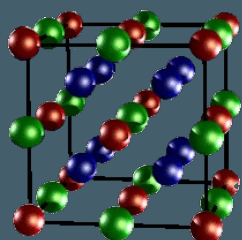


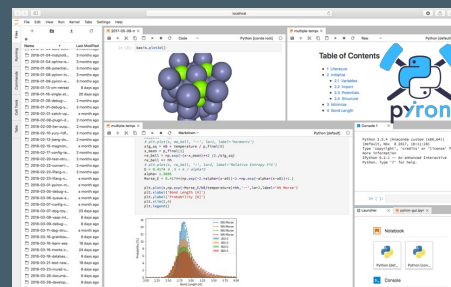


Machine Learned Interatomic Potentials for Extreme Environments

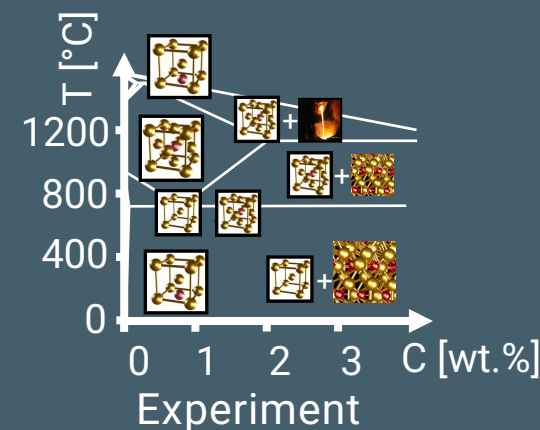
Jan Janssen – Group Leader for Materials Informatics



Simulation



Machine Learning



May 27th - Models and Data for Plasma-Material Interactions in Fusion Devices



Artificial Intelligence

Can a Large Language Model replace a scientist?

nature machine intelligence 

Article <https://doi.org/10.1038/s42256-024-00832-8>

Augmenting large language models with chemistry tools

2024-9-4

Received: 13 September

The AI Scientist: Towards Fully Automated Open-Ended Scientific Discovery

Chris Lu^{1,2,*}, Cong Lu

^{*}Equal Contribution, ¹Sak AI Chair, [†]Equal Advising

ATOMAGENTS: ALLOY DESIGN AND DISCOVERY THROUGH PHYSICS-AWARE MULTI-MODAL MULTI-AGENT ARTIFICIAL INTELLIGENCE ^{*}



Artificial Intelligence

Can a Large Language Model replace a scientist?

nature machine intelligence



Article

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Augmenting large language models with chemistry tools

Recent publications claim that
Large Language Models can predict novel materials.

Chris Lu^{1,2,*}, Cong Lu

^{*}Equal Contribution, ¹Sak AI Chair, [†]Equal Advising

ATOMAGENTS: ALLOY DESIGN AND DISCOVERY THROUGH
PHYSICS-AWARE MULTI-MODAL MULTI-AGENT ARTIFICIAL
INTELLIGENCE ^{*}

State of the Art - ChatGPT 4o Model

Hands-on: Let's give it a try!

Calculate the bulk modulus for aluminium with ASE using the EMT simulation code.



State of the Art - ChatGPT 4o Model

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Calculate the **bulk modulus** for **aluminium** with ASE using the EMT simulation code.

Physical Parameters,





State of the Art - ChatGPT 4o Model

Hands-on: Let's give it a try!

Calculate the bulk modulus for aluminium with ASE using the EMT simulation code.



Physical Parameters, Technical Parameters



State of the Art - ChatGPT 4o Model

Hands-on: Let's give it a try!

Calculate the bulk modulus for aluminium with ASE using the EMT simulation code.



Answer from ChatGPT:

Physical Parameters, Technical Parameters



Thought for 12 seconds

To calculate the bulk modulus of aluminum using the Atomic Simulation Environment (ASE) with the Effective Medium Theory (EMT) potential, you can follow these steps:

1. Set up the aluminum bulk structure.
2. Assign the EMT calculator to the structure.
3. Compute the energies at different volumes by scaling the unit cell.
4. Fit the calculated energies and volumes to an equation of state (EOS).
5. Extract the bulk modulus from the EOS fit.



State of the Art - ChatGPT 4o Model

Hands-on: Let's give it a try!

Answer form ChatGPT:

Calculate the bulk modulus for aluminium with ASE using the EMT simulation code.



```
[1]: from ase.build import bulk
      from ase.calculators.emt import EMT
      from ase.eos import EquationOfState
      import numpy as np
```

```
[2]: # Create an aluminum bulk structure
      al_bulk = bulk('Al', 'fcc', a=4.05, cubic=True)
```

```
[3]: # Attach the EMT calculator
      al_bulk.calc = EMT()
```

```
[4]: # Define a range of scaling factors for volume
      scaling_factors = np.linspace(0.94, 1.06, 10) # Scale between 94% and 106%
      volumes = []
      energies = []
```



State of the Art - ChatGPT 4o Model

Hands-on: Let's give it a try!

Answer form ChatGPT:

Calculate the **bulk modulus** for **aluminium** with **ASE** using the **EMT simulation code**.



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[1]: from ase.build import bulk
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Technical Parameter:
Atomic Simulation Environment (ASE)



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Physical Parameter:
Aluminium



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      al_bulk.calc = EMT()
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Technical Parameter:
Effective Medium Theory (EMT)



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[4]: # Define a range of scaling factors for volume
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State of the Art - ChatGPT 4o Model

Hands-on: Let's give it a try!

Calculate the bulk modulus for aluminium with ASE using the EMT simulation code.



Answer form ChatGPT:



```
[5]: # Loop over scaling factors, calculating energy for each
for factor in scaling_factors:
    al_bulk.set_cell(al_bulk.get_cell() * factor, scale_atoms=True)
    volumes.append(al_bulk.get_volume())
    energies.append(al_bulk.get_potential_energy())

[6]: # Fit the Equation of State (EOS)
eos = EquationOfState(volumes, energies)
v0, e0, B = eos.fit() # Fit returns equilibrium volume, energy, and bulk modulus

[7]: # Print results
print(f"Equilibrium volume: {v0:.2f} Å³")
print(f"Equilibrium energy: {e0:.2f} eV")
print(f"Bulk modulus: {B:.2f} GPa")

Equilibrium volume: 62.50 Å³
Equilibrium energy: -0.03 eV
Bulk modulus: 0.26 GPa
```




State of the Art - ChatGPT 4o Model

Hands-on: Let's give it a try!

Answer form ChatGPT:

Calculate the **bulk modulus** for **aluminium** with **ASE** using the **EMT simulation code**.



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State of the Art - ChatGPT 4o Model

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Answer from ChatGPT:



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```
Equilibrium volume: 62.50 Å³
Equilibrium energy: -0.03 eV
Bulk modulus: 0.26 GPa
```

Experiment: 62 GPa





State of the Art - ChatGPT 4o Model

Hands-on: Let's give it a try!

Debugging:

Calculate the bulk modulus for aluminium with ASE using the EMT simulation code.



[9]: eos.fit??

Signature: eos.fit(warn=True)

Source:

```
def fit(self, warn=True):  
    """Calculate volume, energy, and bulk modulus.
```

```
  
    Returns the optimal volume, the minimum energy, and the bulk  
    modulus. Notice that the ASE units for the bulk modulus is  
    eV/Angstrom^3 – to get the value in GPa, do this::
```

```
  
    v0, e0, B = eos.fit()  
    print(B / kJ * 1.0e24, 'GPa')
```

```
    """
```

With Correction: 40 GPa

Experiment: 62 GPa



State of the Art - ChatGPT 4o Model

Hands-on: Let's give it a try!

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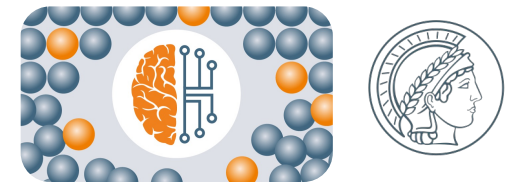
The code produced by ChatGPT 4o can be executed.
The generated code is >90% correct, but the scientific result is wrong.

```
v0, e0, B = eos.fit()
print(B / kJ * 1.0e24, 'GPa')
```

"""

With Correction: 40 GPa

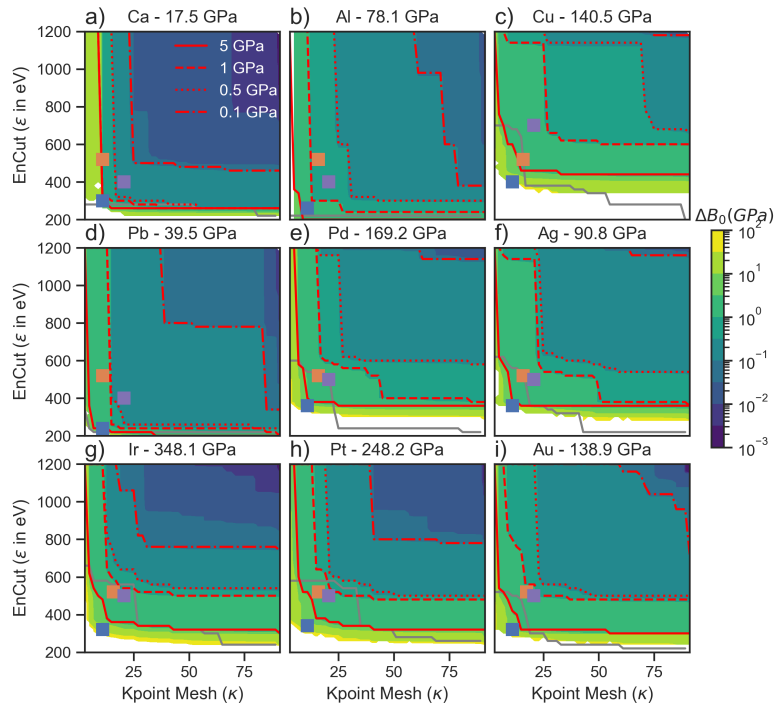
Experiment: 62 GPa



Materials Informatics Group

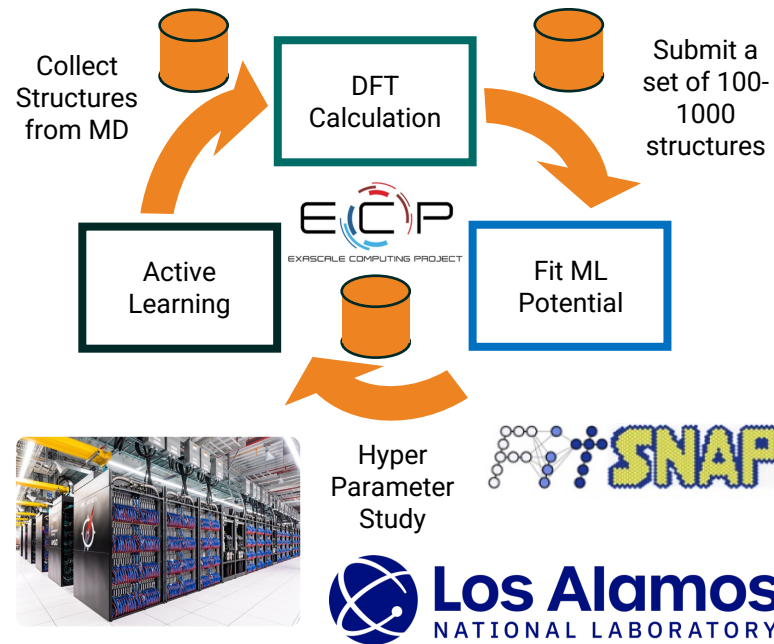
Our Expertise: Workflows for Sustainable Materials

Uncertainty Propagation for Density Functional Theory



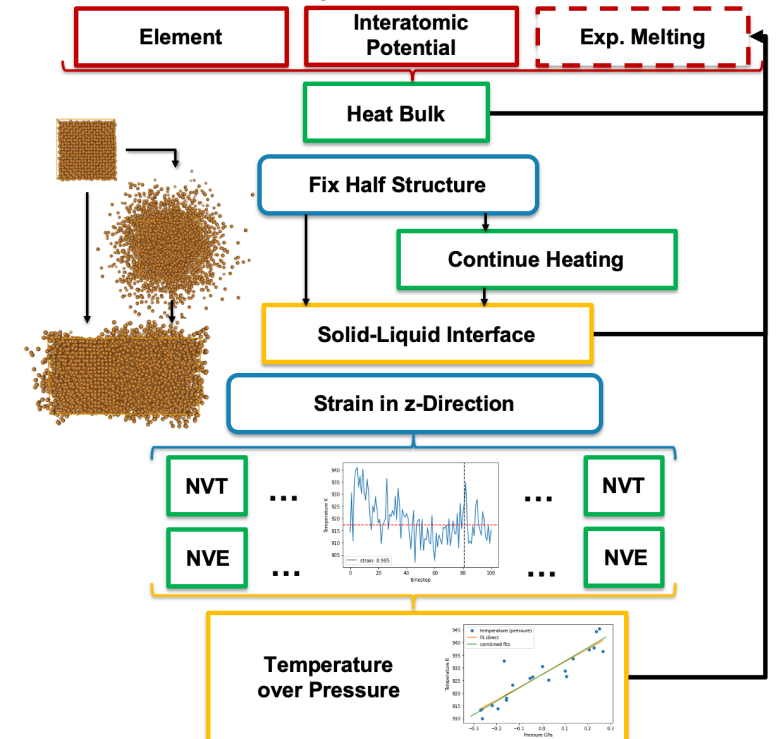
J. Janssen, et al., npj Comput. Mater., 10, 263 (2024)

Machine-Learned Interatomic Potentials for Extreme Environments



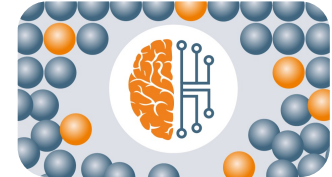
A. Rohskopf, C. Sievers, N. Lubbers, M.a. Cusentino, J. Goff, J. Janssen, et al. JOSS, 8 (2023)

Automated Workflow for Calculating Melting Temperatures



L.F. Zhu, J. Janssen, et al. Comp. Mat. Sci. 187 (2021)

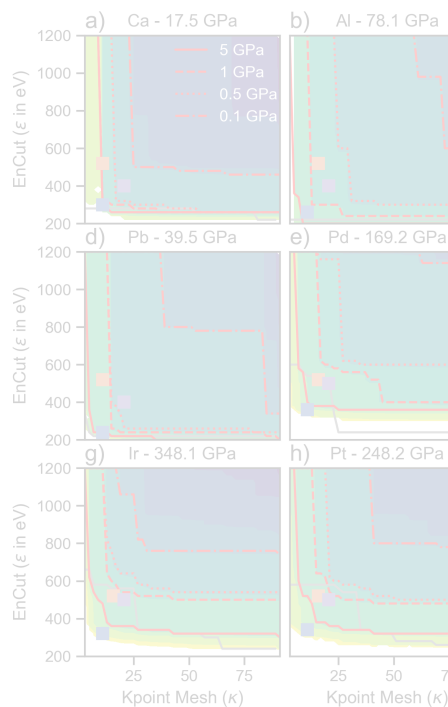
pyiron Workflow Framework 



Materials Informatics Group

Our Expertise: Workflows for Sustainable Materials

Uncertainty Propagation for Density Functional Theory



J. Janssen, et al., npj Comput. Mater. 1 (2019)

The screenshot displays the Pyiron Workflow Framework interface, which includes a file explorer, a code editor, and a console. The code editor shows Python code for calculating the probability distribution of bond lengths using the NN Morse potential. The console displays the output of the code, including the calculated probability distribution.

```
In [8]: basis.plot3d()
```

2017-05-09-r x Python [conda root]

multiple-temp x Python [default]

Table of Contents

- 1 Literature
- 2 Initialize
 - 2.1 Variables
 - 2.2 Import
 - 2.3 Potentials
 - 2.4 Structure
- 3 Minimize
- 4 Bond Length

```
# plt.plot(x, mo_bell, '--', lw=1, label='harmonic')
sig_sq = kB * temperature / p_final[0]
x_mean = p_final[1]
re_bell = np.exp(-(x-x_mean)**2 / 2./sig_sq)
re_bell *= hh
# plt.plot(x, re_bell, '-', lw=2, label='Relative Entropy Fit')
D = 0.4174 # .5 * k / alpha^2
alpha = 1.3885
Morse_E = 0.4174*(np.exp(-2.*alpha*(x-a0))-2.*np.exp(-alpha*(x-a0))+1.)
plt.plot(x, np.exp(-Morse_E/kB/temperature)*hh, '--', lw=2, label='NN Morse')
plt.xlabel('Bond Length [Å]')
plt.ylabel('Probability [%]')
plt.xlim(2,4)
plt.legend()
```

multiple-temp x Python [default]

Console 1 x Python 3.5.4 [Anaconda custom (x86_64)] (default, Nov 8 2017, 18:11:28) Type 'copyright', 'credits' or 'license' for more information IPython 6.2.1 -- An enhanced Interactive Python. Type '?' for help.

In []:

Launcher x pyiron-gui.ipynr x

Notebook

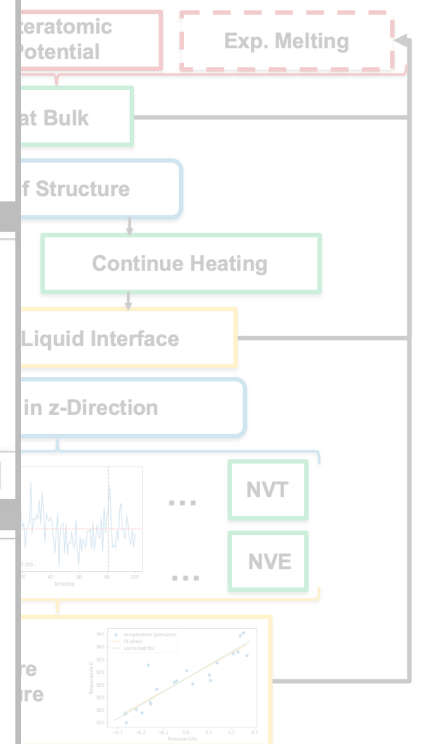
Python [def...] Python [con...]

Console

Probability [%]

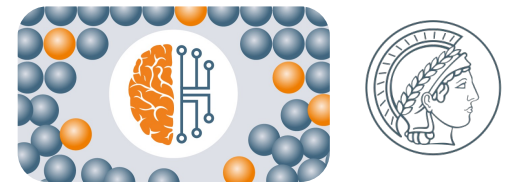
Bond Length [Å]

Workflow for Calculating Temperature-Dependent Properties



J. Janssen, et al., Comp. Mat. Sci. 187 (2021)

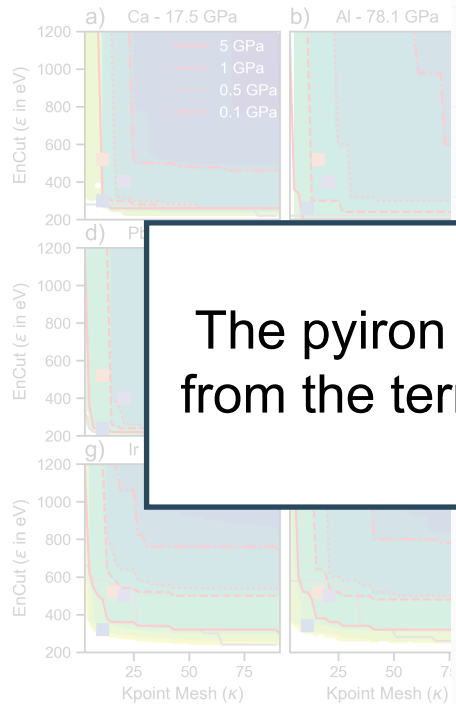
pyiron Workflow Framework 



Materials Informatics Group

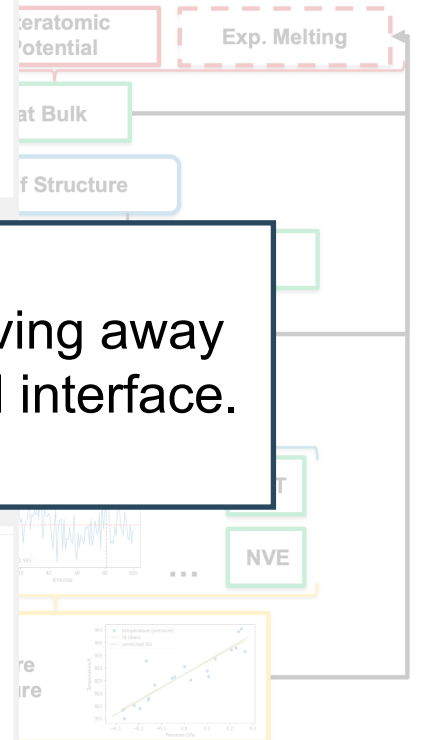
Our Expertise: Workflows for Sustainable Materials

Uncertainty Propagation for Density Functional Theory



J. Janssen, et al., npj Comput. M

Workflow for Calculating



J. Comp. Mat. Sci. 187 (2021)

The pyiron workflow framework enables data-driven materials science, by moving away from the terminal-/shell-based interface towards a programmatic Python-based interface.

pyiron Workflow Framework 

Code Python 3 (ipykernel)

```
[1]: %reload_ext langsim
```



```
[2]: %%chat
I am looking for a material with a bulk modulus in the range of 200 GPa.
Can you compute the bulk modulus for the noble metals using EMT for me?
```



Here are the computed bulk moduli for the noble metals using the EMT model:

- **Gold (Au):** 173.86 GPa
- **Silver (Ag):** 100.15 GPa
- **Platinum (Pt):** 278.20 GPa

Among these, Platinum (Pt) has a bulk modulus within the range of 200 GPa.

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Among these, Platinum (Pt) has a bulk modulus within the range of 200 GPa.



```
[3]: %%chat
How does this compare to experiment?
```



Here are the experimental bulk moduli for the noble metals:

- **Gold (Au):** 180 GPa
- **Silver (Ag):** 100 GPa
- **Platinum (Pt):** 230 GPa

Code Python 3 (ipykernel)

```
[1]: %reload_ext langsim
```



```
[2]: %%chat
I am looking for a material with a bulk modulus in the range of 200 GPa.
Can you compute the bulk modulus for the noble metals using EMT for me?
```



> Entering new AgentExecutor chain...

```
Invoking: `get_atom_dict_bulk_structure` with `{'chemical_symbol': 'Au'}`
numbers=[79] positions=[[0.0, 0.0, 0.0]] cell=[[0.0, 2.04, 2.04], [2.04, 0.0, 2.04], [2.04, 2.04, 0.0]] pbc=[True, True, True]
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```

	Step	Time	Energy	fmax
LBFGS:	0	19:55:11	0.002606	0.308859
LBFGS:	1	19:55:11	0.000032	0.077808
LBFGS:	2	19:55:11	-0.000135	0.003099
LBFGS:	3	19:55:11	-0.000135	0.000029
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Using specialized agents, the Large Language Model (LLM) can interface with atomistic simulation codes and utilities.

```
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```

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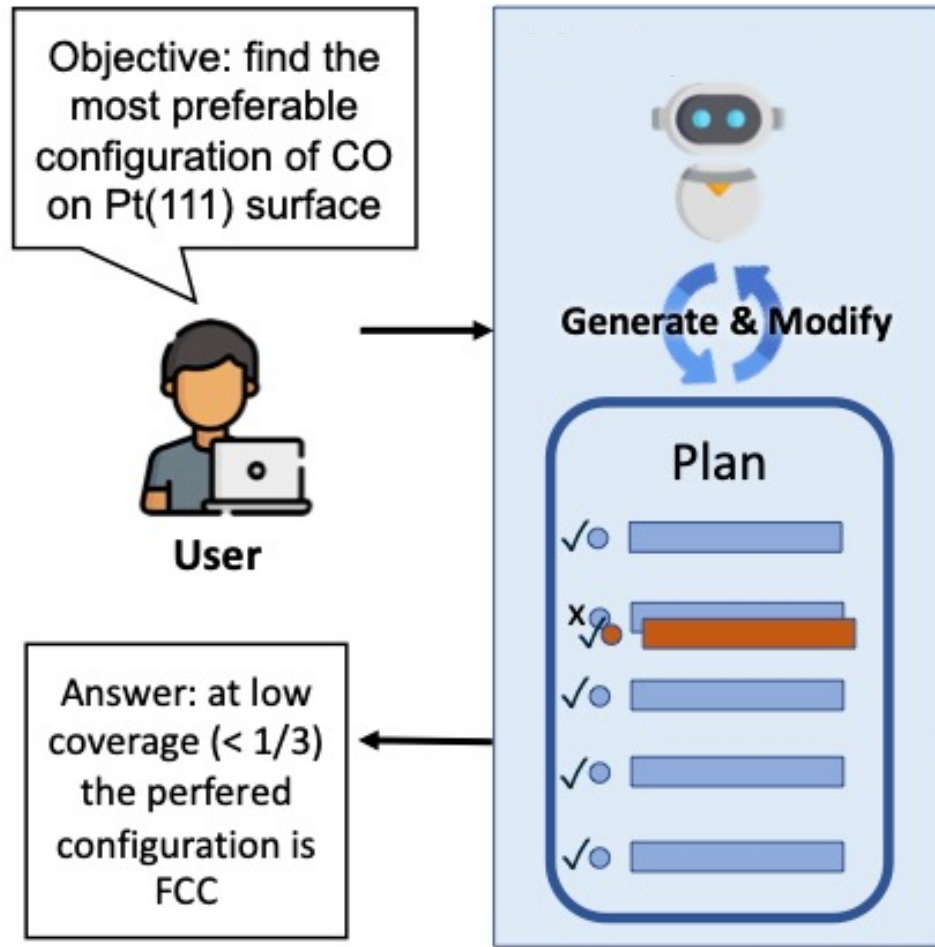
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DFT-based Research Engine for Automated Materials Screening

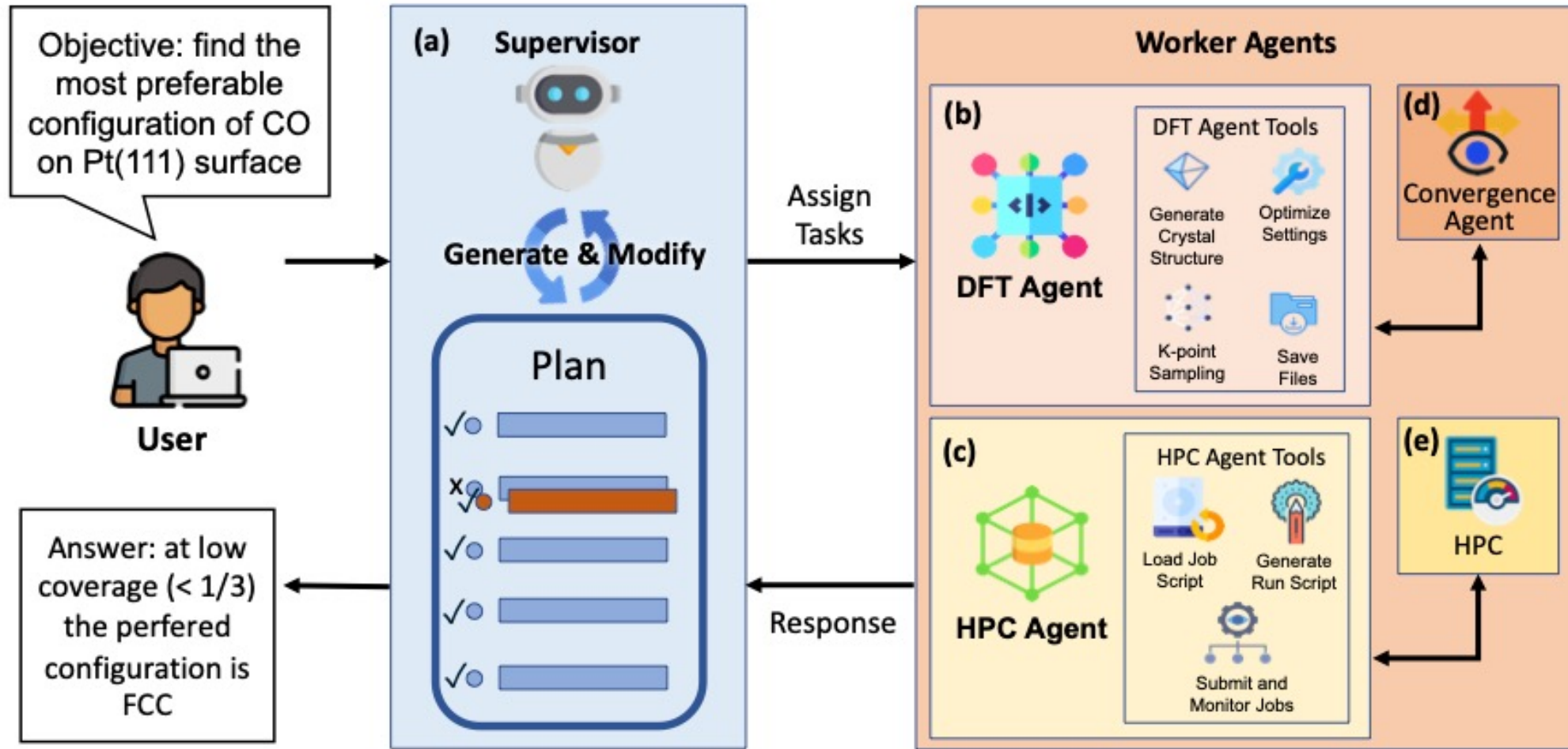
Collaborative Team of Large Language Model Agents





DFT-based Research Engine for Automated Materials Screening

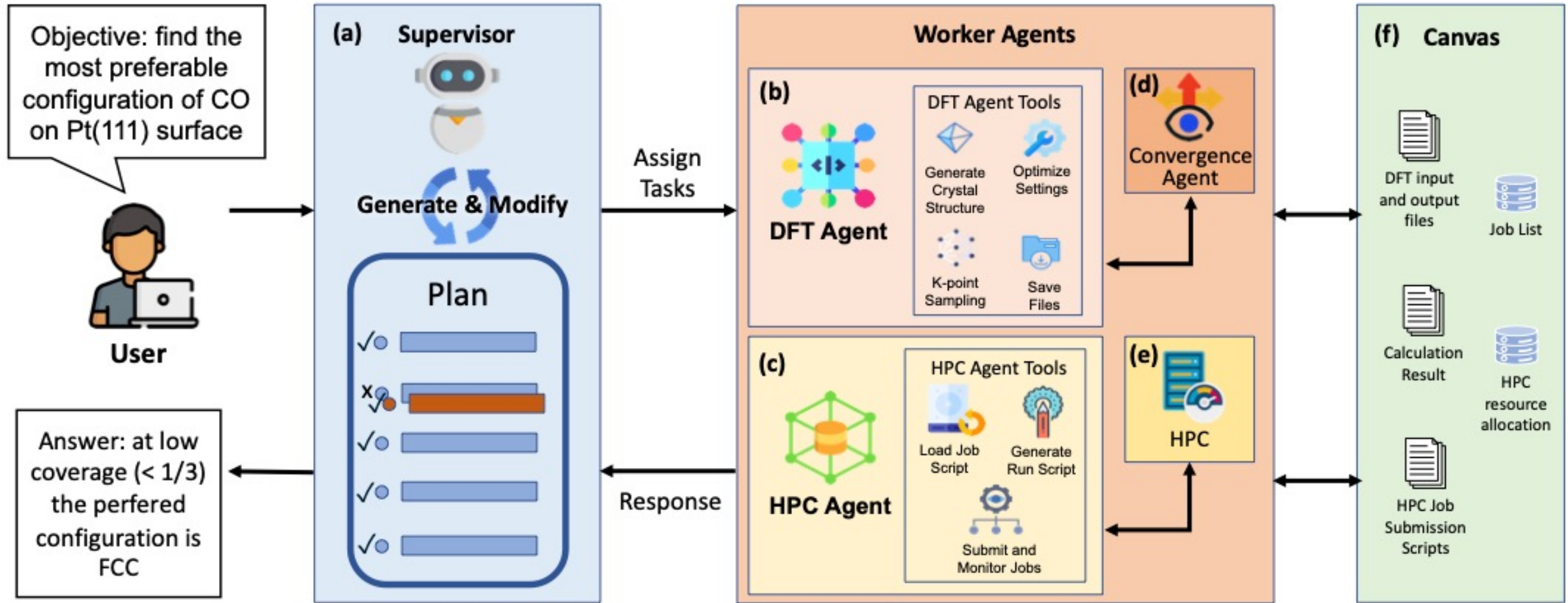
Collaborative Team of Large Language Model Agents





DFT-based Research Engine for Automated Materials Screening

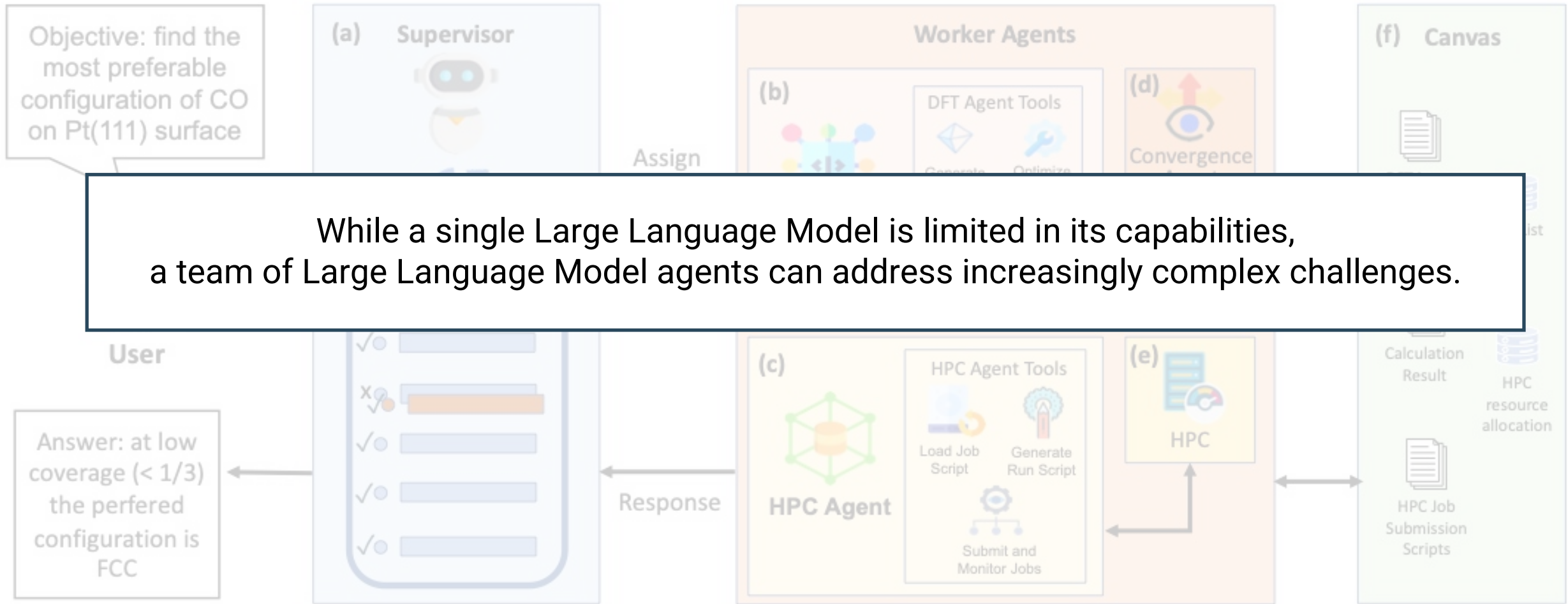
Collaborative Team of Large Language Model Agents





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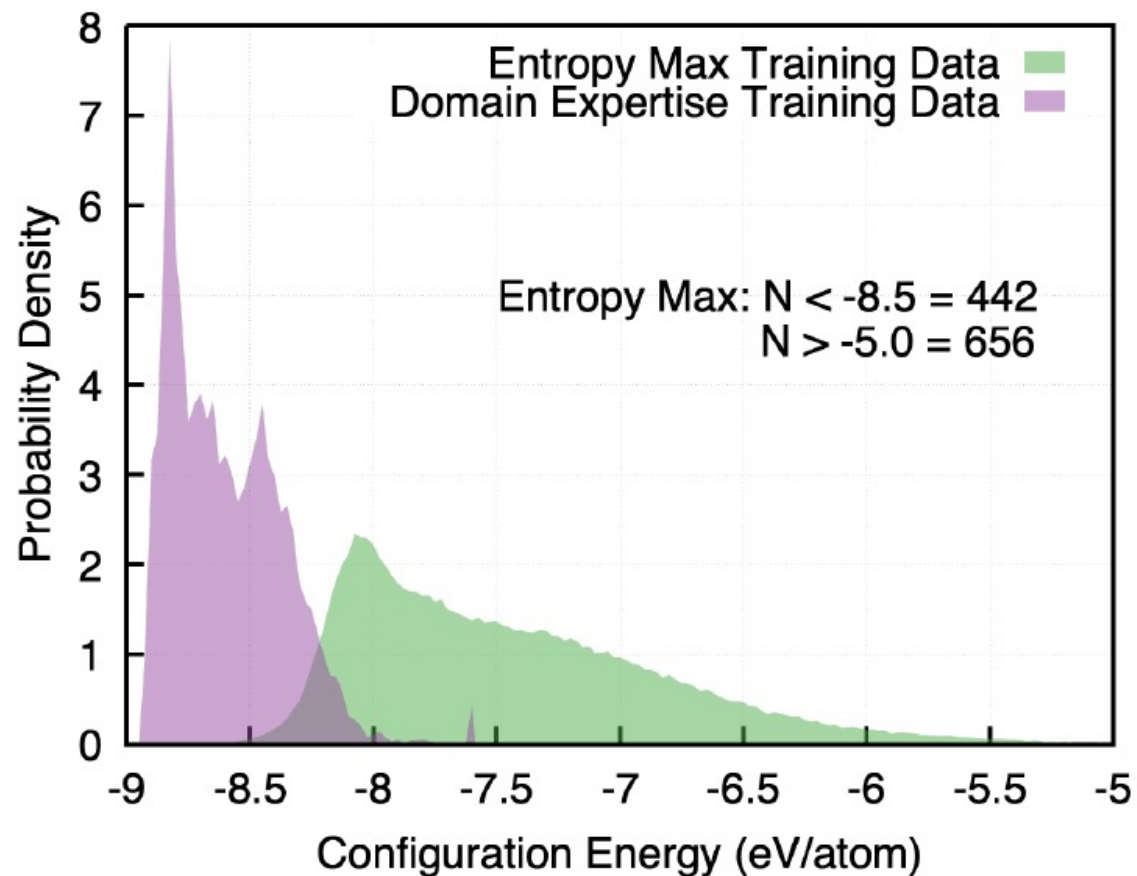
Collaborative Team of Large Language Model Agents



Transferable Machine-Learned Interatomic Potentials



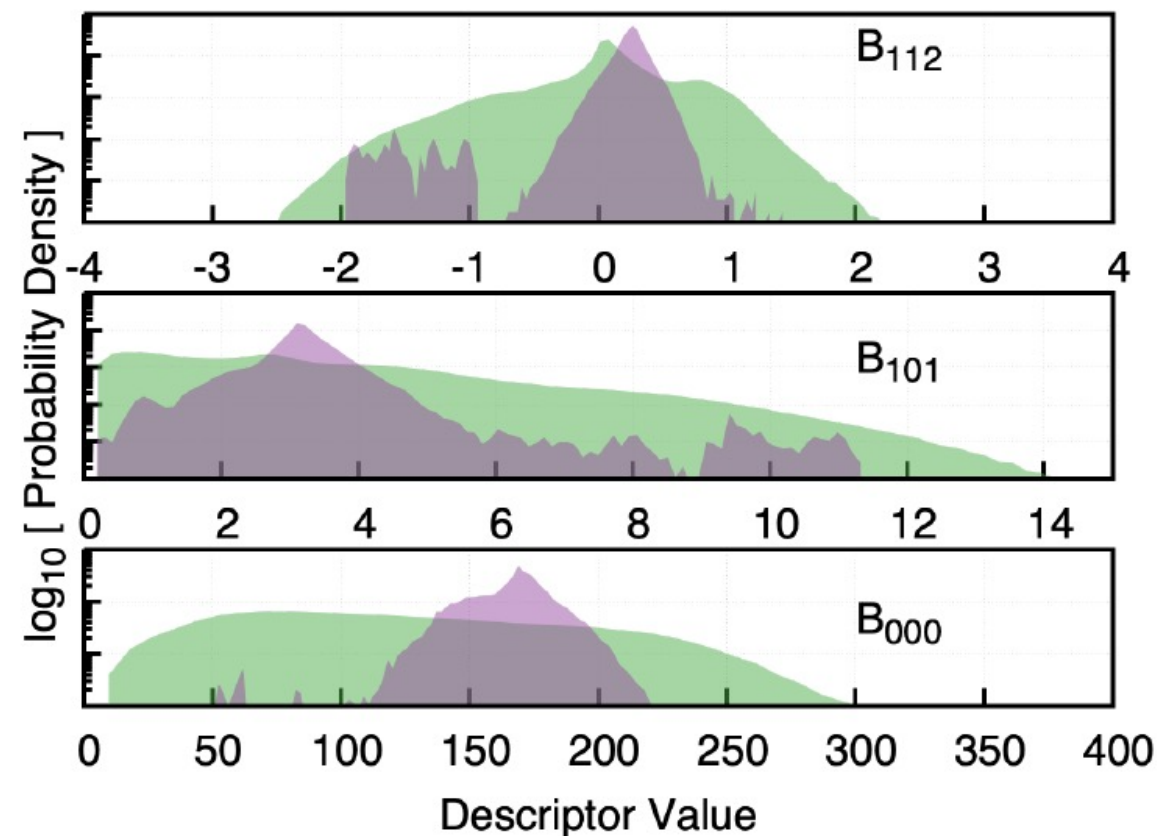
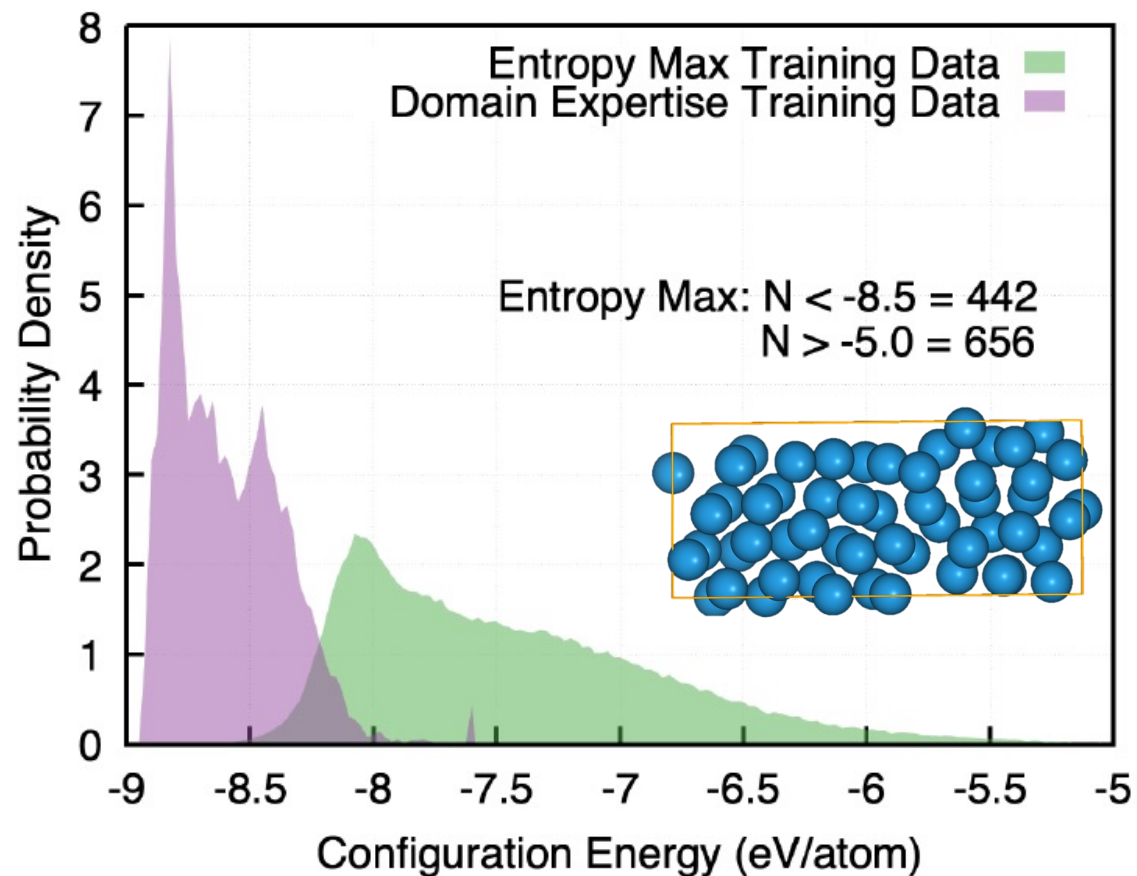
Generate a diverse training set based on maximizing the informational entropy



Transferable Machine-Learned Interatomic Potentials



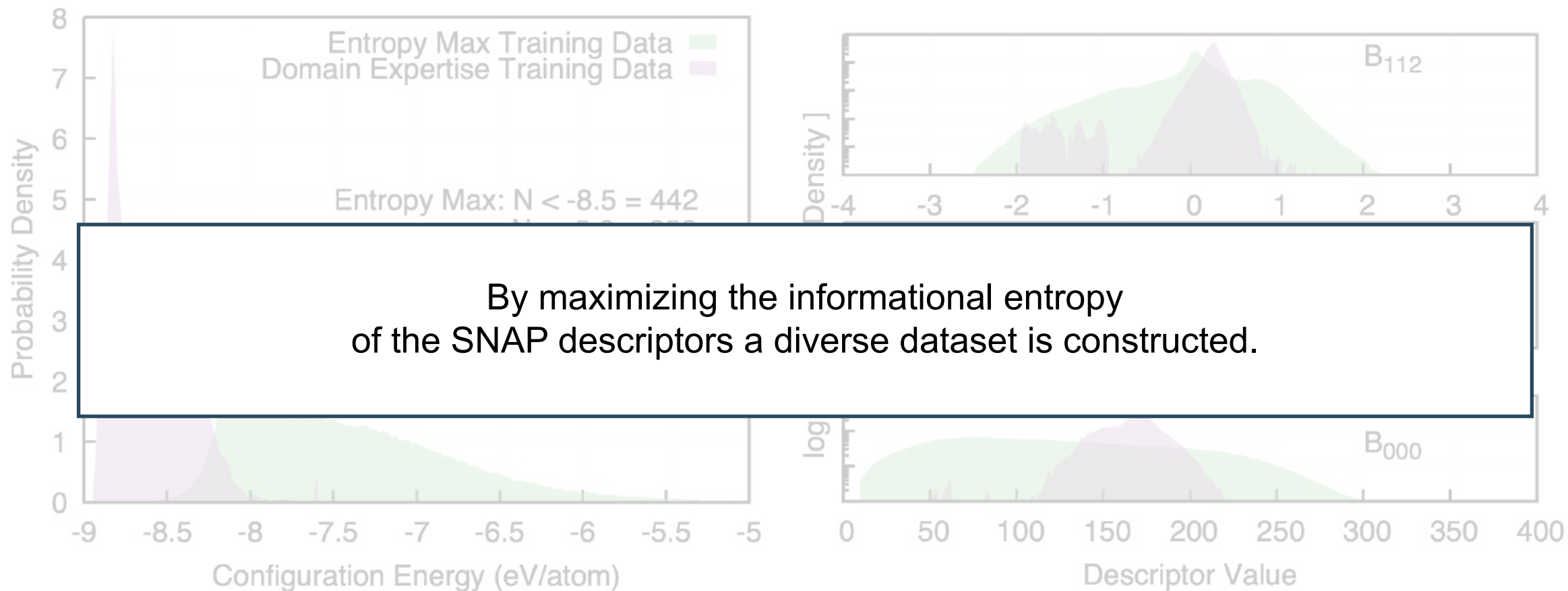
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Transferable Machine-Learned Interatomic Potentials



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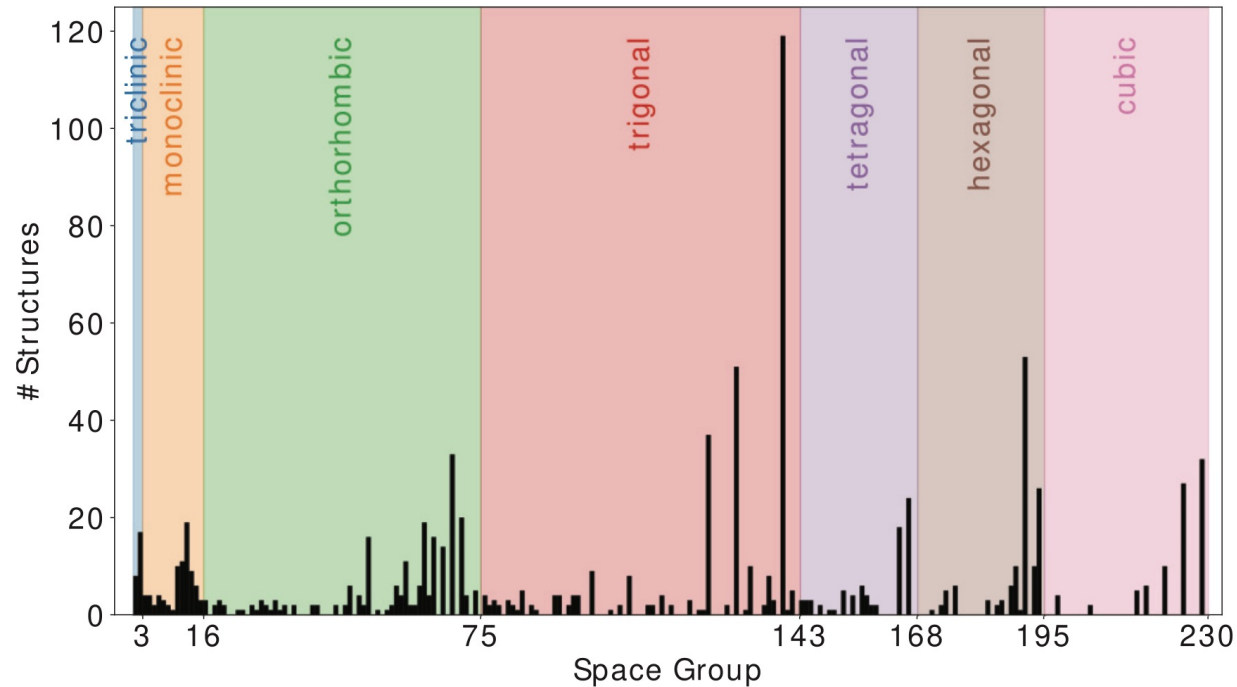




Divers Training Sets

Automated Small SYmmetric Structure Training (ASSYST)

Space Group Symmetry based Structures

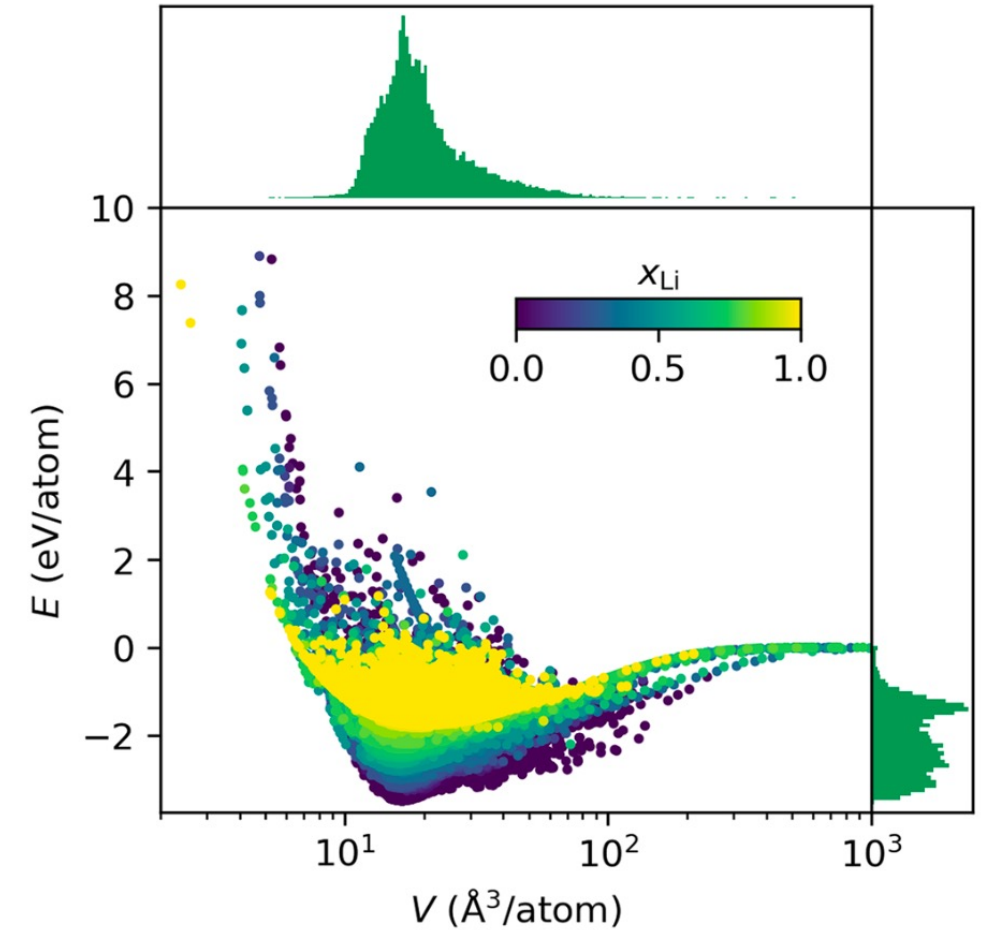
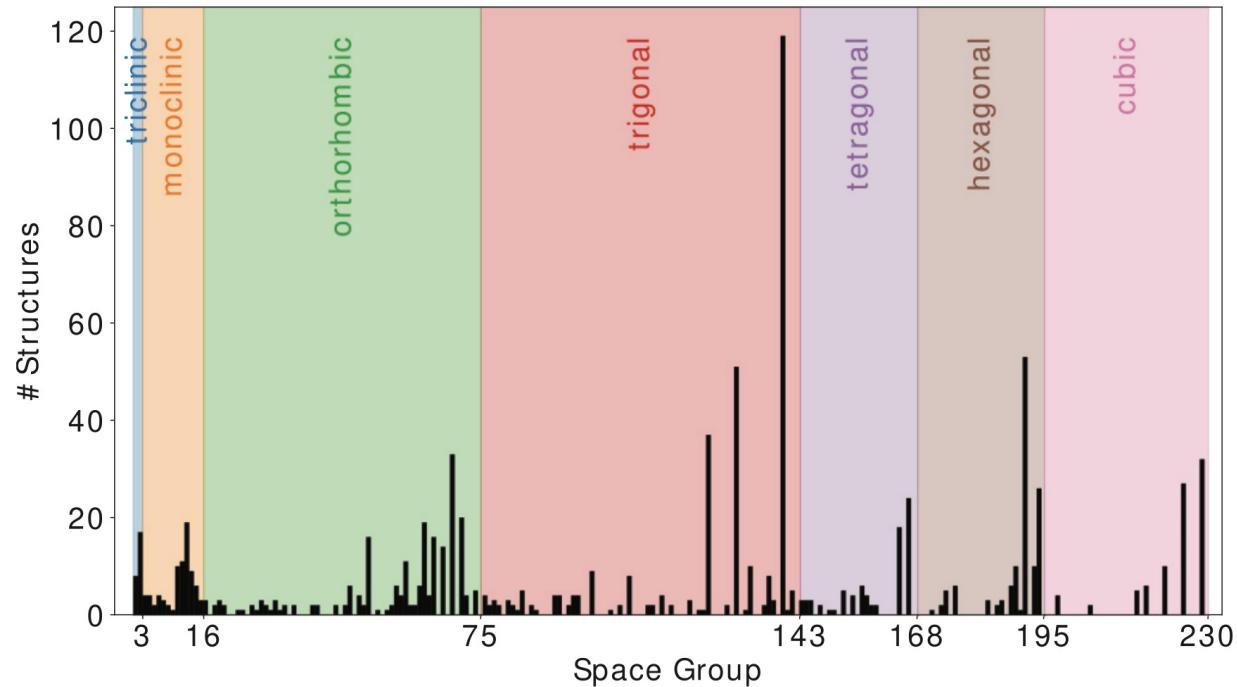




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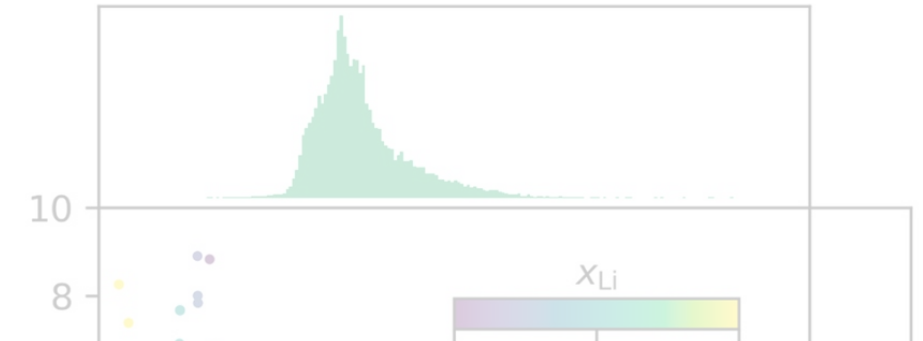
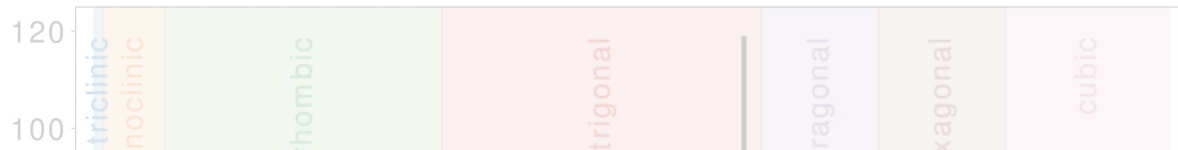




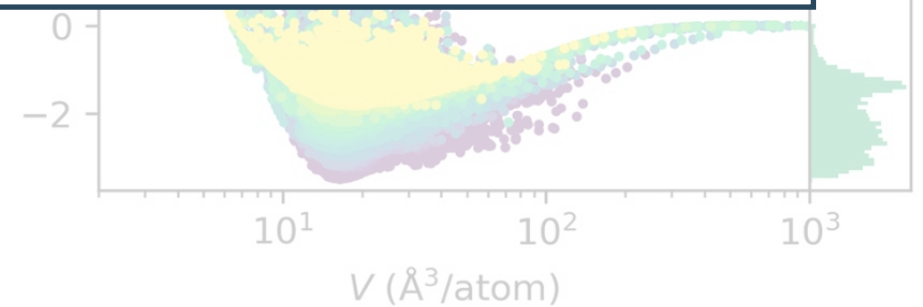
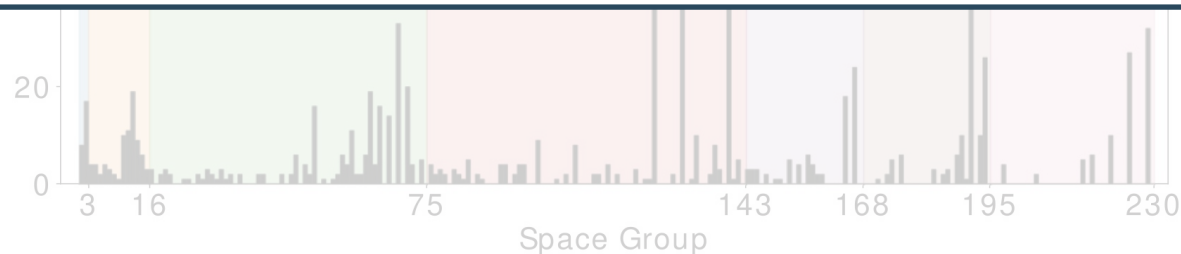
Divers Training Sets

Automated Small SYmmetric Structure Training (ASSYST)

Space Group Symmetry based Structures



The diverse training sets prevent the MLIPs from extrapolating. The structures typically contain less than 10 atoms, which improves computational efficiency.

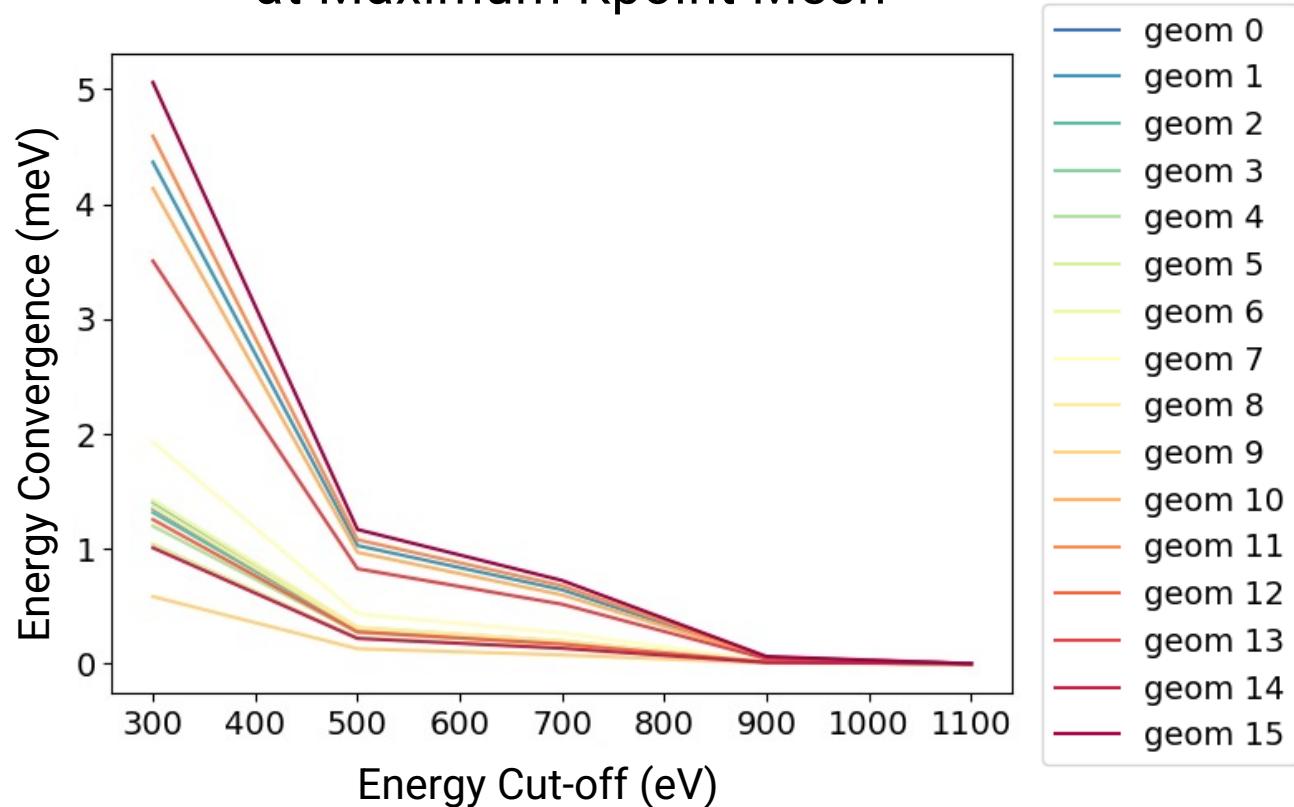




Uncertainty Propagation from Density Functional Theory

Can we leverage computationally more efficient less complete basis sets?

Energy Cut-off Convergence
at Maximum Kpoint Mesh

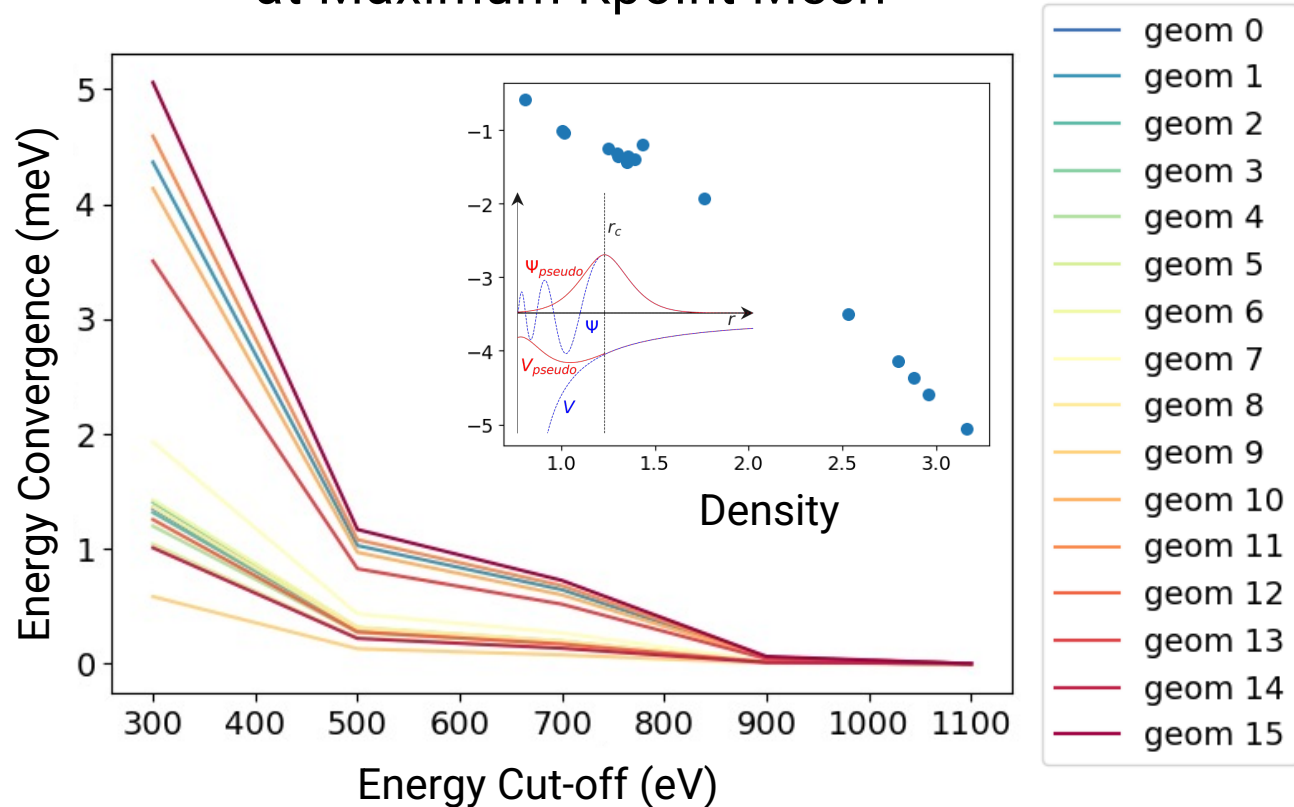




Uncertainty Propagation from Density Functional Theory

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Energy Cut-off Convergence
at Maximum Kpoint Mesh

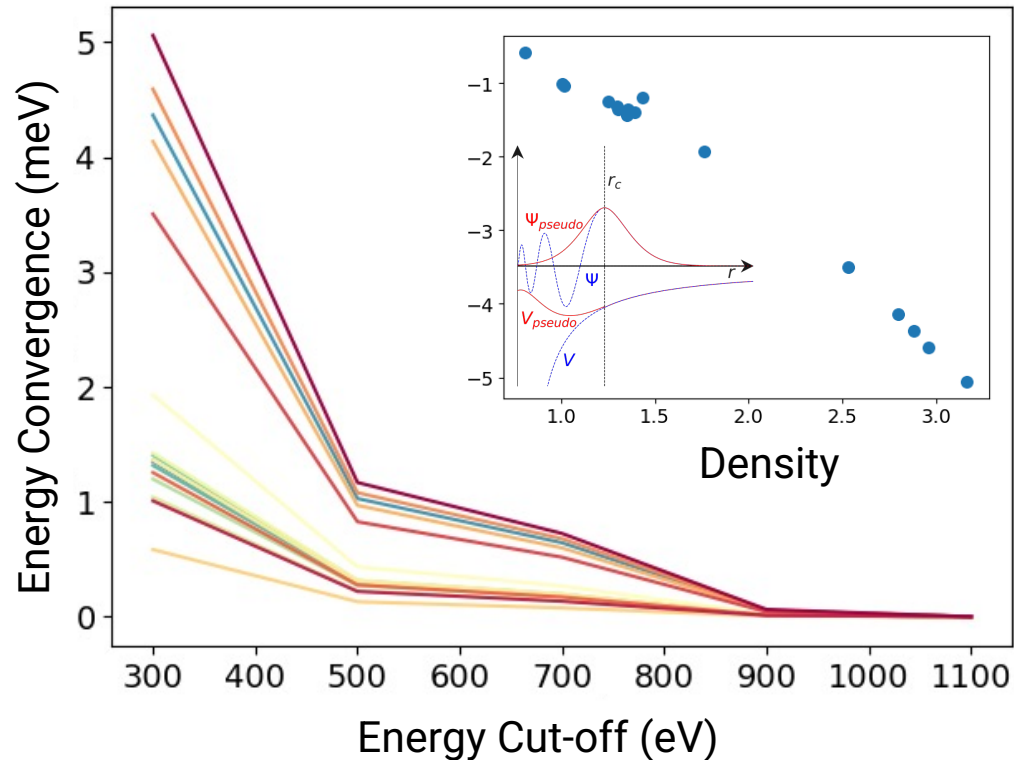




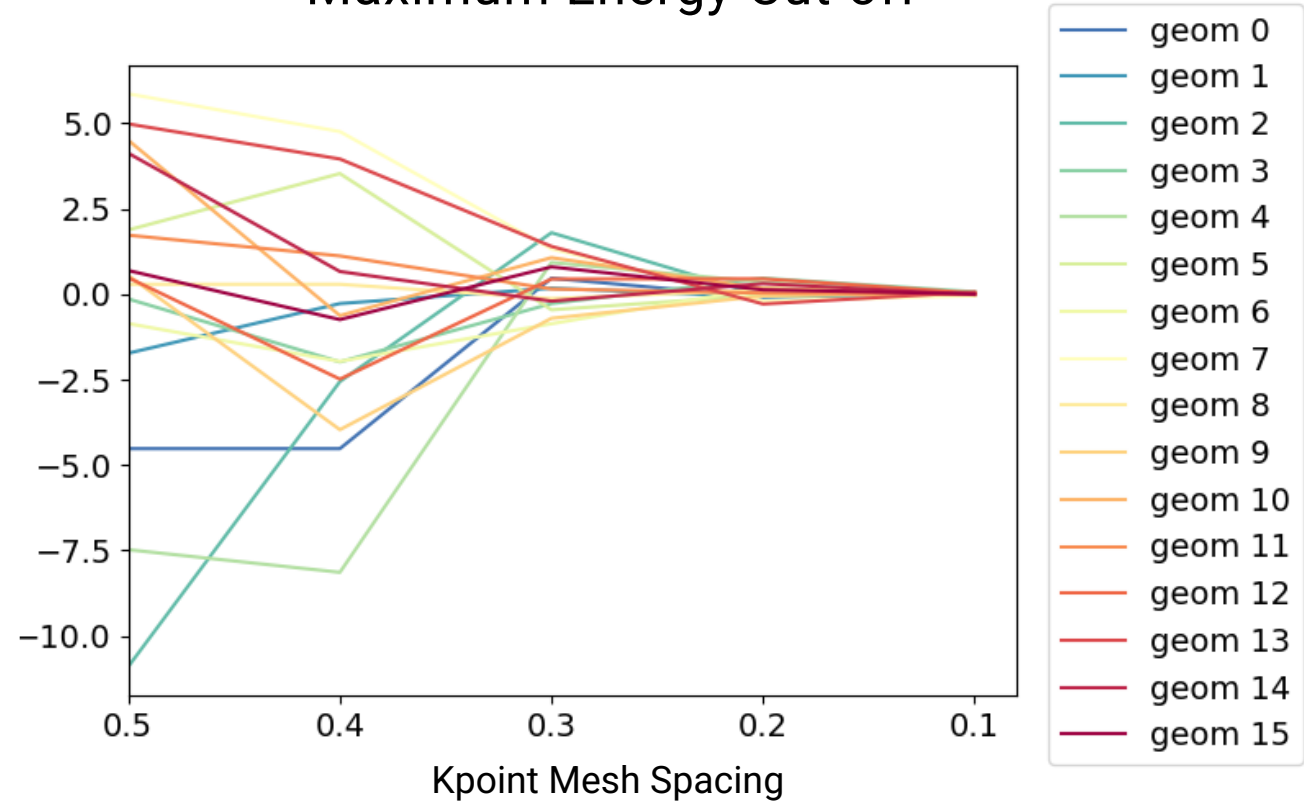
Uncertainty Propagation from Density Functional Theory

Can we leverage computationally more efficient less complete basis sets?

Energy Cut-off Convergence
at Maximum Kpoint Mesh



Kpoint Mesh Convergence at
Maximum Energy Cut-off

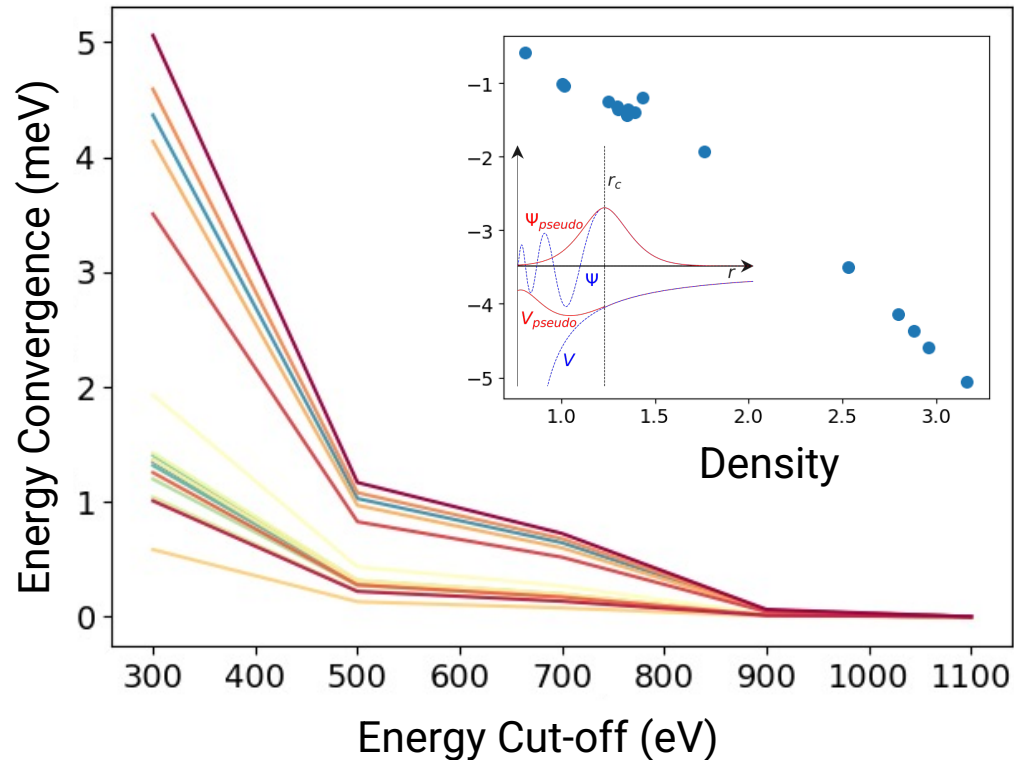




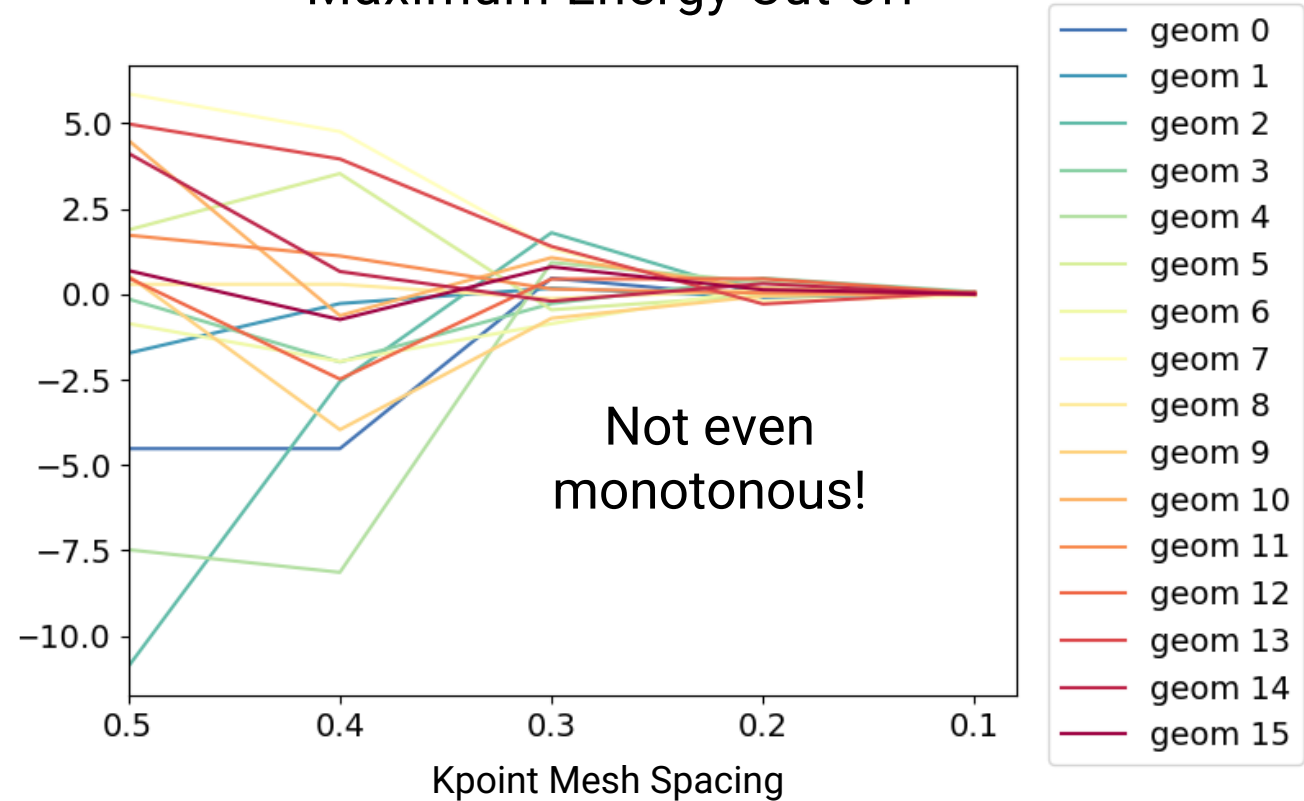
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Kpoint Mesh Convergence at
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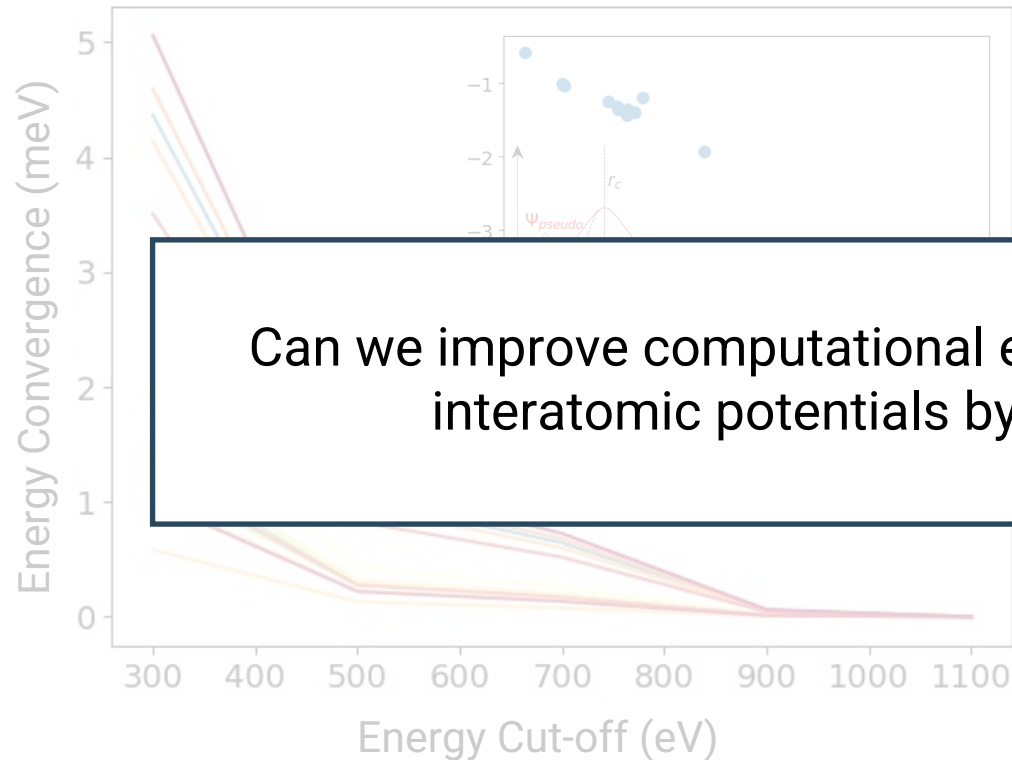




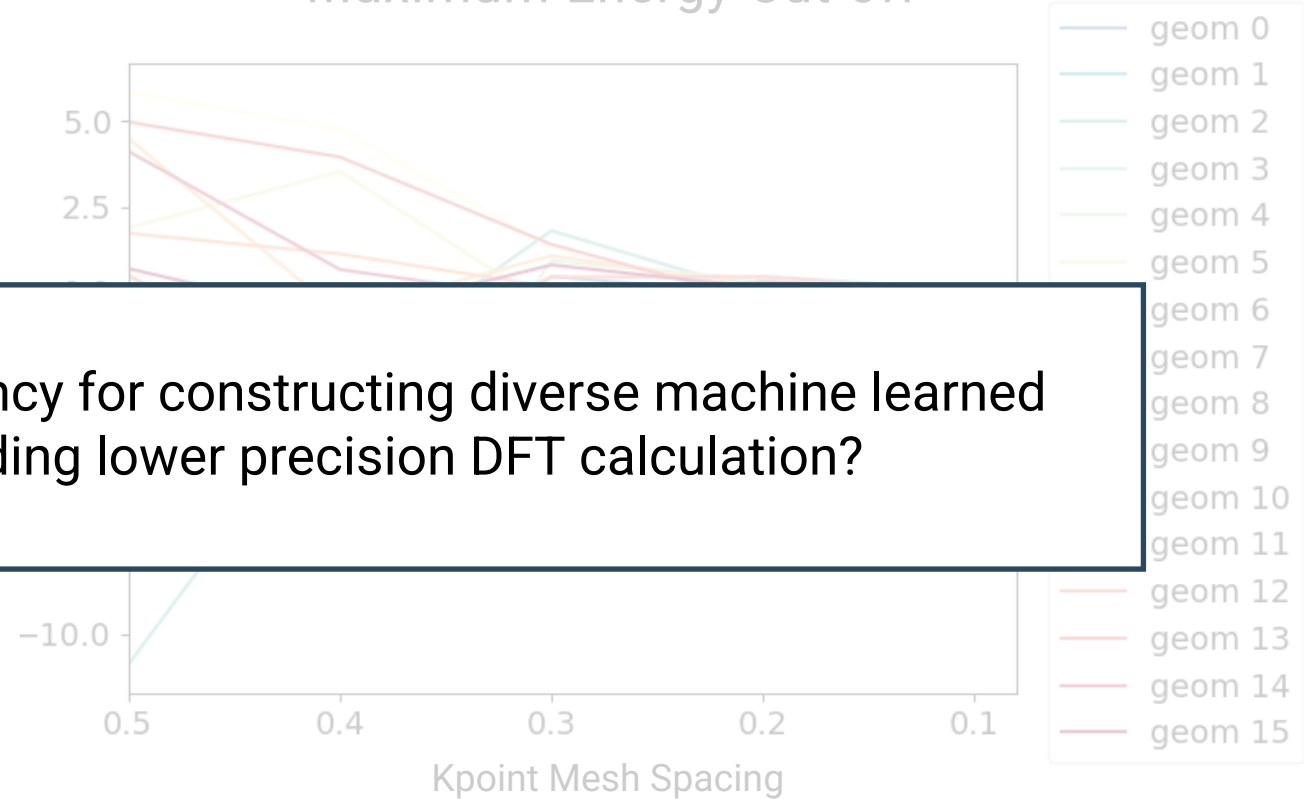
Uncertainty Propagation from Density Functional Theory

Can we leverage computationally more efficient less complete basis sets?

Energy Cut-off Convergence
at Maximum Kpoint Mesh



Kpoint Mesh Convergence
at Maximum Energy Cut-off



Can we improve computational efficiency for constructing diverse machine learned interatomic potentials by including lower precision DFT calculation?



Predict From Low Precision to High Precision

For Fitting a Machine Learned Interatomic Potential

Low 0.5 k-spacing 500eV 19s

20 000 configuration

High 0.1 k-spacing 900eV 996s

20 000 configuration



Predict From Low Precision to High Precision

For Fitting a Machine Learned Interatomic Potential

	50%	50%		
Low 0.5 k-spacing 500eV 19s	Training	Testing	RMS difference of DFT Energies (meV)	5.60
High 0.1 k-spacing 900eV 996s	Training	Testing		



Predict From Low Precision to High Precision

For Fitting a Machine Learned Interatomic Potential

SNAP: $r_{\text{cutoff}} = 4.81$ $2j_{\text{max}} = 10$		Train Energy RMSE	Test Energy RMSE	
			low	high
Train on	low	6.20	6.58	
	high	4.77		5.05

50%

50%

Low 0.5 k-spacing 500eV 19s

Training

Testing

High 0.1 k-spacing 900eV 996s

Training

Testing

RMS difference of
DFT Energies (meV)

5.60



Predict From Low Precision to High Precision

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High 0.1 k-spacing 900eV 996s

Training

Testing

RMS difference of
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Predict From Low Precision to High Precision

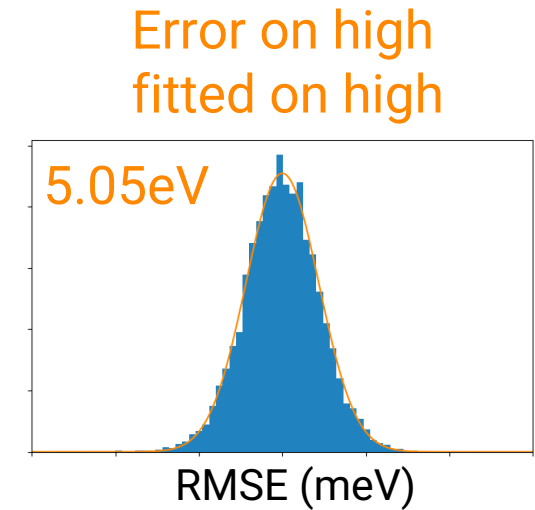
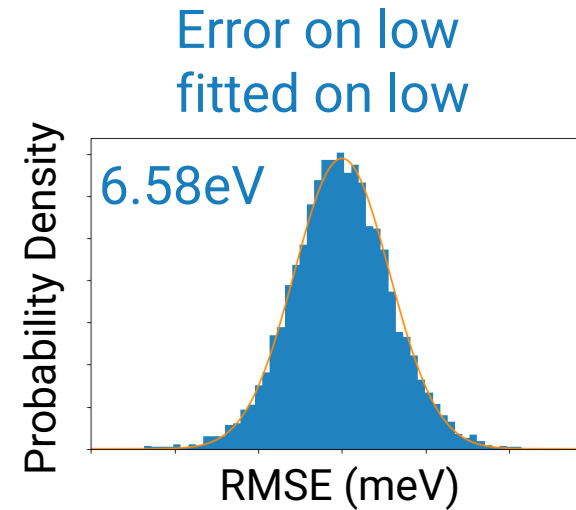
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RMS difference of
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Predict From Low Precision to High Precision

For Fitting a Machine Learned Interatomic Potential

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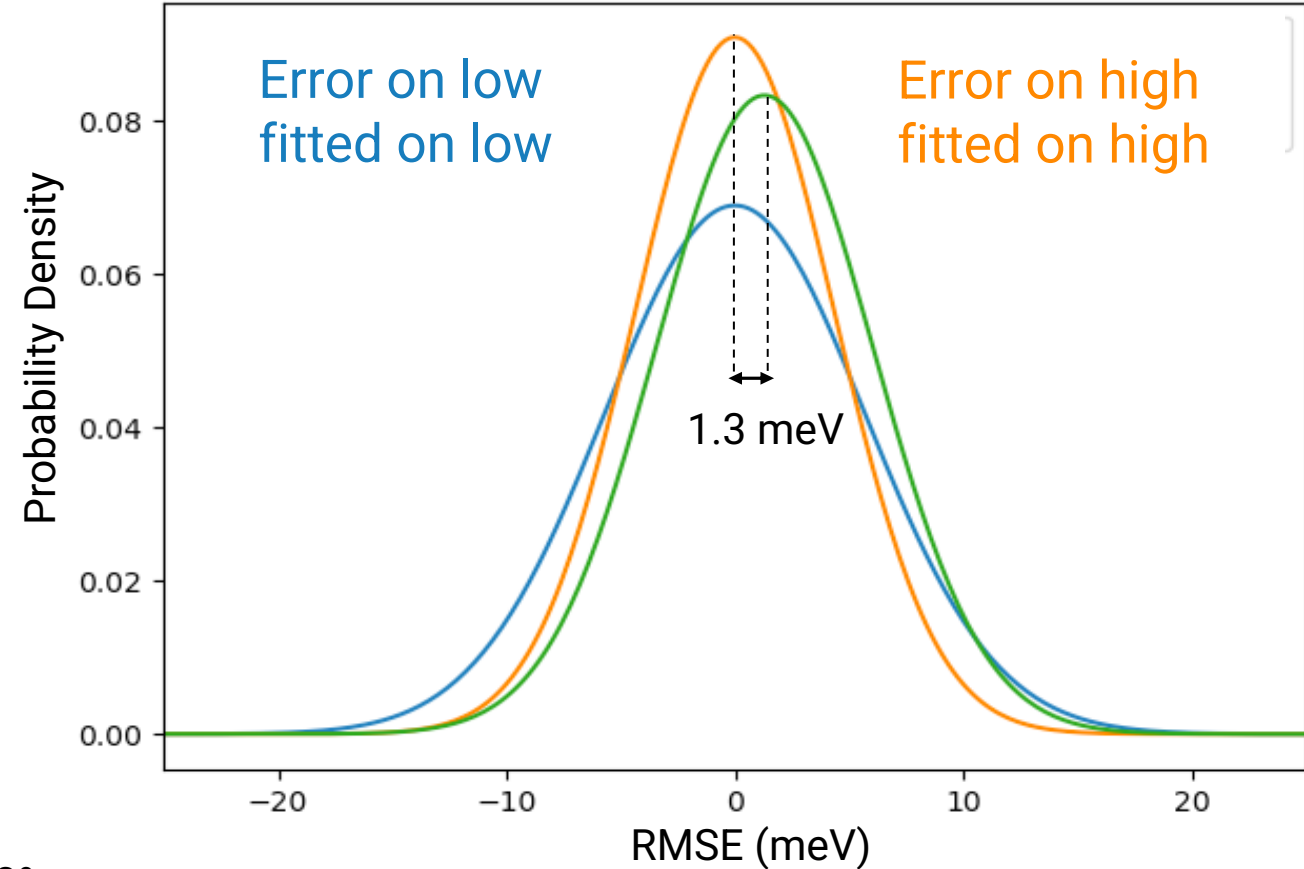
Training

Testing

High 0.1 k-spacing 900eV 996s

Training

Testing



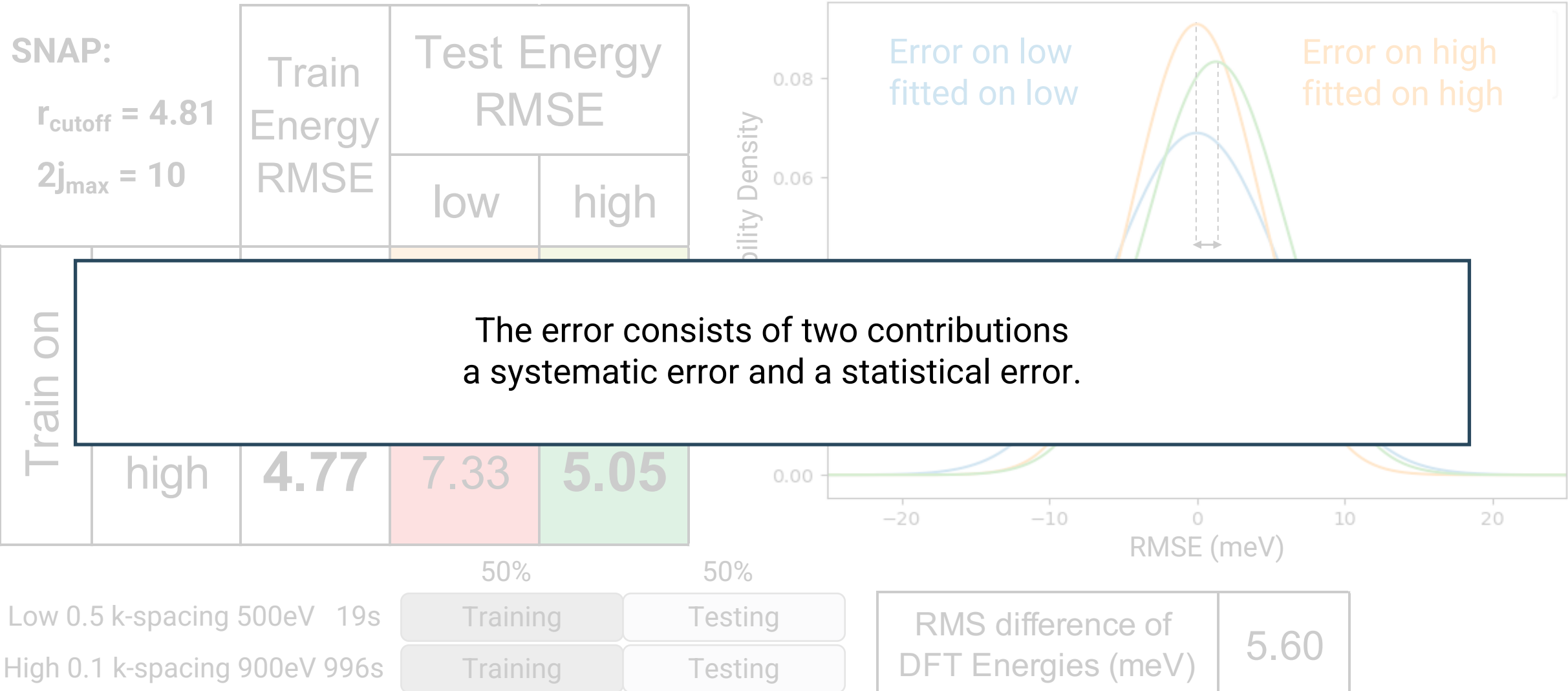
RMS difference of
DFT Energies (meV)

5.60



Predict From Low Precision to High Precision

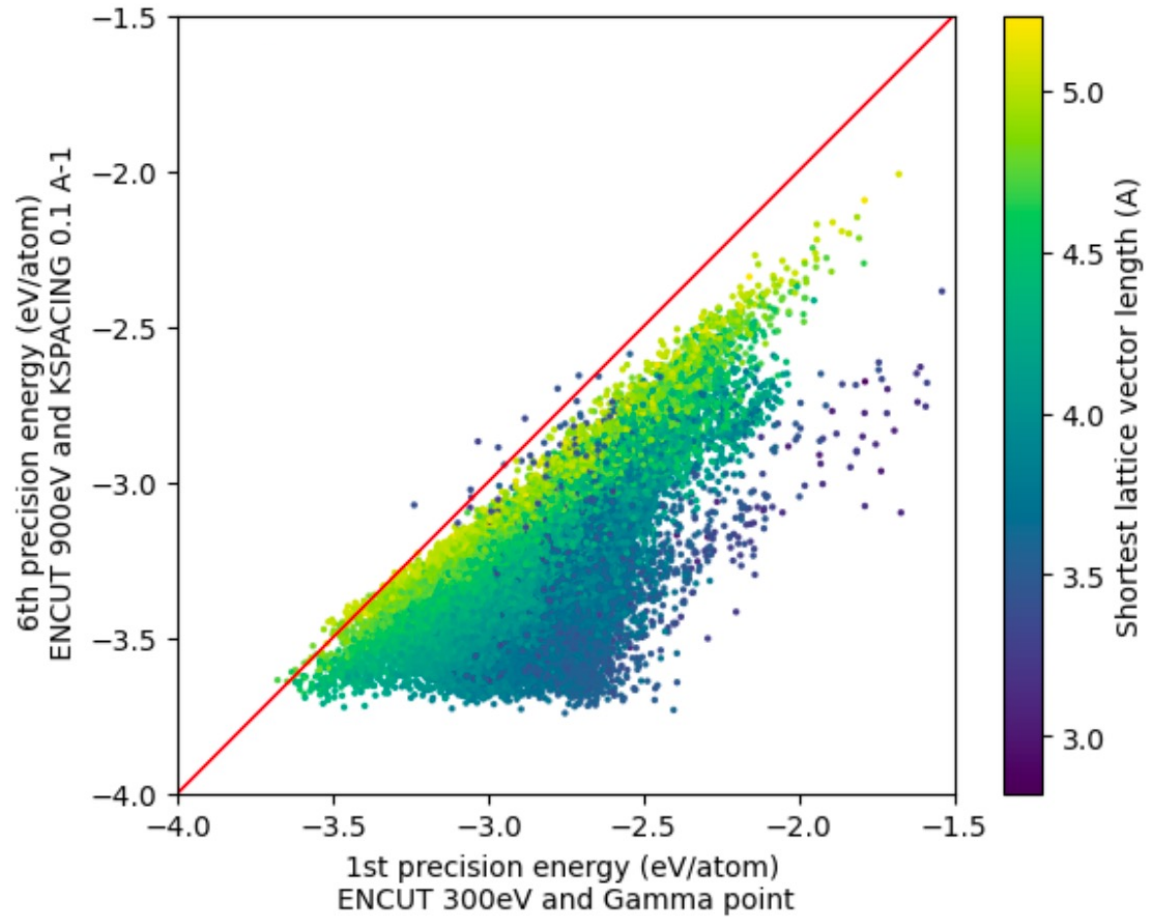
For Fitting a Machine Learned Interatomic Potential





DFT Uncertainty in the Training Data For Energies and Forces

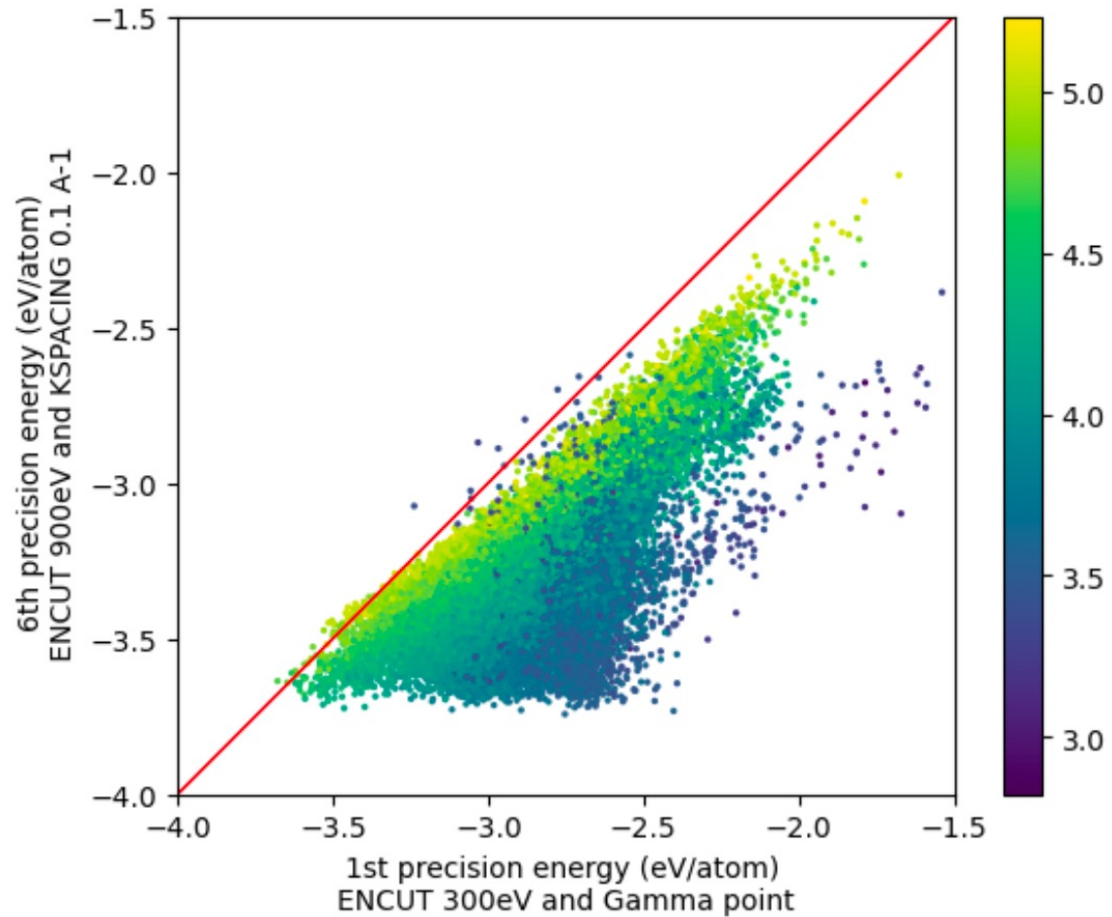
Energy Error



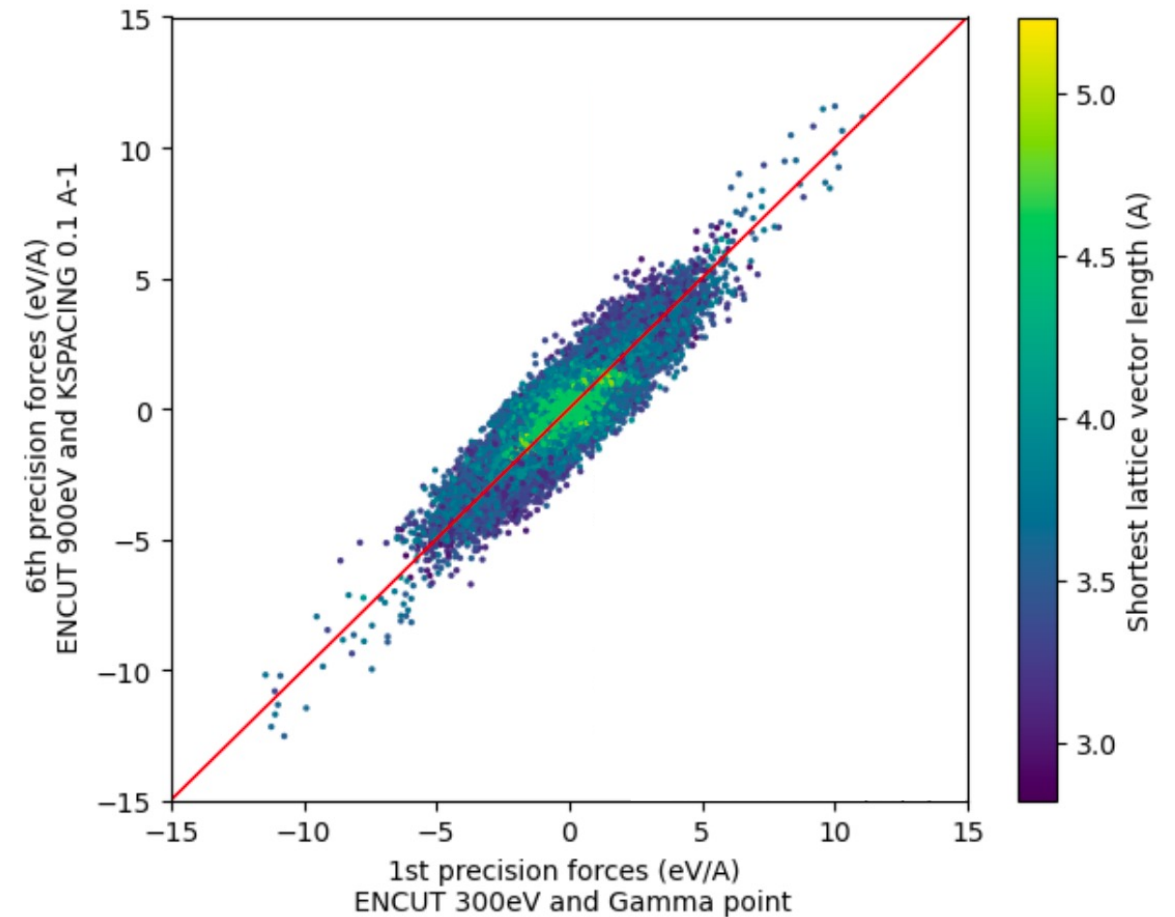


DFT Uncertainty in the Training Data For Energies and Forces

Energy Error

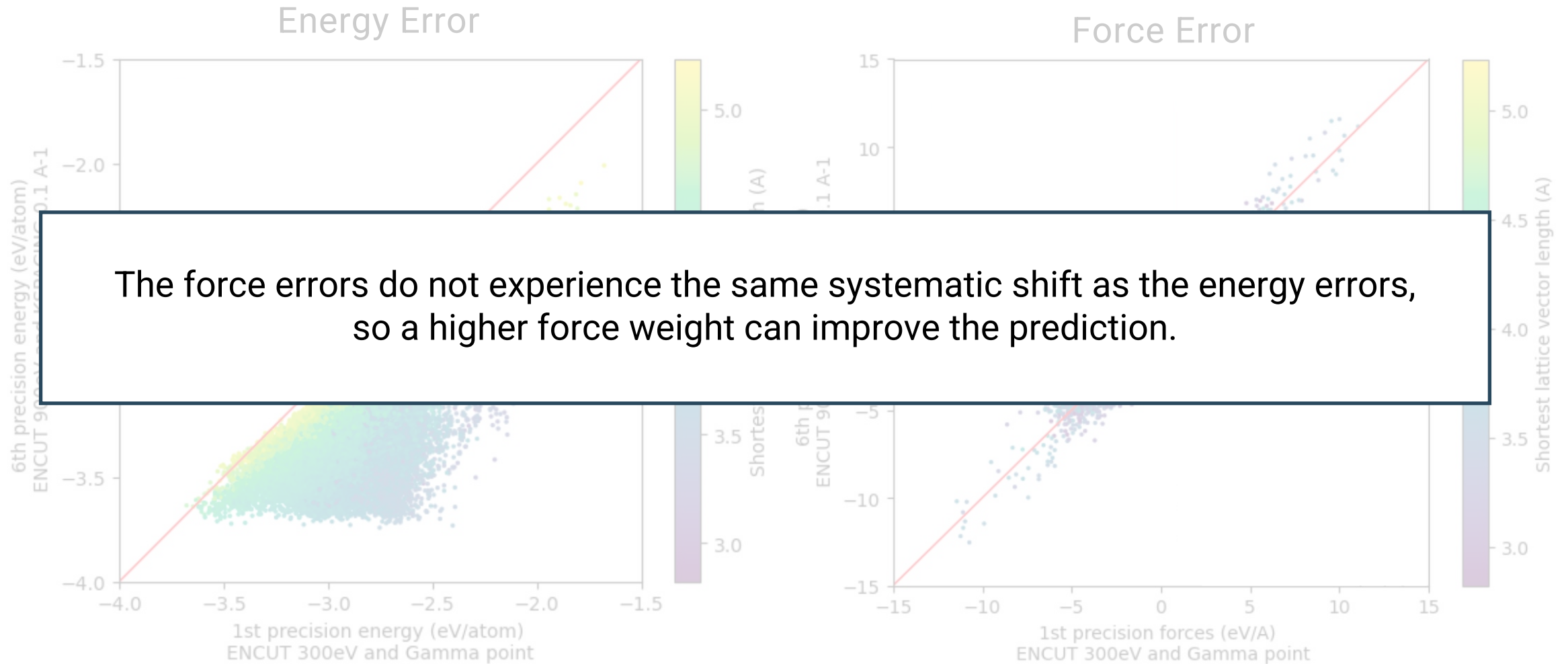


Force Error





DFT Uncertainty in the Training Data For Energies and Forces

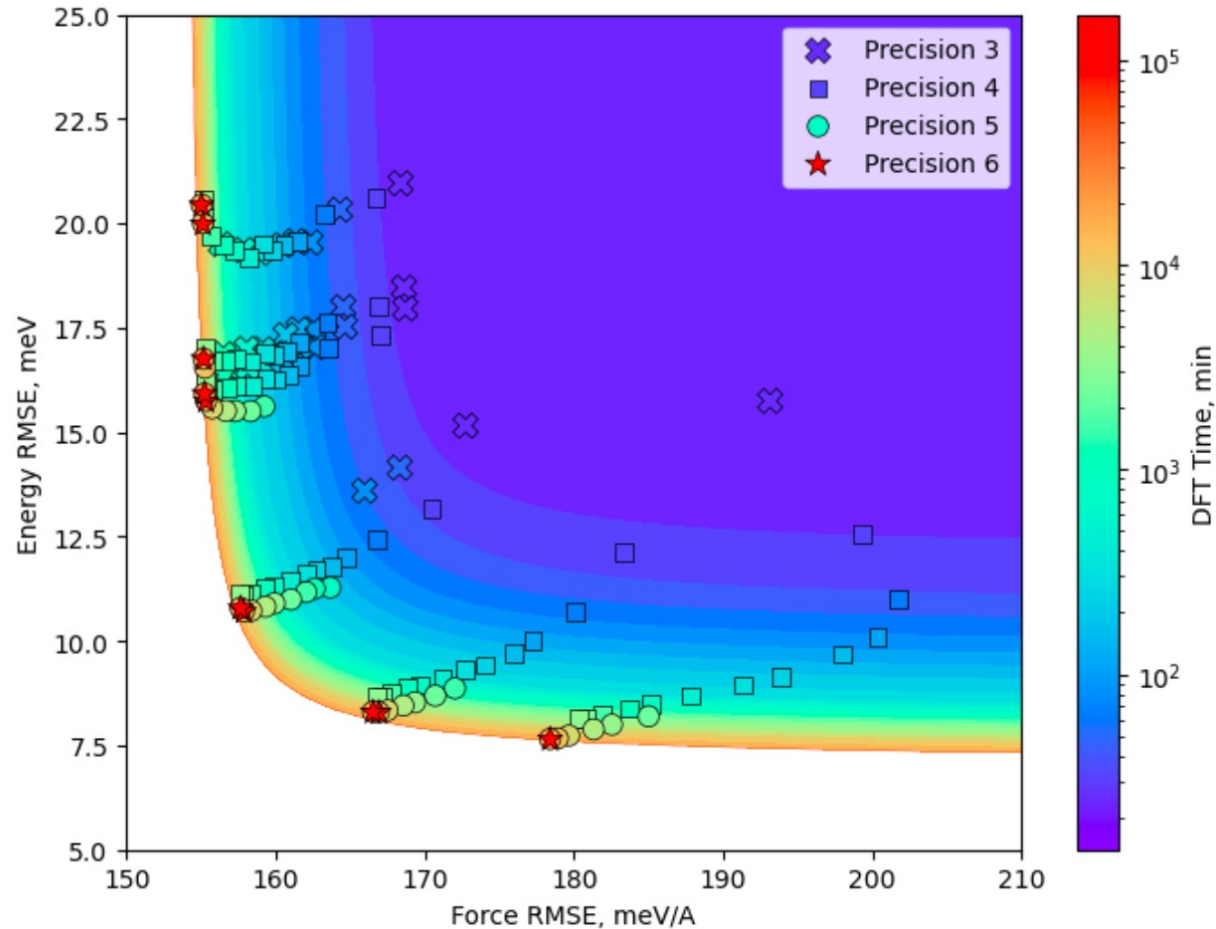




Impact of MLIP Complexity

Coupling of MLIP Precision and DFT Precision

Less Complex MLIP (2JMax = 6)

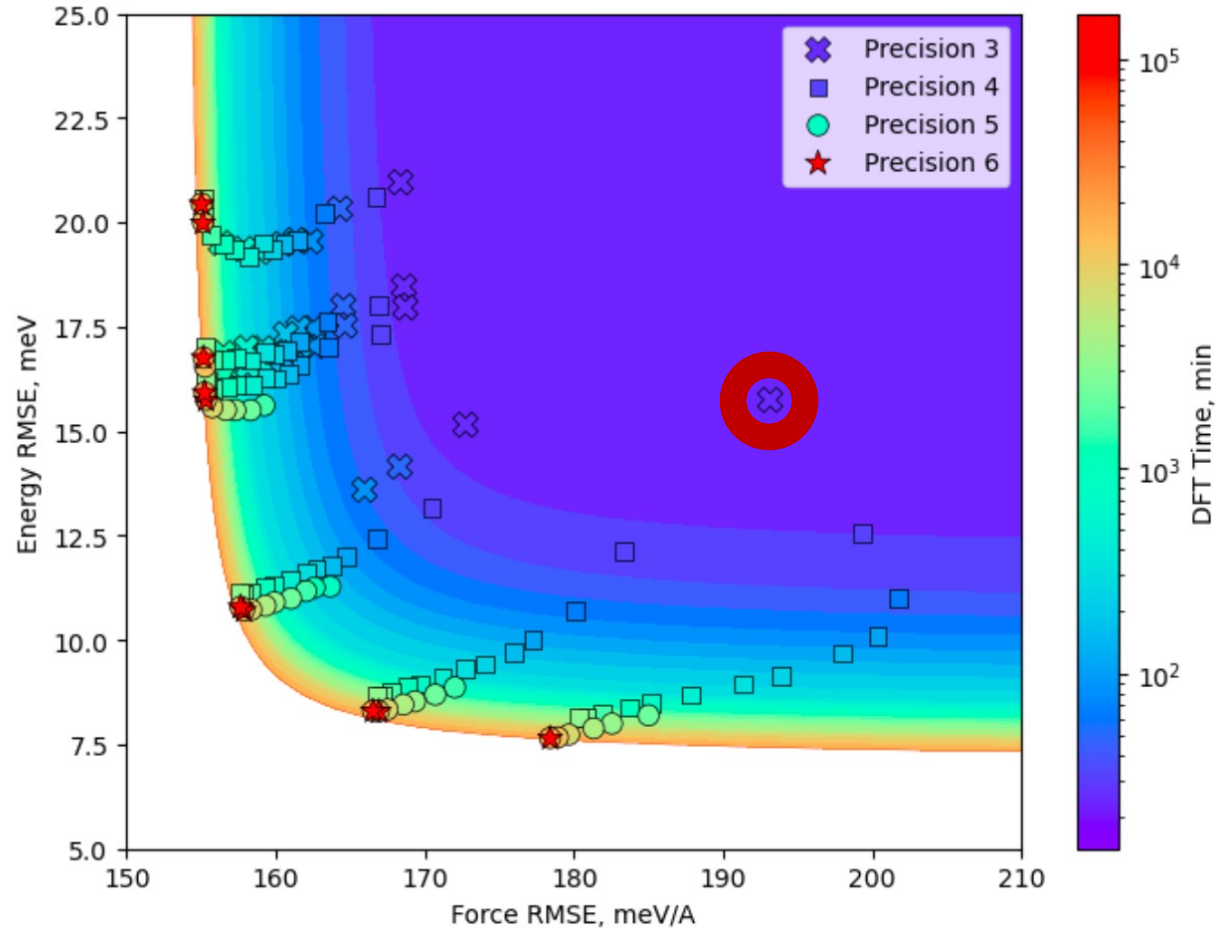




Impact of MLIP Complexity

Coupling of MLIP Precision and DFT Precision

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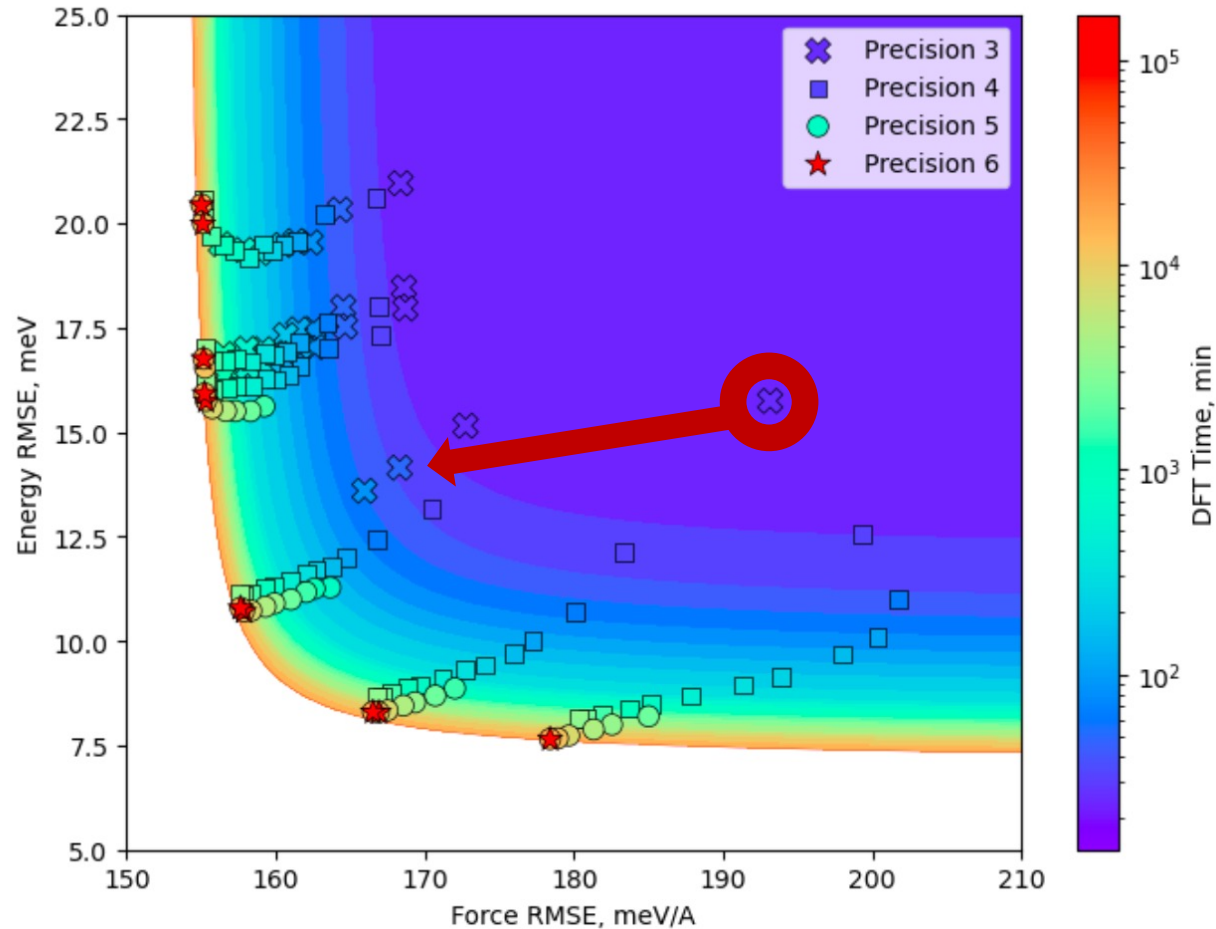




Impact of MLIP Complexity

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Less Complex MLIP (2JMax = 6)

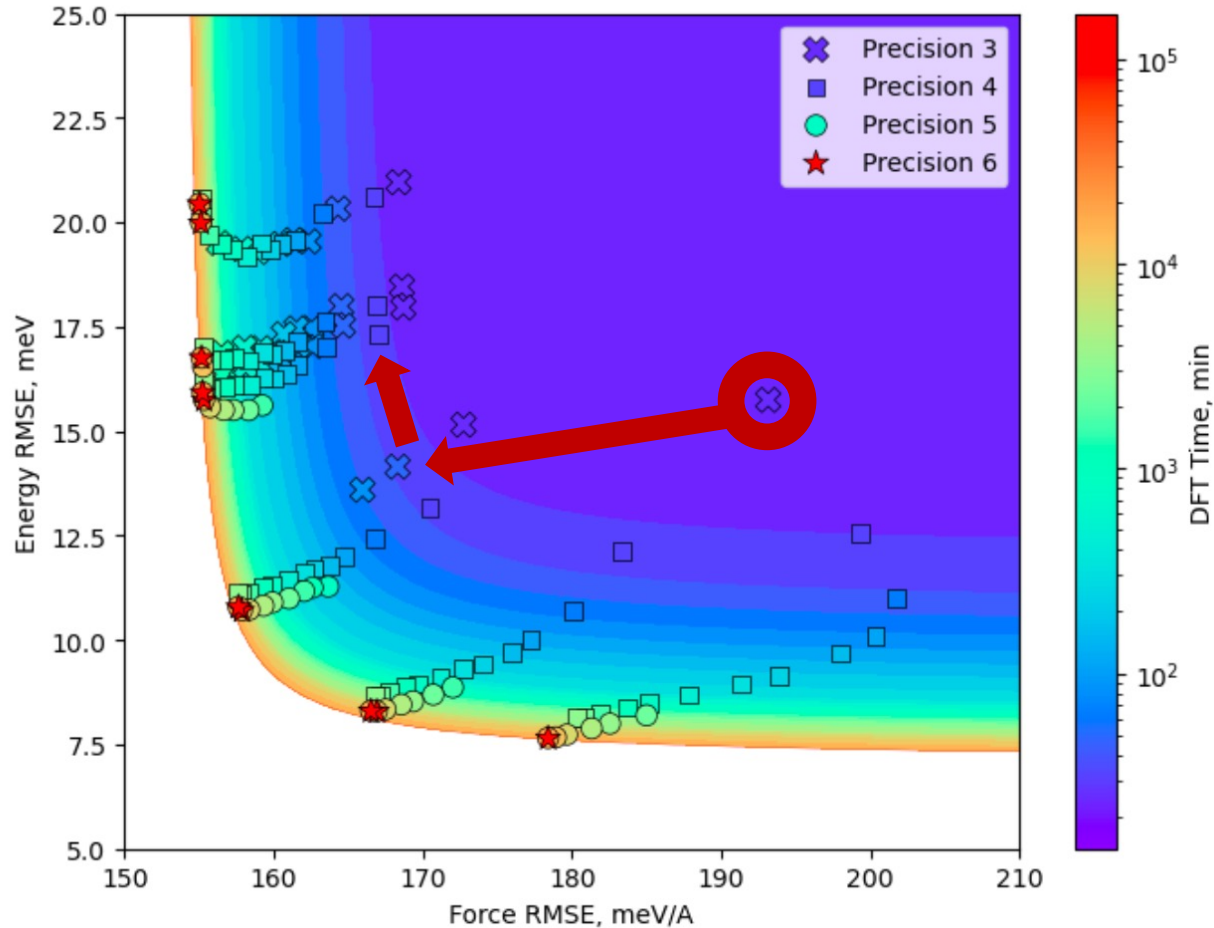




Impact of MLIP Complexity

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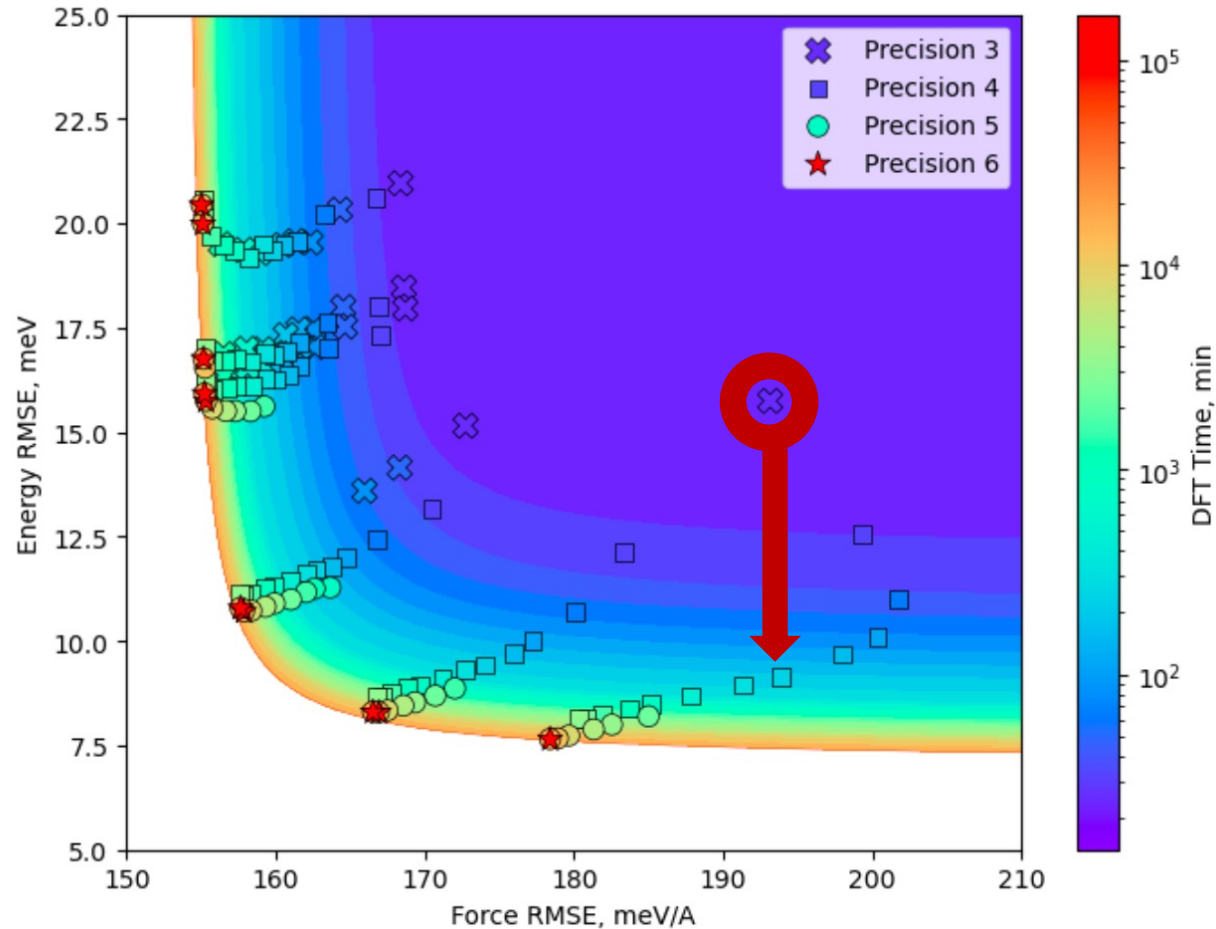




Impact of MLIP Complexity

Coupling of MLIP Precision and DFT Precision

Less Complex MLIP (2JMax = 6)

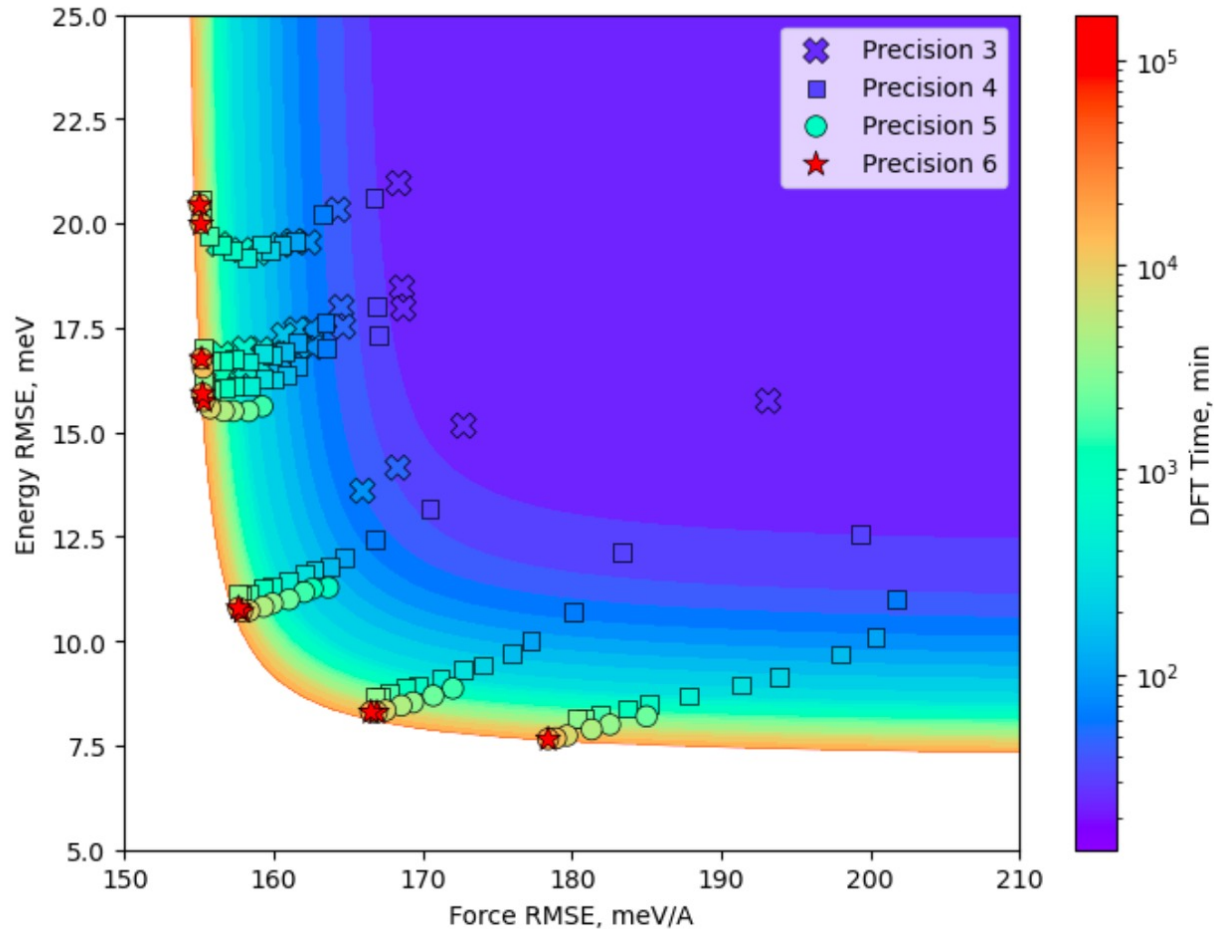




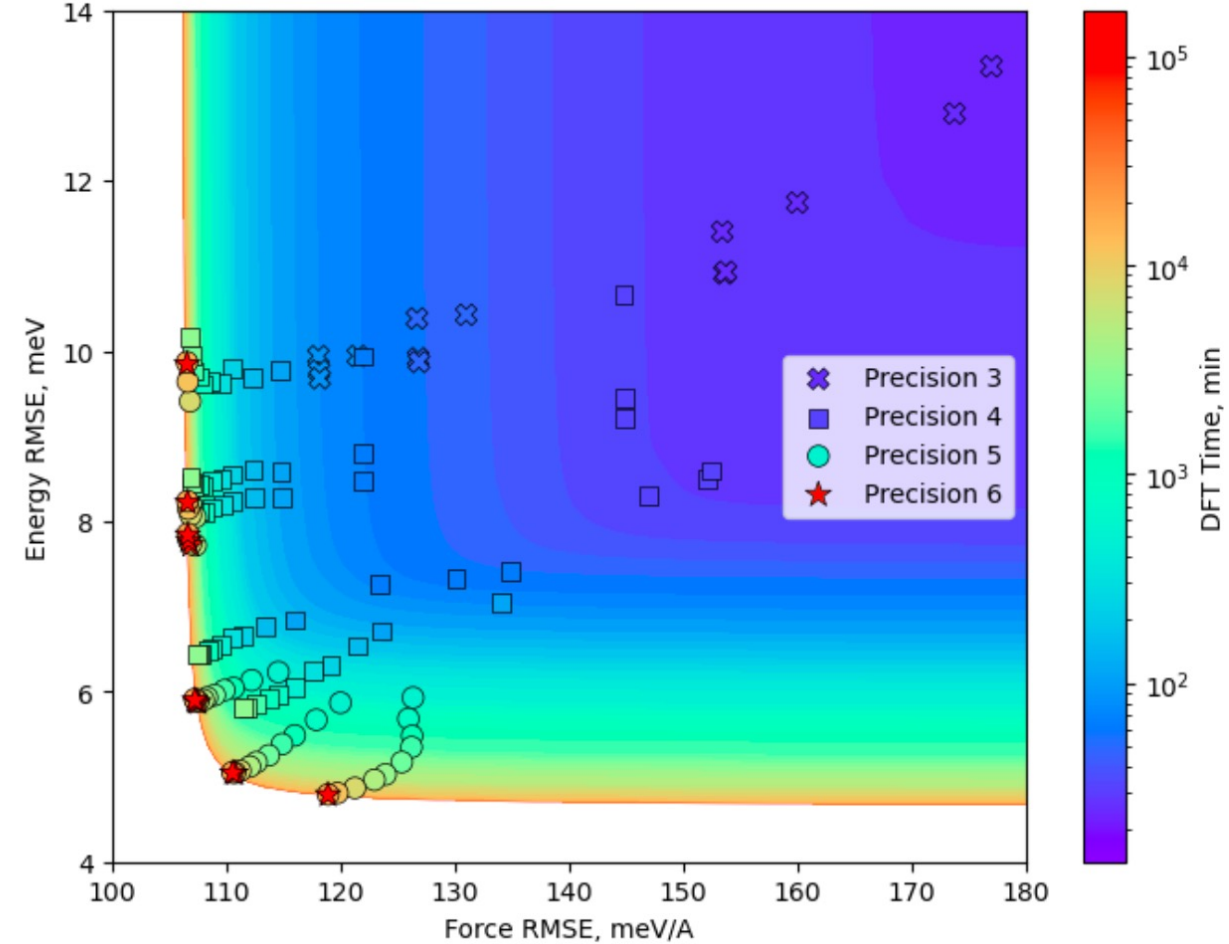
Impact of MLIP Complexity

Coupling of MLIP Precision and DFT Precision

Less Complex MLIP (2JMax = 6)



More Complex MLIP (2JMax = 10)

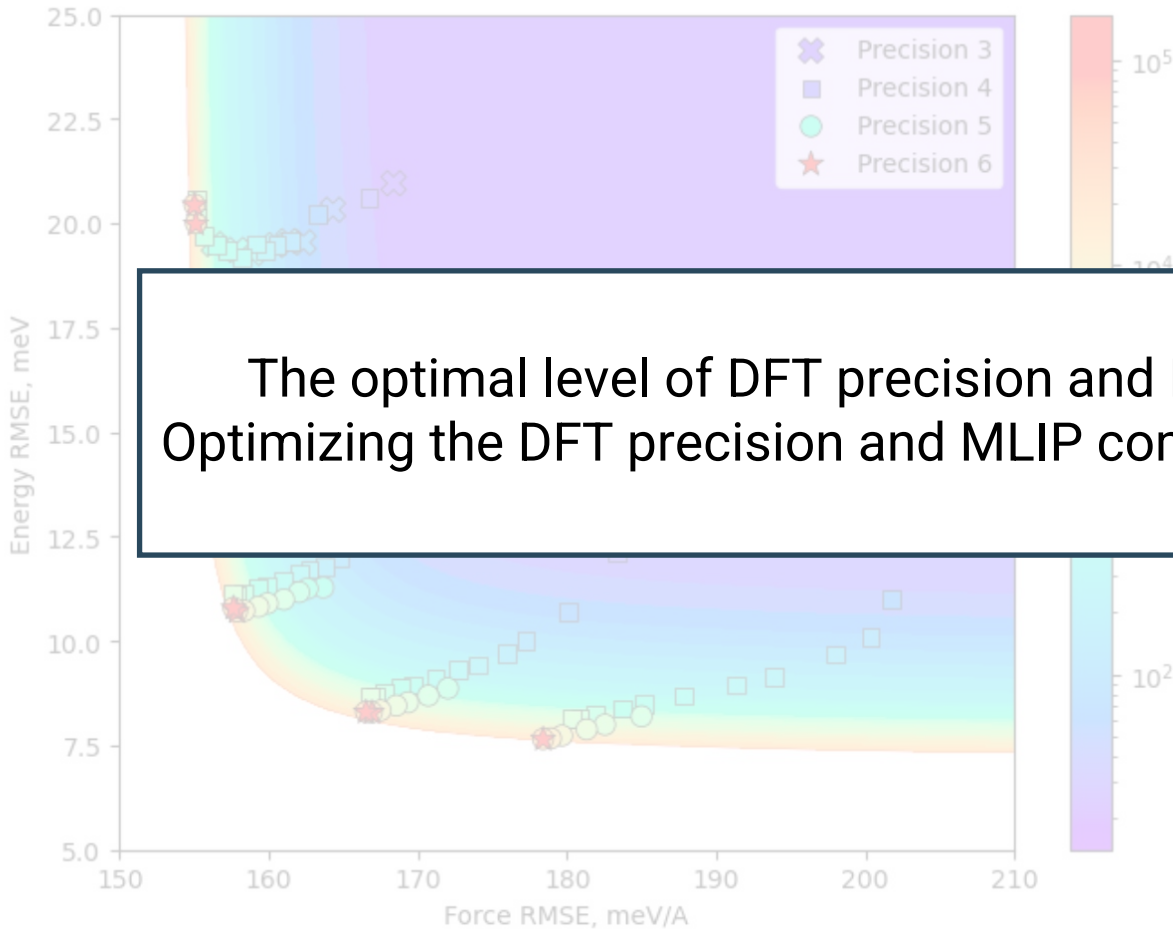




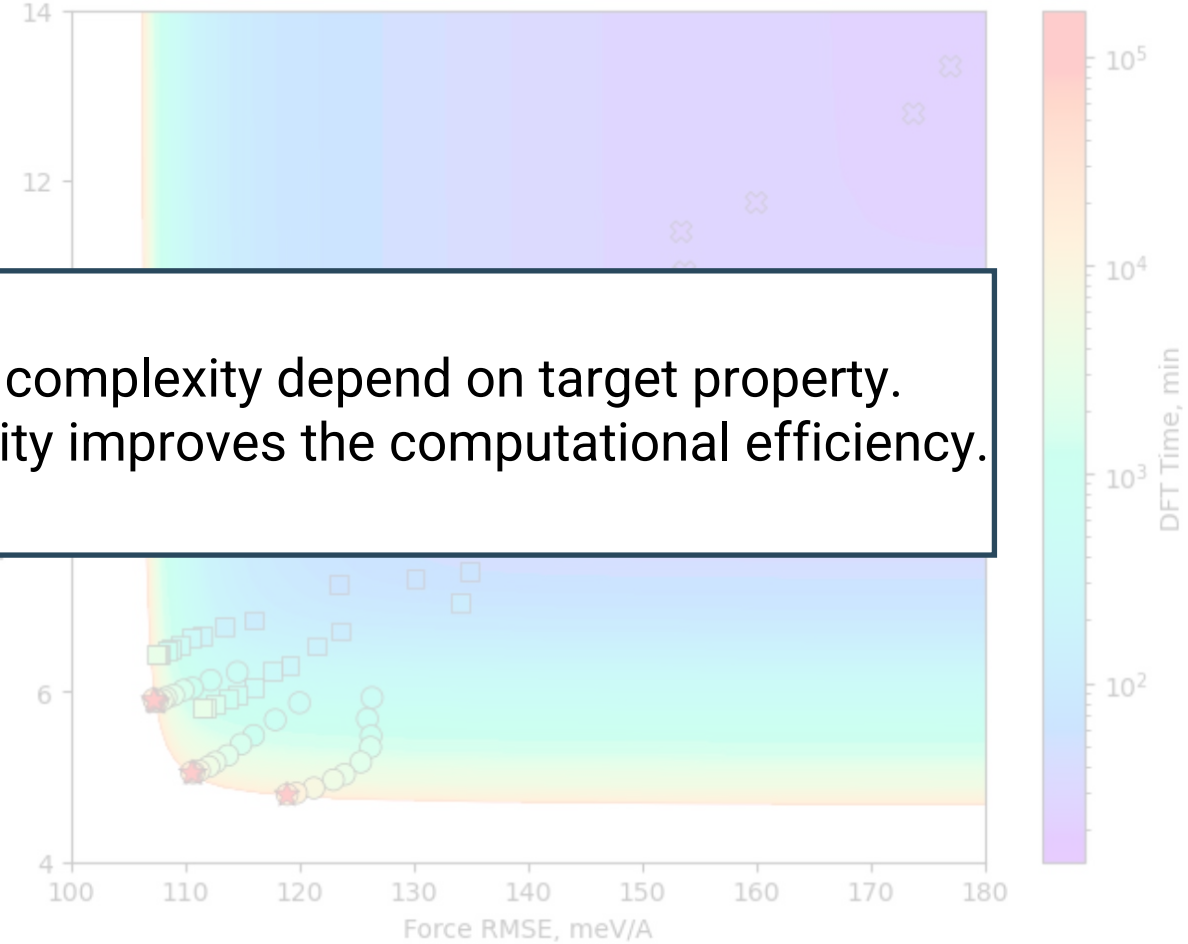
Impact of MLIP Complexity

Coupling of MLIP Precision and DFT Precision

Less Complex MLIP (2JMax = 6)



More Complex MLIP (2JMax = 10)

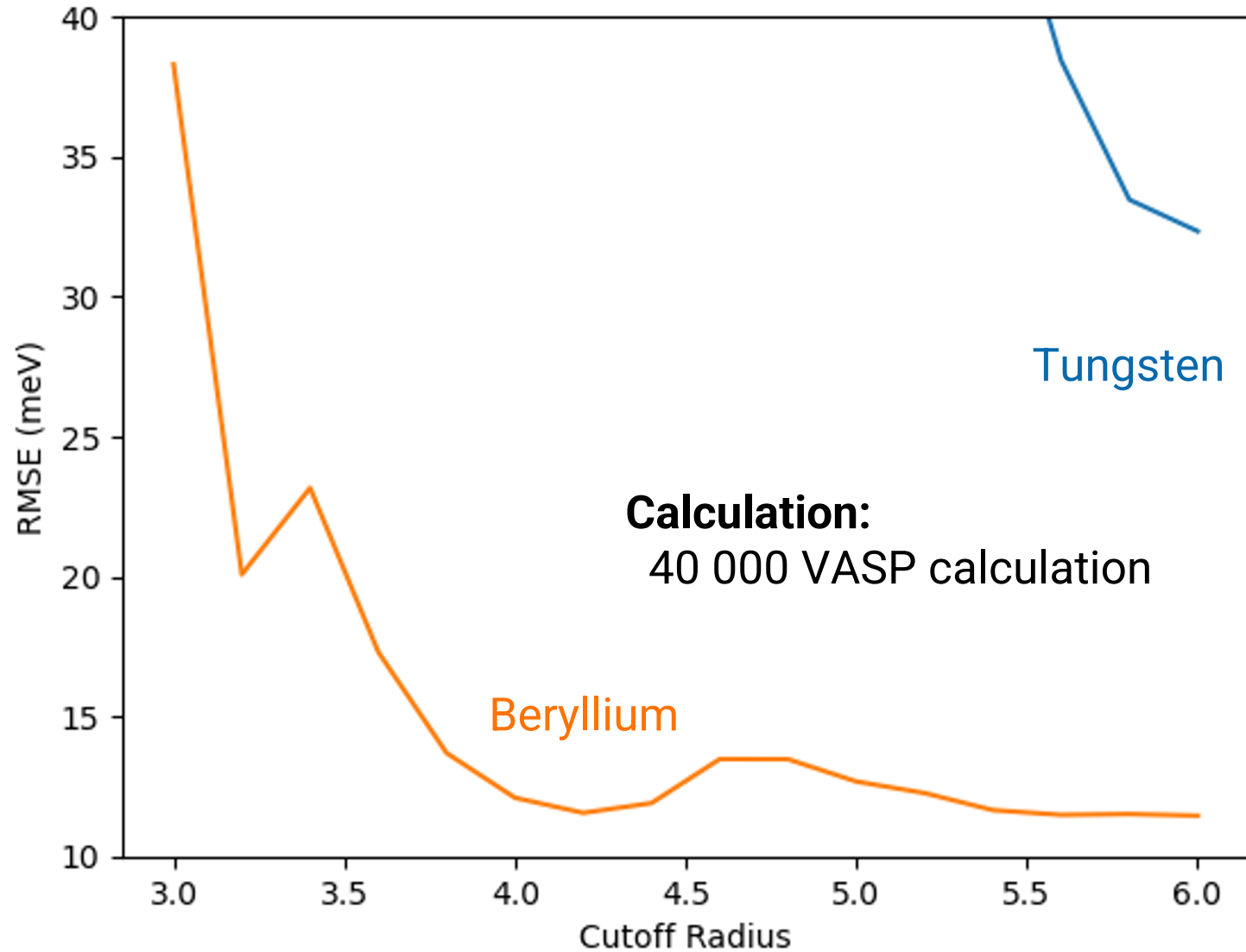


The optimal level of DFT precision and MLIP complexity depend on target property. Optimizing the DFT precision and MLIP complexity improves the computational efficiency.



Compare Chemical Elements

Beryllium and Tungsten

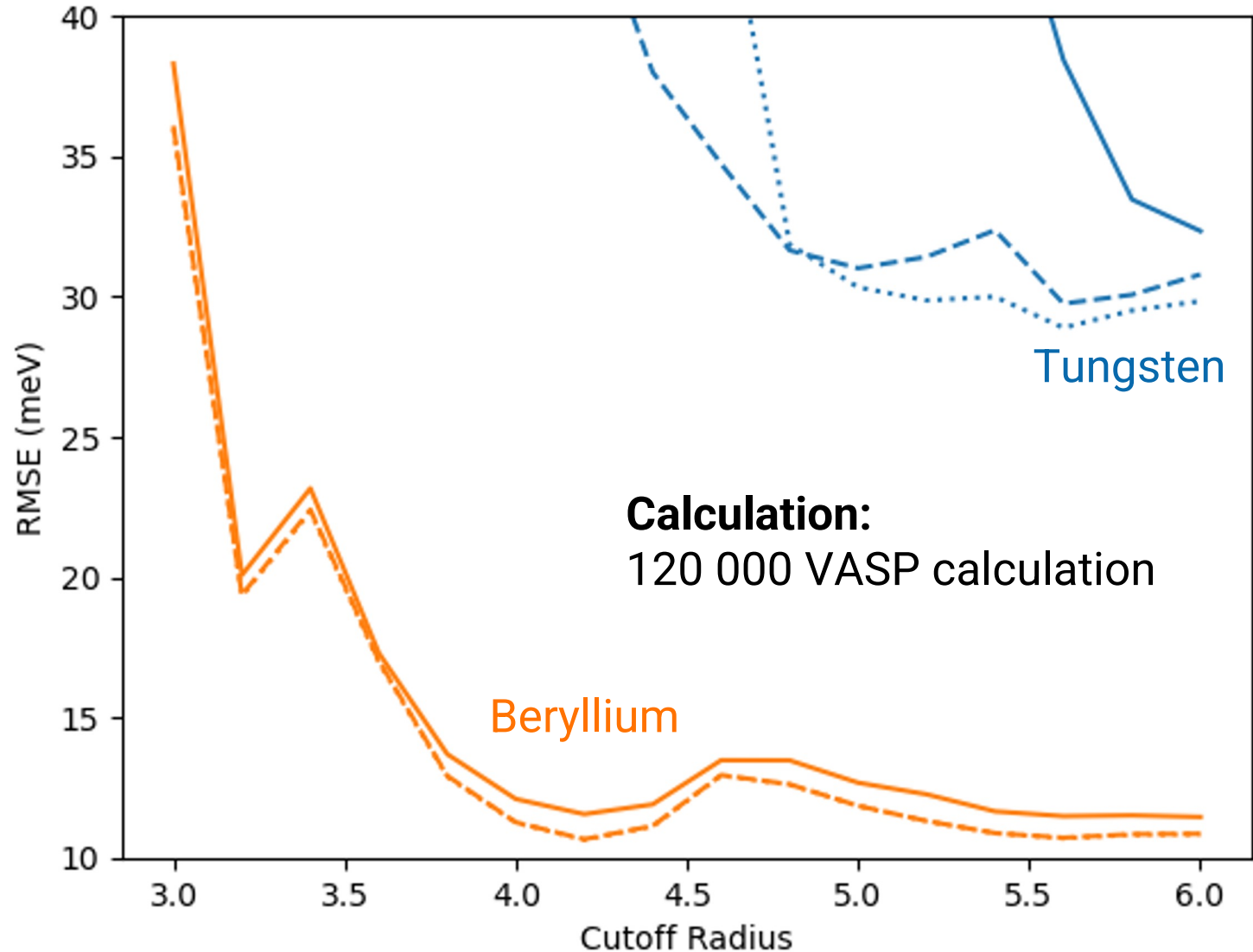


DFT precision:
solid: 0.5 kspacing 500 eV encut



Compare Chemical Elements

Beryllium and Tungsten



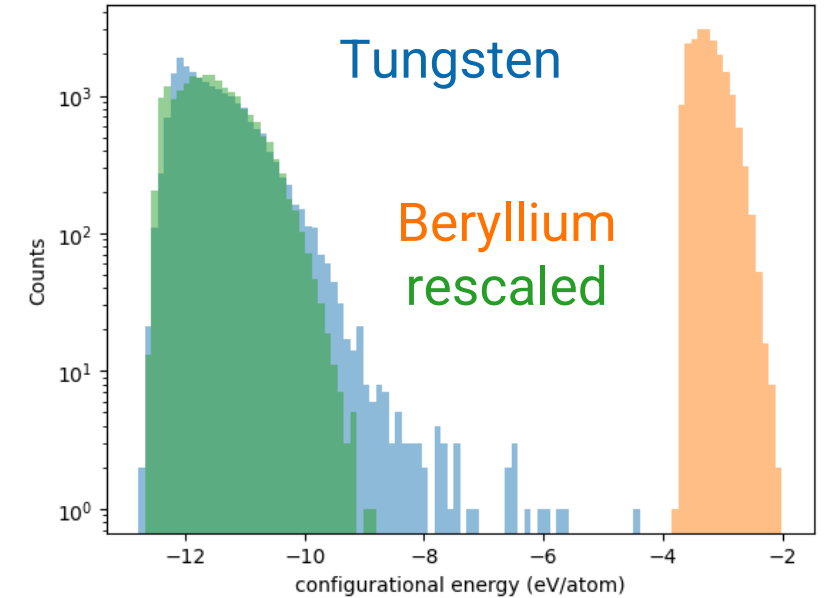
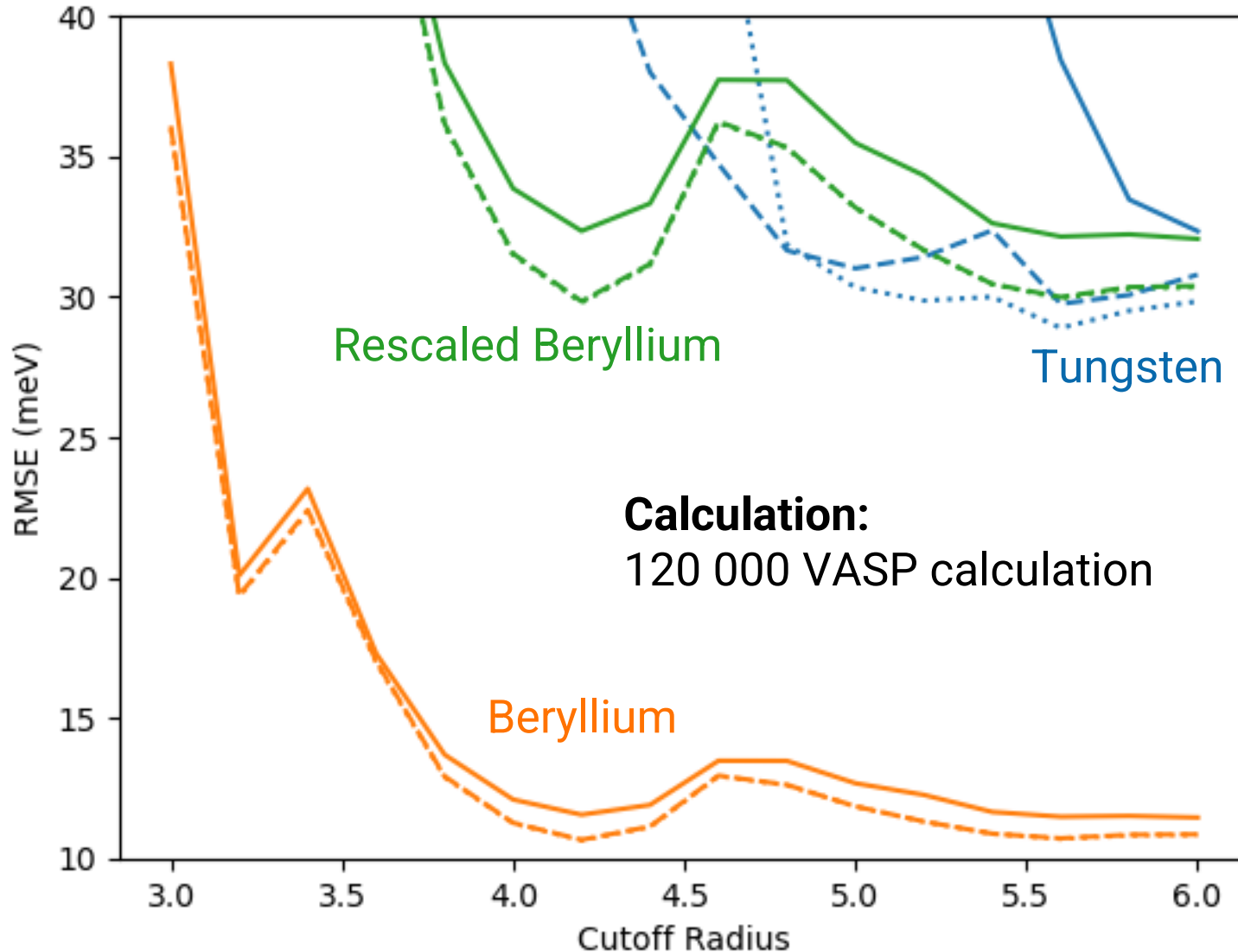
DFT precision:

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Compare Chemical Elements

Beryllium and Tungsten



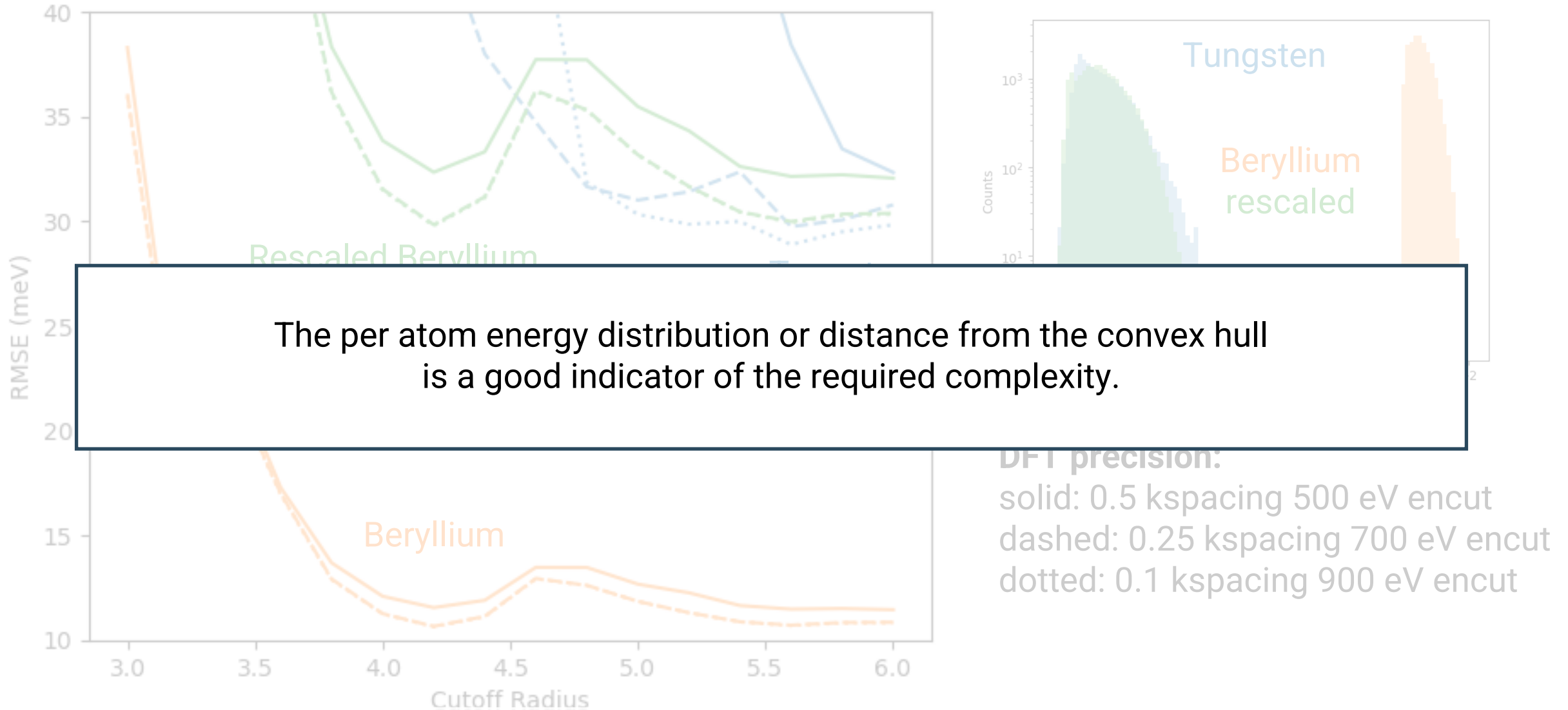
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Compare Chemical Elements

Beryllium and Tungsten



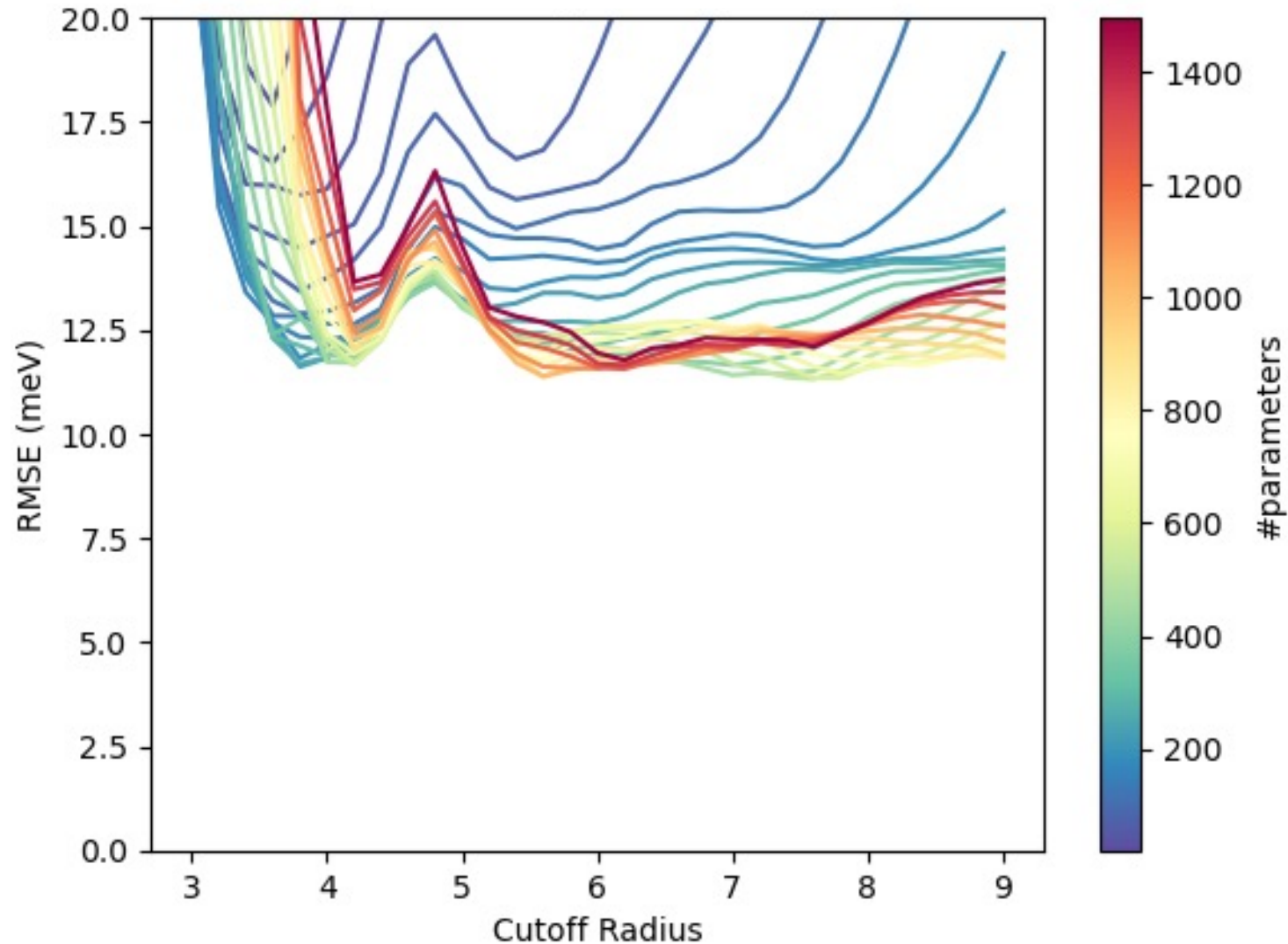
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Optimal Cut-off Radius

For Spectral Neighbour Analysis Potential (SNAP)



Calculation:

- 26 $2j_{\max}$
- 31 radii

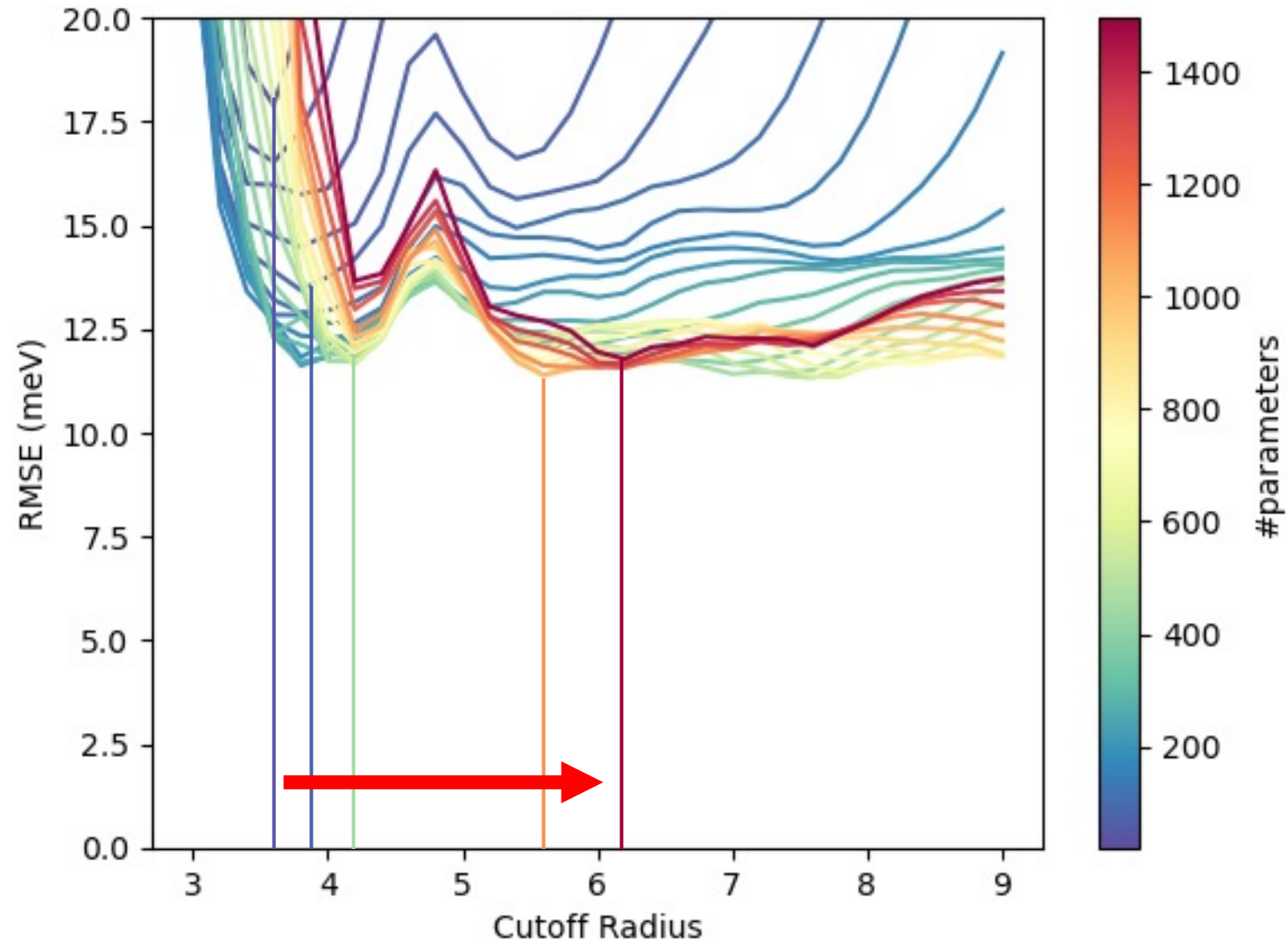
Total:

806 calculation



Optimal Cut-off Radius

For Spectral Neighbour Analysis Potential (SNAP)



Calculation:

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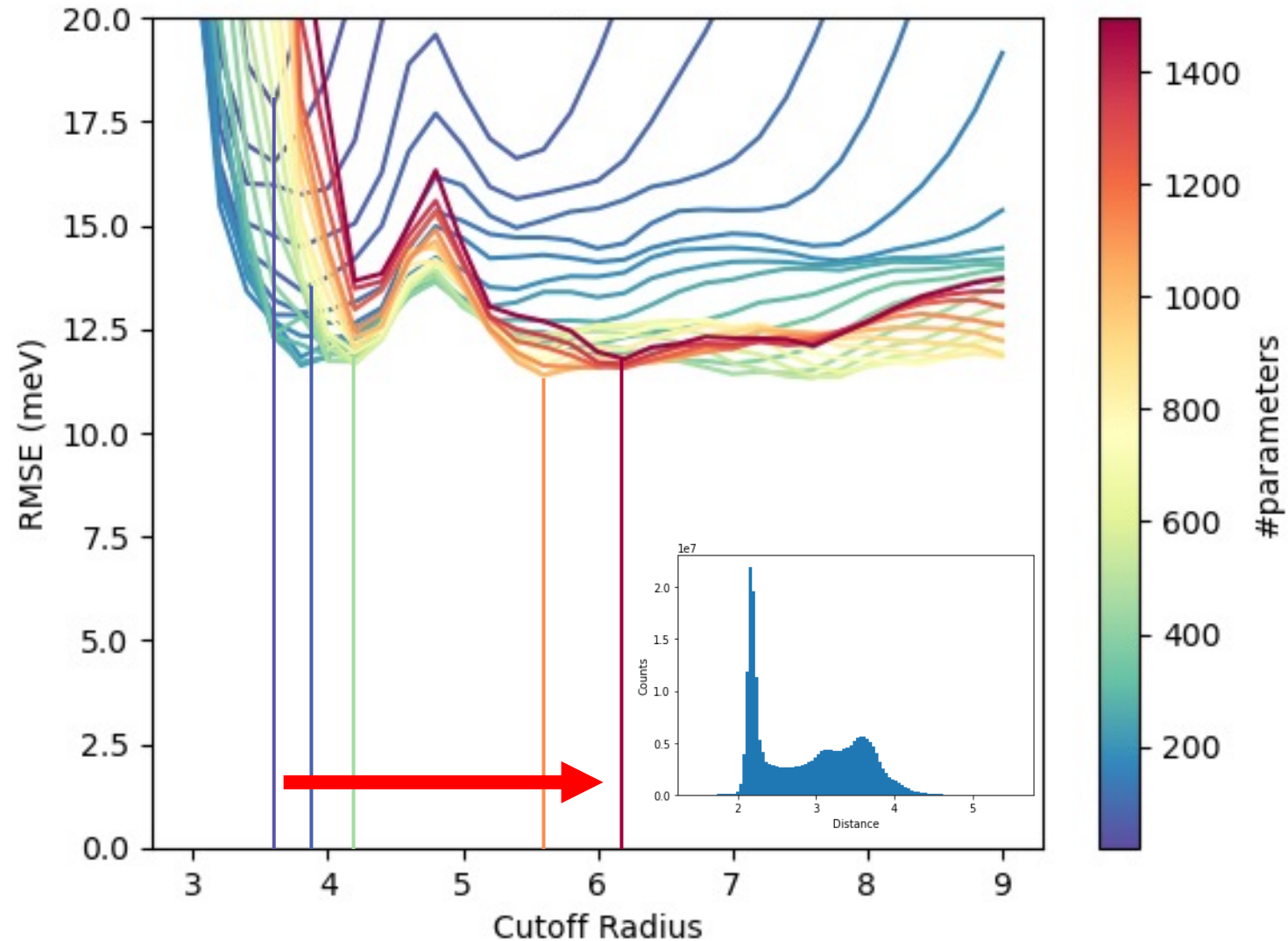
Total:

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Optimal Cut-off Radius

For Spectral Neighbour Analysis Potential (SNAP)



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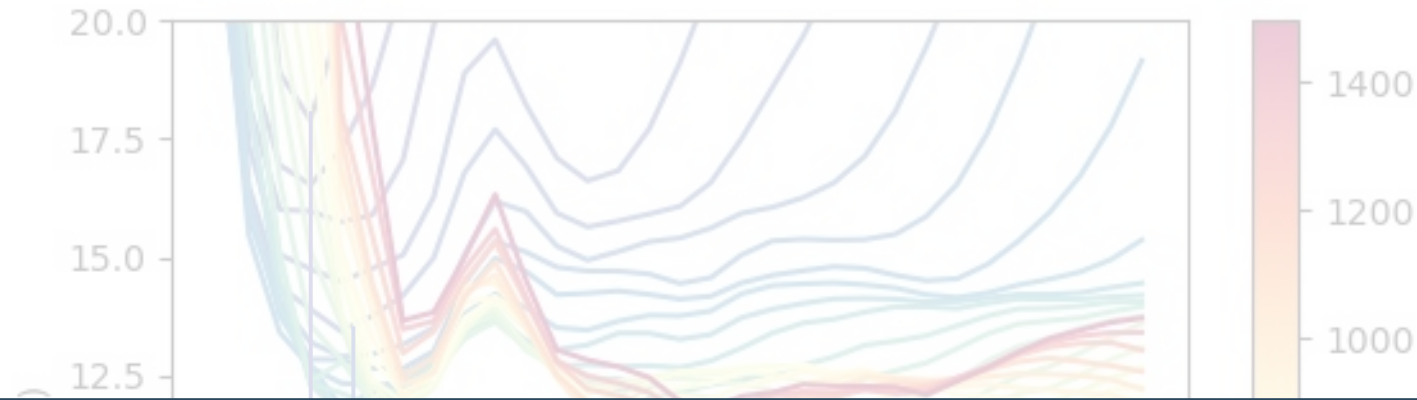
Total:

806 calculation



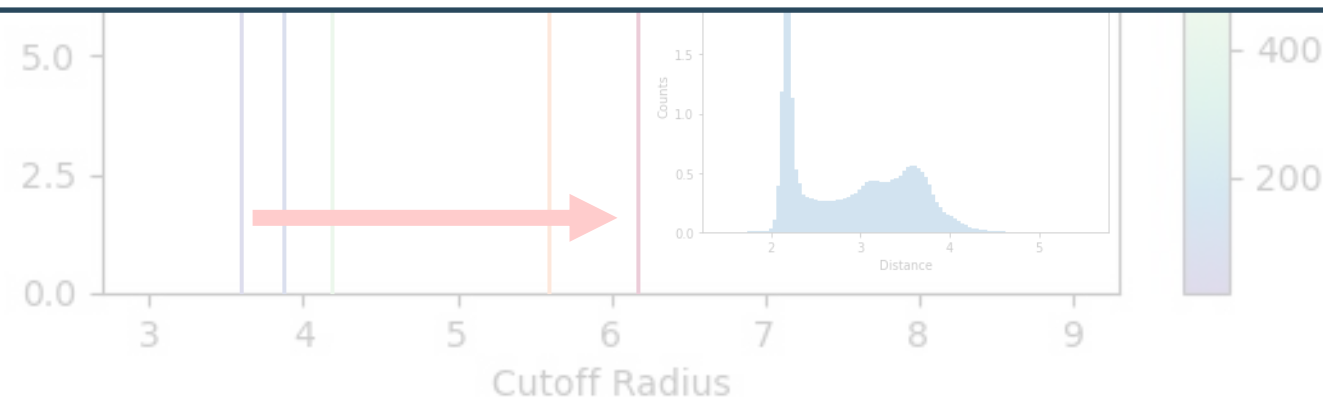
Optimal Cut-off Radius

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Calculation:

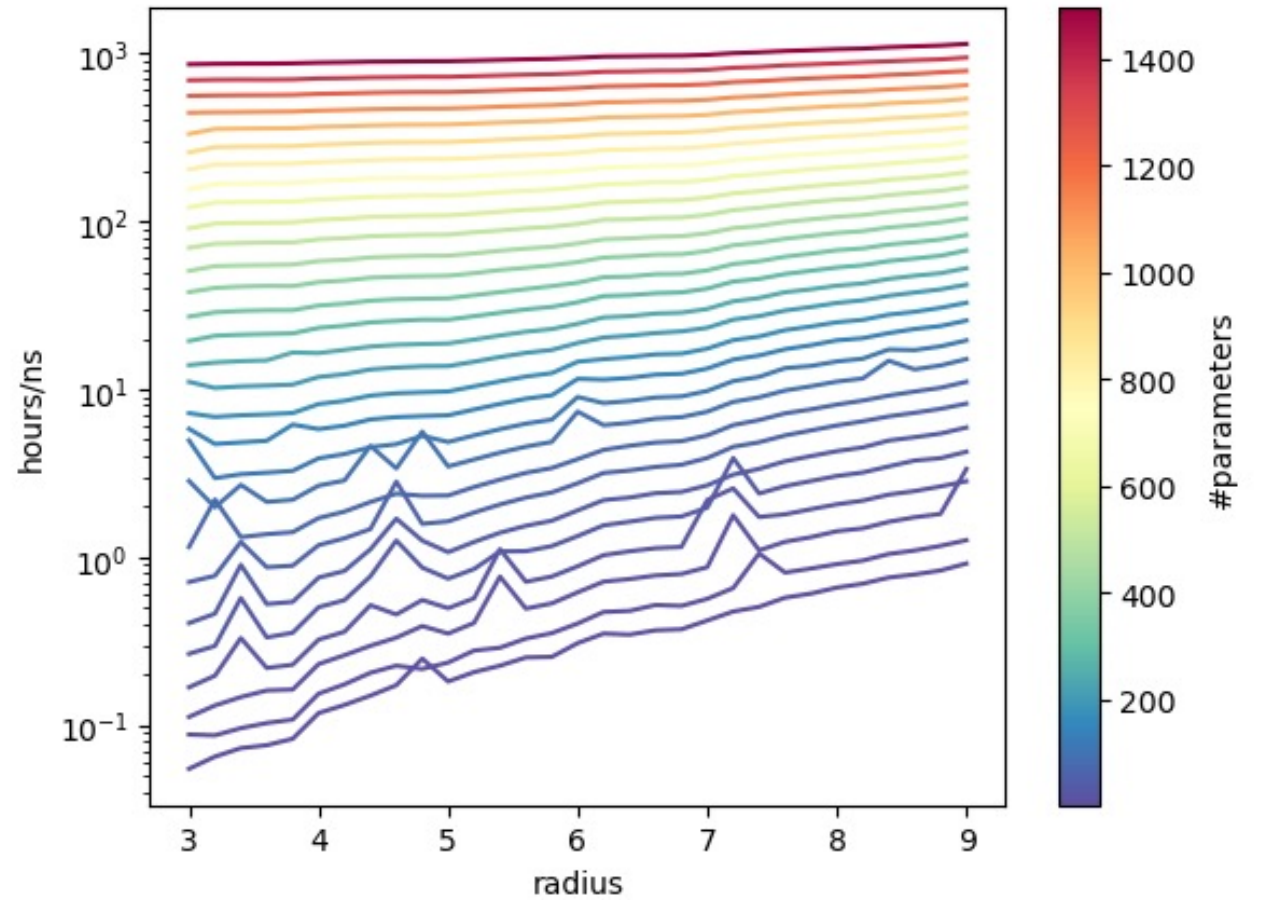
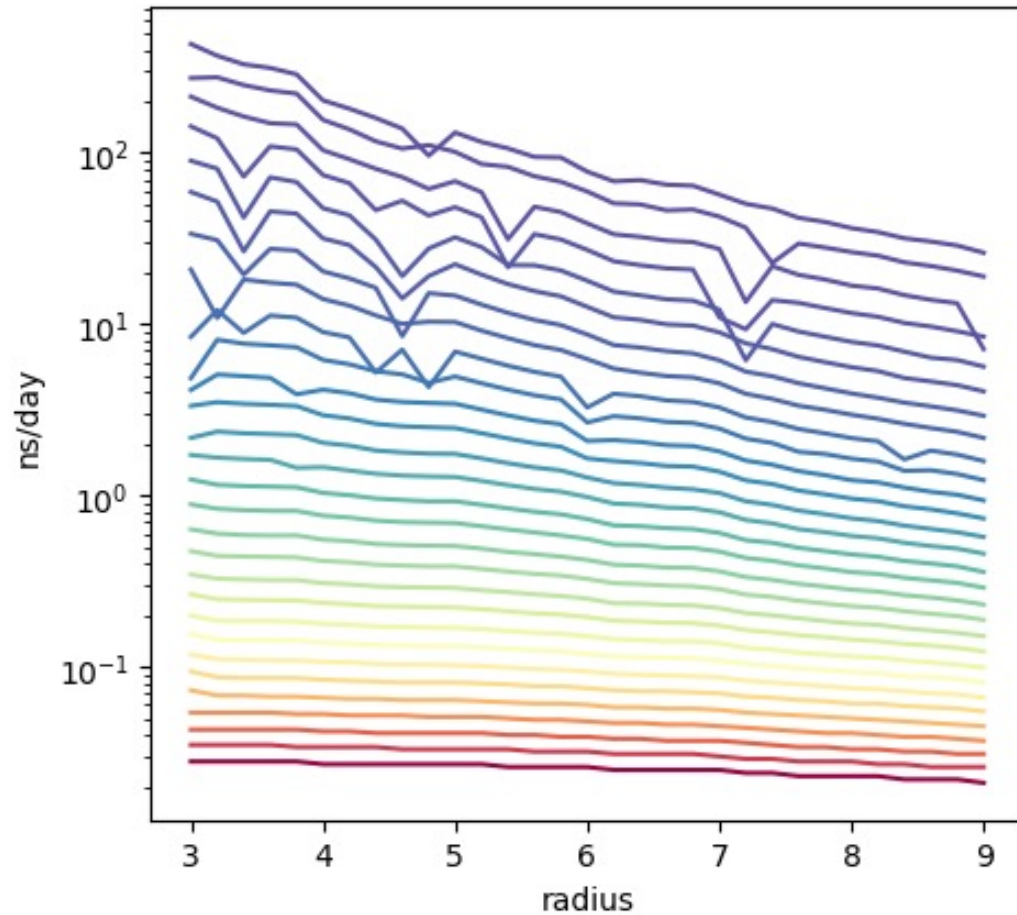
The optimal cutoff radius for a given number of parameters is shifting towards larger cut-off radii with increasing number of parameters.





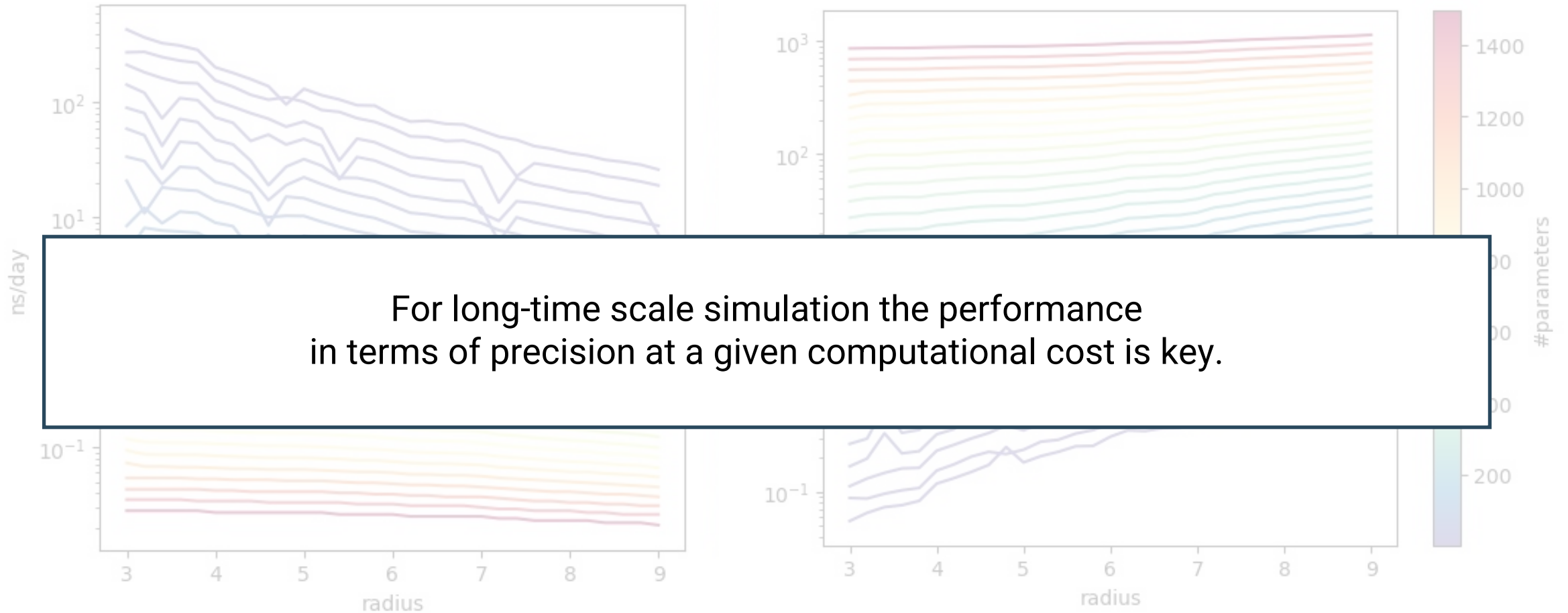
Computational Cost calculating Molecular Dynamics

For Spectral Neighbour Analysis Potential (SNAP)





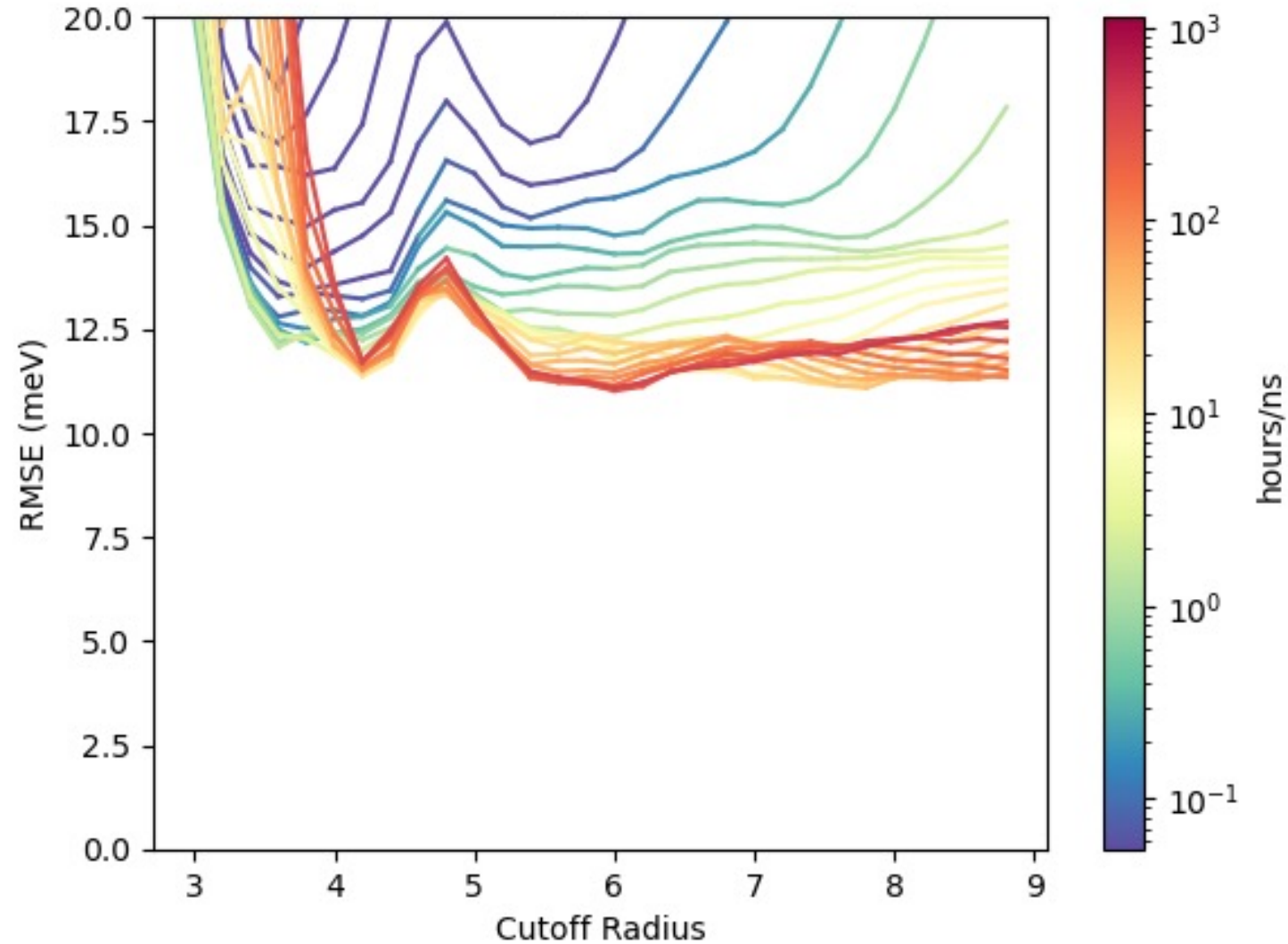
Computational Cost calculating Molecular Dynamics For Spectral Neighbour Analysis Potential (SNAP)





Pareto Front

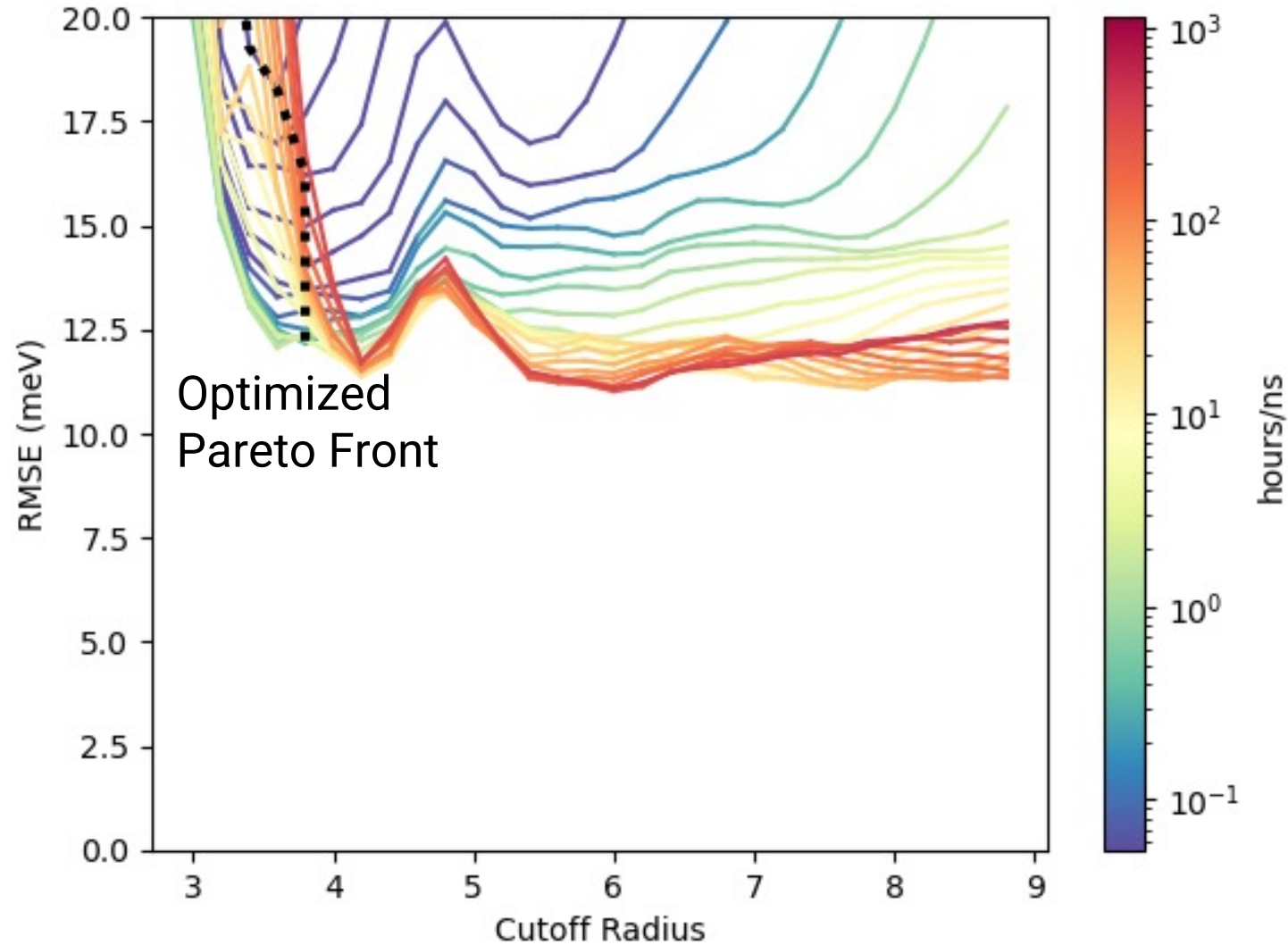
Including Computational Cost





Pareto Front

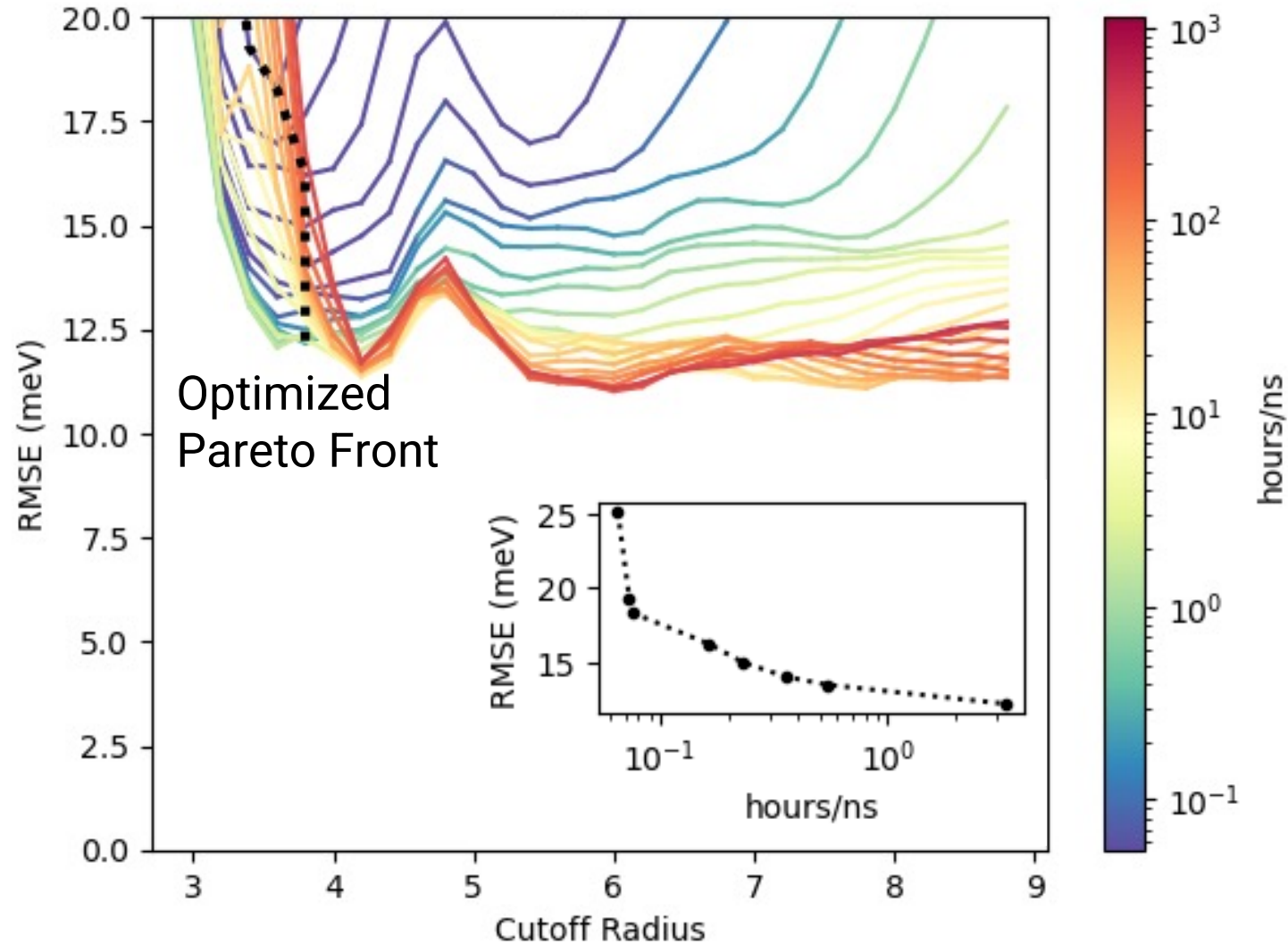
Including Computational Cost





Pareto Front

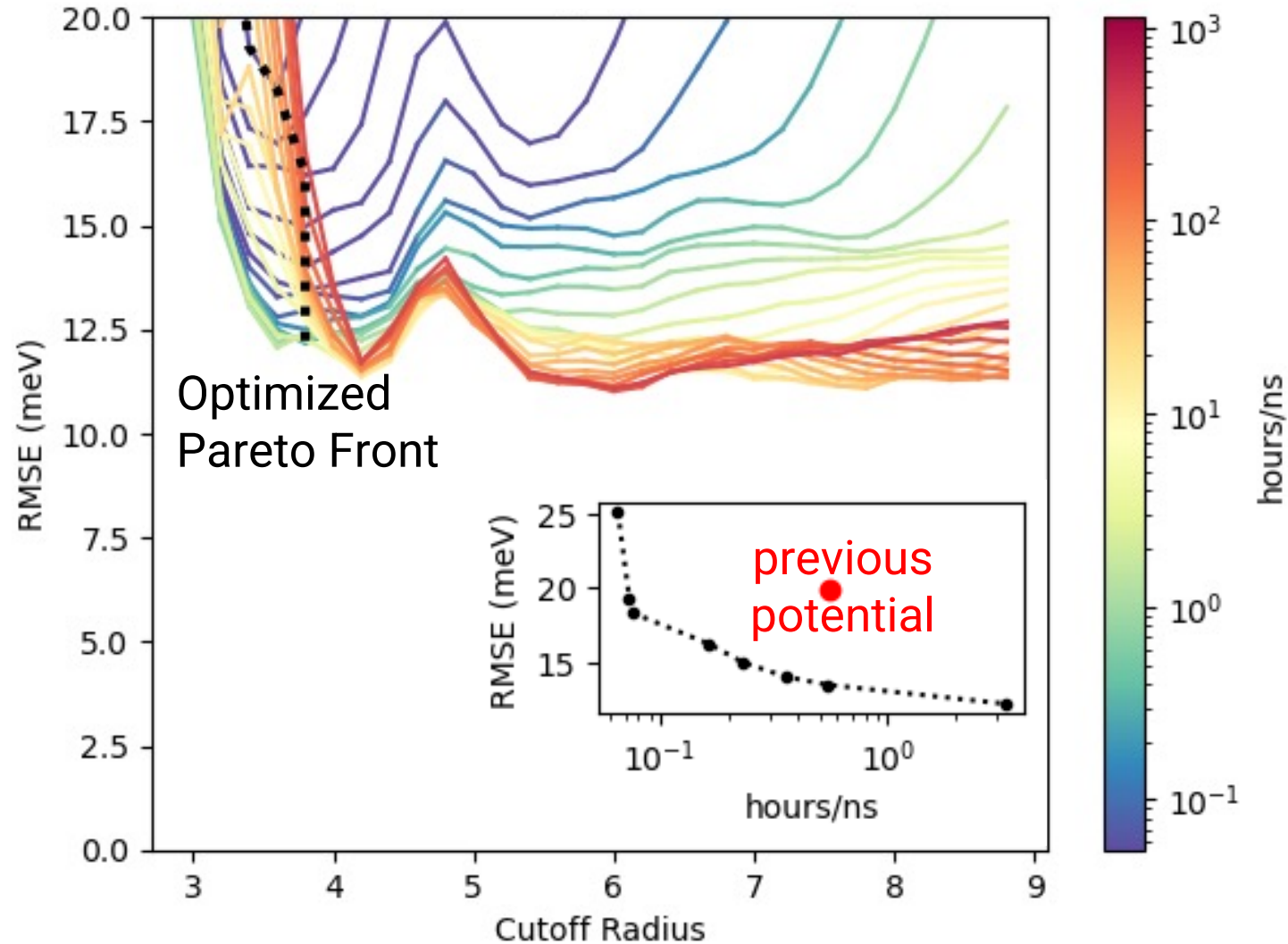
Including Computational Cost





Pareto Front

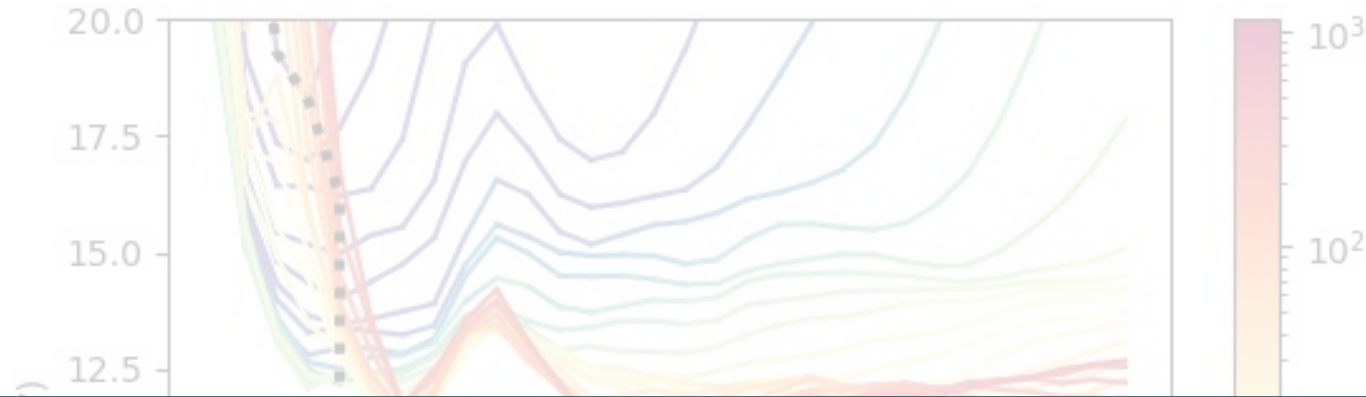
Including Computational Cost



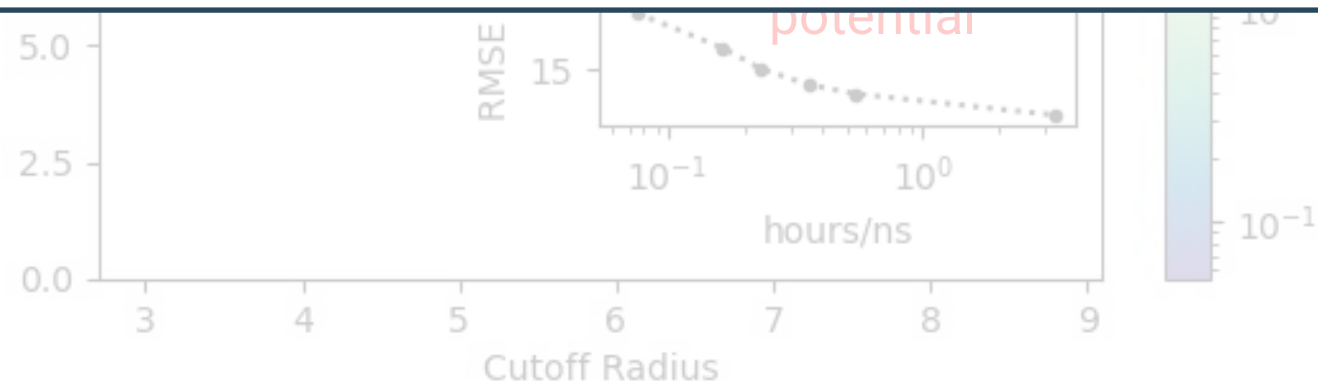


Pareto Front

Including Computational Cost

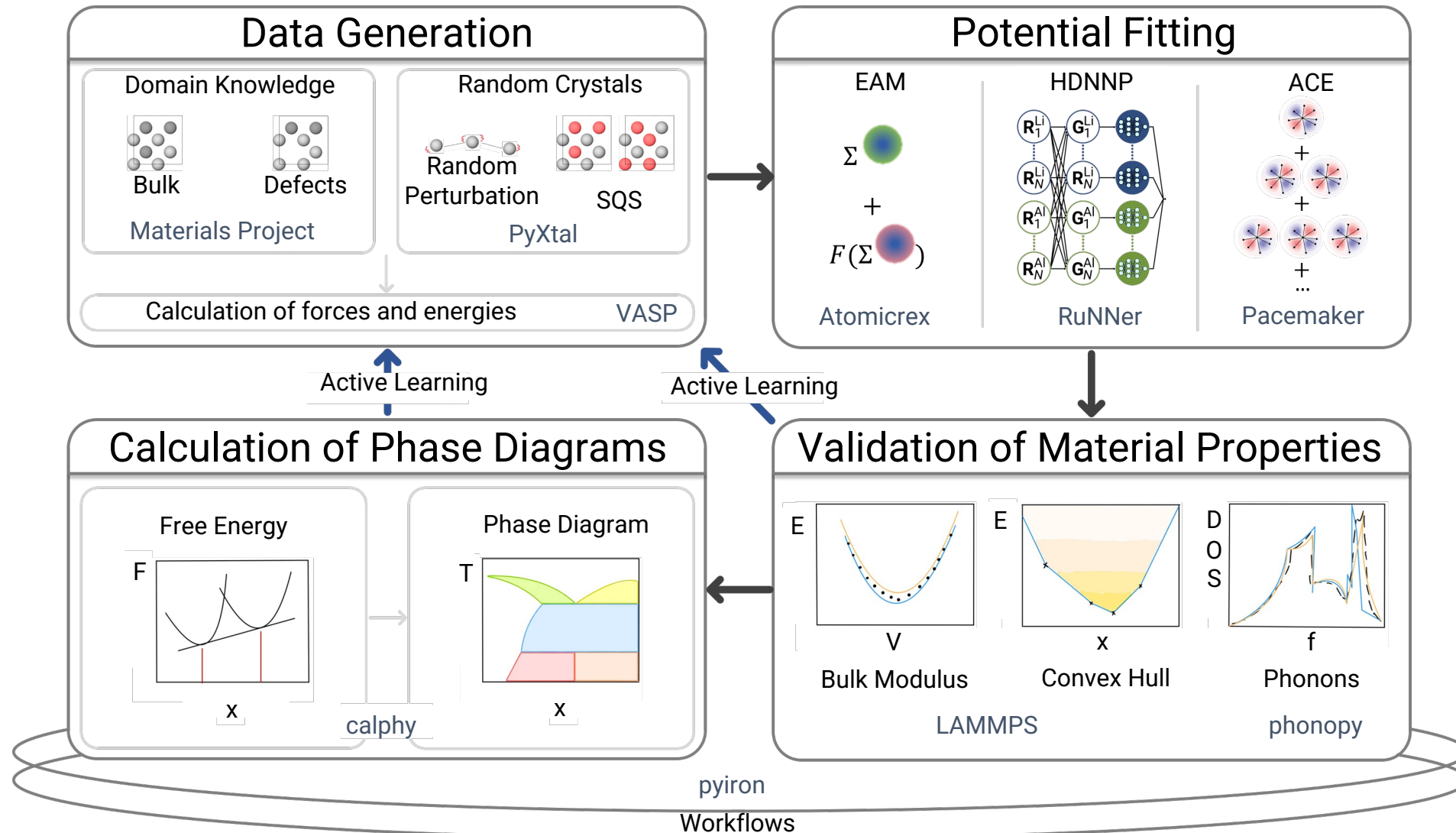


The cut-off radius is primarily a numerical hyperparameter, considerations based on the radial distribution function are less relevant.



Temperature Concentration Phase Diagram

Ab-initio Thermodynamics



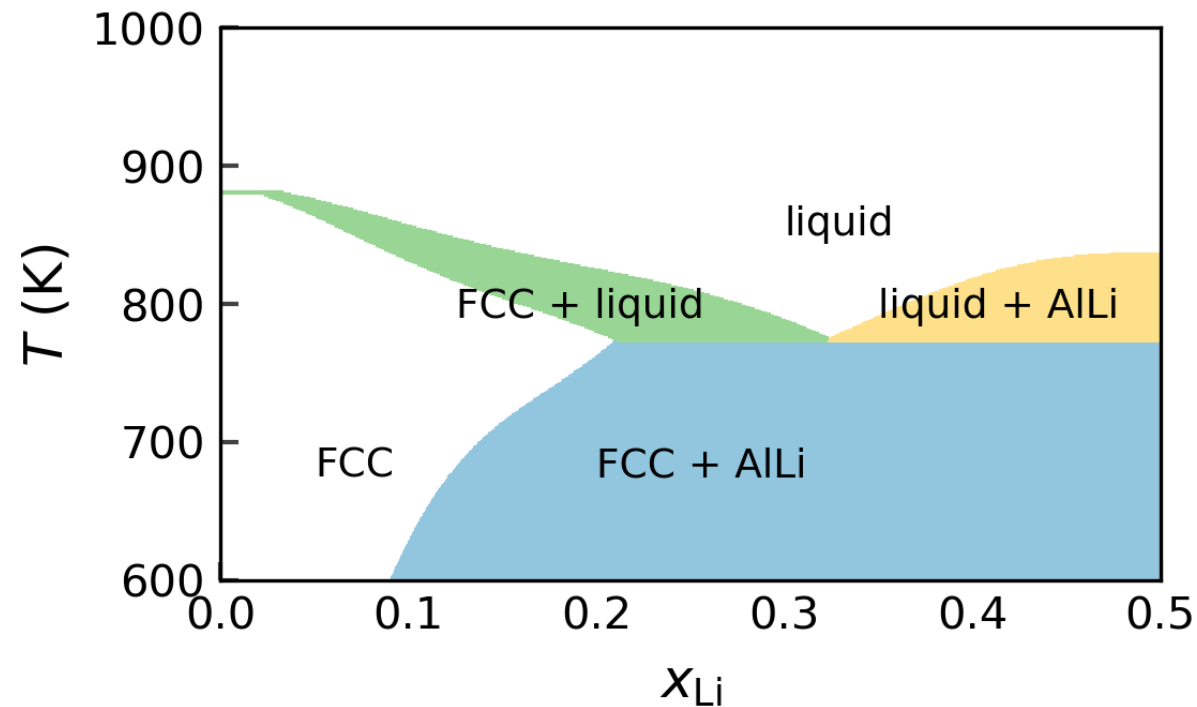
Temperature Concentration Phase Diagram

Ab-initio Thermodynamics

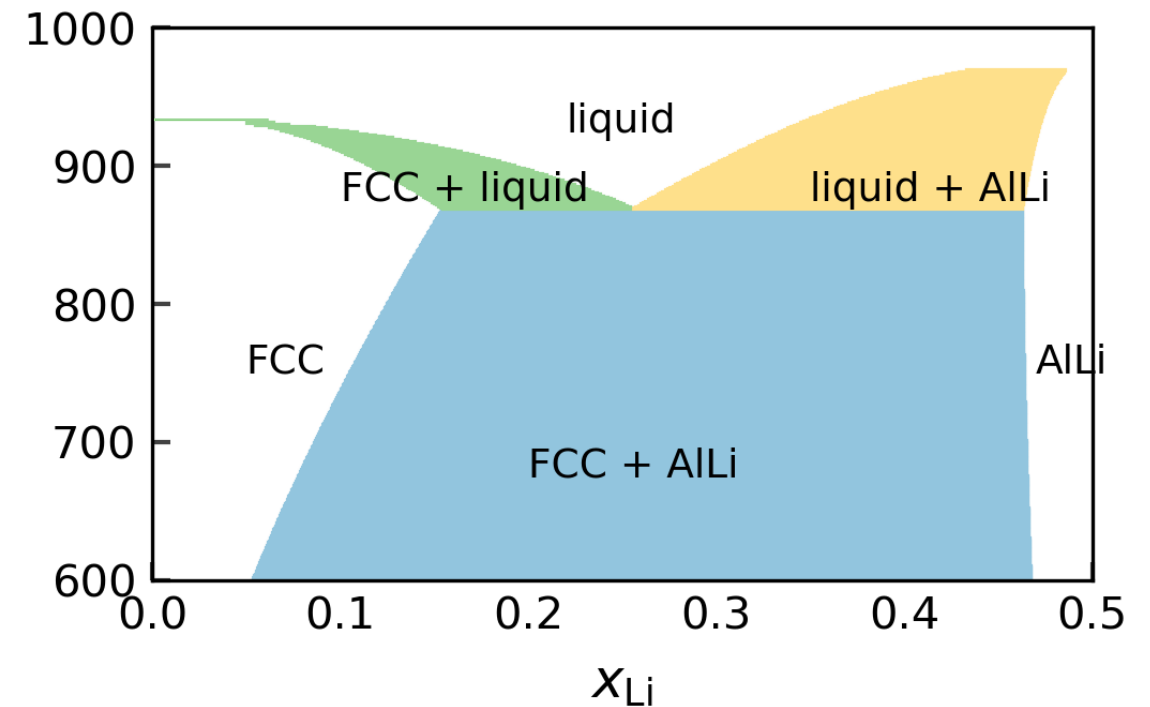
Data Generation

Potential Fitting

Machine-Learned Interatomic Potential



Experiment (CALPHAD)



pyiron
Workflows

Temperature Concentration Phase Diagram

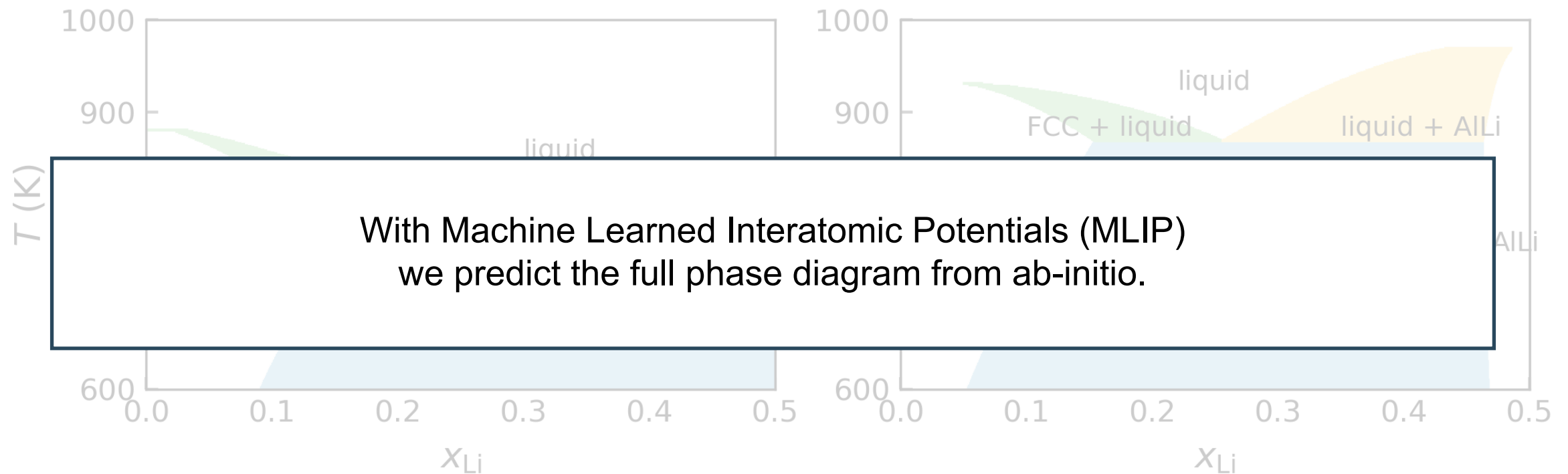
Ab-initio Thermodynamics

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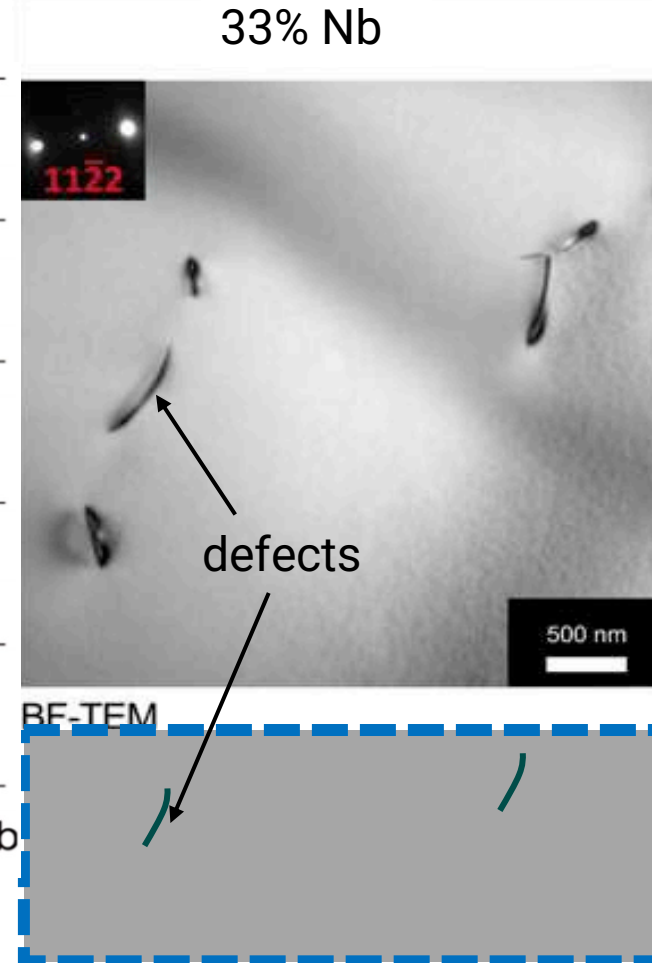
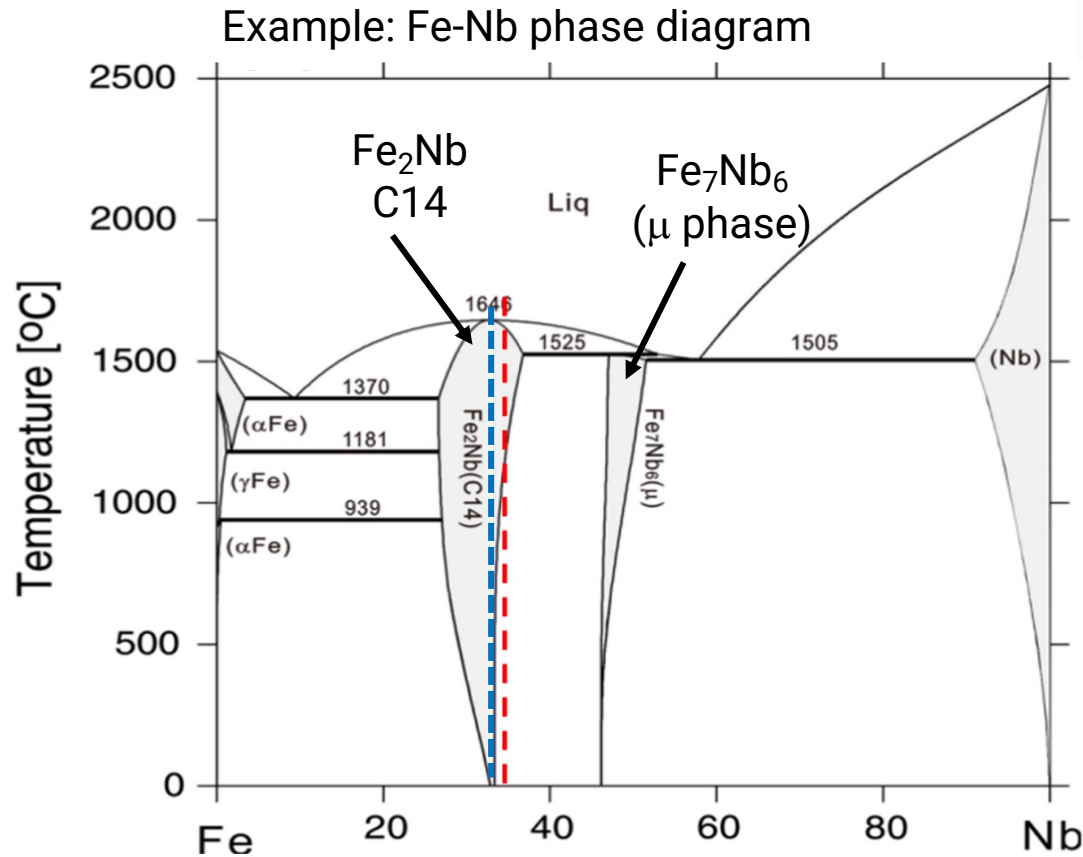
Experiment (CALPHAD)



pyiron
Workflows

Defect Phase Diagram

Can we apply the same concepts to understand and design microstructure?

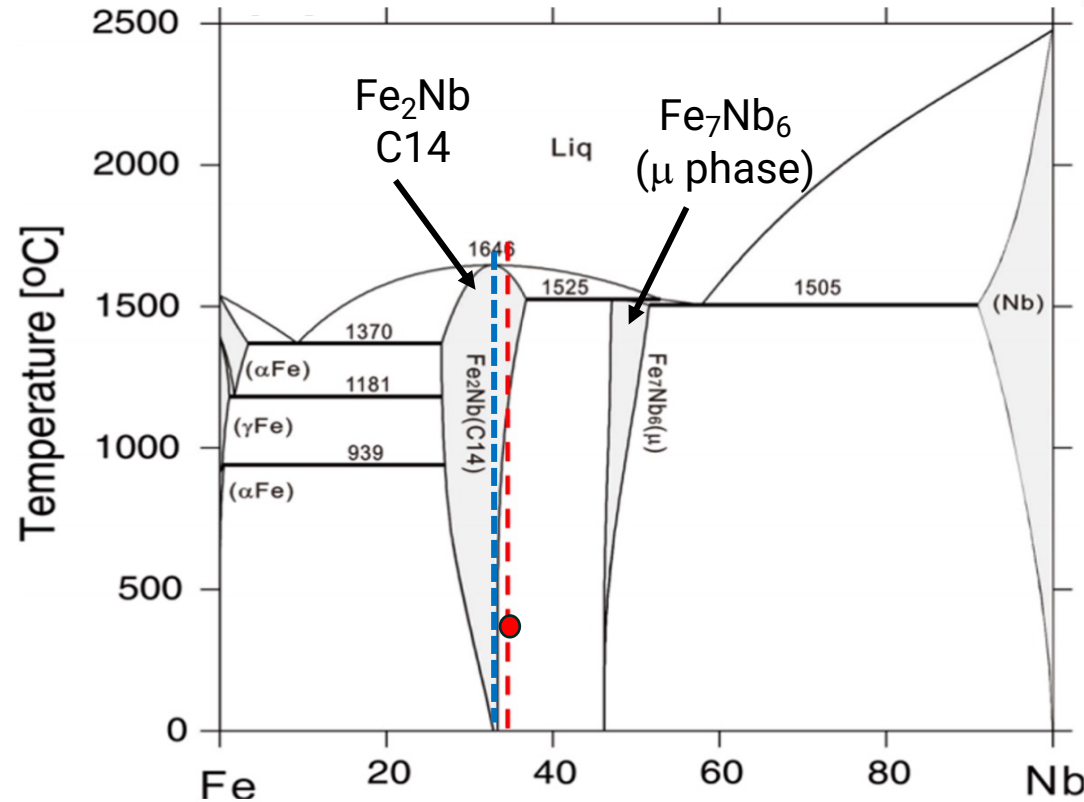


Defect Phase Diagram

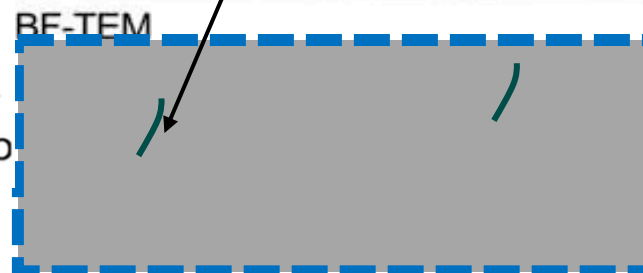
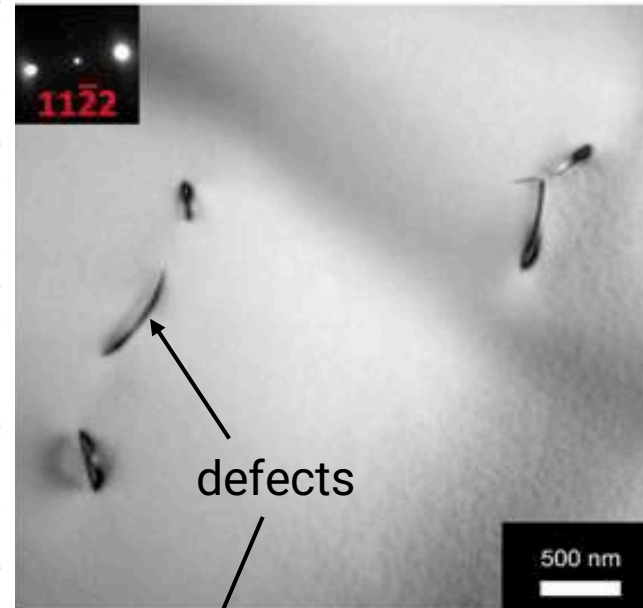
Can we apply the same concepts to understand and design microstructure?



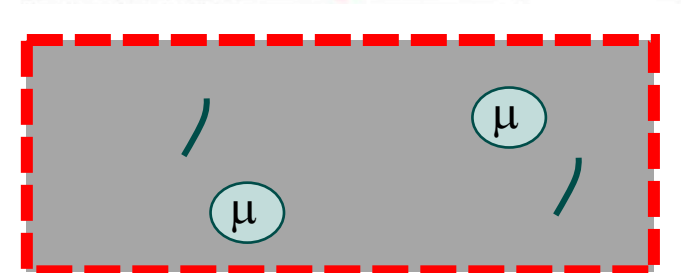
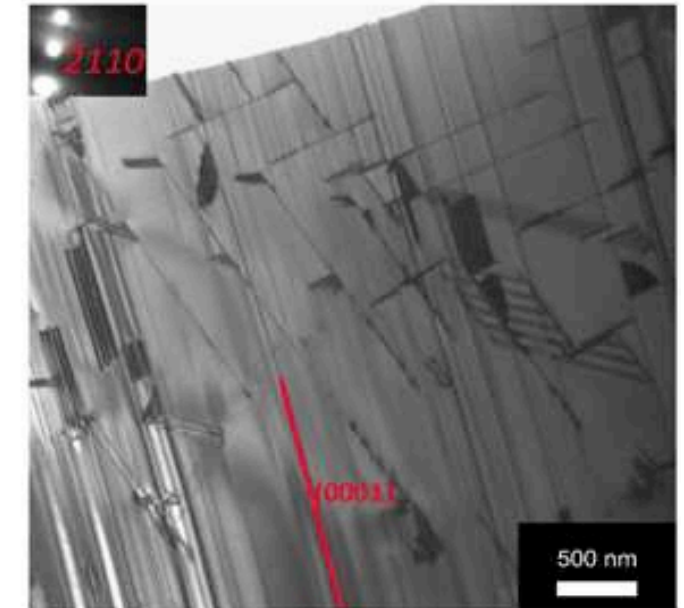
Example: Fe-Nb phase diagram



33% Nb

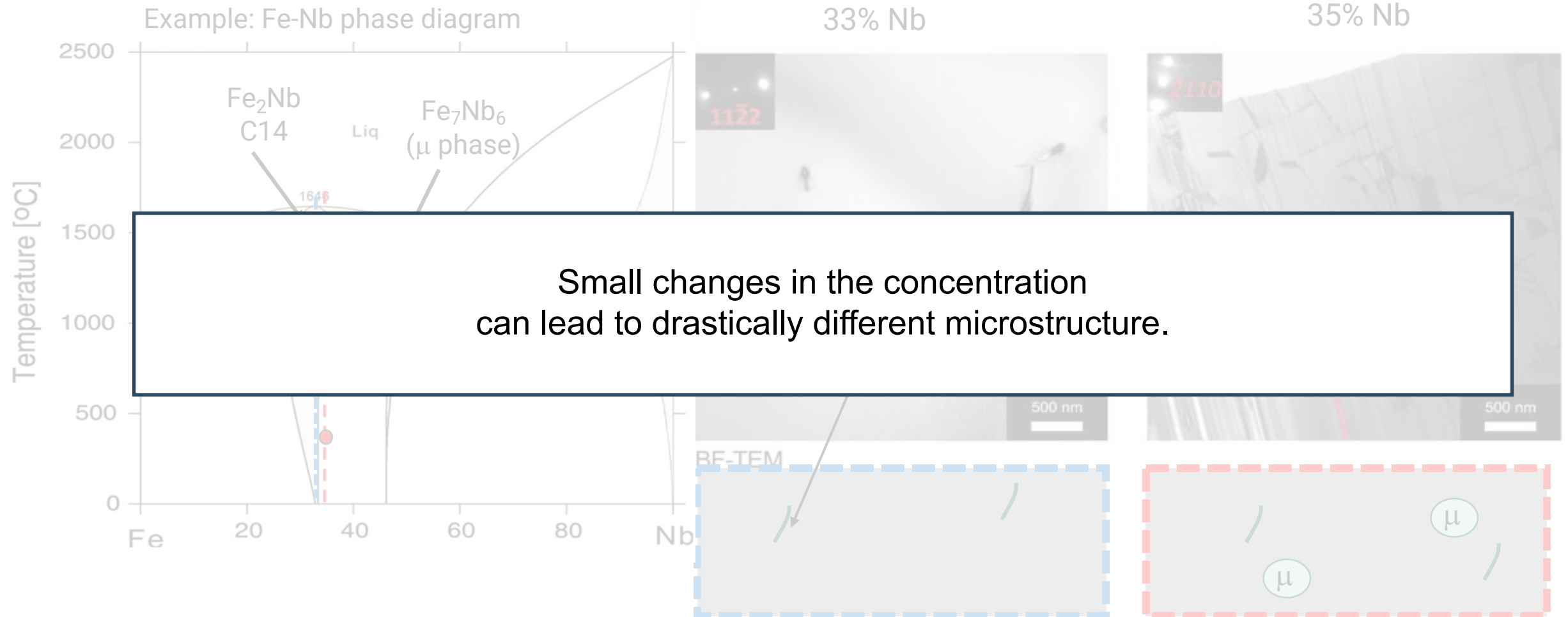


35% Nb



Defect Phase Diagram

Can we apply the same concepts to understand and design microstructure?



Defect Formation Energies and Phase Diagram

Defect formation energy:

$$E_{\sigma}^f = F_{\sigma}^{DFT} - \sum_i n_i^{\sigma} \mu_i$$

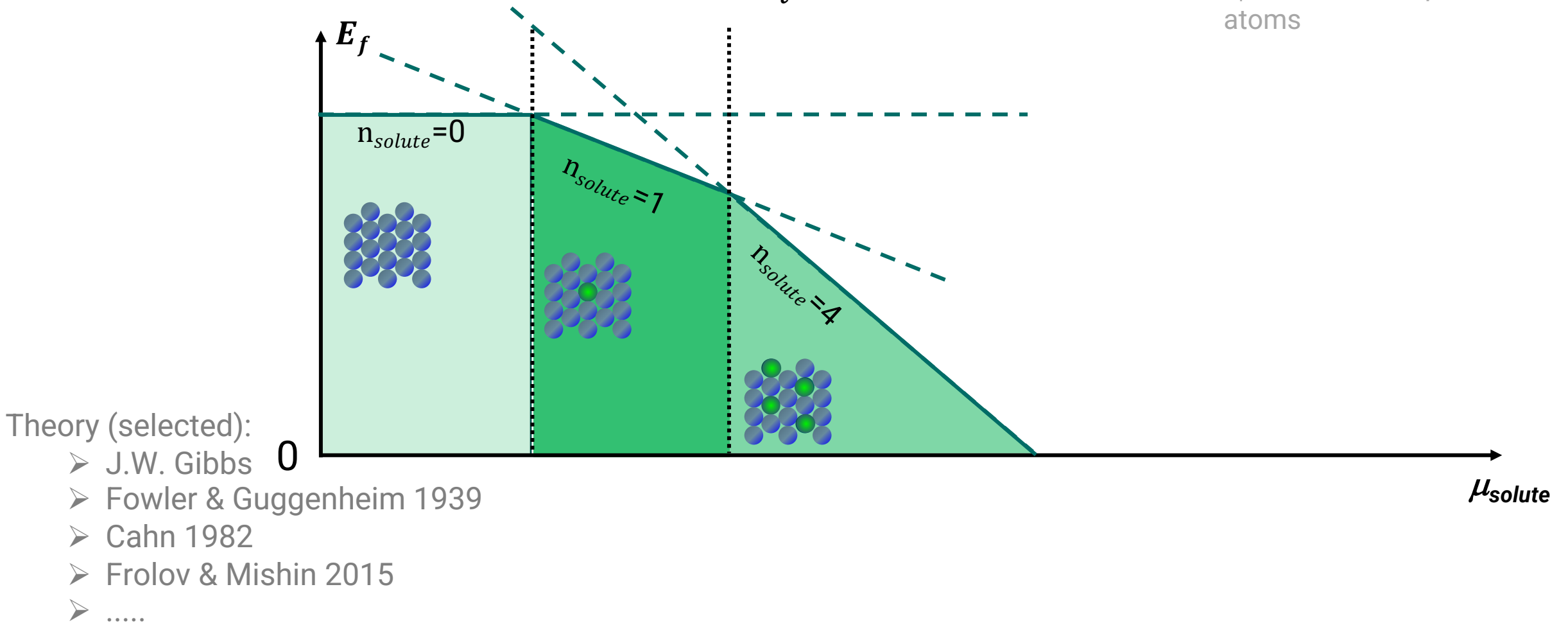
σ - defect state
 i - chemical species
 n_i - number of species i
atoms

Defect Formation Energies and Phase Diagram

Defect formation energy:

$$E_{\sigma}^f = F_{\sigma}^{DFT} - \sum_i n_i^{\sigma} \mu_i$$

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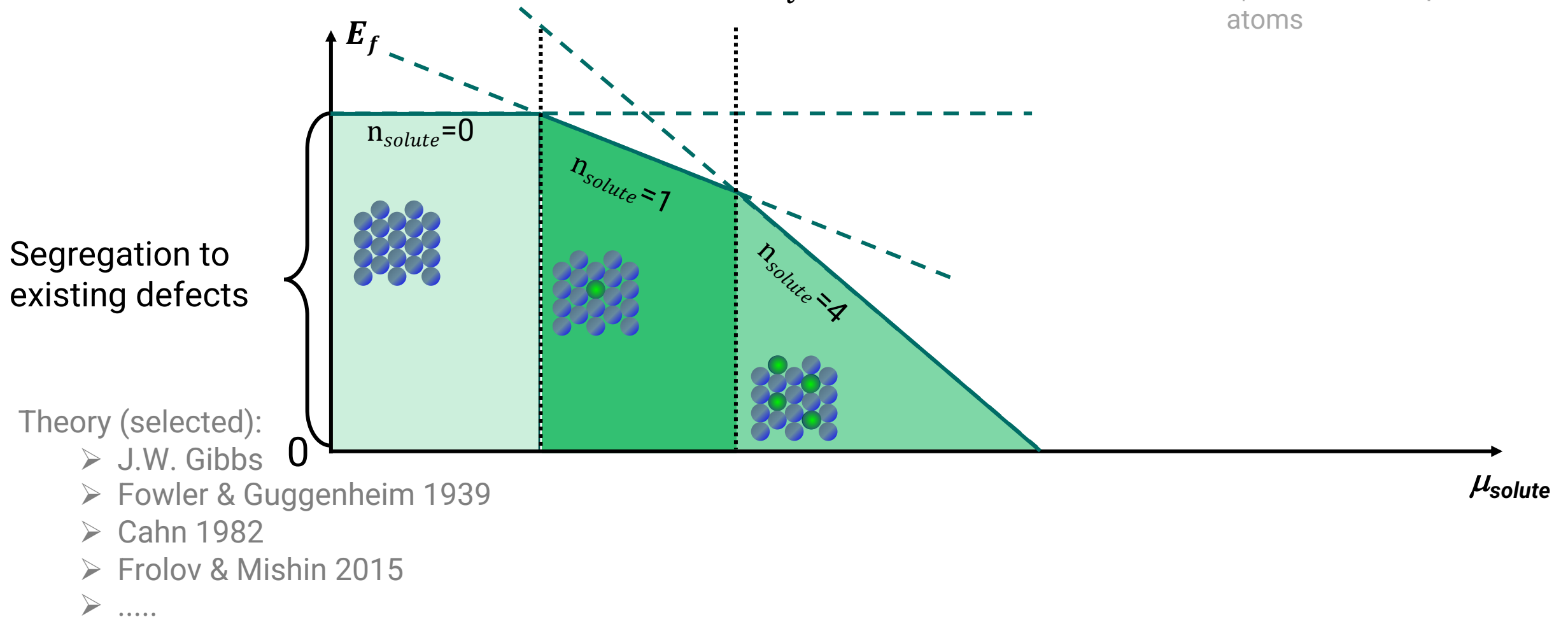


Defect Formation Energies and Phase Diagram

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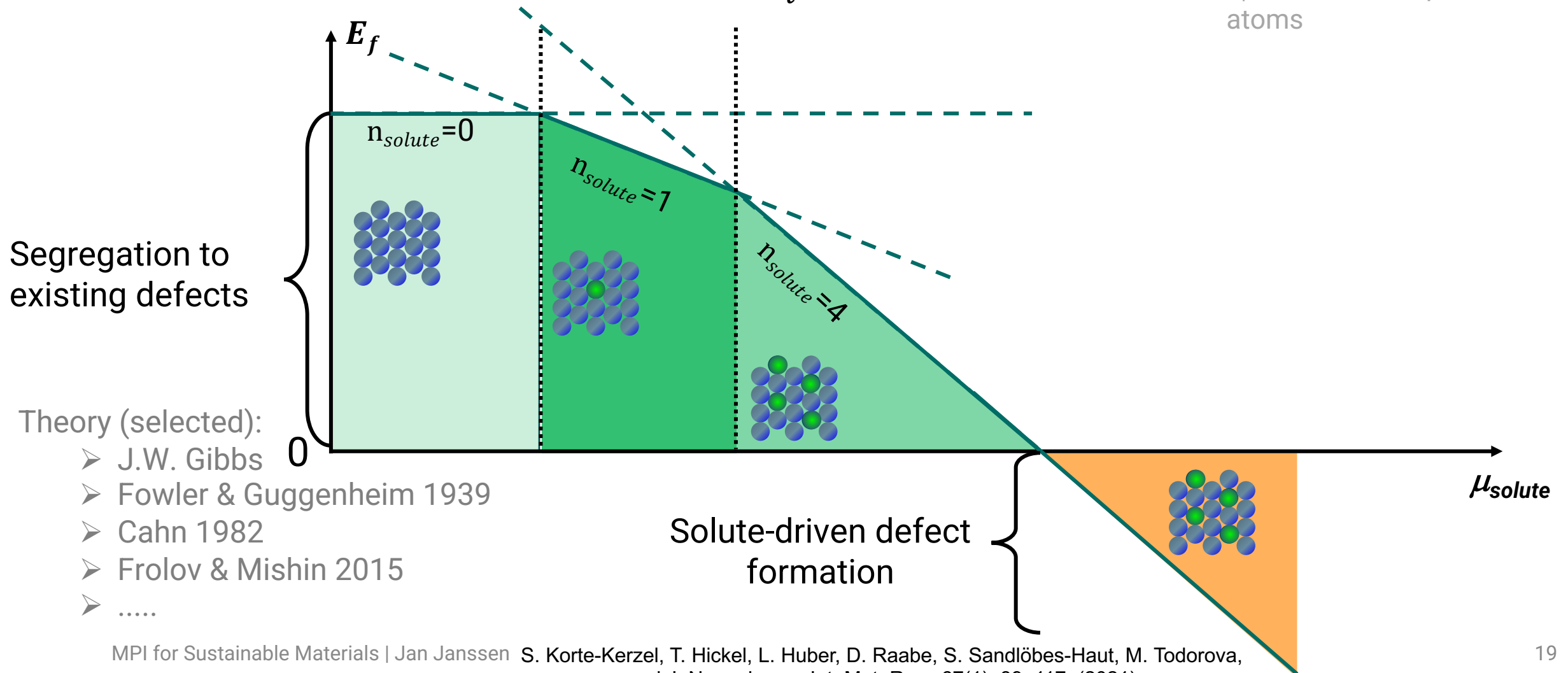


Defect Formation Energies and Phase Diagram

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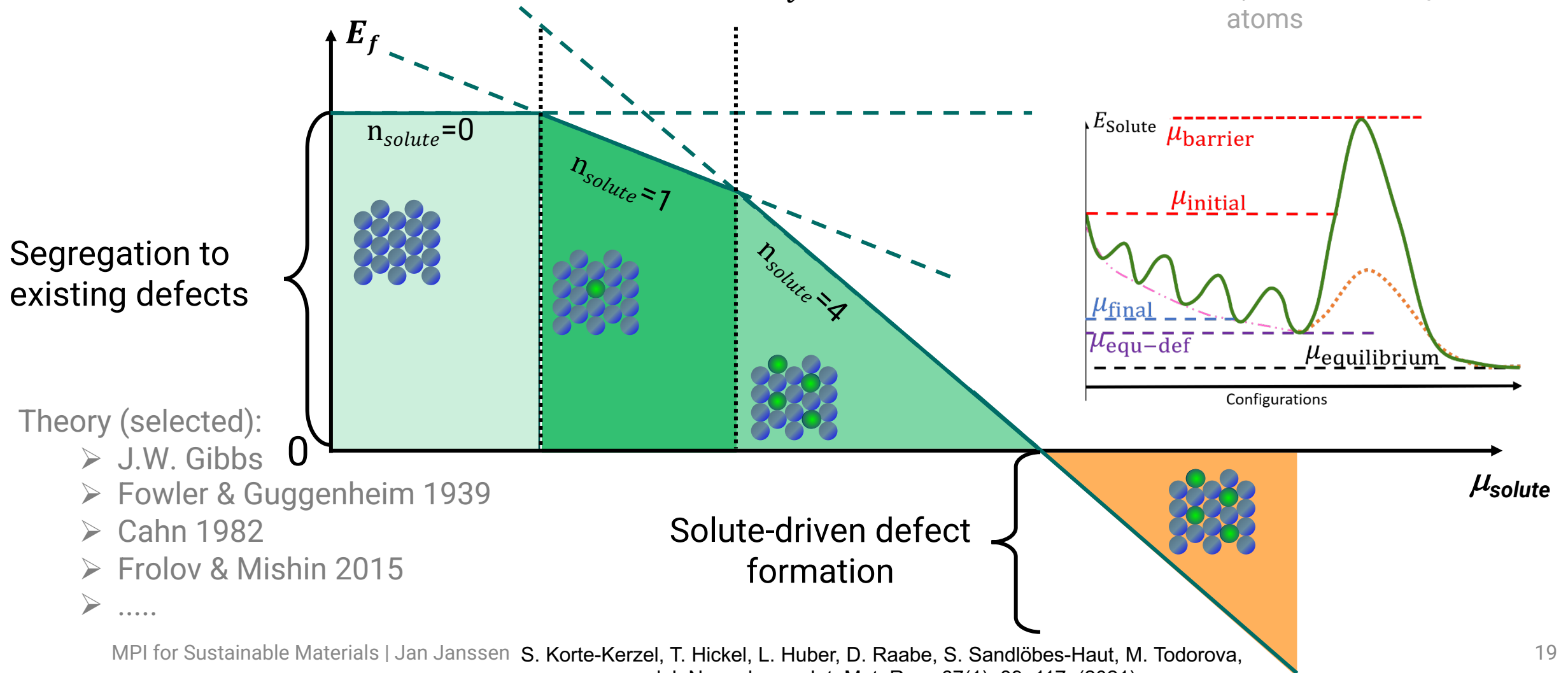


Defect Formation Energies and Phase Diagram

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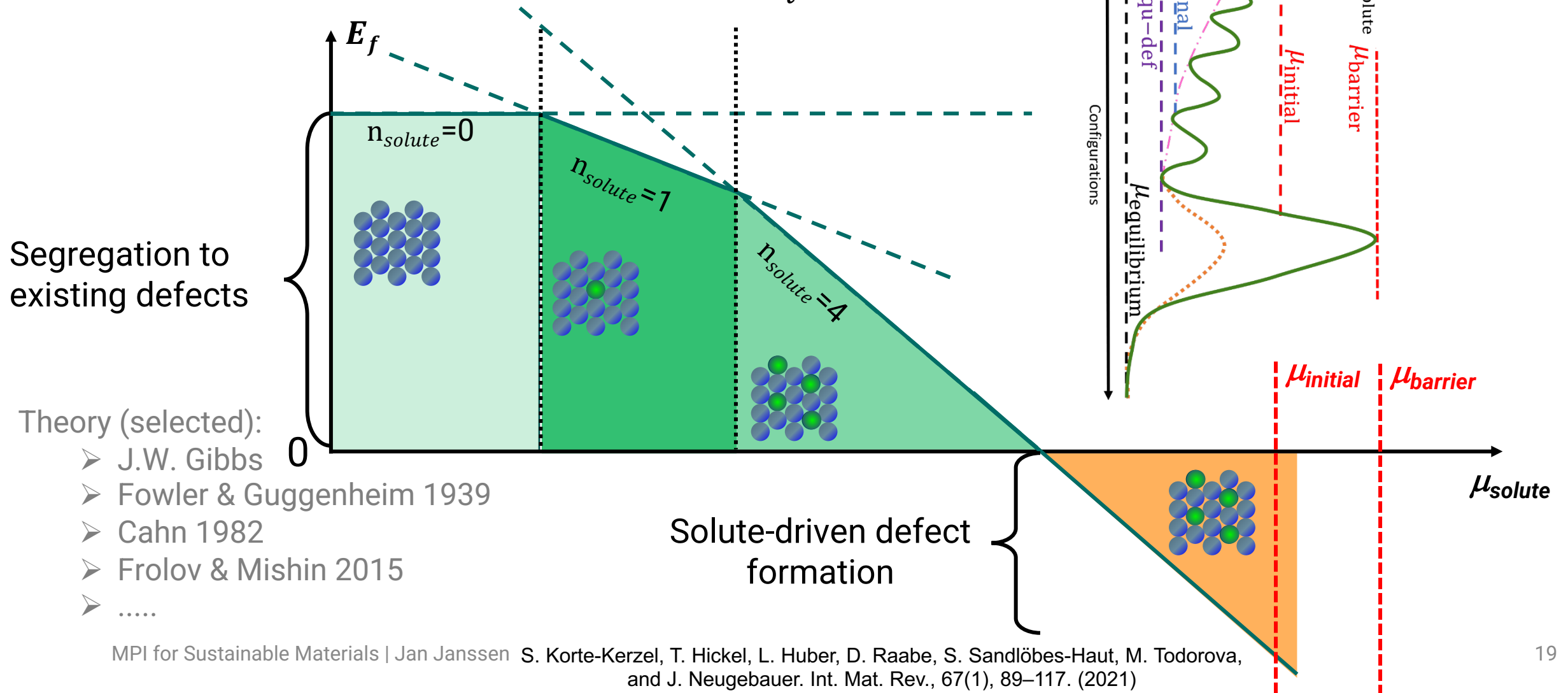
σ - defect state
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Defect Formation Energies and Phase Diagram

Defect formation energy:

$$E_{\sigma}^f = F_{\sigma}^{DFT} - \sum_i n_i^{\sigma} \mu_i$$



Segregation to existing defects

Theory (selected):

- J.W. Gibbs
- Fowler & Guggenheim 1939
- Cahn 1982
- Frolov & Mishin 2015
-

Solute-driven defect formation

Defect Formation Energies and Phase Diagram

Defect formation energy:

$$E_{\sigma}^f = F_{\sigma}^{DFT} - \sum_i n_i^{\sigma} \mu_i$$



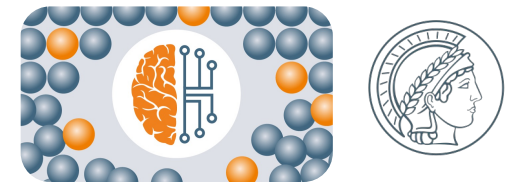
Segregation
existing

Small changes in the concentration
can lead to drastically different microstructure.

Theory (selected):

- J.W. Gibbs
- Fowler & Guggenheim 1939
- Cahn 1982
- Frolov & Mishin 2015
-

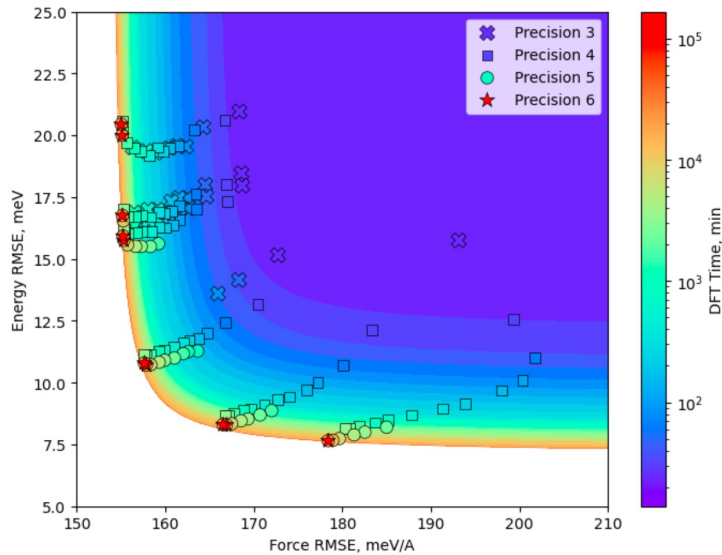
Solute-driven defect
formation



Workflows to Accelerate Materials Discovery

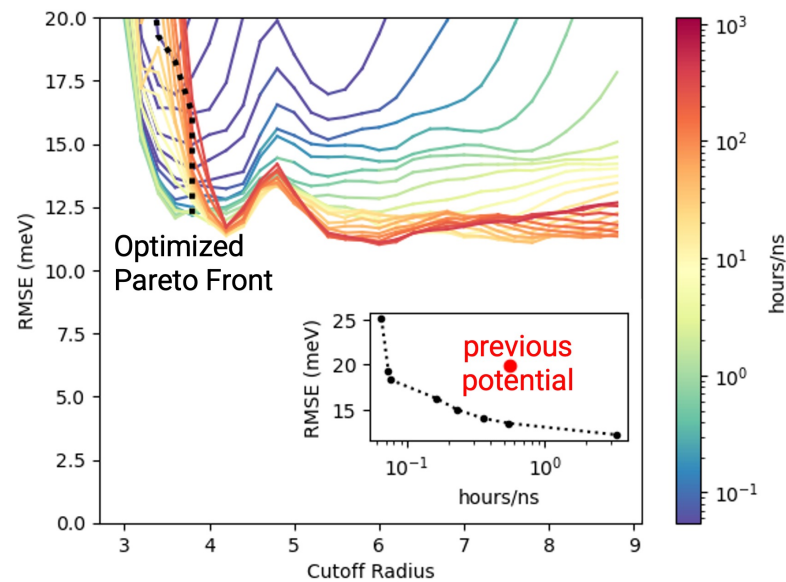
Inspiration from Functional Programming

Density Functional Theory Uncertainty Quantification



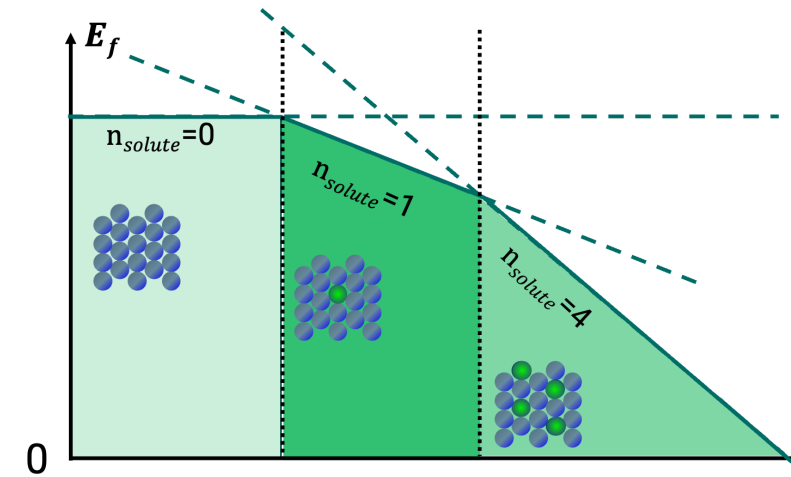
The desired application of the machine learned interatomic potential limits the benefit of high precision training data.

Computational Efficient Machine Learned Interatomic Potentials

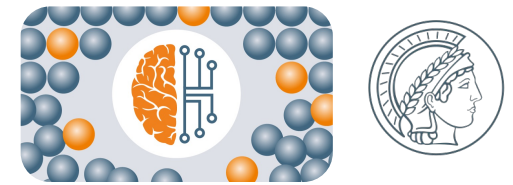


The cut-off radius is primarily a numerical hyperparameter for optimizing potential efficiency.

Defect Phase Diagrams to Predict Microstructure



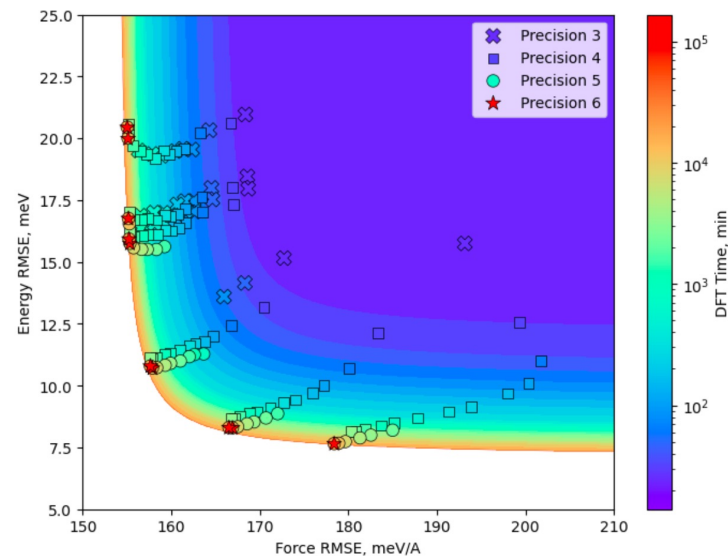
Materials Acceleration Platforms (MAP) combine simulation and experiment in the same workflow.



Workflows to Accelerate Materials Discovery – Thank you

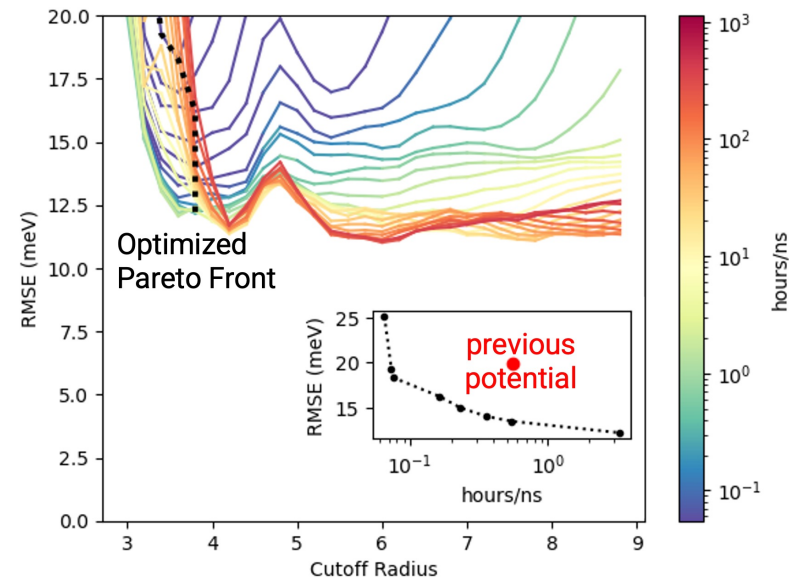
Inspiration from Functional Programming

Density Functional Theory Uncertainty Quantification



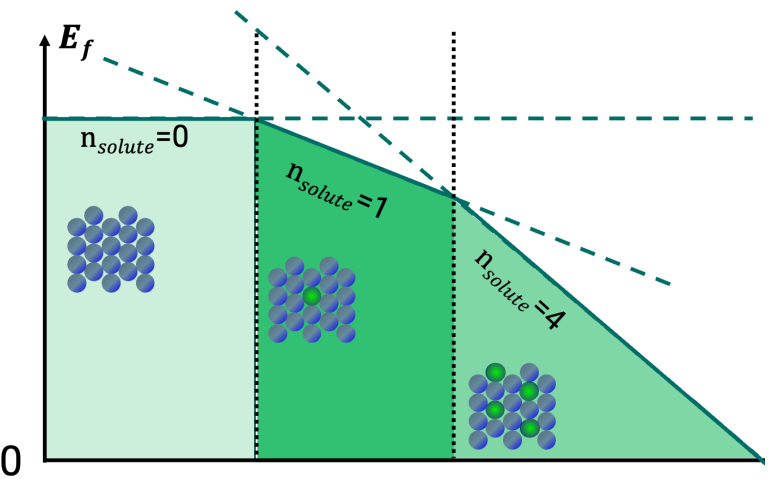
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