# New insights on the quasicoherent mode in EDA high confinement discharges



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## INTRODUCTION

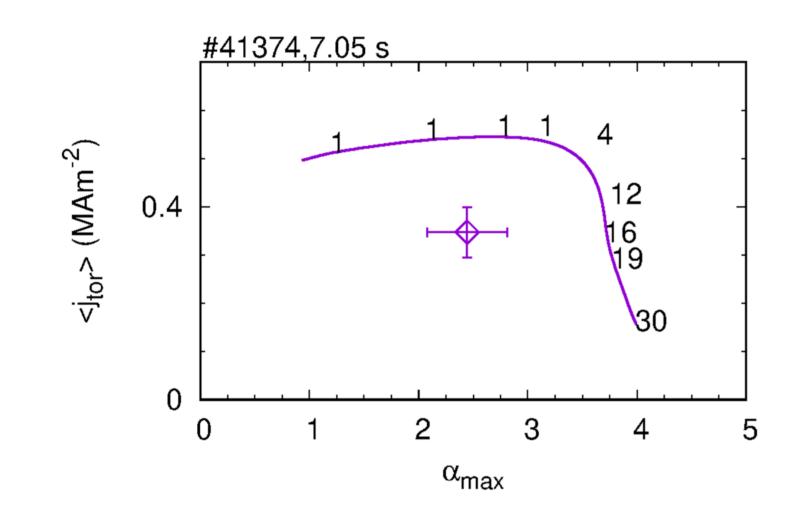
- The enhanced D-Alpha (EDA) H-mode is a promising ELM-free regime for ITER and a DEMO reactor [1,2];
- A quasi-coherent mode (QCM) around the separatrix enhances radially outward transport [3], likely preventing the pressure gradient from overcoming the peeling-ballooning limit;
- Characterizing the QCM drive instability is key to reliably extrapolating the EDA H-mode to future fusion devices.

#### GOAL

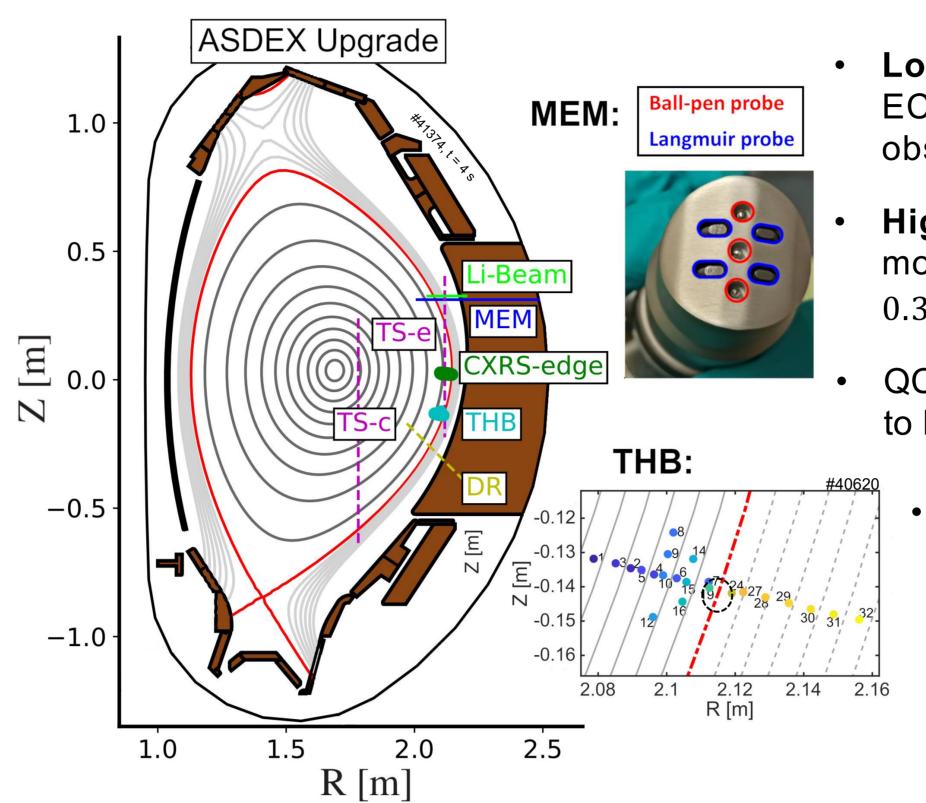
Compare QCM experimental fingerprints with linear gyrokinetic simulations to identify potential QCM drivers.

## 2. MHD STABILITY ANALYSIS

- MHD stability analyses with the MISHKA code [6];
- The low-power EDA H-mode is stable against peeling ballooning stability -> enhanced pedestal transport by the QCM [3] likely clamps the pressure gradient below the limit.



### 1. LOW POWER EDA H-MODE

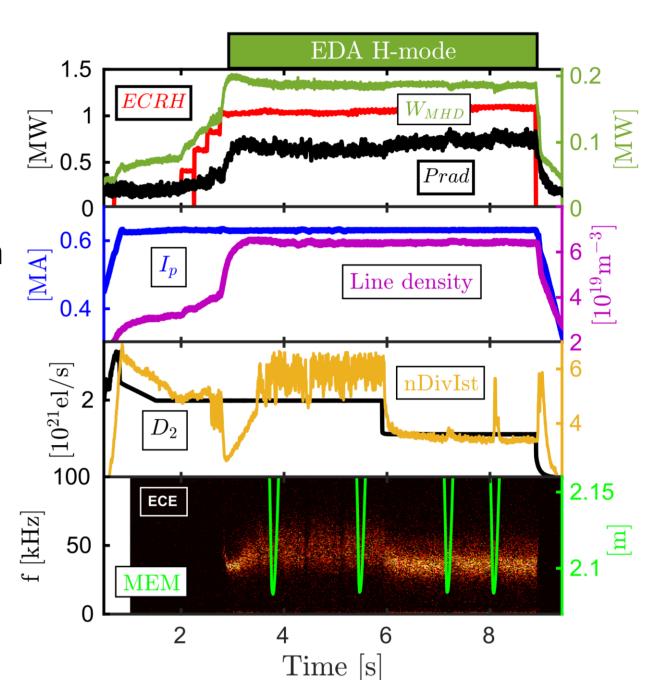


- Low power EDA H-mode ( $B_t = -2.5 \text{ T}$ , plasma current 0.6 MA, and ECRH up to 1 MW) to maximize the number of experimental observables;
- High shaping favors EDA Hmode:  $\kappa = 1.63$  and  $\delta_{ava} =$ 0.39;
- QCM is visible after the transition  $\Rightarrow$ to EDA H-mode around 3 s;
  - measure the QCM here:

Midplane reciprocating

Main diagnostics to

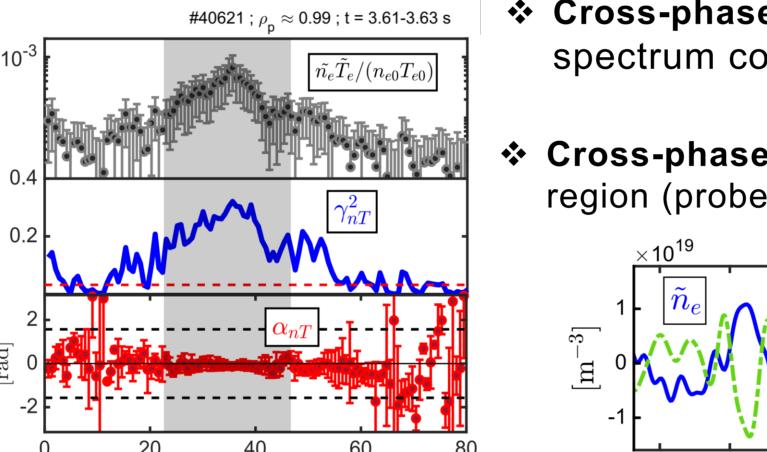
- probe (MEM) [4]; Themal helium beam
- (THB) [5].



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## 3. QCM TURBULENT FINGERPRINTS

- **❖** Radial localization, wavenumber, and phase velocity:
  - QCM is radially localized in the pedestal foot and center, spreading to the SOL;
  - Poloidal wavenumber:  $k_{\theta} \rho_{s} = 0.02 0.05 \ (\rho_{s} = \sqrt{m_{i} T_{e}/eB}) \ [3,7];$
  - In the plasma frame, QCM propagation varies radially from the electron diamagnetic direction (EDD) to the ion diamagnetic direction (IDD) (within the error bars).

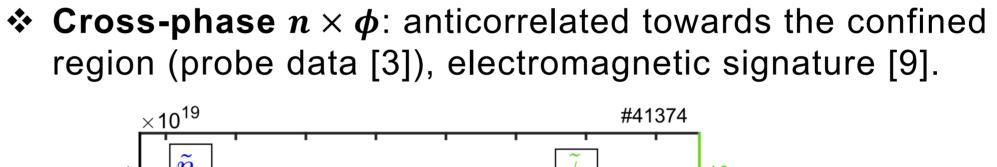


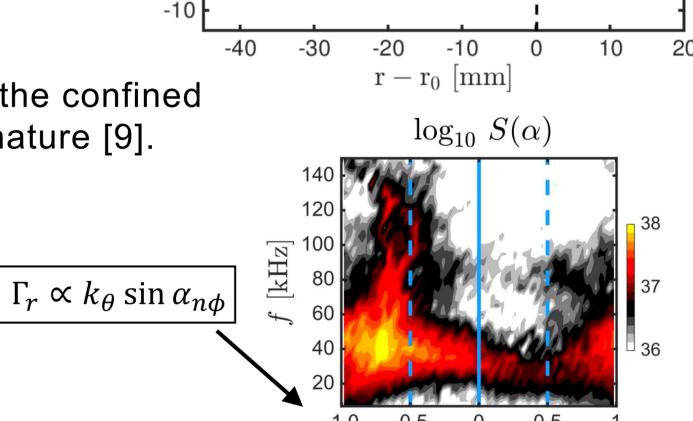
f [kHz]

**Cross-phase**  $n \times T_e$ : near zero (THB linearized spectrum correlation analysis [8]);

7176.2

time [ms]





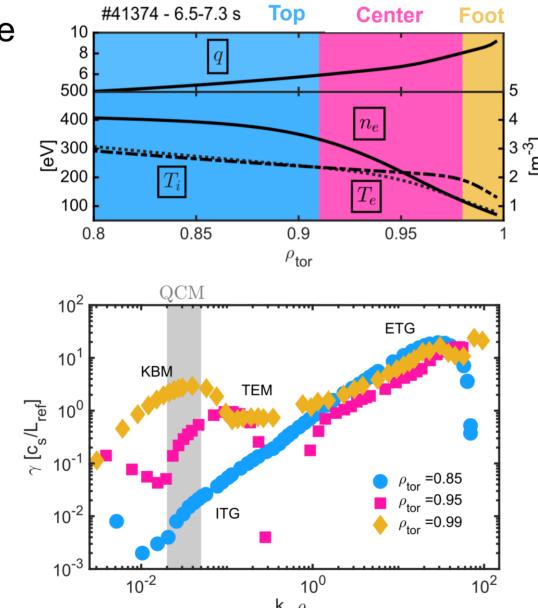
0.87 0.90 0.94 0.97  $1.00 \rightarrow \rho_{tor}$ 

## 4. LINEAR GYROKINETIC SIMULATIONS

- Linear gyrokinetic simulations with the code GENE [10,11]:
- Maximum growth rate over the ballooning angles. Pedestal divided in Top, Center, and Foot;
- Dominant instabilities in each region:

**Top:** ITG and ETG **Center:** TEM and ETG Foot: KBM, TEM, and ETG

ITG: ion temperature gradient; ETG: electron temperature gradient; TEM: trapped electron mode; KBM: kinetic ballooning mode



## 6. BETA AND COLLISIONALITY SCAN ( $\rho_{tor} = 0.99$ )

7176.24

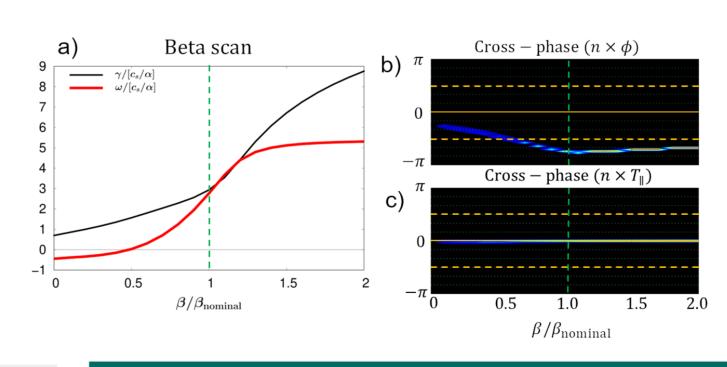
#### Sensitivity scan in beta:

7176.12

Mode growth rate ( $\gamma$ ) and frequency ( $\omega$ ) change rapidly with  $\beta$ : KBM signature [12];

7176.16

- **Cross-phase**  $n \phi$ : close to  $-\pi$  at high  $\beta$  and zero at low, i.e., drift-wave like [9];
- Cross-phase  $n T_{e,\parallel}$ : around zero.



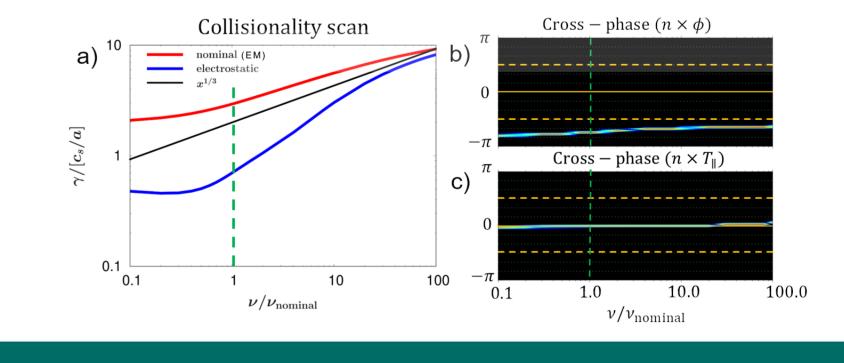
#### Sensitivity scan collisionality:

0.04 — QCM amplitude

a.u. 0.02

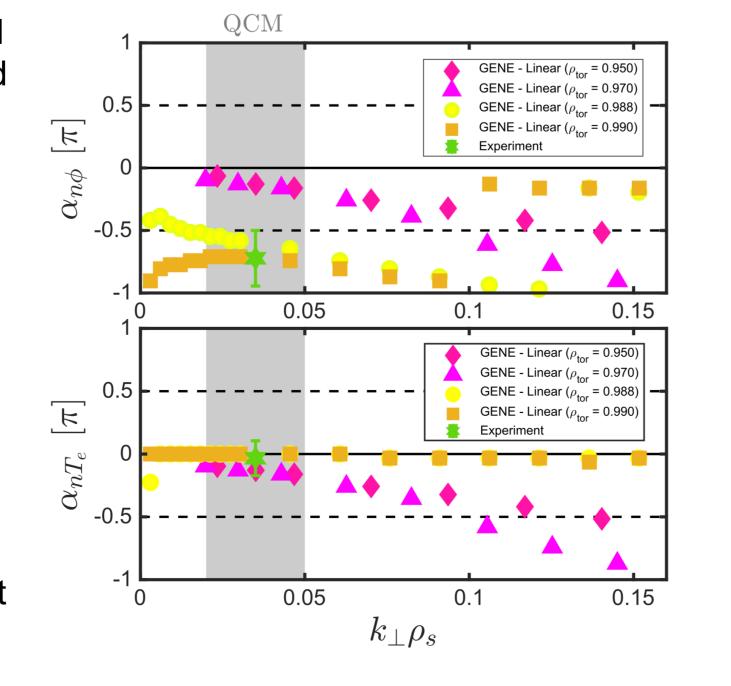
 $[\mathrm{km/s}]$ 

- Growth rate ( $\gamma$ ) strongly depends on  $\nu$  above nominal: for higher values, RBM scale [13];
- **Cross-phase**  $n-\phi$ : closer to  $-\pi$  for low $\nu$  and  $-\pi/2$  for high  $\nu$ ;
- Cross-phase  $n T_{e,\parallel}$ : remains around zero.



### 5. COMPARISON WITH EXPERIMENT

- QCM is radially localized in the pedestal center and foot. At first glance, TEM and KBM are the main candidate;
- KBM growth rate is larger within QCM  $k_{\perp}\rho_{s}$  range. TEM peaks at higher  $k_{\perp}\rho_{s}$ ;
- QCM velocity in the co-moving (plasma) frame: KBM  $\rightarrow$  IDD; TEM  $\rightarrow$  EDD. However, significant uncertainties;
- Comparing the cross-phases → experimental  $\alpha_{nT_{e}}$  and  $\alpha_{n\phi}$  have good agreement with KBM linear fingerprint at the pedestal foot.



## CONCLUSION

- A kinetic ballooning mode (KBM) in the pedestal foot is identified as the main candidate for the QCM drive instability based on comparisons between experimental fingerprints and local linear gyrokinetic simulations;
- **Global linear gyrokinetic simulations** with the nominal  $E_r$  also observed a KBM in the pedestal foot/center that shares similarities with the QCM (e.g., radial location and  $\alpha_{n\phi}$ );
- The good agreement with the linear simulations suggests that the linear character of the mode is preserved to some extent. Next step: non-linear gyrokinetic and global flux-driven simulations.
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