Edge-Localized Modes in KSTAR :

global structure and distinct evolution stages involving quasisteady state and phase transitions

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Edge Localized Modes (ELMs)

First used in ASDEX [Keilhacker 1984] to describe **semi-periodic edge-localized relaxation phenomena** (cf. PDX, Kaye 1984), following the discovery of *high***confinement** discharge type [Wagner 1982].



Easily identified as sharp spikes by edge diagnostics, e.g. H-alpha.



Edge Localized Modes (ELMs)

 Linear MHD theories/simulations identified the relaxation events with the growth of the peeling-ballooning modes in the pedestal region (high *VP* + high *J*).





 Many observations[†] and nonlinear simulations[‡] showed that the relaxation events are associated with *edge-localized field-aligned filamentary modes.*

+ e.g. Kirk 2004, Kurzan 2007, Yun 2011, ...+ cf. M. Kim EX/P4-7, M. Becoulet TH/P1-24

Part I The ECE imaging diagnostics on the KSTAR tokamak revealed that the semi-periodic ELM cycle evolves through multiple stages: [A] Linear growth (rarely observable) [B] Quasi-steady states (fieldaligned filamentary modes) [C] Phase transition into low-n [D] Rapid collapse





Transition to low-*n* solitary structure

[B] Quasi-steady state* (n~16; regular)







[C] Transition⁺ [D] Crash phase (short <~50 μs) (low n; solitary)‡ 15 15 10 0.6 10 0.6 -0.5 0.5 5 5 0.4 0.4 0 0 0.3 -0.3 -5 -5 0.2 0.2 -10 -10 0.1 0.1 -15 -15 -20 -20 215 220 225 215 220 225 R (cm)

* Yun, PRL (2011); Yun, PoP (2012); Kim, NF (2014), Lee, PRL (2016) + cf. J.E. Lee, NF (2015)

‡ cf. Solitary magnetic perturbation [Wenninger 2012]

Phase transition into n=1 solitary structure toward the crash*



RM: regular filamentary mode SP: solitary perturbation (*n*=1)

* J.E. Lee, submitted.

These distinct evolution stages are common feature of the ELM dynamics in the KSTAR:

Initial growth (very short or not observable) \rightarrow

Quasi-Steady States \rightarrow Phase Transition into low-*n* mode \rightarrow Crash through multiple bursts

Note that the KSTAR H-mode discharges are highly shaped (δ >0.6, κ ~1.5) with high rotation (~100 km/s at pedestal top).

In the following, "ELM" refers to the perturbation structure before crash and "ELM crash" refers to the final stage of the ELM cycle. (In literature, ELM often indicates edge transport events and the mode before crash is referred as *precursor mode*.)

Part II Let's examine the ELM dynamics more closely using "RF" diagnostics[†].



RF as a better diagnostics for ELM dynamics



[B] Quasisteady state



t = 3.986000 s

15

10

5

0

-5

-10

-15

210

215

R [cm]

220

z [cm]



t = 3.986551 s



210

215

R [cm]

220

Mode Amplitude

~ RF Intensity:

Strong/weak mode amplitude at rising/falling RF intensity

Rapid change of the RF spectrum near crash



in the f_{ce} range at MAST [Freethy 2016].

11

[D1] Harmonic Ion Cyclotron Emission (ICE)⁺ lines on top of the 200 MHz component near the onset of crash.

In this example, the ICE spacing is $\sim f_{c,H \text{ (edge)}} = 25 \text{ MHz}.$ But, ICEs with spacing $\sim f_{c,D \text{ (edge)}}$ are more common.



+ [EXW-P6] D'Inca et al. for multi-machine ICE comparisons.
APS-DPP 2016 [GP10.00093] Chapman, Dendy et al. Numerical simulation of ICE.

[D2] Extremely rapid onset of broad-band emission at the onset of crash (burst). ICE structure[†] is also present.



+ APS-DPP 2016 [GP10.00093] Chapman, Dendy et al. Numerical simulation of ICE.

Part III Global structure of the quasi-steady ELM⁺

- Finite mode amplitude at the HFS!
- (1) Different toroidal mode number*
- (2) Opposite mode rotation (opposite v_{\perp}): Large flow shear if the modes are located at different flux surfaces.
- ➔ These differences may indicate different instability drives btw LFS and HFS.



+ J. Lee, Yun, in preparation* J. Lee, RSI (2014)

Summary

(1) "ELM" is more than an explosive relaxation event, involving a complex evolution through distinct stages

- **Quasi-steady state(s)** (*Rarely in a linear growth phase*)
- Phase transition(s): regularly spaced filaments \rightarrow low-n solitary filaments
- **Crash:** Multiple localized bursts

(2) RF emission provides time-resolved information on the ELM dynamics

- Persistent emission (~200 MHz) in the inter-crash period
- Harmonic ICE (spaced by $f_{c,H}$ or $f_{c,D}$) near the onset of crash
- **Broadband and/or chirping emissions at individual bursts**

(3) The ELM dynamics are nonlinear and multi-scaled; far more complicated than the static picture based on peeling and ballooning instabilities. 15

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Two issues with the HFS ELM (1) Different toroidal mode number*



$$n = \frac{2\pi R_*}{\lambda_{\text{tor}}} = \frac{2\pi R_*}{\lambda_{\text{pol}}} \frac{\lambda_{\text{pol}}}{\lambda_{\text{tor}}} = \frac{2\pi R_*}{\lambda_{\text{pol}}} \cdot \tan(\alpha_*)$$



(KSTAR #9380)

Two issues with the HFS ELM (2) Opposite rotation direction

220 225

В

n'





Pattern velocity : $V' = (U_{\perp} + V_{ph,\perp})/\cos \alpha$

cf. For ideal ballooning mode [J. Morales, Phys. Plasmas 23, 042513 (2016)]

$$U_{\perp} + V_{ph,\perp} \approx V_{E \times B} + V_i^*/2$$
$$\approx V_{E \times B}/2 = -\frac{\nabla_r P_i}{2enB}$$

18

Strong emission at ~200 MHz (~ f_{LH})

waves?



$$f_{LH} \approx f_{pi} / \sqrt{1 + f_{pe}^2 / f_{ce}^2} \sim f_{pi}$$



KSTAR



The intense RF peaks may be compared with the intense bursts of microwave emission (BMEs) in the electron cyclotron (EC) frequency range at MAST [Freethy 2016].

A phenomenological model for the ELMs



Flux surface with filamentary perturbations of m=37 and n=6

 $(R = 1.8 \text{m}; a = 0.5 \text{m}; \kappa = 1.8; \delta = 0.7)$



Toroidal mode number estimated by ECEI

• At the mid plane

$$n = \frac{2\pi R^*}{\lambda_{tor}}$$
, $\tan(a^*) = \frac{\lambda_{pol}}{\lambda_{tor}}$ \Rightarrow $n = \frac{2\pi R^*}{\lambda_{pol}} \tan(a^*)$

$$n = \frac{2\pi R^*}{\lambda_{pol}} tan(a^*)$$

- λ_{pol} : Poloidal wavelength at the midplane
- n : Toloidal mode number
- a^* : Pitch angle at the midplane
- R^* : Major radius at ELMs position

