

# Detachment Control Considerations for Divertor Design

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**IAEA 4<sup>th</sup> Technical Meeting on Divertor Concepts**

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# Core-Edge Compatibility for Reactors

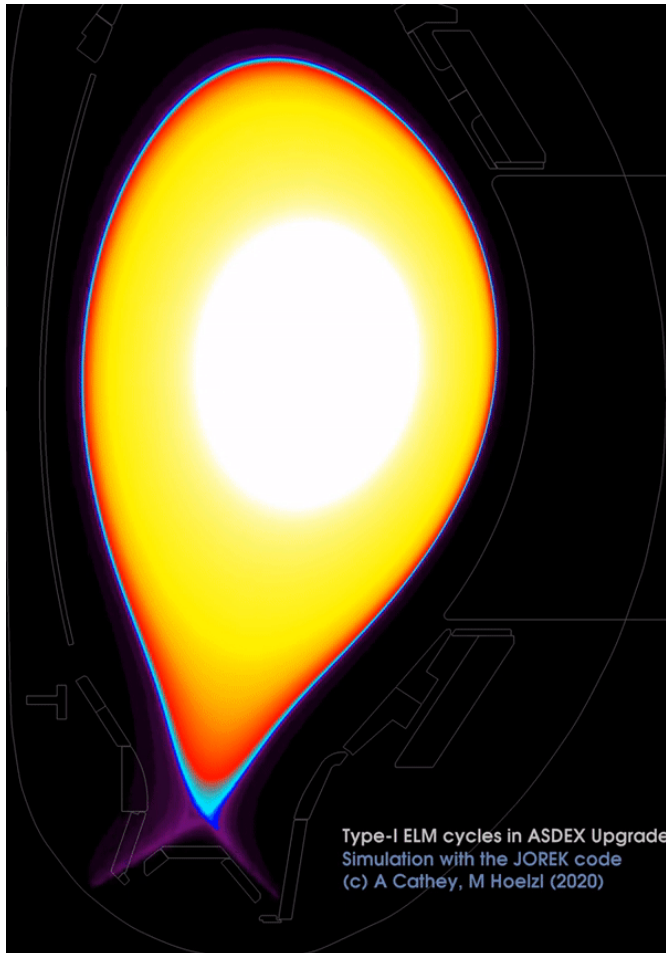


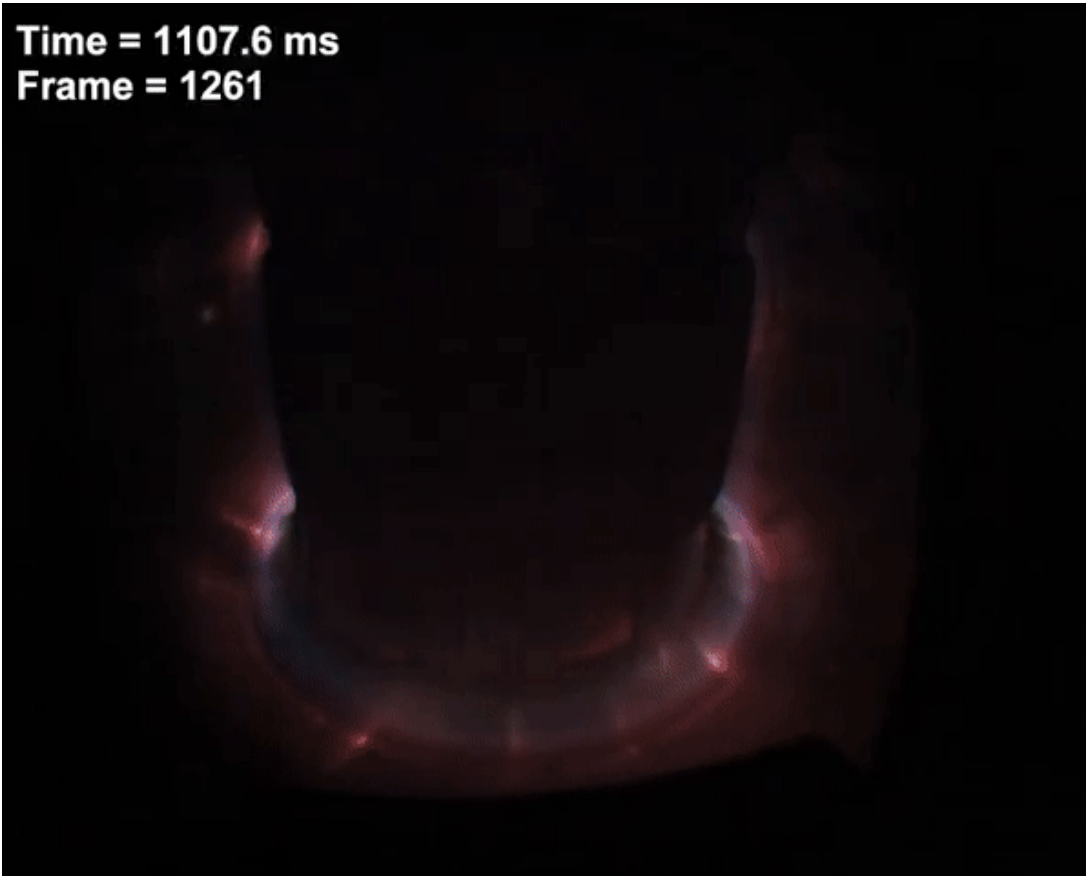
Figure 1. A JOREK simulation of type-1 ELM cycles in ASDEX-Upgrade.

For reactor tokamaks with high energy density, some **heat and particle flux mitigation strategy will be required**, unless core performance is sacrificed.

Even with acceptable steady state heat loads, we need **mitigation strategies for transient peaking in heat loads** – from **ELMs, Stochastic transport, and pellet injection**.



# Detachment



One attractive mitigation strategy is **detachment**.

Detachment is characterized by a **significant drop in plasma power and pressure**.

This drops typically occurs **some point upstream of the target** (often referred to as the '**detachment front**').

Detachment leads to more gentle, isotropic loads of power and particles. It could also act as a '**cushion against transient loads** [1].

Figure 2. The effect of nitrogen impurity seeding in the COMPASS tokamak. Source: YouTube

# Detachment Control

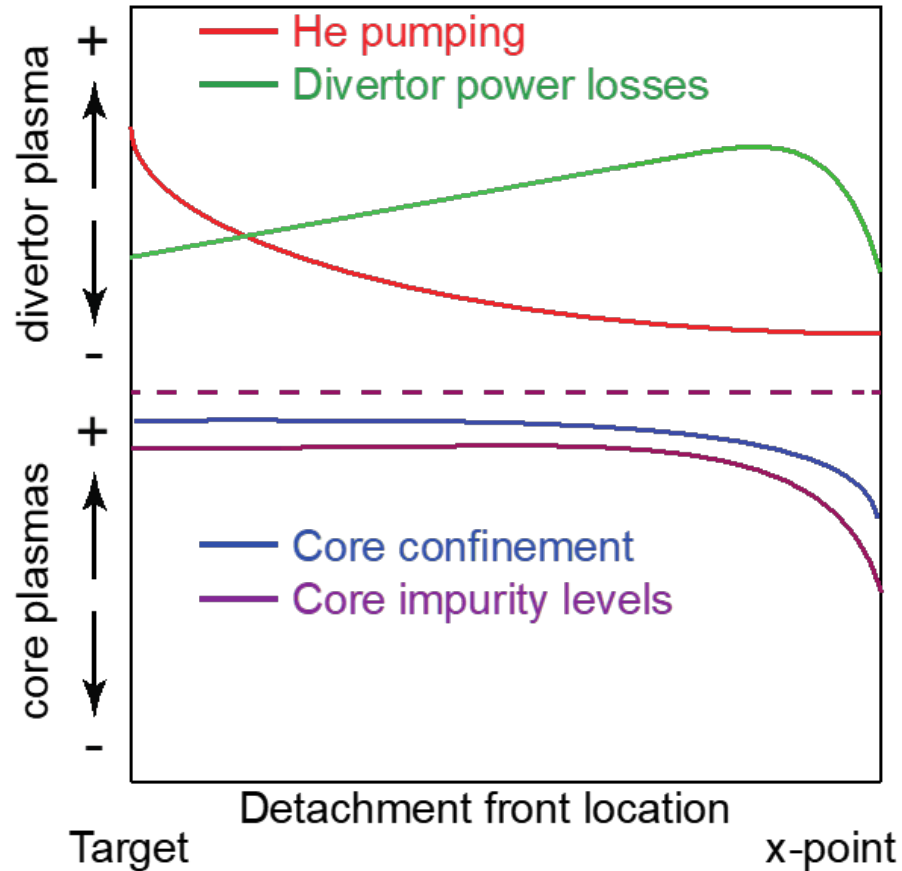


Figure 3. A diagram indicating the effects of having a detachment front in various locations. Image courtesy of B. Lipschultz.

A detachment front **too near the target** and **too near the upstream** both have their **disadvantages**.

Detachment can be controlled by **fuelling**, **seeding radiating impurities**, and **varying the input power**. Sensitivity of controllers can vary from machine to machine.

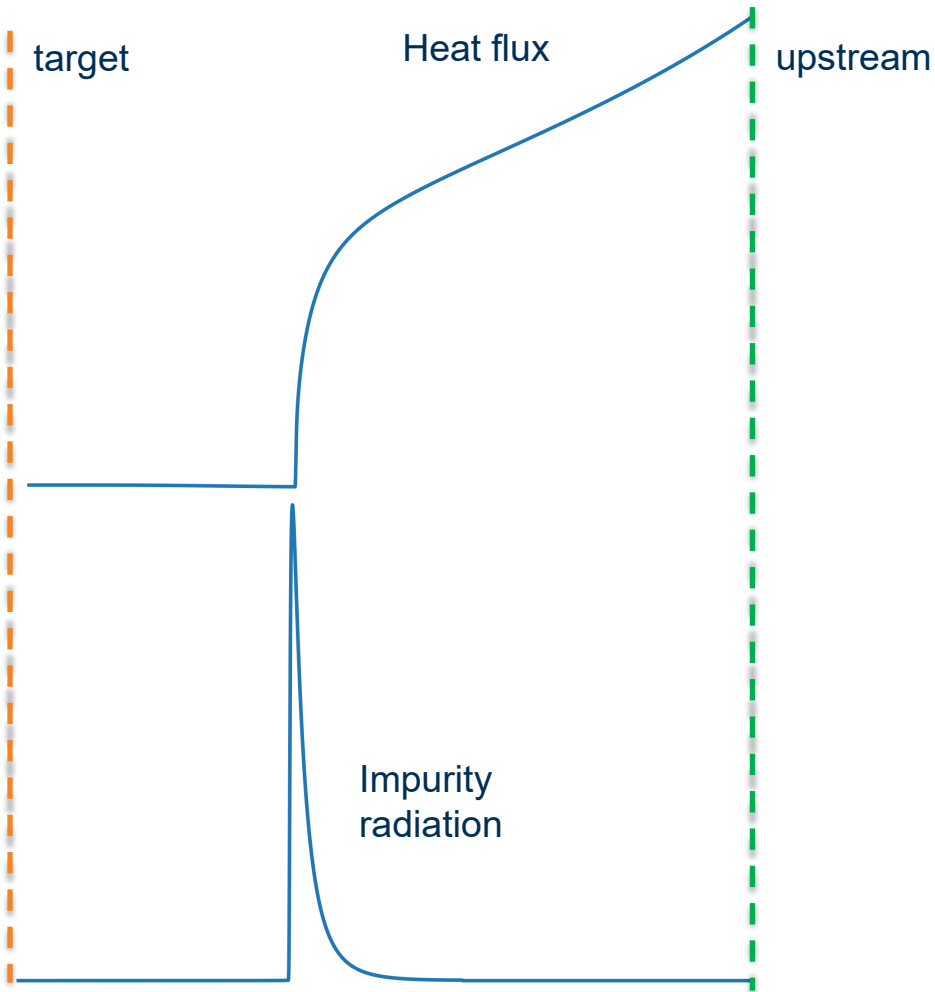
Having **good control over the position of detachment** may be vital for future machines.

# Aims of this Talk

This talk aims to answer the following questions:

- I) Can we develop simplified, meaningful models for detachment control?
- II) What do these models tell us about how we can design divertors to optimize detachment control?
- III) How well do these models agree with reality, and where are the gaps in knowledge that we need to fill over the coming years?

# I) Can we develop simplified, meaningful models for detachment control?

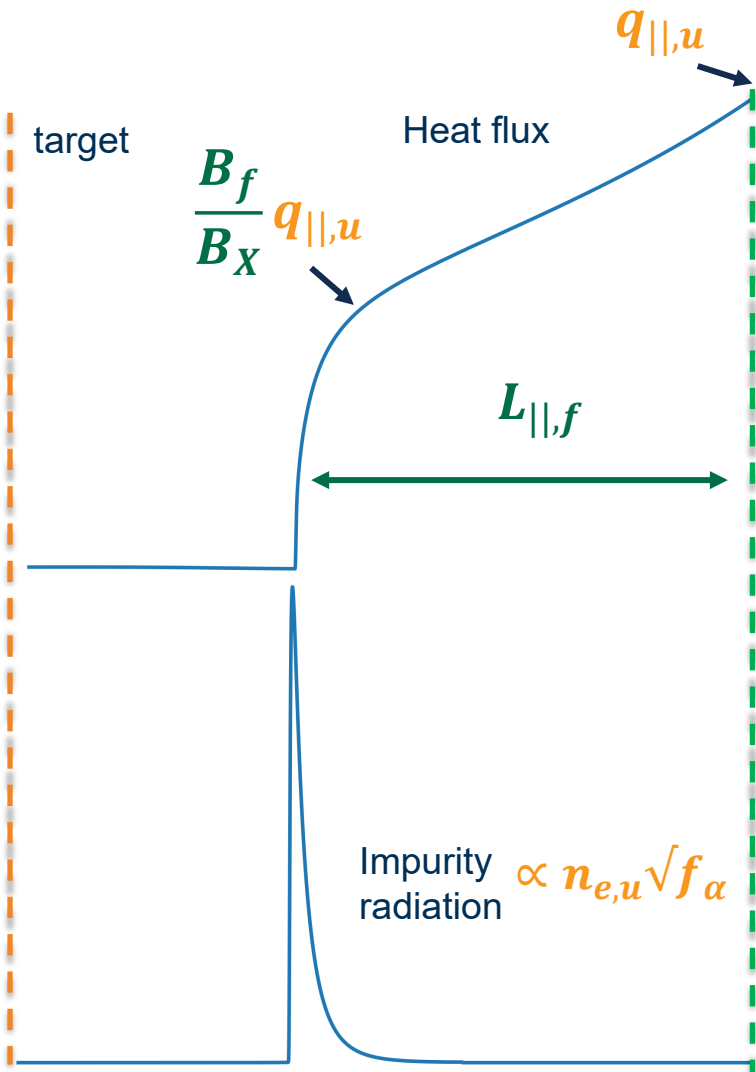


One attempt at a simplified model for detachment control is the **Detachment Location Sensitivity (DLS)** model

The DLS model [1,2] is a quasi-analytical model for **1d heat balance** in a **detached divertor plasma**.

It assumes all conducted heat flux is **dissipated by impurities at one location**, termed the **detachment front**.

# DLS Model Derivation



By relating the heat dissipated at the front to conditions upstream, we can formulate an expression for the **control parameters required** for a detachment front to exist in a given location denoted by subscript f:

$$\frac{n_{e,u}\sqrt{f\alpha}}{q_{||,u}^{5/7}} \equiv C_f = C_0 \frac{B_f}{B_X} L_{||,f}^{-2/7} \frac{B_X^{2/7}}{\langle B \rangle_{above f}^{2/7}}$$

Here  $C_f$  is a lumped control parameter, and depends only on **the front position and divertor configuration**.

# Detachment Location Sensitivity

The DLS equation for control parameter can be differentiated to determine the **detachment location sensitivity**.

Shown below, sensitivity is the fractional **rate of change of front position with respect to control parameter**:

$$C_f \frac{ds_{pol,f}}{dC_f} = \left[ \frac{1}{B_f} \frac{dB_f}{ds_f} + \frac{2}{7} \frac{1}{L_{||,f}} \frac{B_f}{B_{pol,f}} - \frac{2}{7} \frac{1}{\langle B \rangle_{||,f}} \frac{d\langle B \rangle_{||,f}}{ds_f} \right]^{-1}$$

The sensitivity tells us **how quickly a front will move given some perturbation in our controllers**. Low sensitivity means better control.



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# Features Influencing Detachment

## Detachment Sensitivity:

rate of change of front position with control parameter.

Low sensitivity = slow front movement.

2. Total magnetic field gradients slow front movement

$$C_f \frac{ds_{pol,f}}{dC_f} = \left[ \frac{1}{B_f} \frac{dB_f}{ds_f} + \frac{2}{7} \frac{1}{L_{||,f}} \frac{B_f}{B_{pol,f}} - \frac{2}{7} \frac{1}{\langle B \rangle_{||,f}} \frac{d\langle B \rangle_{||,f}}{ds_f} \right]^{-1}$$

1. As control parameter increases and the front moves, we see absolute sensitivity naturally decrease.

3. Low poloidal field should slow poloidal front movement.

# SOLPS-ITER Comparison

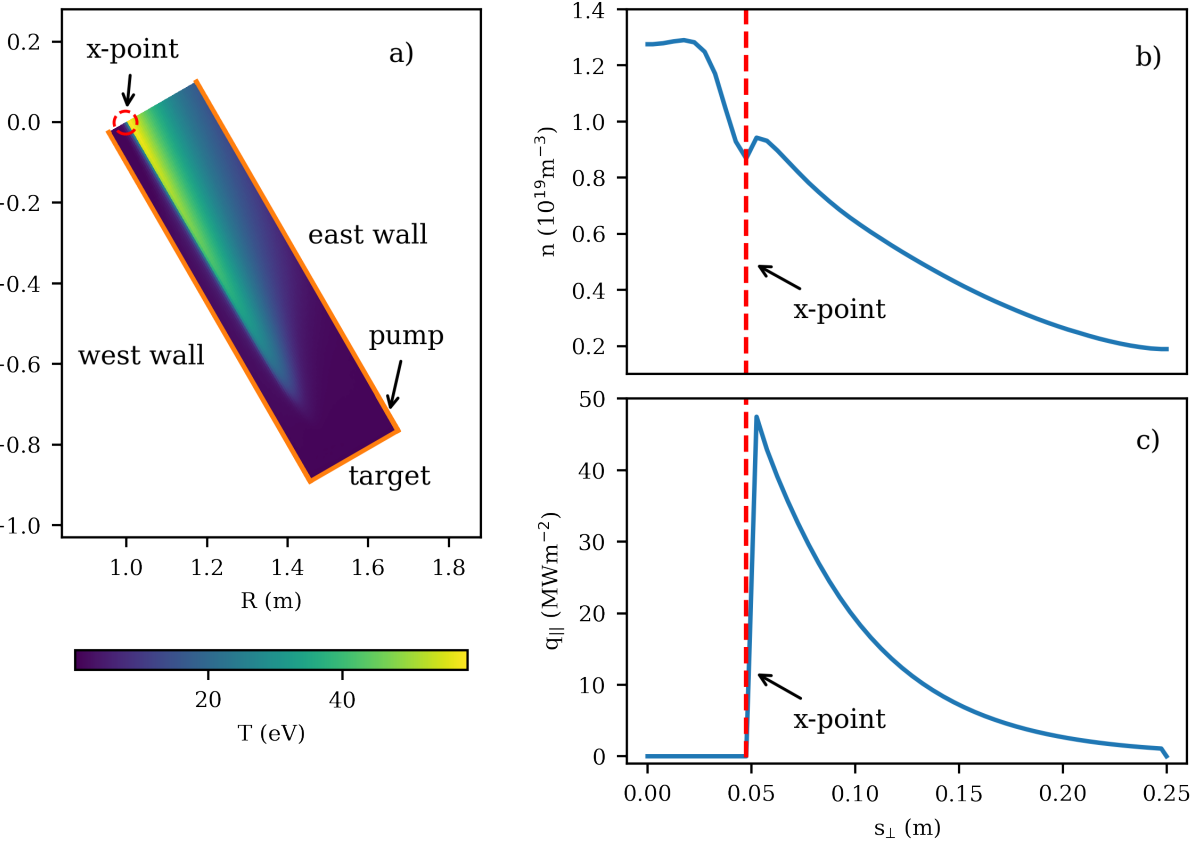


Figure 4. Left : An annotated simulation of an isolated divertor leg at  $30^{\circ}$  to the vertical. Right: upstream electron density and heat flux profiles for the simulation on the left.

To study the effects of geometry on detachment, we have developed **isolated-leg SOLPS-ITER simulations** in idealised geometry.

The **DLS model** has been applied to **these simple geometries**, and compared with SOLPS-ITER simulations.

We compare front movement with regards to a change in  $C_f$  relative to the detachment threshold,  $C_t$ .

# 1. Natural Decrease in Sensitivity

## Detachment Sensitivity:

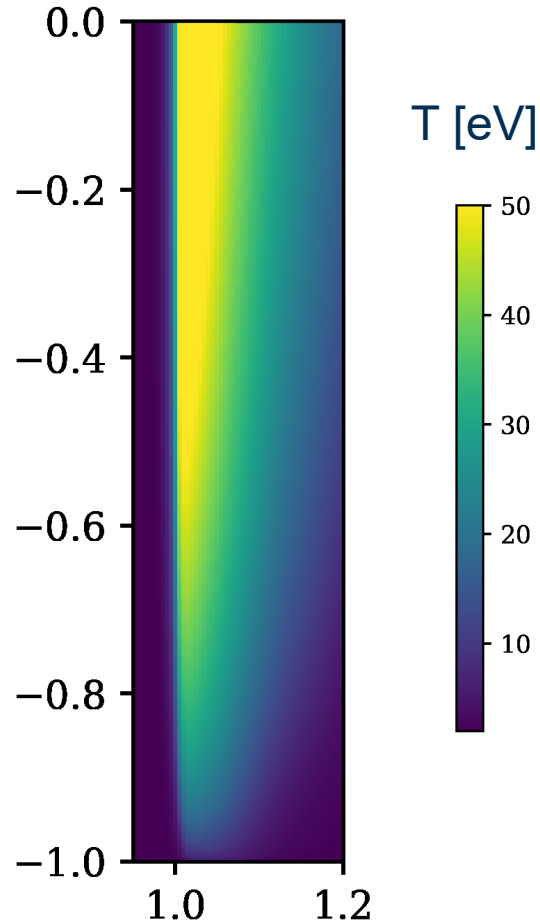
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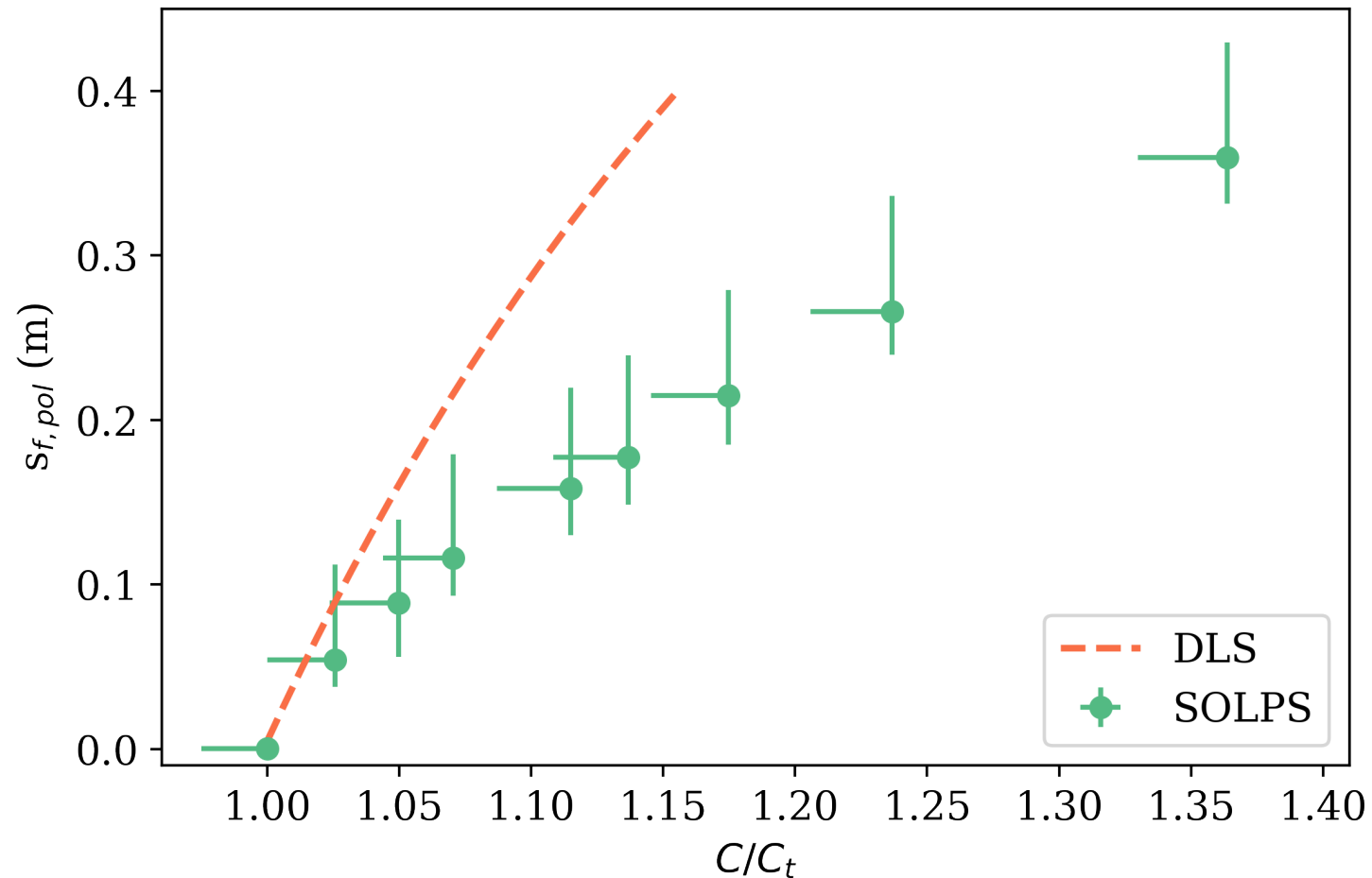
# 1. Natural Decrease in Sensitivity



To investigate how sensitivity varies naturally, we performed a SOLPS-ITER impurity scan on an isolated vertical leg.



# 1. Natural Decrease in Sensitivity



Although the model and SOLPS do not agree perfectly, they both show a **decrease in sensitivity** as the front moves off the target.

Both SOLPS and DLS show a factor **1.5 reduction in sensitivity** as the front moves closer to the x-point.

Figure 5. A plot of front position as a function of control parameter for SOLPS-ITER simulations of a vertical divertor leg.

# 2. Role of Magnetic Field Gradients

## Detachment Sensitivity:

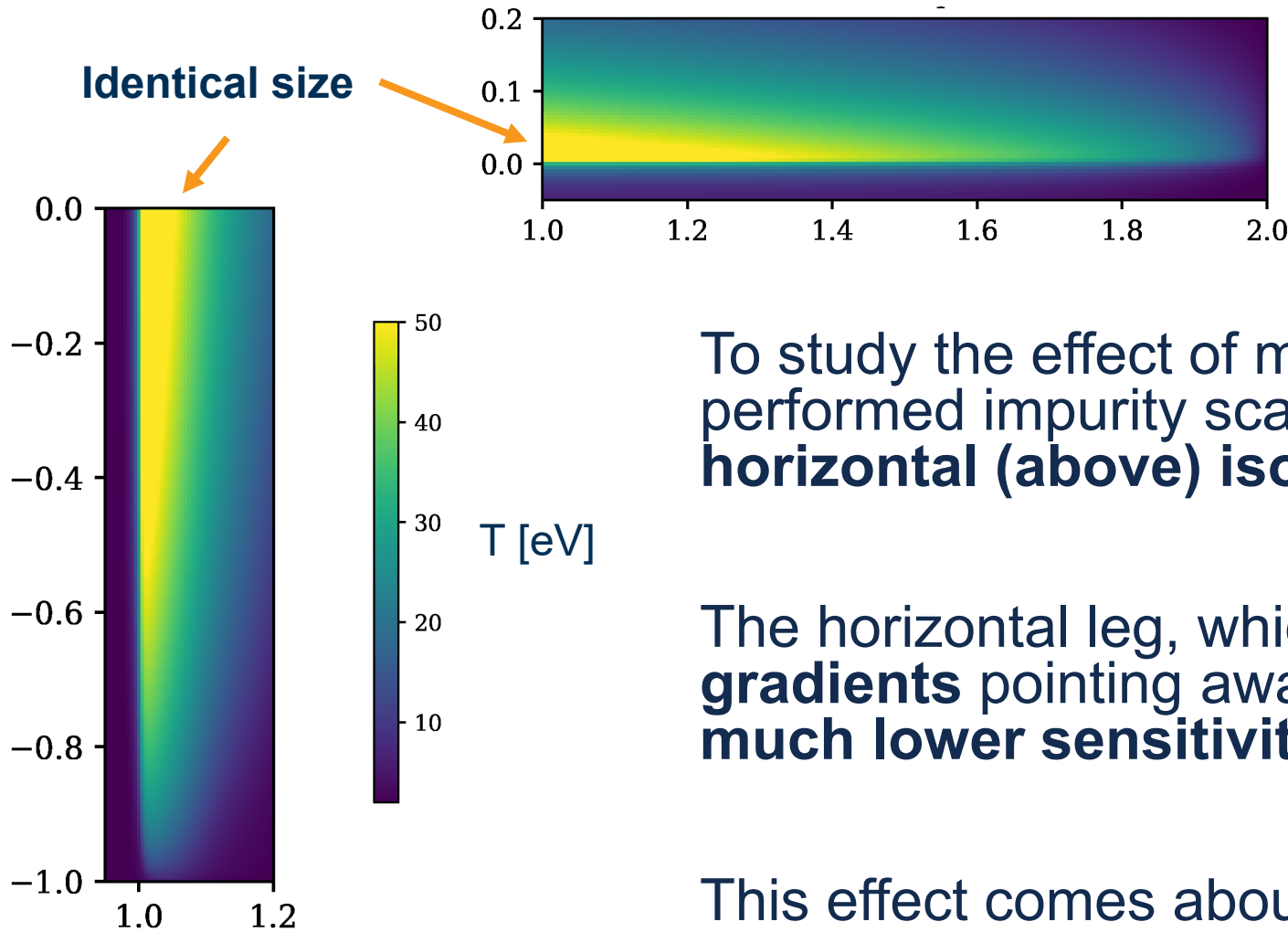
rate of change of front position with control parameter.

Low sensitivity = slow front movement.

2. Total magnetic field gradients slow front movement

$$C_f \frac{ds_{pol,f}}{dC_f} = \left[ \frac{1}{B_f} \frac{dB_f}{ds_f} + \frac{2}{7} \frac{1}{L_{||,f}} \frac{B_f}{B_{pol,f}} - \frac{2}{7} \frac{1}{\langle B \rangle_{||,f}} \frac{d\langle B \rangle_{||,f}}{ds_f} \right]^{-1}$$

# 2. Role of Magnetic Field Gradients

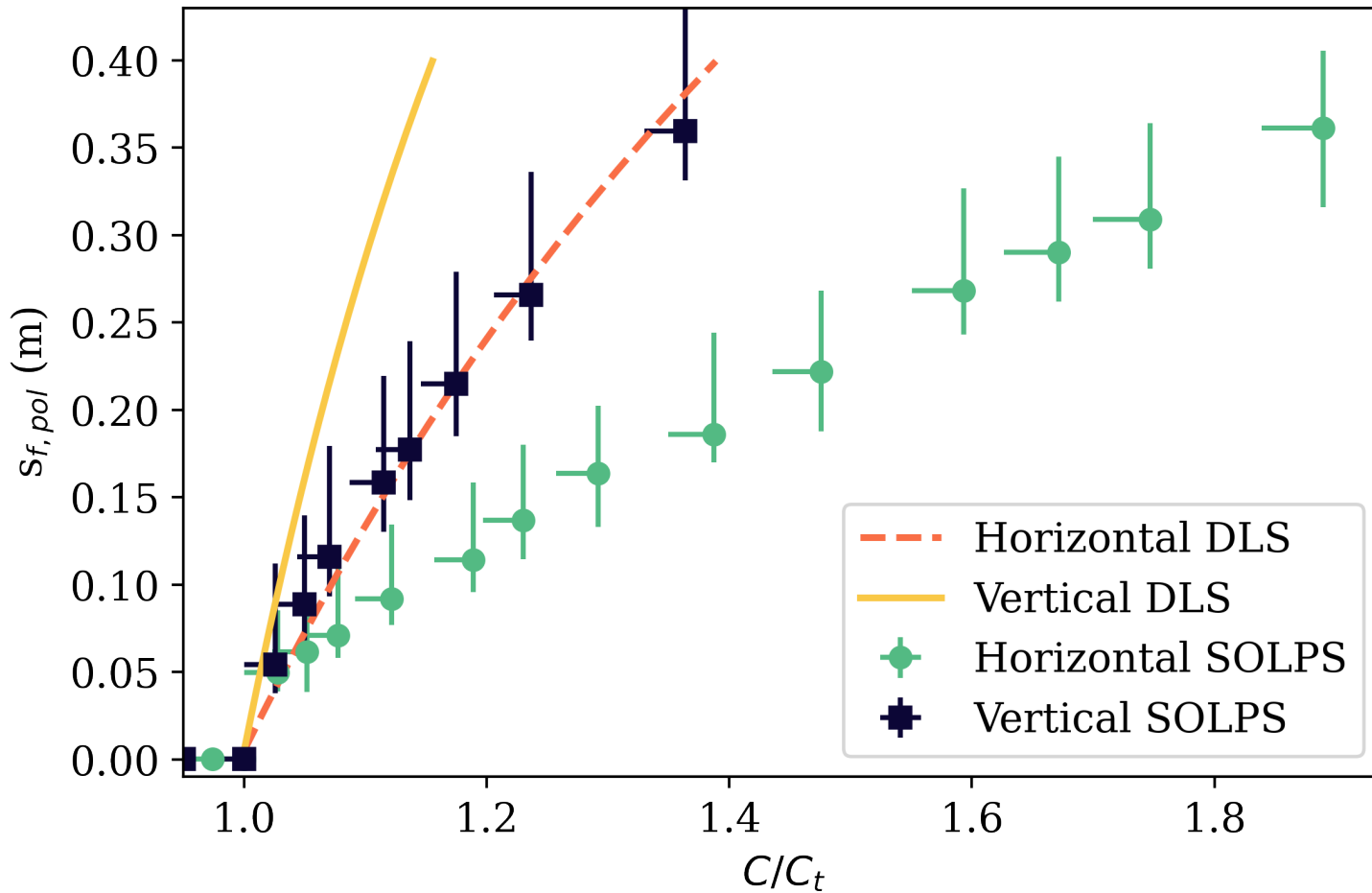


To study the effect of magnetic field gradients, we performed impurity scans of a **vertical (left) and horizontal (above) isolated divertor leg**.

The horizontal leg, which has **strong magnetic field gradients** pointing away from the target, **should have much lower sensitivity** and better control.

This effect comes about because a gradient in B causes a gradient in the heat flux density that must be dissipated.

# 2. Role of Magnetic Field Gradients



We indeed see that the front movement in the horizontal divertor leg is **much slower than the vertical leg**.

The sensitivity is roughly **2.5 times better** in the first 0.2m off the target in the horizontal leg.

Figure 6. A plot of front position as a function of control parameter for SOLPS-ITER simulations of a vertical and horizontal divertor leg.

# 3. Role of Magnetic Pitch

## Detachment Sensitivity:

rate of change of front position with control parameter.

Low sensitivity = slow front movement.

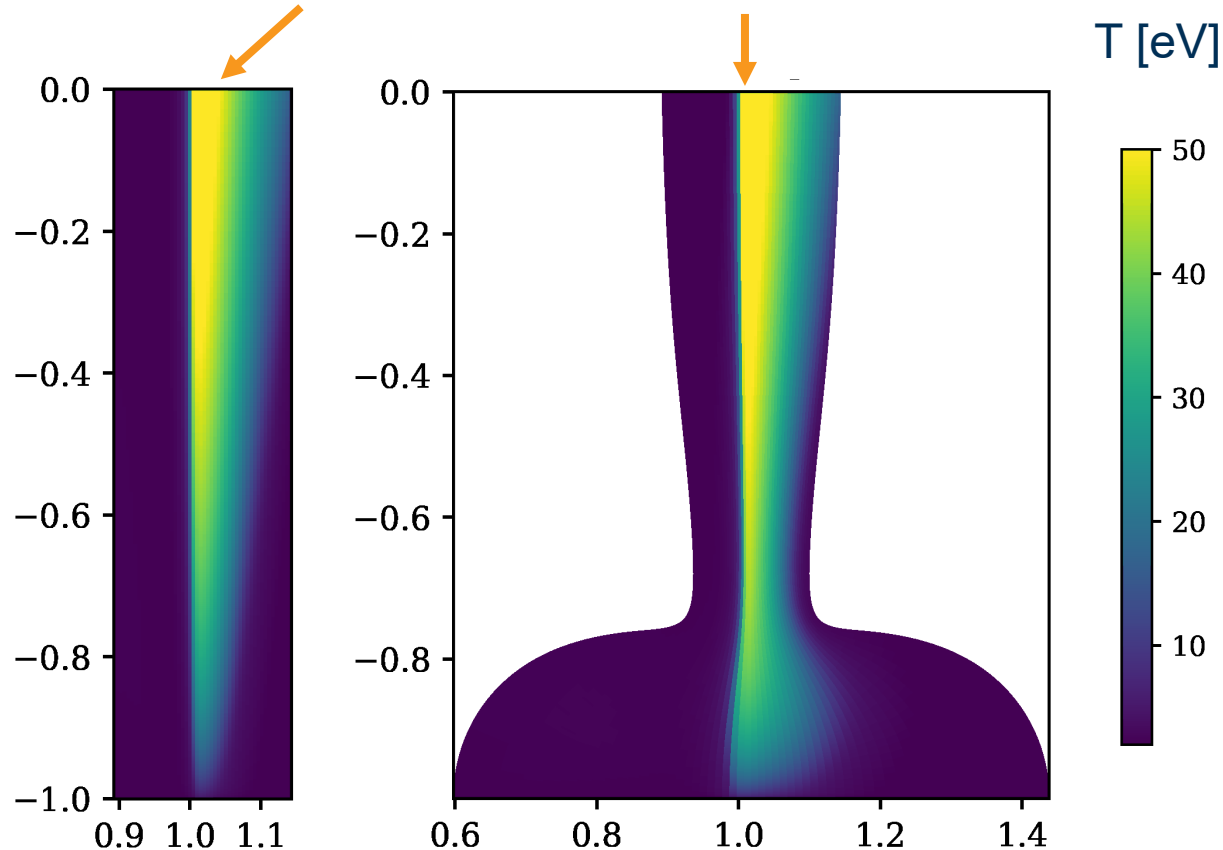
$$C_f \frac{ds_{pol,f}}{dC_f} = \left[ \frac{1}{B_f} \frac{dB_f}{ds_f} + \frac{2}{7} \frac{1}{L_{||,f}} \frac{B_f}{B_{pol,f}} - \frac{2}{7} \frac{1}{\langle B \rangle_{||,f}} \frac{d\langle B \rangle_{||,f}}{ds_f} \right]^{-1}$$

3. Low poloidal field should slow poloidal front movement.



# 3. Role of Magnetic Pitch

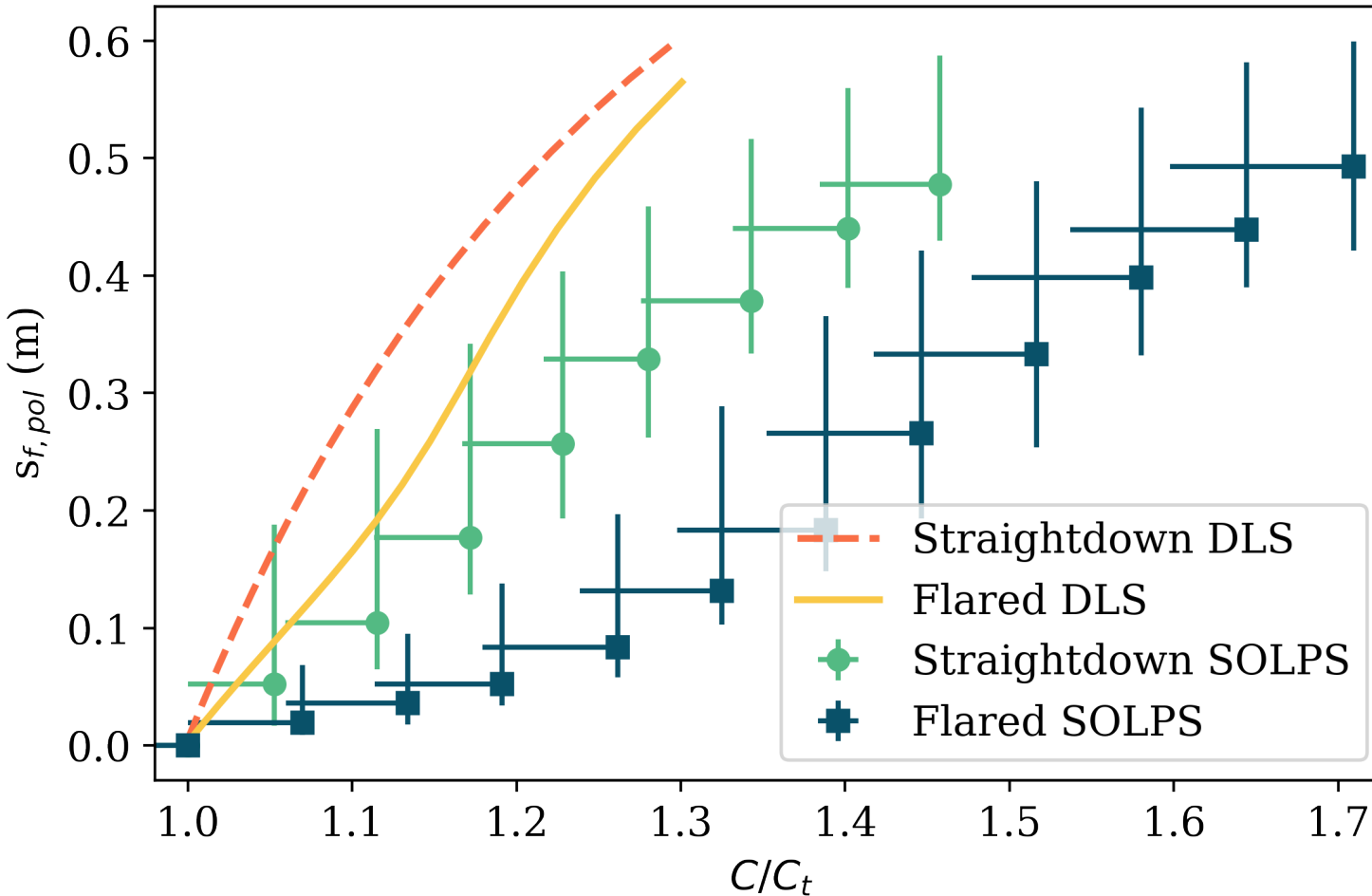
Same connection lengths and total flux expansion



To investigate the effect of magnetic pitch, we performed impurity scans in a **straight** and **poloidally flared leg**.

The two have **identical connection lengths** for the SOL ring of interest, but the flared grid has **much lower poloidal field near the target**.

# 3. Role of Magnetic Pitch

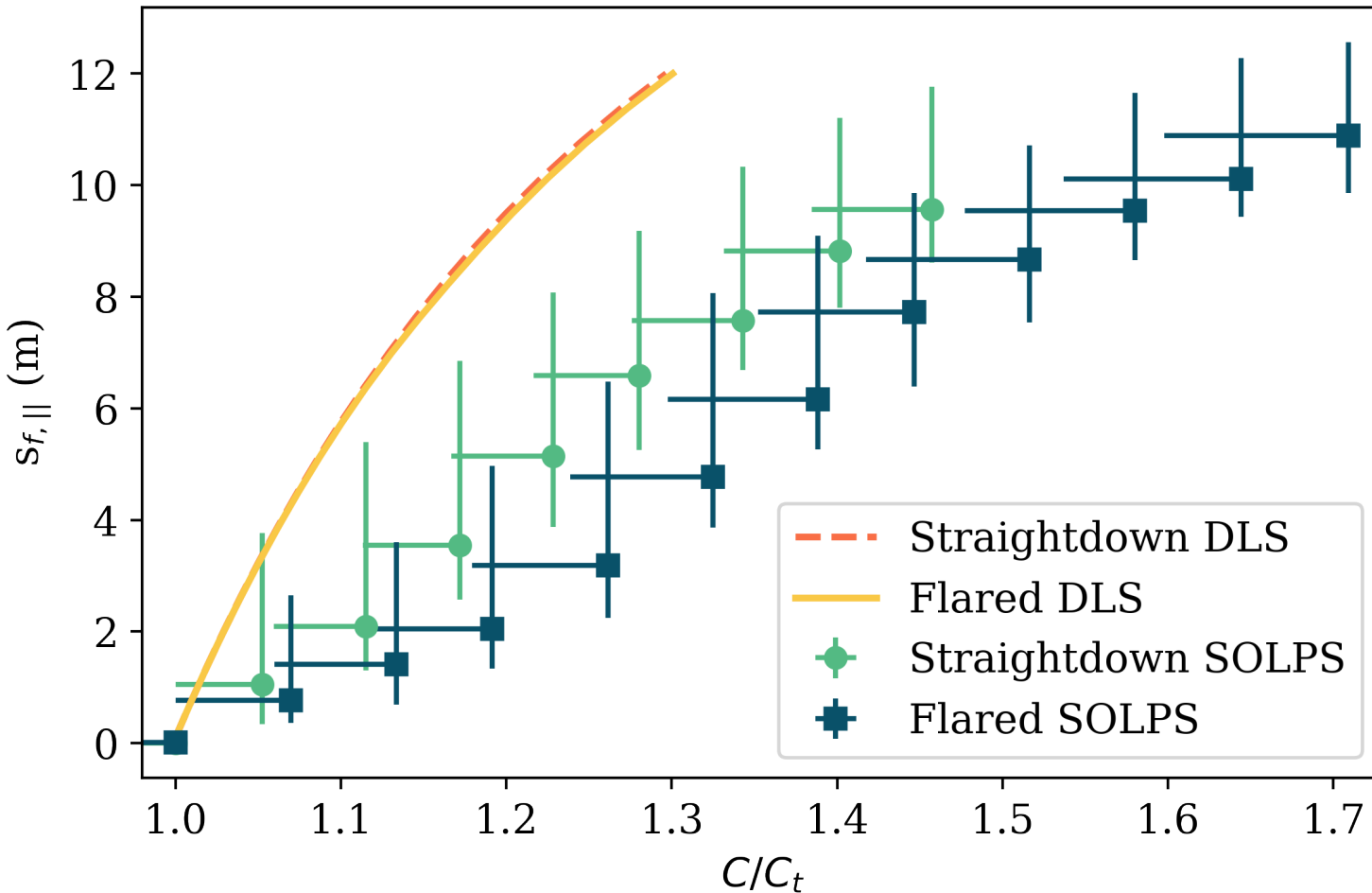


We see that the front movement in the flared divertor leg is **much slower** in the flared region than the straight leg.

The sensitivity is roughly **2 times better** in the first 0.2m off the target in the flared leg.

Figure 7. A plot of poloidal front position as a function of control parameter for SOLPS-ITER simulations of a straight and flared divertor leg.

# 3. Role of Magnetic Pitch



It is important to note that the sensitivity **does not change significantly** in the parallel direction,  $S_{f,||}$ .

Figure 8. A plot of parallel front position as a function of control parameter for SOLPS-ITER simulations of a straight and flared divertor leg.

# Aims of this Talk

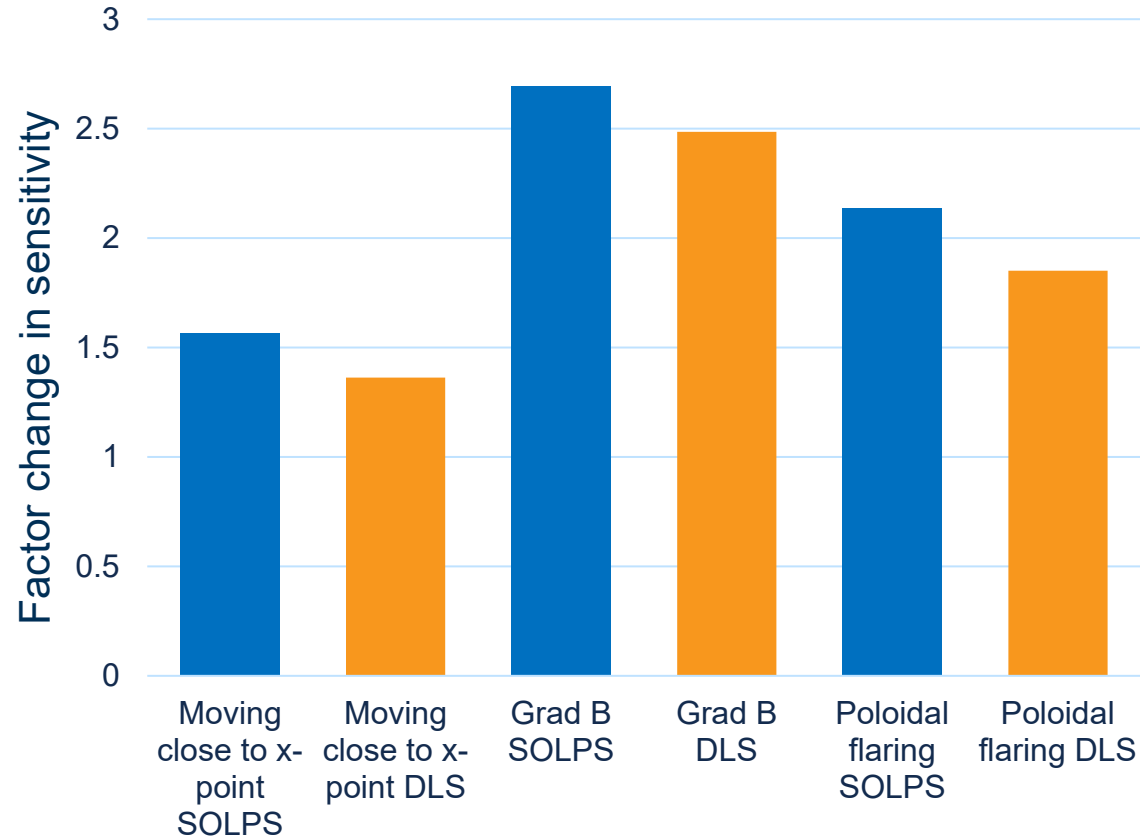
This talk aims to answer the following questions:

**I) Can we develop simplified, meaningful models for detachment control?**

**II) What do these models tell us about how we can design divertors to optimize detachment control?**

III) How well do these models agree with reality, and where are the gaps in knowledge that we need to fill over the coming years?

# Accuracy of Model Predictions



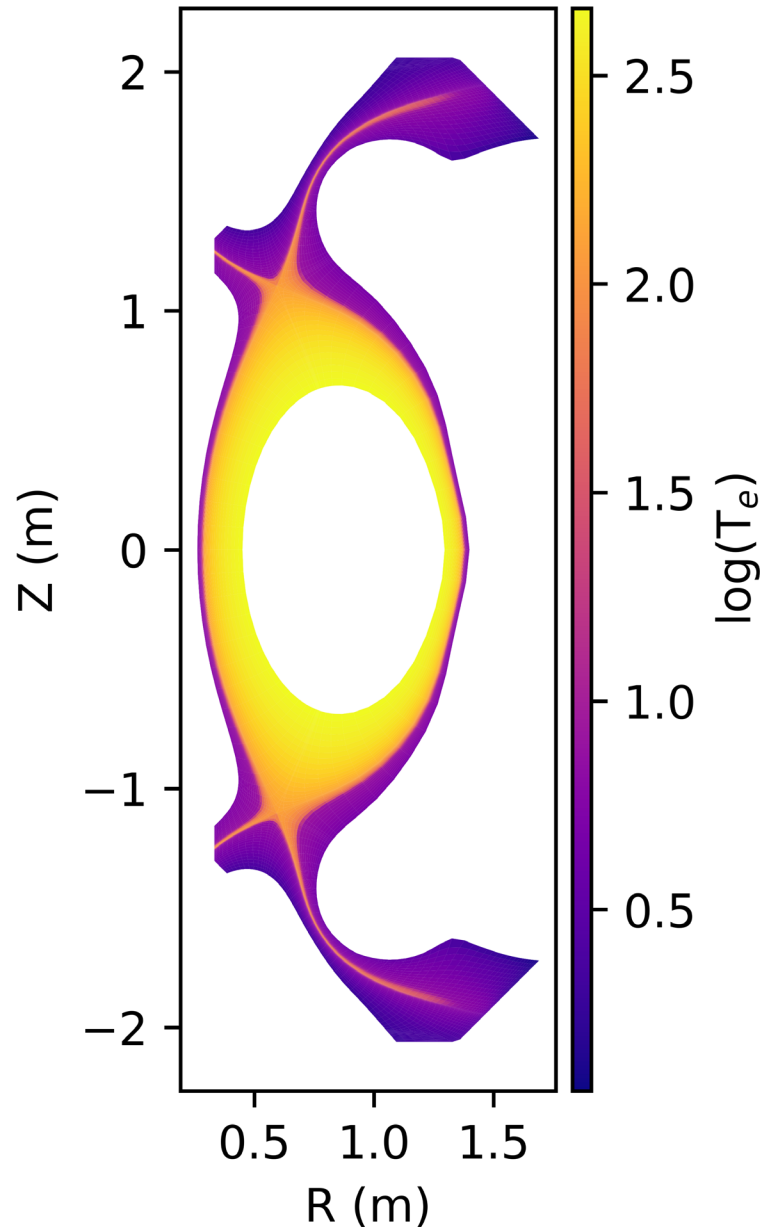
Overall the **effects of certain geometric features on detachment location sensitivity are well-predicted by the DLS model.**

*Figure 9. The factor difference in sensitivity in a region of interest when a given divertor geometric feature is varied.*



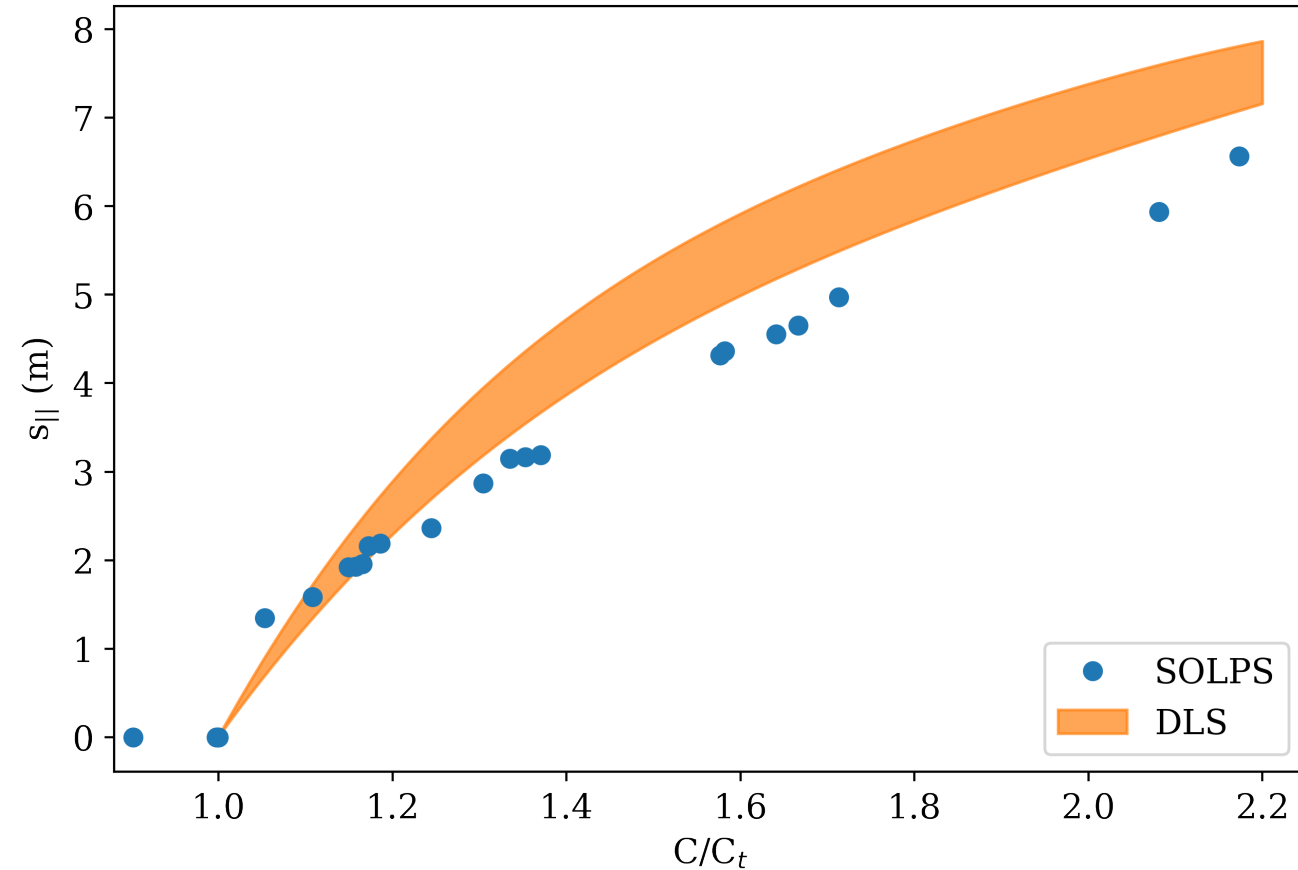
# Model Agreement at High Power

Figure 10. The electron temperature profile for a full-geometry MAST-U argon-seeded simulation.



To test the performance of the model in reactor-relevant conditions, we have performed **high power (200-500MWm<sup>-2</sup> upstream) fixed fraction argon simulations** of the real MAST-U Super-X geometry.

# Model Agreement at High Power



Overall we see **better agreement** between an extended DLS model and SOLPS-ITER in this reactor-relevant regime.

This is still a relatively simple fixed fraction SOLPS-ITER case with **no drifts, currents, puffing or impurity transport.**

Figure 11. A plot of parallel front position as a function of control parameter for SOLPS-ITER simulations of a MAST-U double null Super-X divertor.

# Open Questions

- Is there any simple way **to include surfaces and neutrals** in simple models for detachment control?

# What the Model Doesn't Tell us: Baffling

Going from an open to a tightly baffled region seems to decrease the sensitivity of a detachment front in the region of closure variation.

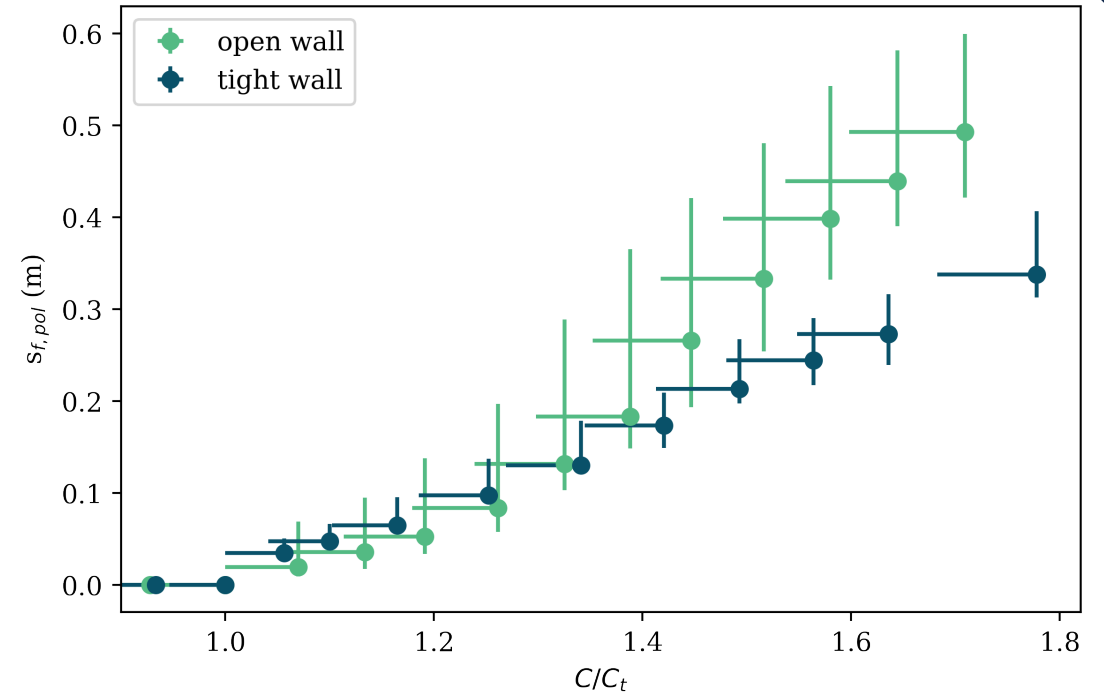
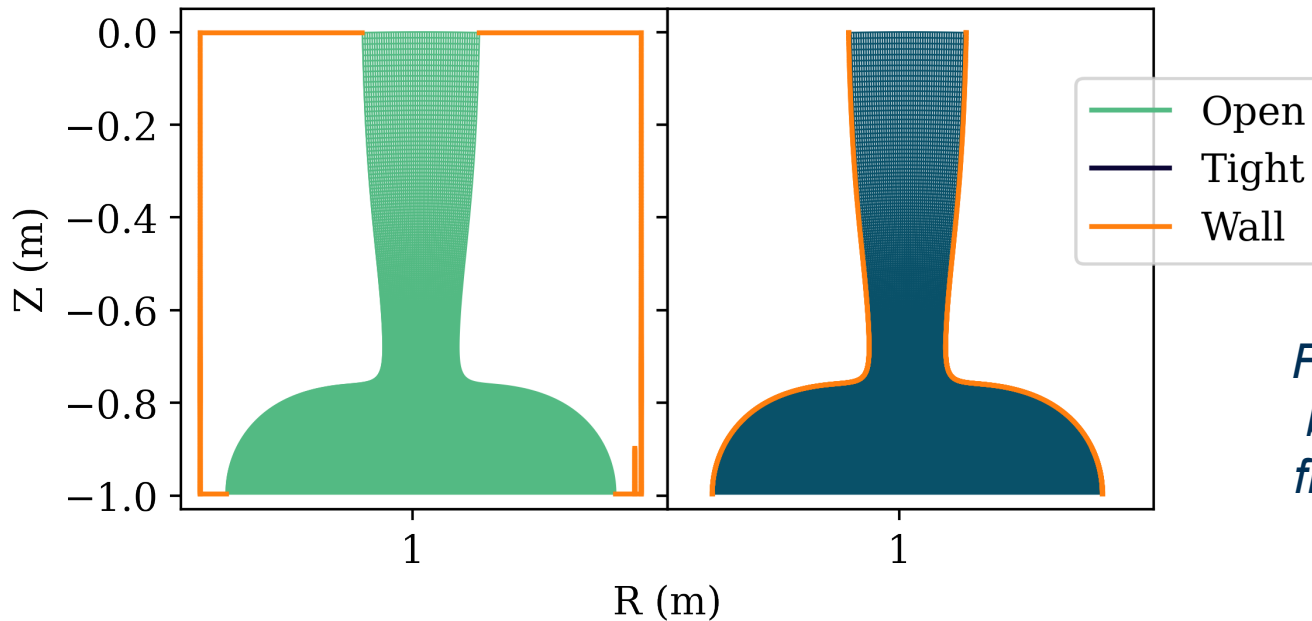


Figure 12. Left: poloidal diagrams of a open and tightly baffled flared divertor leg. Right: A plot of detachment front position as a function of control parameter for the open and tightly baffled legs.

# Open Questions

- Is there any simple way **to include surfaces and neutrals** in simple models for detachment control?
- Do **more complex simulations and experiment agree** with the conclusions predicted here? (ongoing work on experimental comparison in MAST-U)
- How do we **relate front position with target conditions?** (This involves study into complex atomic and molecular physics)
- How do we relate the **control parameters** in these simple models with **real controls** (ie, how does impurity fraction vary with impurity injection rate)?

# Other Considerations

Of course, a **detached divertor is not the only valid solution** to core-edge performance. Alternative solutions could include:

- Liquid lithium divertor with vapor shielding.
- X-point radiator.

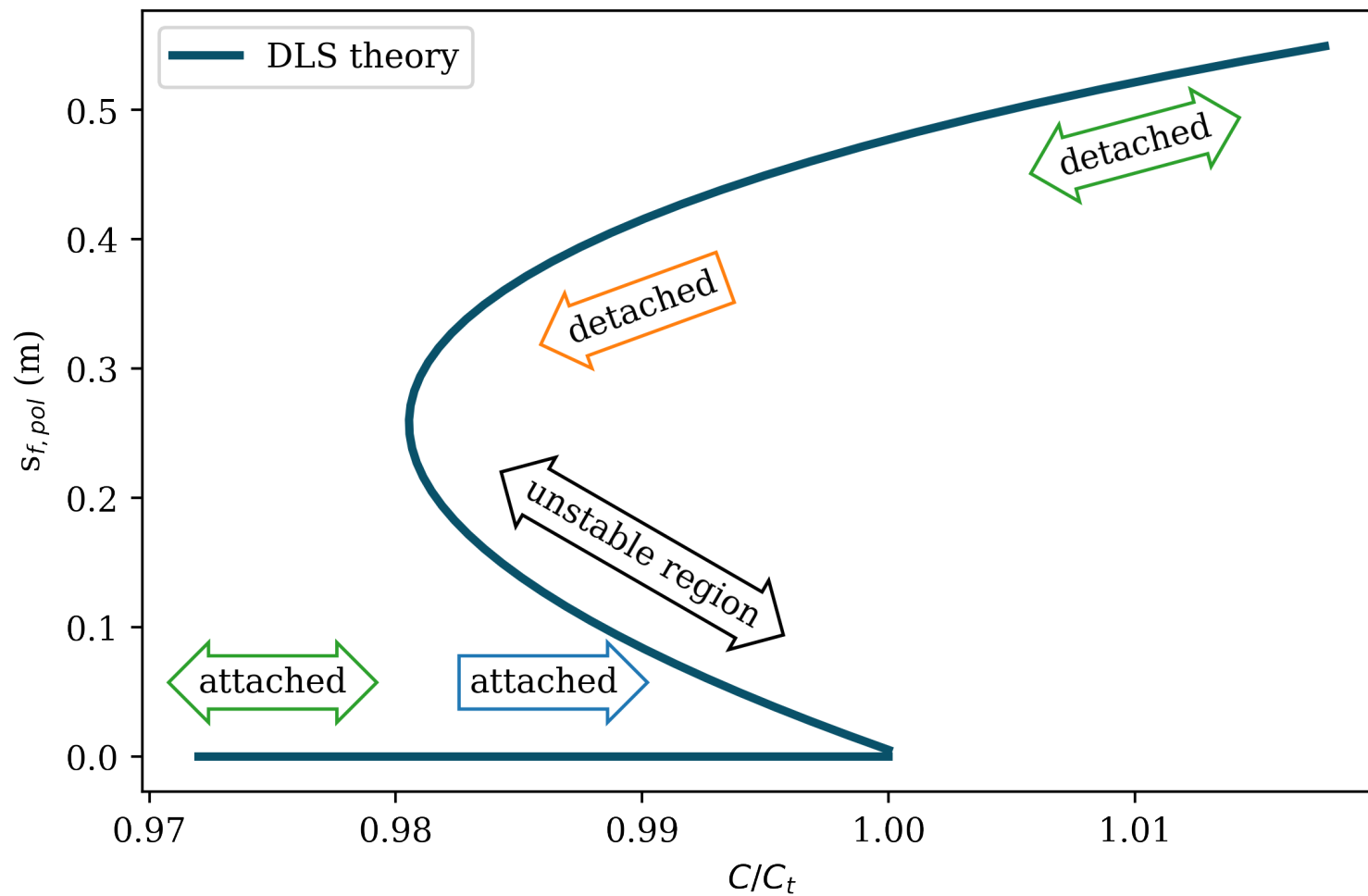
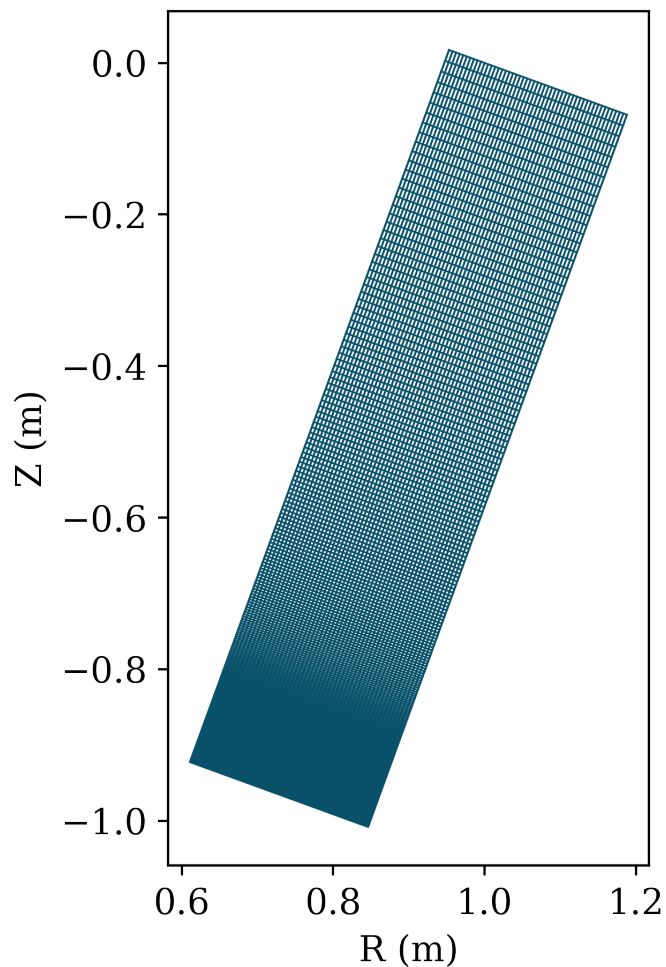
However, **good control of these plasma states** would also be required.

# Summary

- The DLS model is a useful tool to predict the **relative effects of divertor characteristic on the controllability of detachment fronts**.
- The DLS model correctly predicts the affect of **magnetic field gradients, poloidal field variation, and nearness of a front to the x-point** on detachment control.
- Agreement between the DLS model and full-geometry SOLPS simulations **appears better in reactor-relevant conditions**.
- Divertor **features such as closure do affect detachment control**, but are not yet implemented in simple models, and should be further studied over coming years.
- The DLS model also does not model physics such as **impurity transport, and the relationship between front position and target conditions**. This should also be studied further



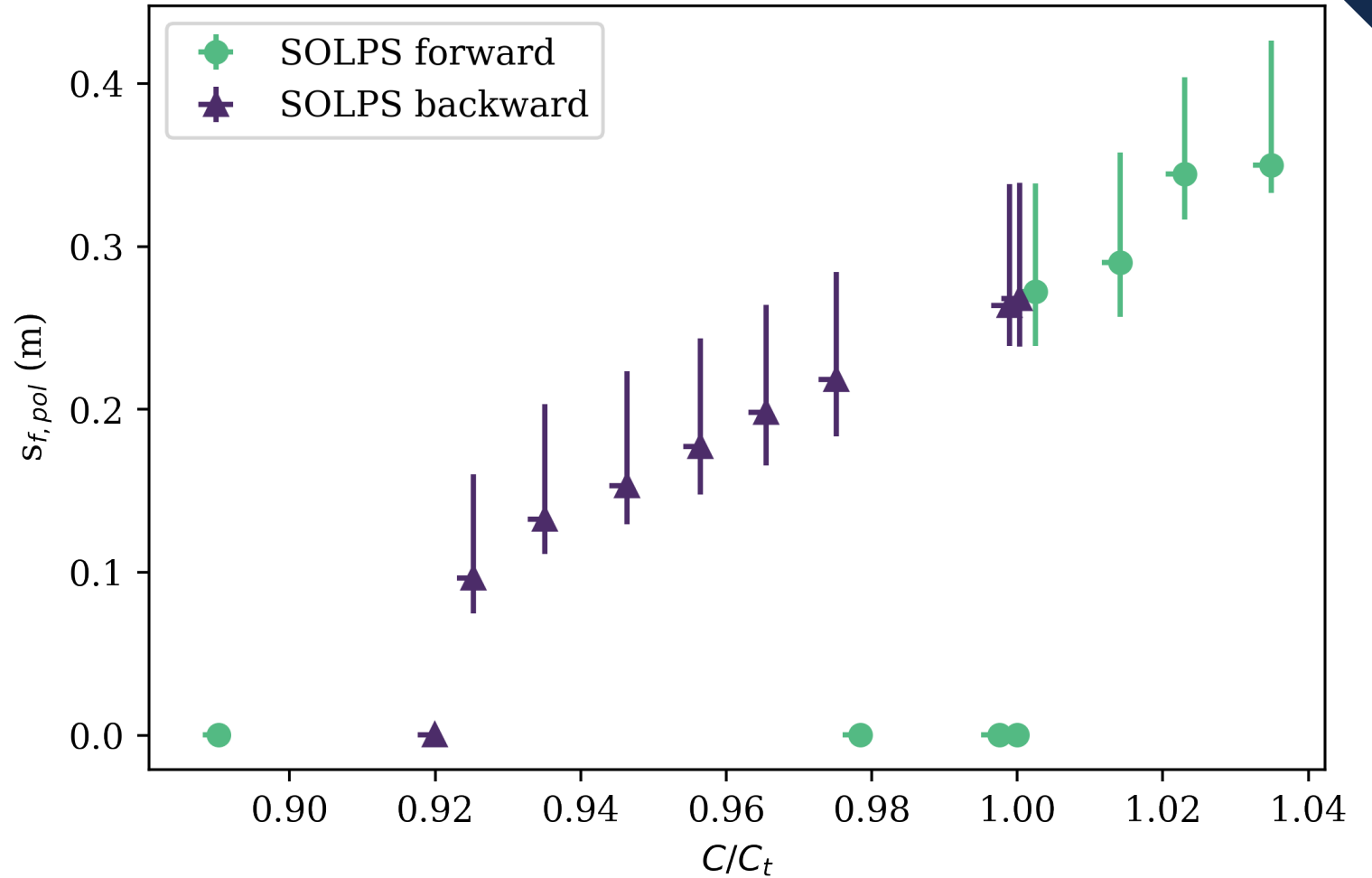
# Negative Sensitivity



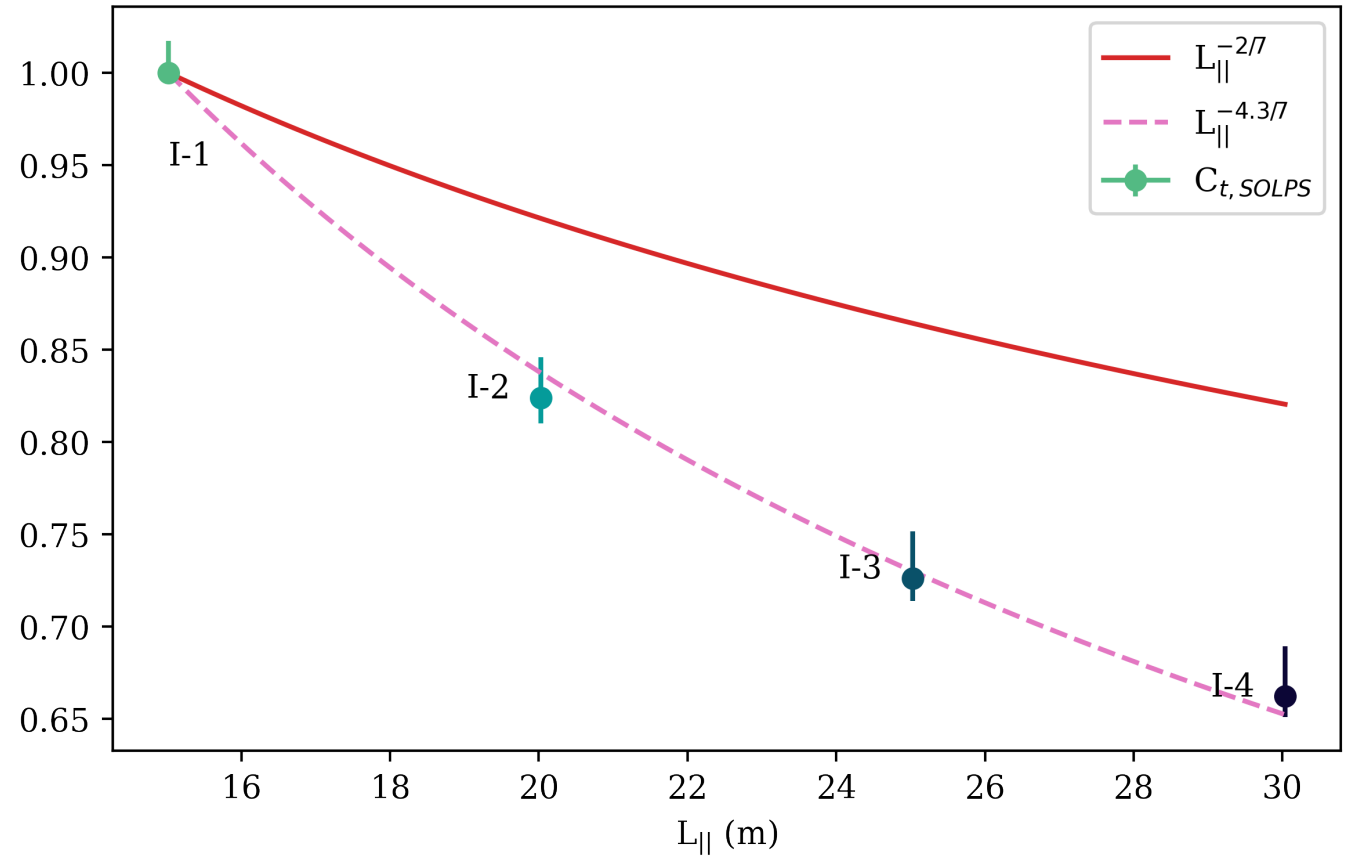
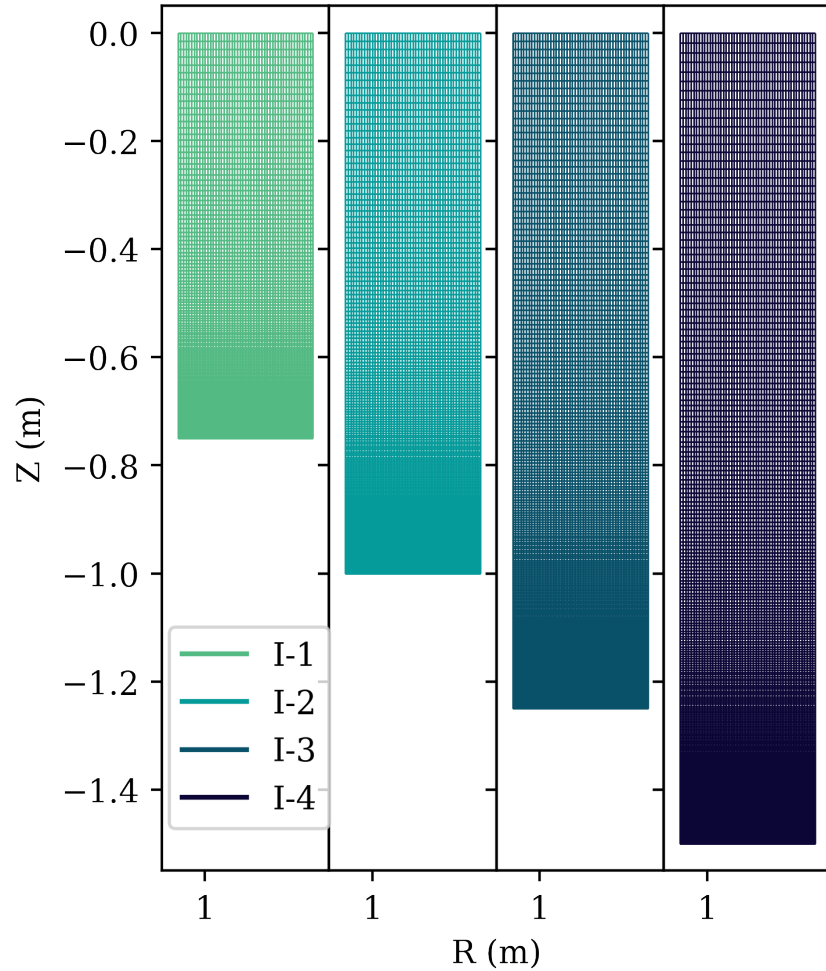
# Negative Sensitivity

Negative sensitivity corresponds to regions where no stable detachment front exists.

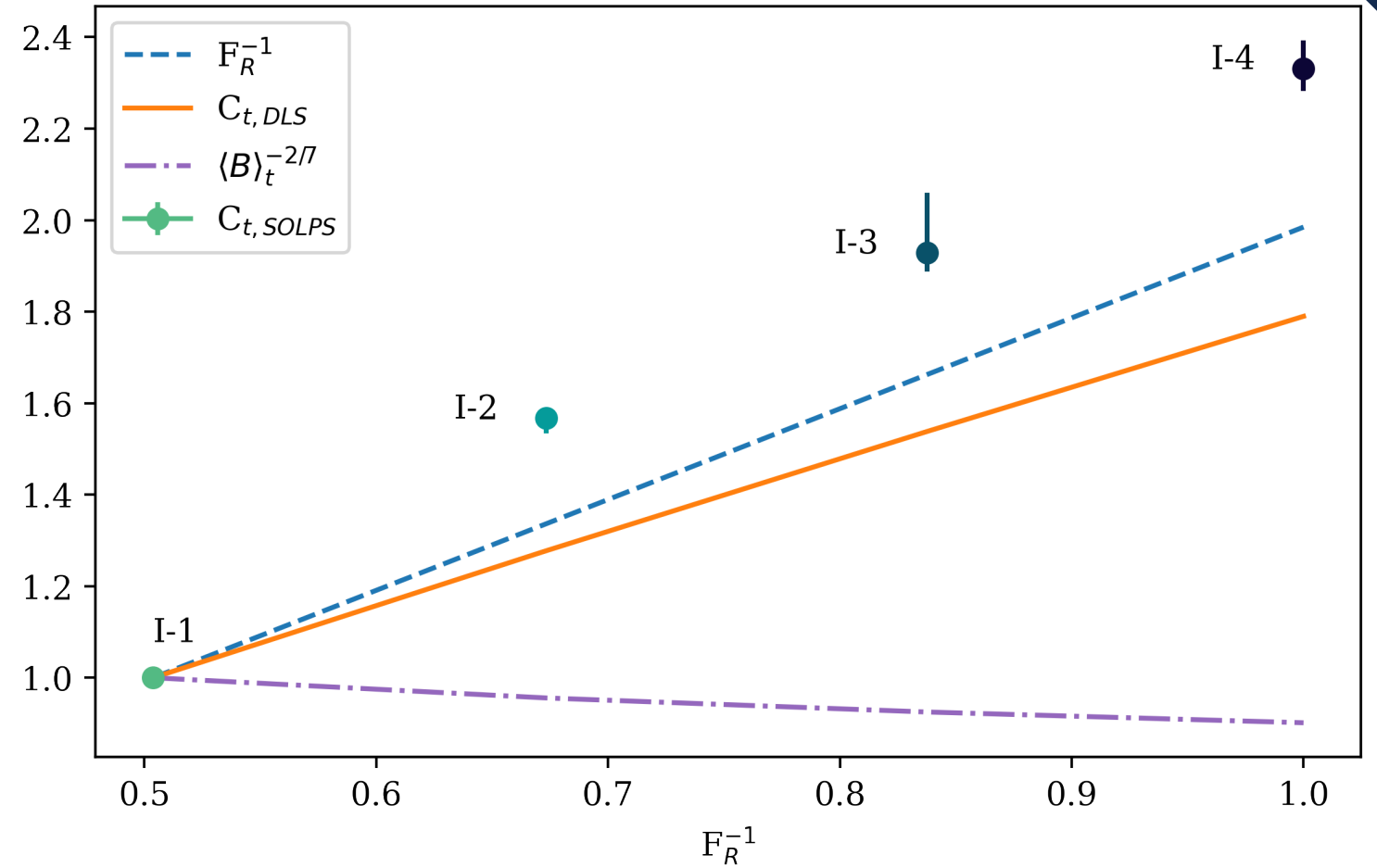
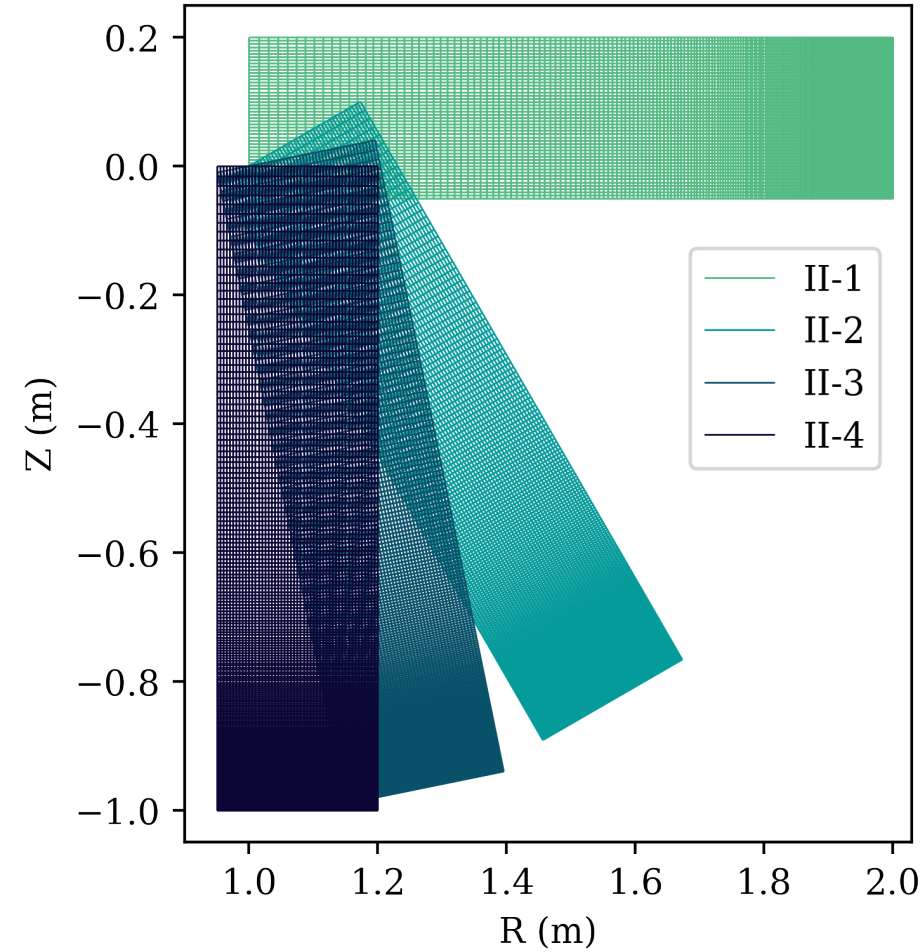
It creates bifurcated detached and attached solutions.



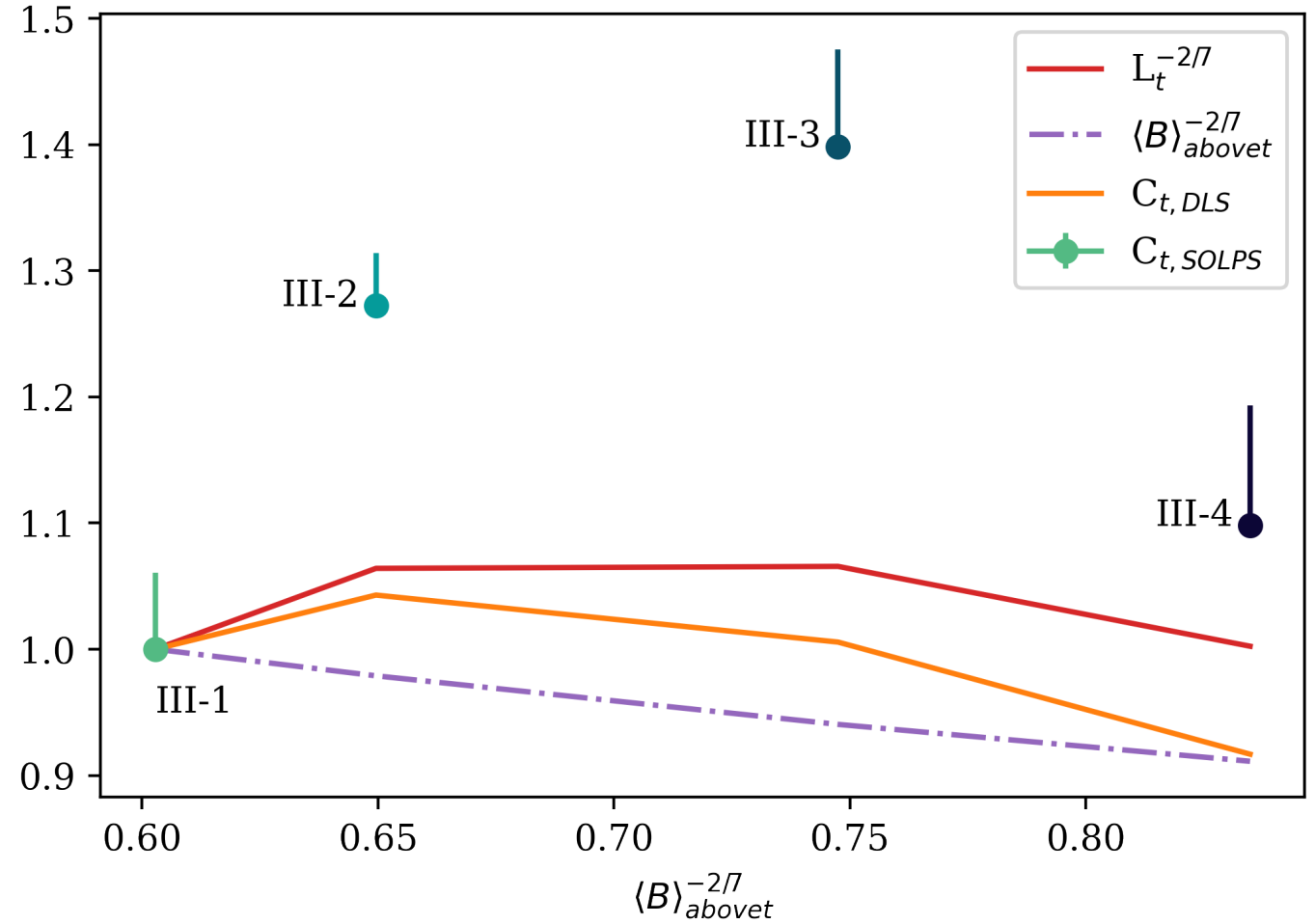
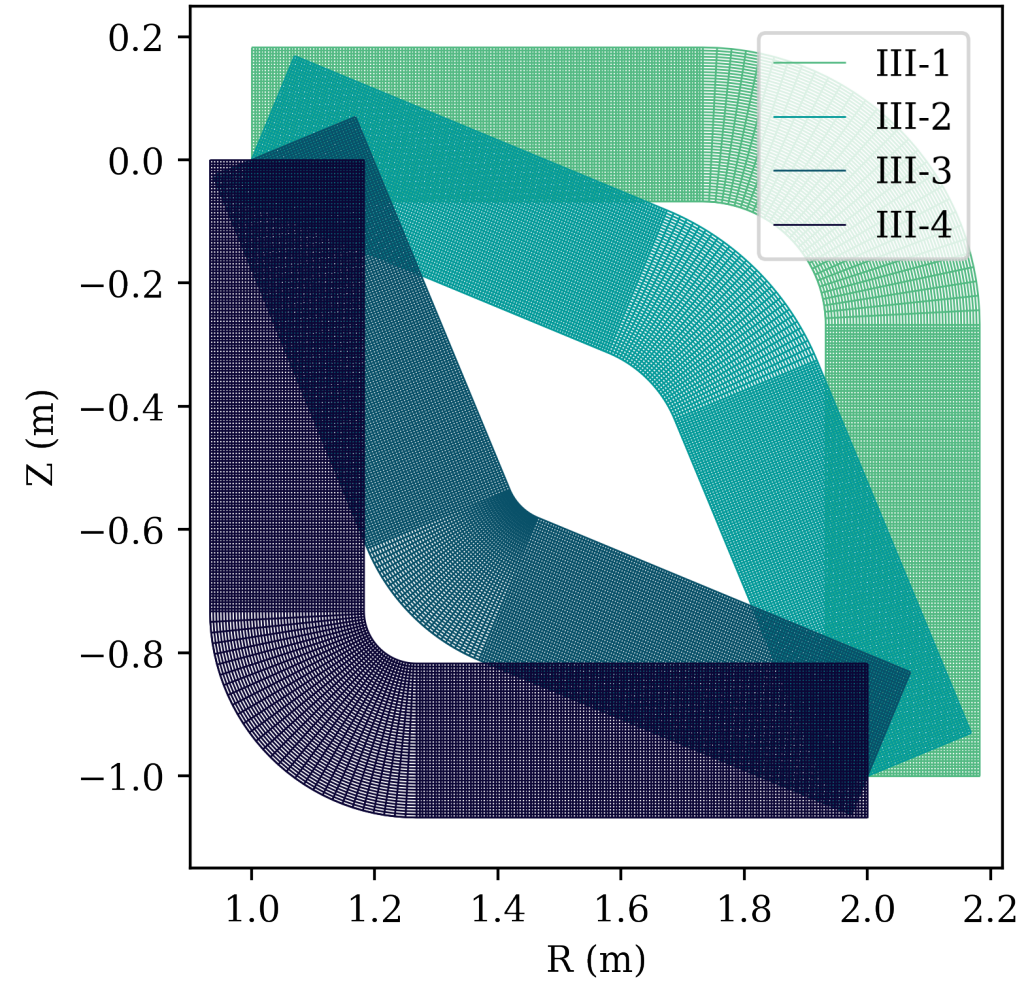
# Detachment Onset - 1



# Detachment Onset - 2



# Detachment Onset - 3





# Tracking Front Movement

In simulations we perform control parameter scans (impurities), and track detachment front movement.

The location of detachment is determined by taking the smallest physical region containing at least 50% of heat loss.

