## HELIUM ASH REMOVAL: COMPREHENSIVE EFFECTS OF ALPHA PARTICLES ON THE SOURCE AND TRANSPORT OF HELIUM ASH

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Avoiding helium (He) ash accumulation is important to achieve high fusion power in future burning plasma. Energetic alpha ( $\alpha$ ) particles can affect the density profile of He ash from affecting both source and transport terms. Ref. [1] calculated the kinetic source  $S_{ash,sd}^k = -K_1F_{sd}$  of He ash from energy of  $\alpha$  particles, with  $K_1$  being the slowing down rate and  $F_{sd} = \frac{4\pi\sqrt{2E/m_{He}}}{m_{He}}f_{sd}$ , based on the slowing down distribution  $f_{sd}$ . However, recent works [2, 3] finds energy diffusion term can lift the distribution function of He ions  $f_{He}$  in low energy region and bring the deviation from classical  $f_{sd}$ , and this would affect the source and transport of He ash, but have not been explored. This work reports the effects from energetic  $\alpha$  particles not only on source term by including energy diffusion but also on transport through dilution, and predict the He ash density profile under ITER baseline scenario [4].

We start from the Fokker-Planck equation of He ions [1]:

$$\frac{\partial F_{He}}{\partial t} = \frac{\partial}{\partial E} \left( C_{drag} + C_{ed} \right) + S_0 \delta(E - E_0). \tag{1}$$

Here,  $F_{He} = \frac{4\pi\sqrt{2E/m_{He}}}{m_{He}} f_{He}$  is the number of He ions in per volume and per energy interval,  $C_{drag} = -K_1 F_{He}$ is the collision operator contributed by drag effect from background particles, and  $C_{ed} = \frac{1}{2} \frac{\partial}{\partial E} (K_2 F_{He})$ represents energy diffusion effect also due to collision with  $K_2$  being the energy diffusion rate,  $S_0 = n_D n_T \langle \sigma u \rangle_{DT}$  with  $\langle \sigma u \rangle_{DT}$  being the D-T reaction rate. By numerically solving the Fokker-Planck equation under ITER base case parameters, we obtain the distribution function of He ions  $f_{He}$  in full energy range and find a deviation from  $f_{sd}$  in the range of  $E/T_i < 10$ , where is closer to the Maxwellian distribution. This can *indirectly* affect the kinetic source. Besides, energy diffusion effect also introduces an extra term into the kinetic source, which is called the *direct* effect, which will be shown later.

By integrating both sides of Eq. (1) over E, we can obtain the evolution equation of He ash in the absence of radial transport  $\frac{\partial n_{ash}}{\partial t} = S_{ash,t}^k$ , where

$$S_{ash,t}^k = S_{ash,drag}^k + S_{ash,ed}^k \tag{2}$$

is the total kinetic source of He ash.  $S_{ash,drag}^k = C_{drag}\Big|_{E=E^d}$  is contributed from *drag* term in Eq. (1) and is corrected by the *indirect* effect of energy diffusion due to the modification of  $f_{He}$ .  $S_{ash,ed}^k = C_{ed}\Big|_{E=E^d}$  is contributed from the *direct* effects of *energy diffusion*.  $E^d$  is the demarcation energy to distinguish energetic  $\alpha$  particles and He ash.  $C_{drag}\Big|_{E=E^d}$  and  $C_{ed}\Big|_{E=E^d}$  can be understanded as collision induced convective and diffusive fluxes in energy space across the demarcation energy surface at  $E = E^d$ , respectively. The positive sign of the flux means the direction of flux is from high to low energy region, and vice versa.

The kinetic sources depend on the demarcation energy  $E^d$ . We quantitatively propose  $E^d$  where the equivalent temperature of He ash  $T_{ash} = T_i$ . Then, we calculate the kinetic source of He ash as shown in Fig. 1

(a). The *indirect* effect of energy diffusion enhances the source as  $S_{ash,drag}^k$  is about 3 times larger than  $S_{ash,sd}^k$ . On the other hand,  $S_{ash,ed}^k < 0$  means the *direct* effect makes He ions diffuse from the low energy to high energy and plays a role of sink for He ash. The total kinetic source  $S_{ash,t}^k$  is determined by the competition between the source and sink. It is positive and higher than  $S_{ash,sd}^k$  in the core, which means considering both direct and indirect effects of energy diffusion can increase the source of He ash. Further comparison with fluid source  $S_{ash}^f = n_a / \tau_{sd}$  used in Ref. [5] is also shown,  $S_{ash,t}^k$  is slightly higher than the  $S_{ash}^f$  in the core but lower in the edge, and  $S_{ash,sd}^k$  is always lower than  $S_{ash}^f$ .

By balancing the source and ion temperature gradient (ITG)-driven transport [5, 6], we obtain the density profile of He ash as shown in Fig. 1 (b).  $n_{ash}$  with  $S_{ash,drag}^k$  significantly higher than  $S_{ash,sd}^k$ , indicating that only considering the indirect effect of energy diffusion can significantly enhance the profile. However, it is reduced to  $n_{ash}$  with  $S_{ash,t}^k$  by including the direct effect of energy diffusion as well. Finally,  $n_{ash}$  with is still slightly higher than that with  $S_{ash,sd}^k$  and closer to that with the fluid source  $S_{ash}^f$ , which implies that neglecting the entire energy diffusion effects will underestimate  $n_{ash}$ .

Further, as the density of energetic  $\alpha$  particles is too low under ITER baseline scenario (only 0.5% even in the core) to observe significant dilution effect on turbulence, we enhance the  $T_i$  to obtain a higher concentration of  $n_{\alpha}$ . The result shows the energetic  $\alpha$  particles can destabilize ITG turbulence, which in turn affects the ITG-dominant transport of He ash. Moreover,  $n_{ash}$  is comparable with  $n_{\alpha}$ . Then, as shown in Fig. 1 (c), considering dilution effect from both energetic  $\alpha$  particles and He ash on transport finally decrease  $n_{ash}$ .

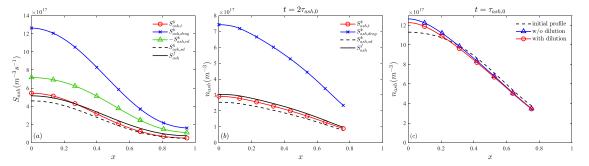


Figure 1. (a) Different sources of He ash. (b) He ash density profile by balance transport and source. (c) He ash density profile by including dilution effects from energetic α particles and He ash.

## **ACKNOWLEDGEMENTS**

This work was supported by the National Natural Science Foundation of China under Grant Nos. 12275096, 12275097, 51821005.

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