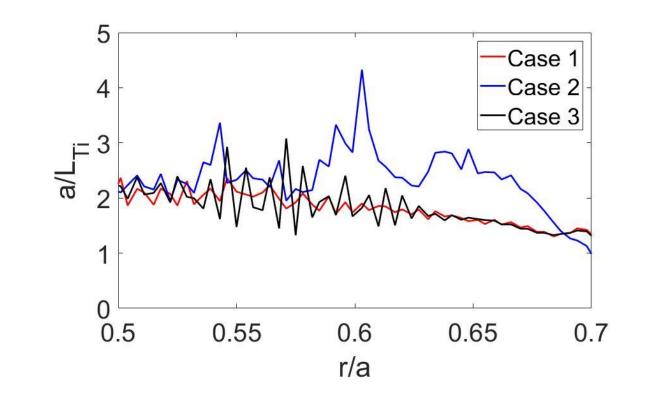
$$(3)$$

 $W = n - \nabla_{\perp}^2 F$: generalized vorticity $F = \phi + p/\tau$: generalized potential

$$U_P = V + \rho_* \frac{q}{\varepsilon} \left(\frac{\partial F}{\partial r} - \kappa_{nc} \frac{dT}{dr} \right)$$
: poloidal velocity

$$\kappa_{nc} = \frac{1}{1 + \nu_{*i}^2 \epsilon^3} \left(\frac{1.17 - 0.35 \nu_{*i}^{1/2}}{1 + 0.7 \nu_{*i}^{1/2}} - 2.1 \nu_{*i}^2 \epsilon^3 \right)$$

Primary analysis based on traffic jam model

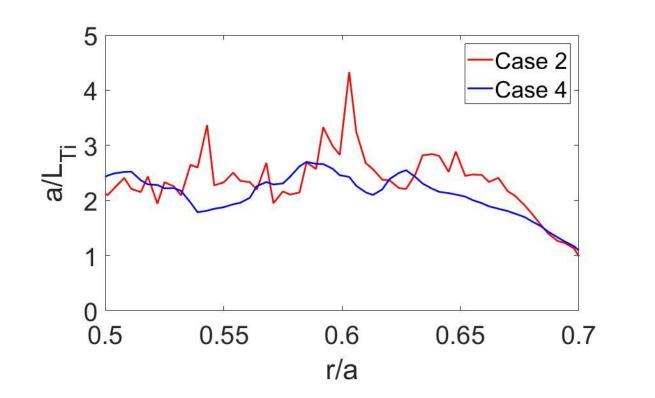


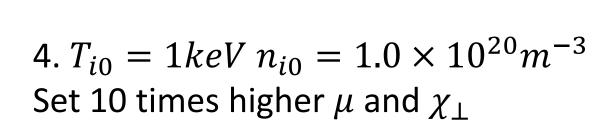
0.3 0.4 r/a 0.8 15 Time $[a^2/\rho_s c_s]$

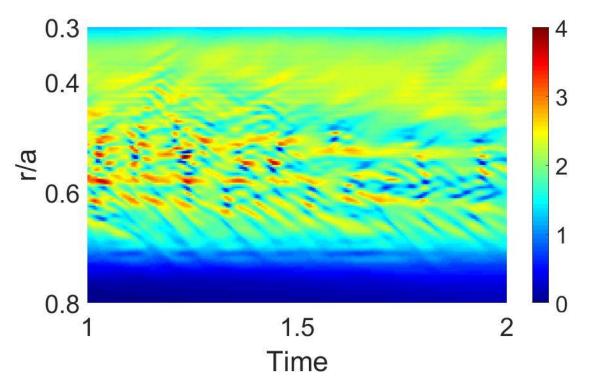
Check the effects of μ and χ_{\perp}

Similar analysis based on Eq. (4) is

adjustable.







CONCLUSION & Future Work

For (0,0) mode, assume $V_{\parallel} \sim 0$ and high aspect ratio limit.

Then, model equation becomes

$$\begin{split} \mu_{nc}U_{P} &= 0, \delta F = \kappa_{nc}\delta T \text{ or } \delta n = \delta \phi = \left(\kappa_{nc} - \frac{1+\tau}{\tau}\right)\delta T\\ \frac{d}{dt}\left(\delta n - \rho_{*}^{2}\nabla_{\perp}^{2}\kappa_{nc}\delta T\right) &= -\rho_{*}^{2}\mu\nabla_{\perp}^{4}\kappa_{nc}\delta T\\ \frac{3}{2}n_{0}\frac{d\delta T}{dt} - T_{0}\frac{d\delta n}{dt} &= \chi_{\perp}\nabla_{\perp}^{2}\delta T\\ \Rightarrow \frac{3}{2}\frac{n_{0}}{T_{0}}\frac{d\delta T}{dt} &= \frac{\chi_{\perp}}{T_{0}}\nabla_{\perp}^{2}\delta T - \rho_{*}^{2}\mu\kappa_{nc}\nabla_{\perp}^{4}\delta T - \frac{\rho_{*}^{2}\kappa_{nc}}{\chi_{\perp}}\left(\frac{3}{2}n_{0} + \left(\frac{(1+\tau)}{\tau} - \kappa_{nc}\right)T_{0}\right)\frac{d^{2}\delta T}{dt^{2}}, \end{split}$$

which is similar to traffic jam model [2].

Based on simple analysis, as κ_{nc} , μ and χ_{\perp} increase, spatial scale of corrugated structure increases but its growth rate decreases.

Thus, structures won't sustain for longer time.

•Corrugated structures of a/L_{Ti} are observed in gyrofluid simulations.

•Their tendency follows the prediction by primary analysis using model equations and traffic jam model.

•In the future, radial correlation length and correlation time will be calculated and check the tendency based on our analysis.

ACKNOWLEDGEMENTS / REFERENCES

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(4)

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