First Direct Evidence of Turbulence-Driven Main Ion Flow Triggering the L-H Transition

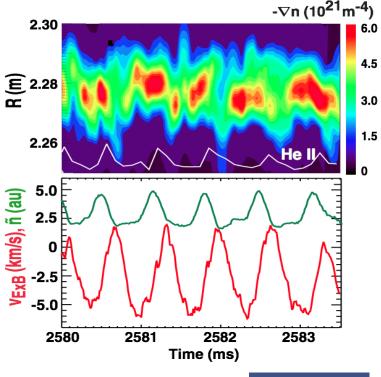
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for

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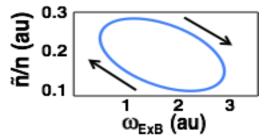
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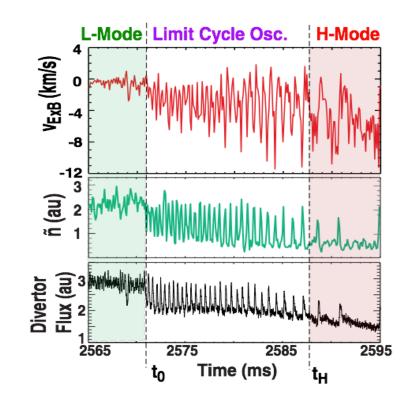
Predicting the L-H Transition Power Threshold in ITER Requires a Physics-based L-H Transition Model

- Investigate L-H transitions at marginal heating power:
 - expanded transition timescale
 - can exhibit limit cycle oscillations (LCO)
- E_r, E×B shear periodically modulated; edge turbulence periodically quenched:



• LCO can reveal the detailed turbulenceflow interaction and trigger physics



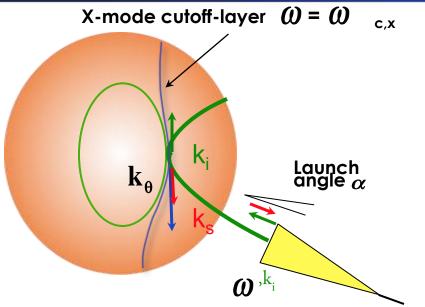


Outline / Summary

- New: Evidence that turbulence-driven ion flow triggers the L-Mode LCO transition
- Causality: Turbulence-driven flow quenches turbulence initially; pressure gradient-driven flow locks in H-mode confinement
- New: A modified predator-prey model captures essential LCO physics
- New: L-mode seed flow shear at L-mode LCO transition has a density dependence similar to the L-H power threshold



Doppler Backscattering (DBS) Measures Local Density Fluctuation Level and Turbulence Advection Velocity



Backscattering off density fluctuations with

$$\boldsymbol{k_{s}} = \boldsymbol{k_{i}} + \boldsymbol{k_{e}} \qquad \boldsymbol{k_{\theta}} = -2\boldsymbol{k_{i}}$$

Several Effects localize backscattering to the cut-off layer Fluctuation level vs. k_{θ} from back-scattered amplitude:

 $\tilde{n}(k_{\theta}) \sim A(k_{\theta})$

here: k_{θ} ~3.5 cm⁻¹, $k_{\theta}\rho_{s}$ ~0.4-0.6

E×**B** velocity from Doppler shift:

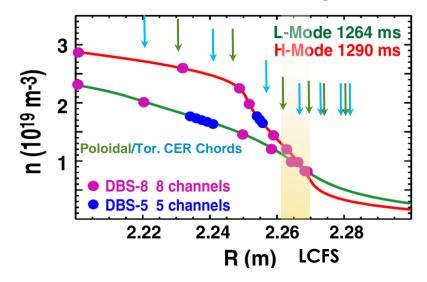
$$\omega \qquad Doppler = v k_{tot}$$

v_{turb}: Turbulence advection

Here, v_{ph} << v_{ExB}

$$\rightarrow v_{ExB} \sim \omega_{Doppler}/2k_{i}$$

Time Evolution and Radial LCO Structure via Multi-channel Doppler Backscattering and Main Ion CER



DBS/Main Ion CER probing locations

Density fluctuations and E × B velocity measured by DBS with high spatial/ temporal resolution

Radial mapping using density profiles from fast Profile Reflectometry (25 μ s)

Main ion poloidal/toroidal flow via CER measurements

E × B flow shearing rate calculated from neighboring DBS channels:

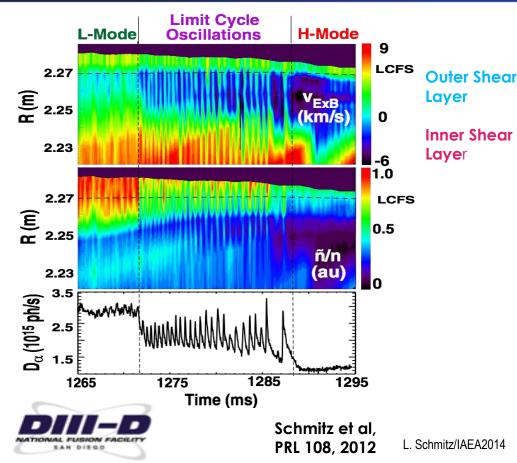
$$\omega_{E\times B} = \frac{\mathbf{v}_{E\times B}(R_2) - \mathbf{v}_{E\times B}(R_1)}{R_2 - R_1}$$



Evidence of Turbulence-driven Ion Flow; Meso-scale Dipolar Flow Structure

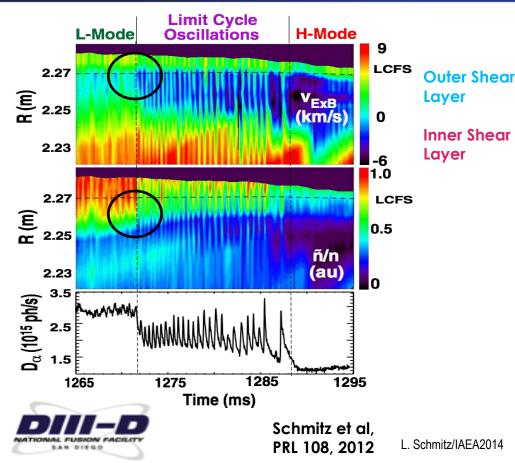


Time Evolution and Radial LCO Structure via Multi-channel Doppler Backscattering



- L-Mode: Weak ExB shear layer turbulence peaks at/outside the separatrix
- LCO phase: Periodic ExB flow and turbulence suppression (starting at separatrix)
- H-mode: Wider and deeper shear layer; turbulence suppression maintained across the edge

Time Evolution and Radial LCO Structure via Multi-channel Doppler Backscattering



- L-Mode: Weak ExB shear layer turbulence peaks at/outside the separatrix
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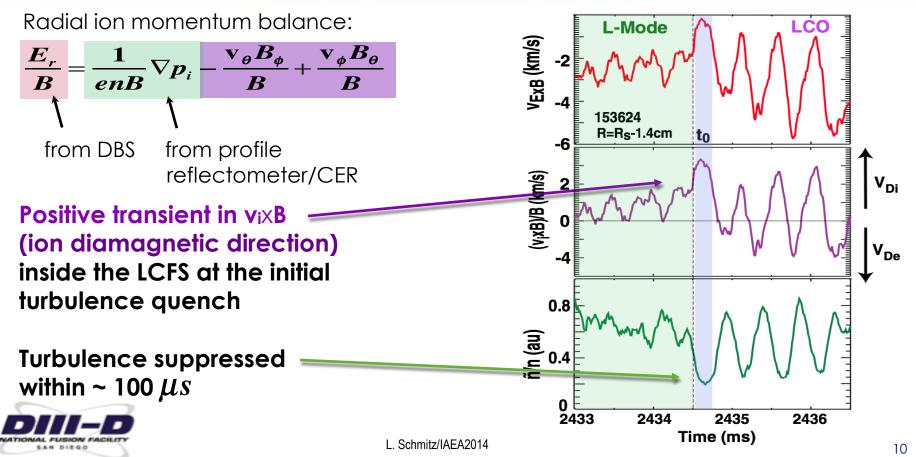
How is the LCO Triggered? Obtain Turbulence-Driven Ion Flow from the Radial Ion Force Balance

E × B velocity measured via DBS

v × **B** term evaluated from radial momentum balance (subtracting ∇p_i term)



How is the LCO Triggered? Evidence for Turbulence-Driven $v_i \times B$ Flow in the Ion Diamagnetic Direction



Meso-scale Shear Triggers Initial Turbulence Quench

L-Mode Peak negative ExB flow does not coincide V_{Exb} (km/s) with time of maximum shear (across outer shear layer) 153624 R=Rs-1.4cm to -6 Local meso-scale ExB shear reversal R=R_s-1.1 cm 00_{ExB} (10⁵ rad/s) R=R_s-1.8 cm initiates first turbulence quench: 0.8 ũ/n (au) L-Mode 0 2433 2434 2436 2435 Time (ms) L. Schmitz/IAEA2014

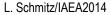
ExB Shear Across Outer Layer Increases Periodically Preceding Turbulence Suppression

Peak negative ExB flow does not coincide with time of maximum shear (across outer shear layer)

Local meso-scale ExB shear reversal initiates first turbulence quench:

ExB Shear across outer layer increases; quenches turbulence periodically during successive LCO cycles





L-Mode

R=R_s-1.1 cm

R=R_s-1.8 cm

L-Mode

2434

2435

Time (ms)

2436

to

153624 R=Rs-1.4cm

VE_{XB} (km/s)

ω_{Ext} (10⁵ rad/s)

-6

0.8

2433

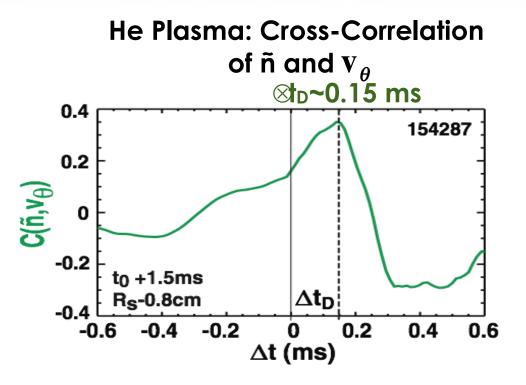
ñ/n (au) :0

Turbulence Drives Main Ion Poloidal Flow

- Main ion flow (measured via main ion CER) lags ñ
- Phase delay of V_{θ} (~90°) is qualitatively consistent with ion flow acceleration via Reynolds stress $\langle \tilde{v}_{q} \tilde{v}_{r} \rangle$:

$$\frac{\P\langle \mathbf{v}_q \rangle}{\P t} = -\frac{\P\langle \tilde{\mathbf{v}}_q \tilde{\mathbf{v}}_r \rangle}{\P r} - \mathcal{M} \langle \mathbf{v}_q \rangle$$

• BES velocimetry confirms (positive) Reynolds stress gradient in outer layer



Measured early in the LCO (t₀+1.5 ms)

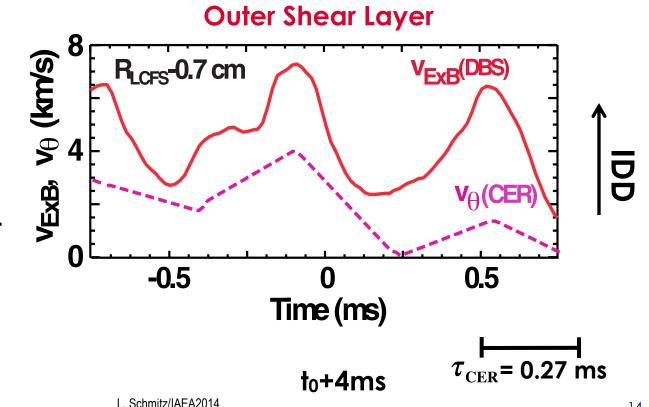


Poloidal Flow is the Main Contribution to the VEXB Oscillation Early in the LCO

Phase-lock analysis:

Triangular CER waveforms due to limited CER time resolution

 $\mathbf{v}_{\theta} \times \boldsymbol{B}$ is the dominant contribution to VEXB early in the LCO

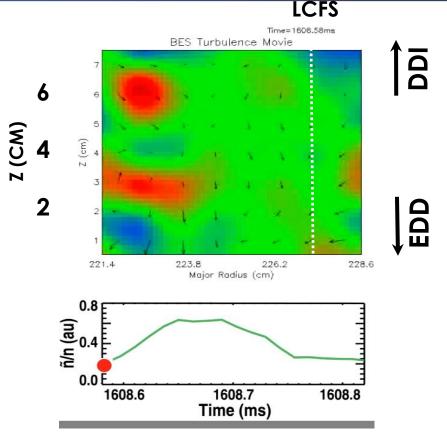




BES Shows Formation of Large Scale Eddies and Eddy Tilting/ Break-up in High Shear Regions

- Large eddies grow at expense of smaller eddies
- Break-up/turbulence reduction after large eddies tilt
- E × B flow reversal near LCFS: IDD turbulencedriven flow at LCFS; EDD turbulence-driven flow further inboard



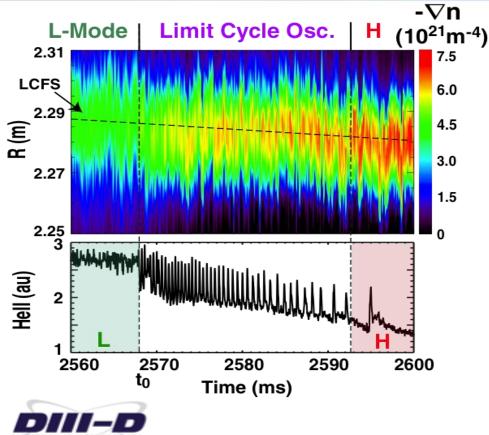




Causality of shear flow generation

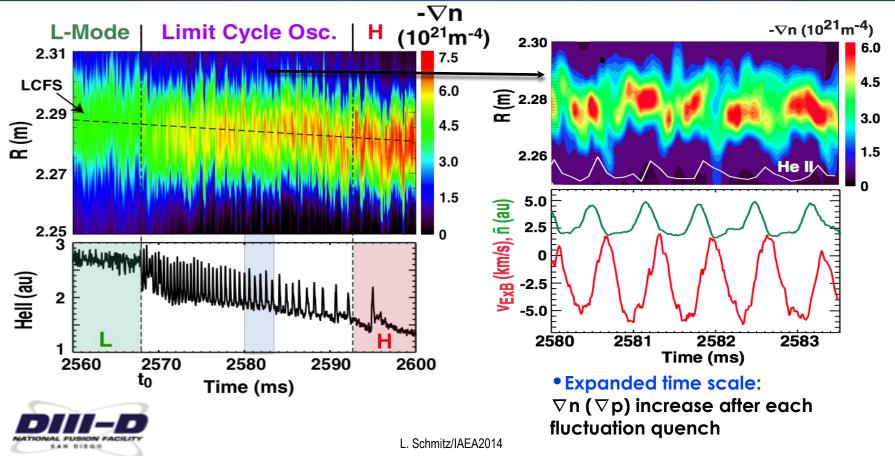


Final Transition to H-mode is due to Increasing Pressure-Gradient Driven Shear; Modulation/Increase of ∇n (∇p_i)



- ∇n is used as proxy for ∇pi as Ln < 0.3LTi
- Density gradient only changes significantly well into the LCO
- Gradual increase and periodic modulation of ∇n during LCO
- Increasing ∇p slows down LCO frequency (increasing shear inhibits turbulence recovery)

Final Transition to H-mode is due to Increasing Pressure-Gradient Driven Shear; Modulation/Increase of ∇n , ∇p_i



Causality of Shear Flow Generation: Turbulence-Driven Flow Shear Dominates Early in the LCO

Early in the LCO, $\nabla p_i \log \omega_{E \times B}$:

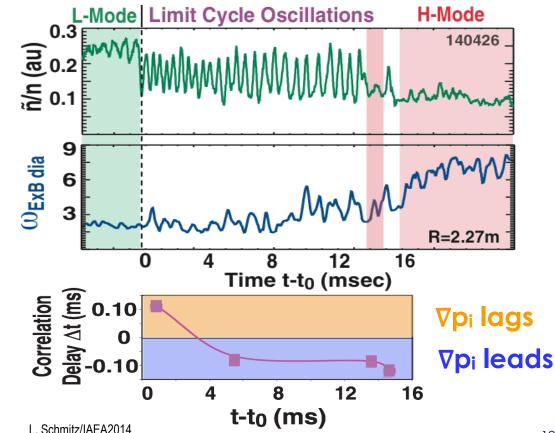
E × B Shear is not caused by the pressure gradient

Later in the LCO, ∇p_i leads $\omega_{E \times B}$:

Pressure-gradient driven shear is dominant

Correlation delay Between $\omega_{E \times B}$ and ∇p_i



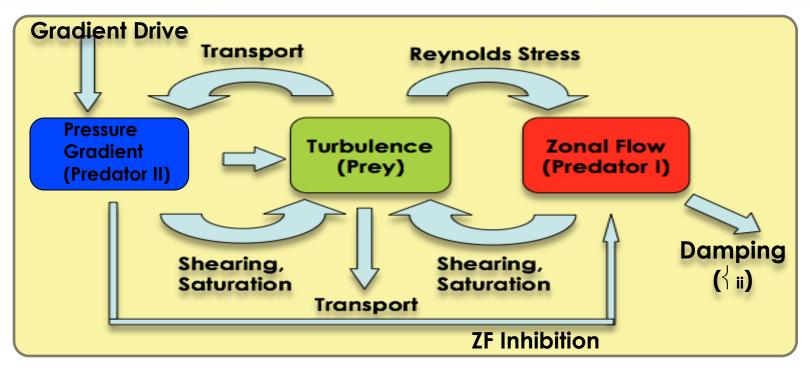




A modified Predator-prey Model Captures Essential LCO Physics



Two Coupled Feedback Cycles: Synergy of Turbulence-Driven Flow and Pressure-Gradient-Driven Flow



 Total ExB flow includes pressure-gradient-driven equilibrium flow Pressure gradient is modulated via the periodic change in



turbulence level and transport: two interacting feedback cycles

Predator-Prey Model Predicts LCO with Opposing Turbulence-Driven and Vp-Driven (v_{Dia}) Flow

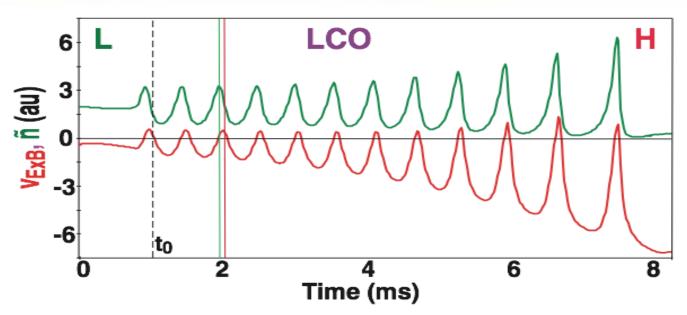
Modeling results*, including:

-neoclassical poloidal ion velocity (no toroidal flow)

-shearing by turbulence-driven and ∇p driven E×B flow

-pressure profile evolution (radial transport) *based on

Miki, Diamond, PoP 2012



Total ExB flow (includes V_{θ} , v_{Dia} , and turbulencedriven flow): (E_r, \tilde{n}) phasing shifts from 90° closer to 0° as diamagnetic shear becomes dominant

Predator-Prey Model Predicts LCO with Opposing Turbulence-Driven and Vp-Driven (v_{Dia}) Flow

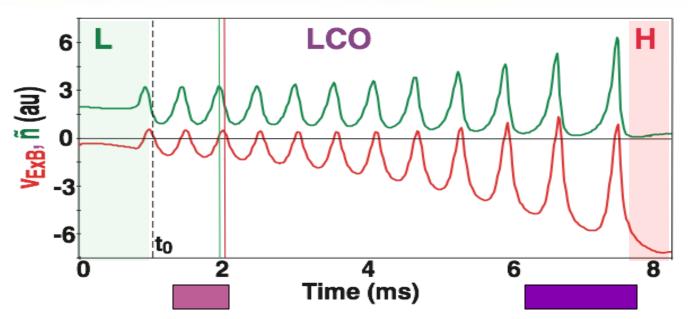
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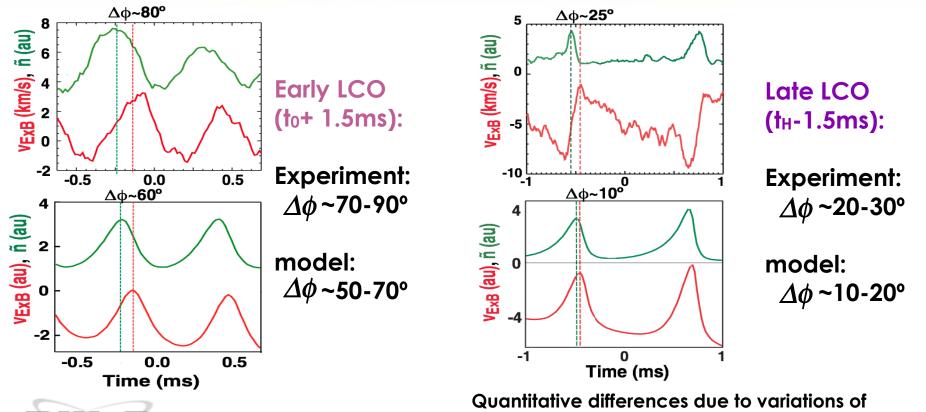
-pressure profile evolution (radial transport) *ha

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Total ExB flow (includes V_{θ} , v_{Dia} , and turbulencedriven flow): (E_r, \tilde{n}) phasing shifts from 90° closer to 0° as diamagnetic shear becomes dominant

Predator-prey Model Qualitatively Reproduces the Measured Phase Shift between \tilde{n} and v_{ExB}



L. Schmitz/IAEA2014

Zonal- and mean turbulence-driven ion flow





E × B and v × B seed flow shear at the L-mode-LCO Transition



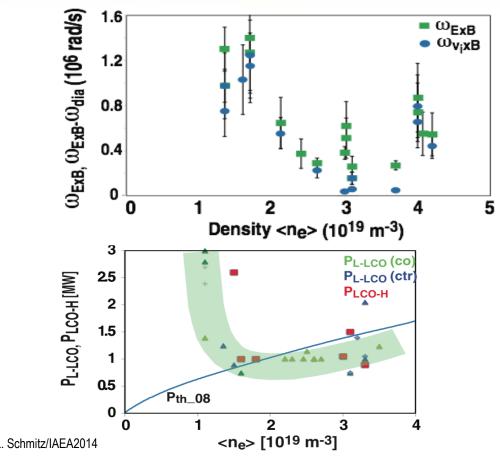
Importance of Seed Flow Shear: L-Mode $E \times B$ and $v \times B$ Flow Shear (and P_{th}) Increase at Low and High Density

 Reynolds work P_{Re} depends on Reynolds stress and seed shear flow:

$$P_{\rm Re} = \left< \tilde{\mathbf{v}}_r \tilde{\mathbf{v}}_{\theta} \right> \frac{\partial \left< \mathbf{v}_{\theta} \right>}{\partial r}$$

- Total E×B shearing rate and v×B shear show a minimum at intermediate density (similar to P_{th})
- L-mode diamagnetic seed flow shearing rate ω_{Dia} does not reflect the P_{th} density dependence





• Strong evidence that turbulence-driven ion flow triggers LCO; evidence of dipolar meso-scale flow structure

• Causality of shear flow generation: Pressure-gradient-driven shear increases only well after the initial fluctuation quench, and locks in the final transition to H-mode

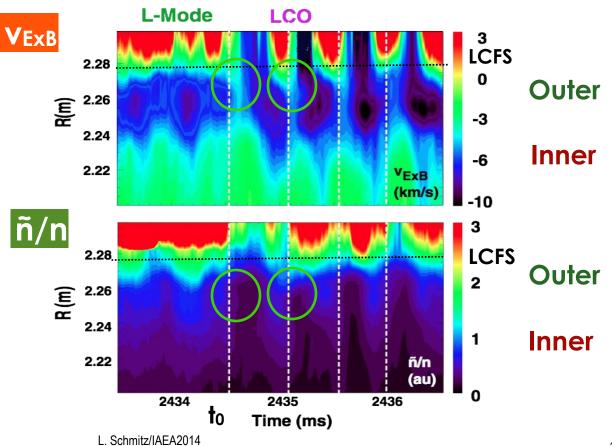
• 0-D /1-D predator-prey models captures synergy of turbulence-driven and pressure-gradient driven flow and reproduces essential experimental LCO properties

• Connection to power threshold: Both total $E \times B$ shear and $v \times B$ velocity shear increase at very low and at high plasma density (qualitatively similar to P_{th} scaling)



Positive Flow Transients in **Ouler** Shear Layer Suppress ñ

- E × B Shearing rates peak in the outer shear layer where turbulence level is high
- Positive flow transients suppress turbulence

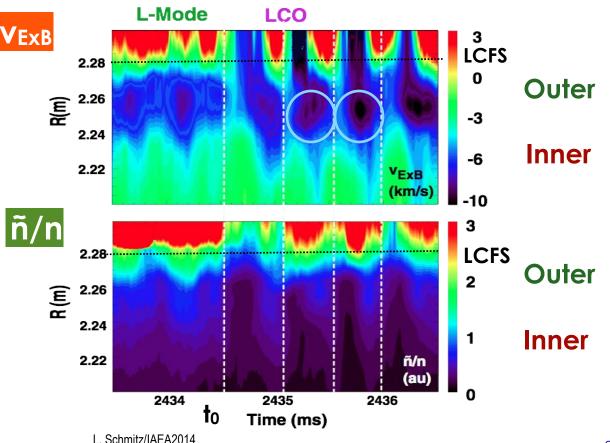




Negative Flow Transients Occur after Turbulence Suppression

- Negative E × B transients
 reflect turbulent-driven flow early in the LCO
- Pressure-gradientdriven flow only changes significantly well into the LCO





Predator-Prey Model Predicts LCO with Opposing Turbulence-Driven and abla p-driven (v_{Dia}) Flow

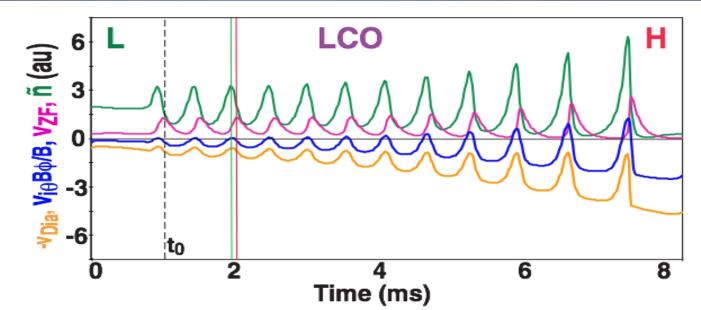
0-D Predator-Prey modeling results*, including:

-neoclassical poloidal ion velocity (no toroidal flow)

-shearing by turbulence-driven and mean flows

-pressure profile evolution -radial transport





Turbulence-drivenZonal flow vzF lags density fluctuation level ñ by 90° Equilibrium flow is out of phase (180°) with ñ (both consistent with observed limit cycle phasing)

L. Schmitz/EU-US TTF 2014

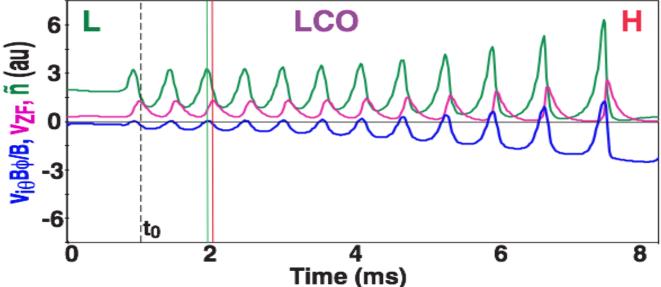
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Turbulence-driven flow v_{ZF} lags \tilde{n} by 90° (qualitatively consistent with experiment

Poloidal Ion Flow lags ñ by 10-30° Consistent with observed limit cycle phasina)

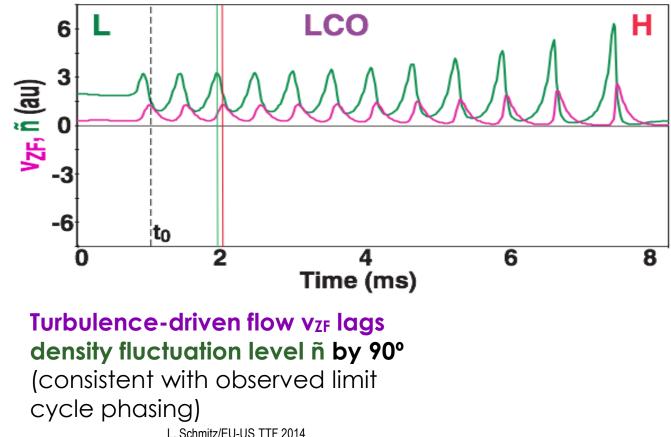
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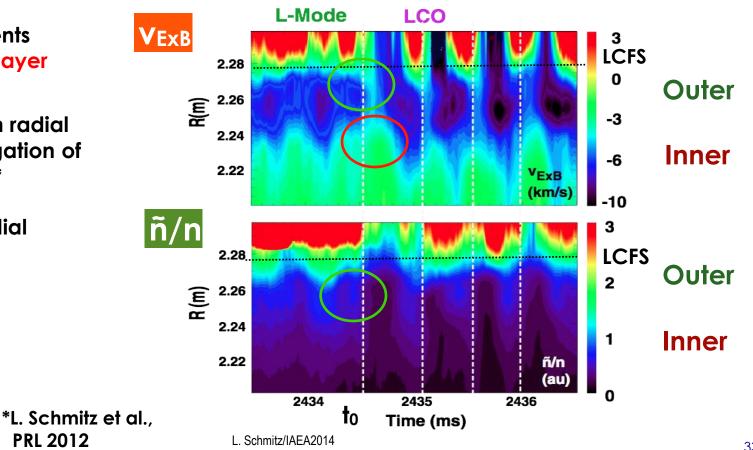
-shearing by turbulence-driven and mean flows

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Flow Layer Propagates Radially Inwards

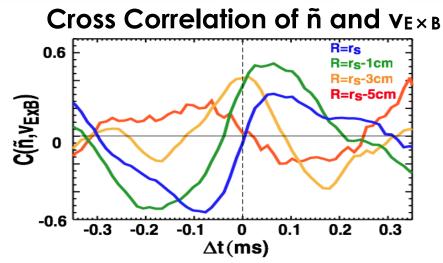
- Positive transients in inner shear layer delayed;
- Consistent with radial inward propagation of LCO E × B flow*
- Mesoscale radial structure: $\rangle_i < L_{ExB} < L_p$





PRL 2012

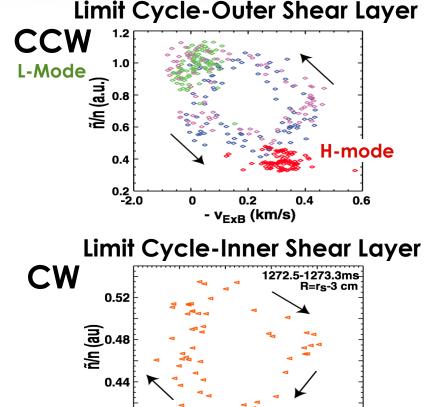
Limit Cycle Directions (ñ, v_{ExB} Phase Relation) are Consistent with Meso-scale Turbulence-Driven Flow



 Opposite Limit cycle directions are observed in outer/inner shear layer

> \tilde{n} , v_{ExB} phase relationship is consistent with observed radial E × B flow propagation

> > *L. Schmitz et al..

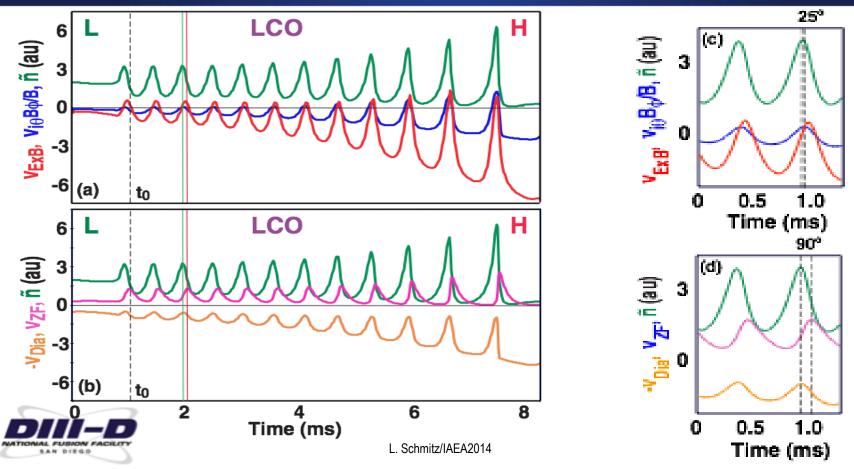


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-V_{FxB} (km/s)

Predator-Prey Model Predicts LCO with Opposing Turbulence-Driven and ∇p -Driven (v_{Dia}) Flow



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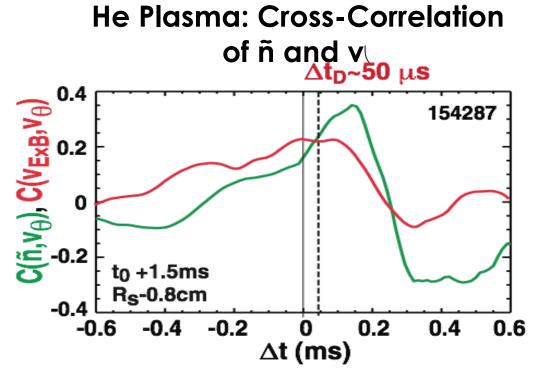
Evidence of Turbulence-Driven Poloidal Ion Flow from Main Ion CER and DBS

Poloidal flow acceleration via turbulence-generated Reynolds stress $\langle \tilde{V}_q \tilde{V}_r \rangle$:

$$\frac{\partial \mathbf{v}_{\theta}}{\partial t} = -\frac{\partial}{\partial r} \langle \bar{\mathbf{v}}_{\theta} \bar{\mathbf{v}}_{r} \rangle - \mu \langle \mathbf{v}_{\theta} \rangle$$

Main ion flow v lags the density fluctuation level ñ

 $\begin{array}{l} \textbf{E} \times \textbf{B} \ \textbf{velocity} \ approximately \\ \text{in phase with } \textbf{v}(: \\ \textbf{Driven Poloidal ion flow is} \\ \text{main contribution to } \textbf{v}_{\textbf{E} \times \textbf{B}} \end{array}$



Measured early in the LCO

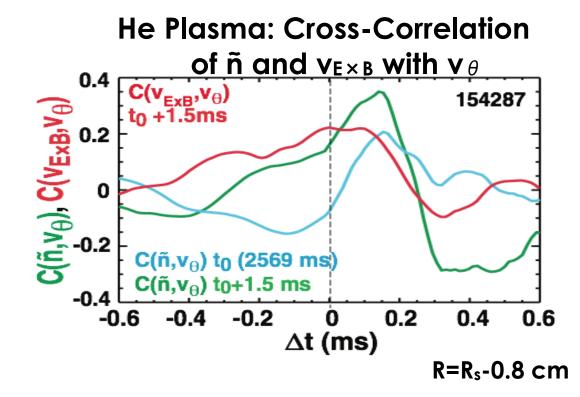


How Does the LCO Start? Compelling Evidence for Turbulence-Driven Ion Flow from Main Ion CER and DBS

Poloidal main ion flow v((blue, green) lags the density fluctuation level ñ

The $E \times B$ flow is in phase with v_{θ} (expected if the E_r modulation results from v_{θ})

Less clear correlation of \tilde{n} with toroidal velocity v_{ϕ} in the early LCO





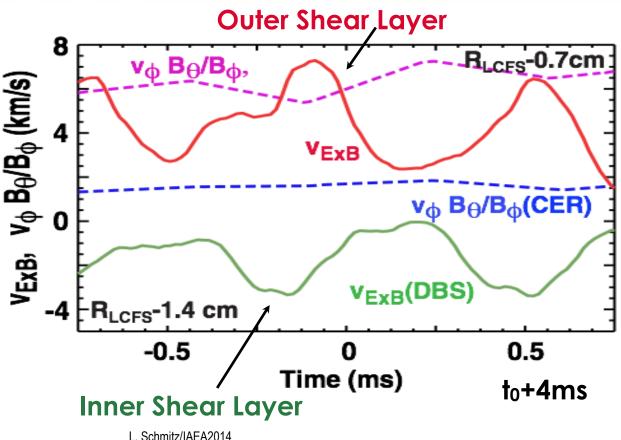
Toroidal Flow Modulation is Out of Phase with ExB Velocity in Outer Shear Layer

Toroidal velocity is positive (co-current); increases locally towards LCFS (orbit-loss effect?)

Shown is the electric field component due to \mathbf{v}_1

Weak toroidal velocity modulation observed in Inner





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Predator-Prey Equations (1-D), Pressure Gradient (1-D) + Transport Model*,

Miki-Diamond Model* (1-D, coupled with radial transport model)

$$\frac{\partial}{\partial t}\tilde{I} = \gamma \tilde{I} - c_1 \tilde{I}^2 - \alpha_0 E_0 - \alpha_V E_V$$
$$\frac{\partial}{\partial t} E_0 = \frac{\alpha_0 E_0 \tilde{I}}{1 + \zeta_0 E_V} - \gamma_{damp} E_0$$
$$\frac{\partial}{\partial t} P_i' = Q - c_2 \tilde{I} P_i' - c_3 \tilde{I}$$

 $-v_2 n_i$

 ∂t^{i}

Turbulence Evolution

Turbulence-driven shear flow energy

Pressure gradient evolution

Mean Shear Flow

Mean poloidal flow (Reynolds stress + nëviciansticatiow) PoP 2012)

$$\frac{\partial}{\partial r} \langle \mathbf{V}_E \rangle = -\frac{1}{eB} \frac{\partial}{\partial r} \left[\frac{1}{n} \frac{\partial \mathbf{P}_i}{\partial r} \right] - c_4 \frac{\partial}{\partial r} \langle \mathbf{v}_\theta \rangle$$
$$\frac{\partial}{\partial t} \langle \mathbf{v}_\theta \rangle = -\frac{\partial}{\partial r} \langle \tilde{\mathbf{v}}_r \tilde{\mathbf{v}}_\theta \rangle - \mu_0 \mathbf{v}_{ii} \mathbf{q}^2 \mathbf{R}^2 \left(\langle \mathbf{v}_\theta \rangle - 1.17 \frac{\mathbf{\rho}_i}{\mathbf{L}_T} \right)$$

I Schmitz/TTF2014

Motivation

 The presently used empirical L-H power threshold scaling does not reflect important parameters, or the observed non-monotonic dependency of Pth on density:

 $P_{\text{th}}(\text{MW}) = 0.049 B_{\Phi}^{0.8} n_{e}^{0.72} S^{0.94}$ (2008 multi-machine scaling)

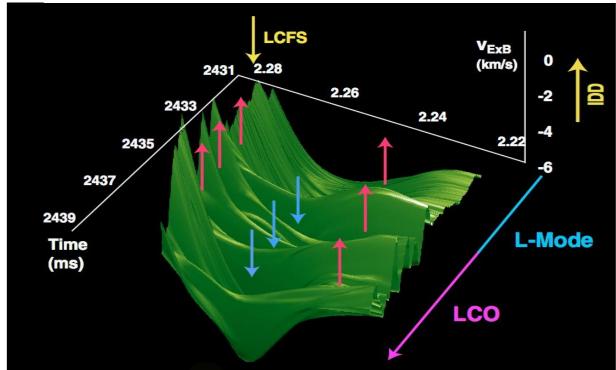
- Predicting the L-H transition power threshold in ITER requires a physics-based L-H transition model:
- Link trigger physics/microscopic flow/turbulence dynamics to the macroscopic power threshold scaling
- Extract critical seed shear flow/ critical turbulence-driven shear flow and determine their role in the Pth scaling



Meso-Scale Dipole Structure of Turbulence-Driven Flow: Alternating Transients in **Content** / Inner Shear Layer

E × B Shearing rates peak in the outer shear layer (pos. flow: magenta arrows) where turbulence level is high

Radial profile consistent with radial inward propagation of LCO E × B flow*





*L. Schmitz et al., PRL 2012 Outer Shear Layer L. Schmitz/IAEA2014 Inner Shear Layer