



Asymmetric wall force and thermal quench in JET disruptions

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Asymmetric wall force in JET depends on CQ time and resistive wall time

Simulations with M3D-C1 and M3D

Compare well with JET data

Mechanism: VDE causes $q = 1$

Mitigating in ITER

Thermal quench time can depend on resistive wall time

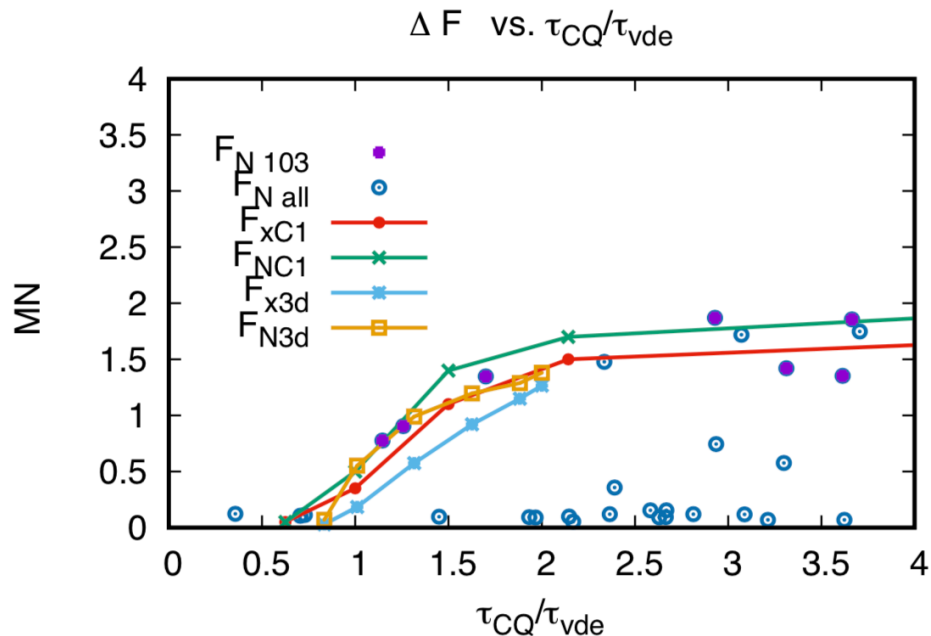
Simulations with M3D show resistive wall tearing mode (RWTM)

Might be mitigating in ITER

JET sideways force

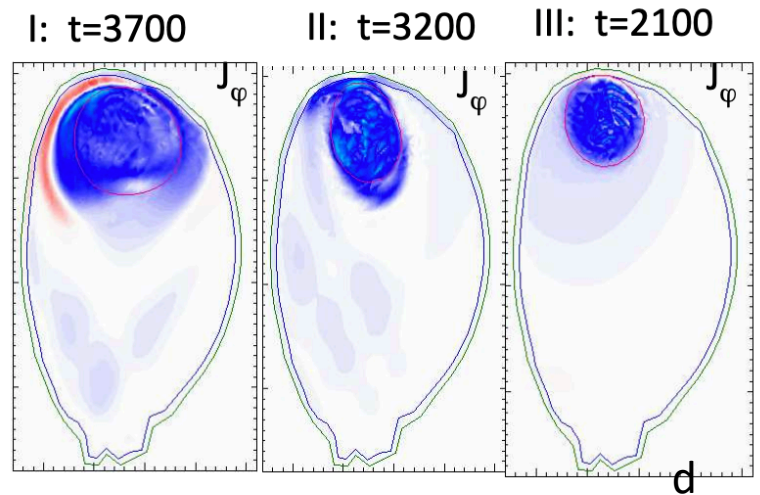
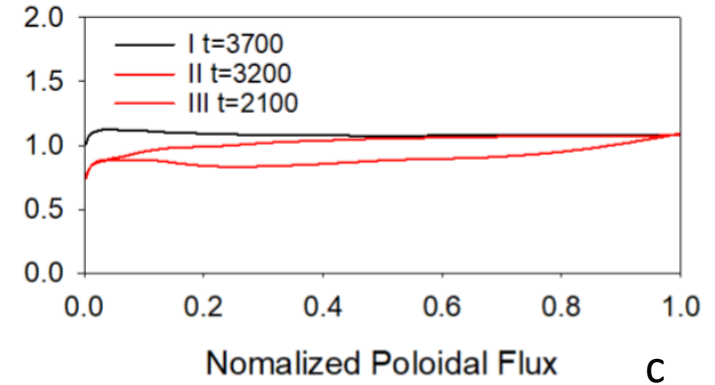
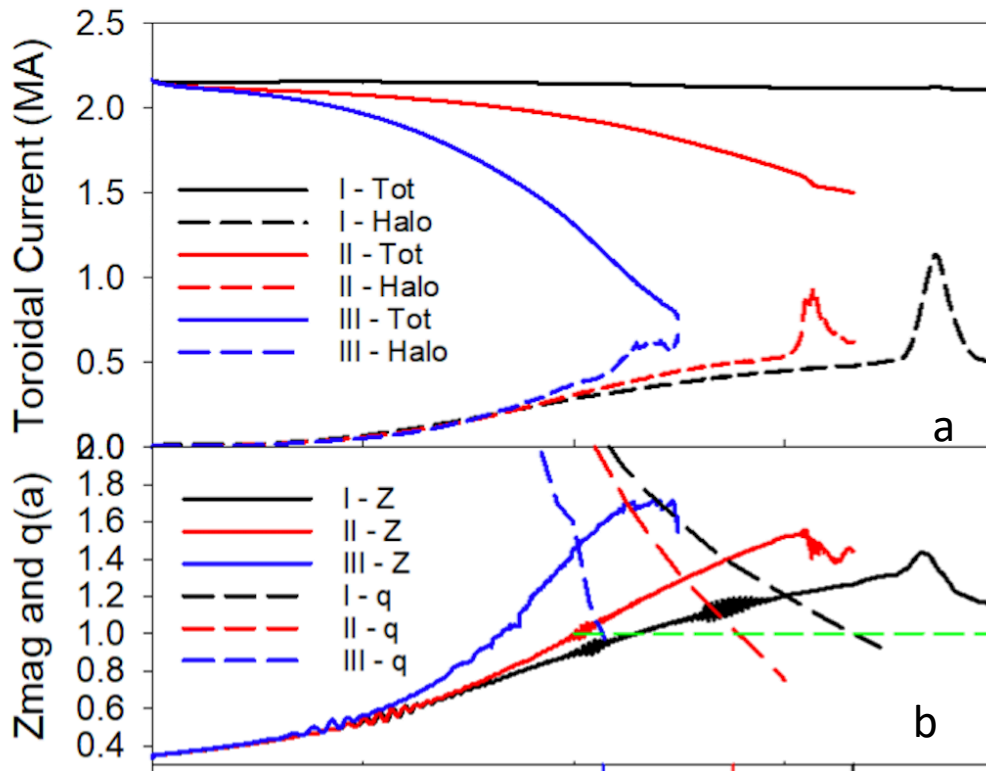


M3DC1 and M3D runs were initialized with a reconstruction of JET shot 71985. The current quench time τ_{CQ} was controlled by applied electric field, and resistive wall time τ_{wall} was held fixed. Asymmetric or sideways wall force ΔF was calculated as a function of time, and peak value of ΔF shown as a function of τ_{CQ}/τ_{wall} . JET ILW 2011-2016 database was used to obtain force $\Delta F_x \approx \pi B \Delta (IZ)$, where Δ is the amplitude of the asymmetric perturbation.



ΔF_x as a function of τ_{CQ}/τ_{wall} , Dots are JET Noll force. F_{N103} are VDE shots, F_{Nall} are from all shots. Simulation data is given for M3D-C1 wall force labelled F_{xC1} and Noll force F_{NC1} , as well as M3D runs F_{x3d} and F_{N3d} [Strauss *et al.* PoP 2017, PoP 2020]

(1,1) mode



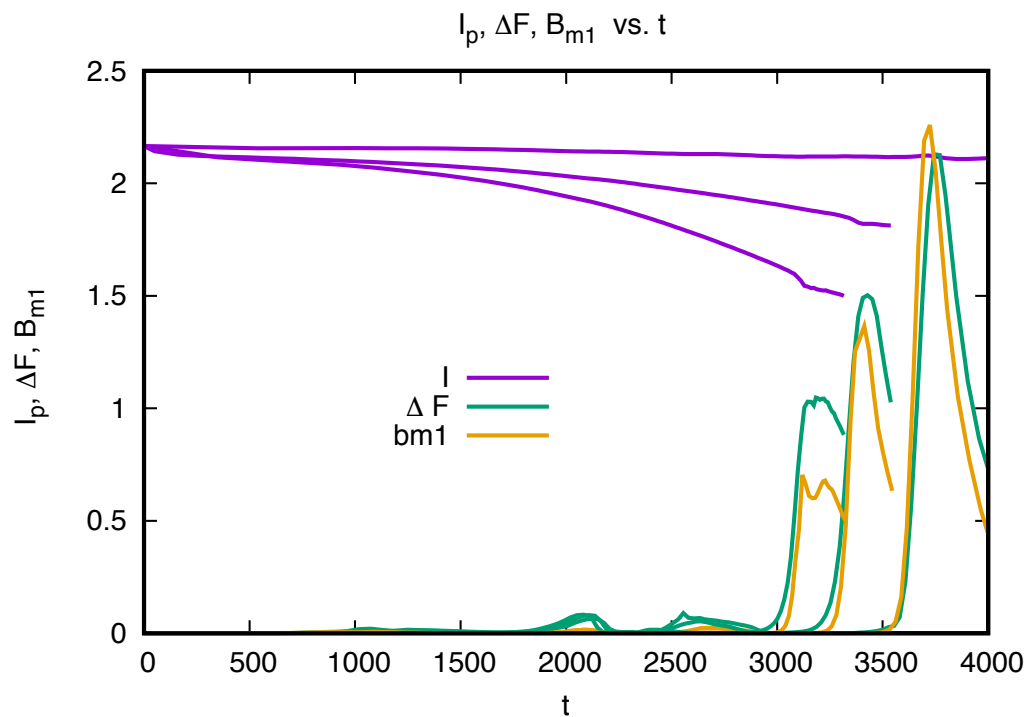
(a) toroidal current and halo current vs. time
 (b) Vertical displacement and q vs. time
 (c) q profile when q = 1

(d) Current density depends on C

Increase of wall force with CQ time



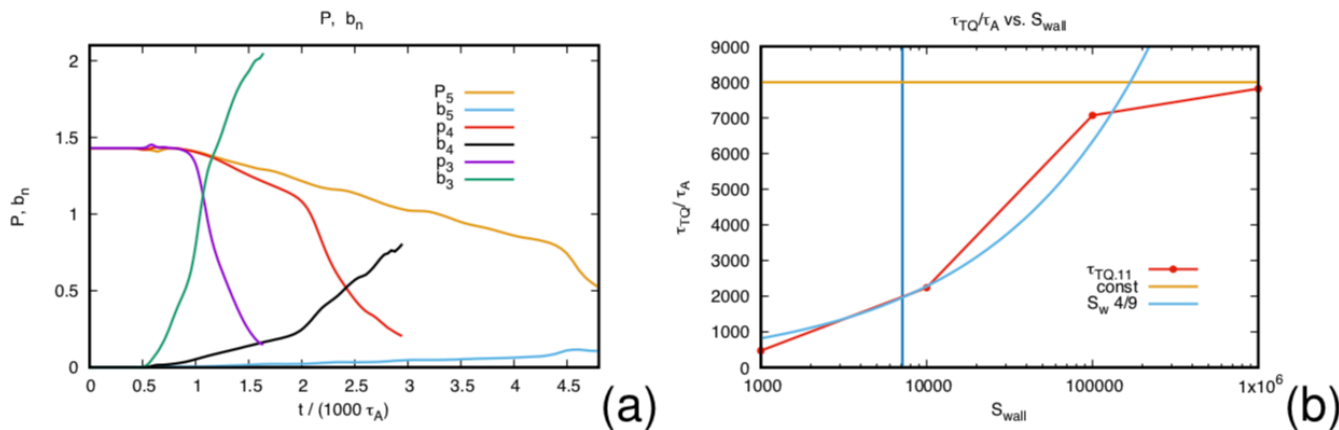
VDE causes plasma to scrape off at the wall until edge $q = 1$, destabilizing $(1, 1)$ mode. Wall force coincides with large $n = 1$ magnetic energy B_{m1} . $\Delta F_N \propto (B_{m1})^{1/2} I_p$. Both B_{m1} and I_p increase with τ_{CQ} .



Thermal quench



M3D simulations initialized with JET shot 81540. The TQ time depends on $S_{wall} = \tau_{wall}/\tau_A$. Thermal transport depends on advection by RWTMs and parallel thermal conduction, which in turn depends on the magnetic field perturbations b_n at the wall. In the simulations $S = 10^6$, $\chi_{||} = 10Rv_A$.



(a) History of total pressure P and wall normal magnetic field perturbation b_n as a function of time. As b_n increases in time, P falls more rapidly. Three cases are shown, with $S = 10^6$, and $S_{wall} = 10^3, 10^4, 10^5$. The subscript in the label refers to S_{wall} such that P_a, b_a correspond to $S_{wall} = 10^a$. (b) τ_{TQ}/τ_A vs. S_{wall} , The fits are to $S_{wall}^{4/9}$ and constant. Linear simulations confirm growth rate

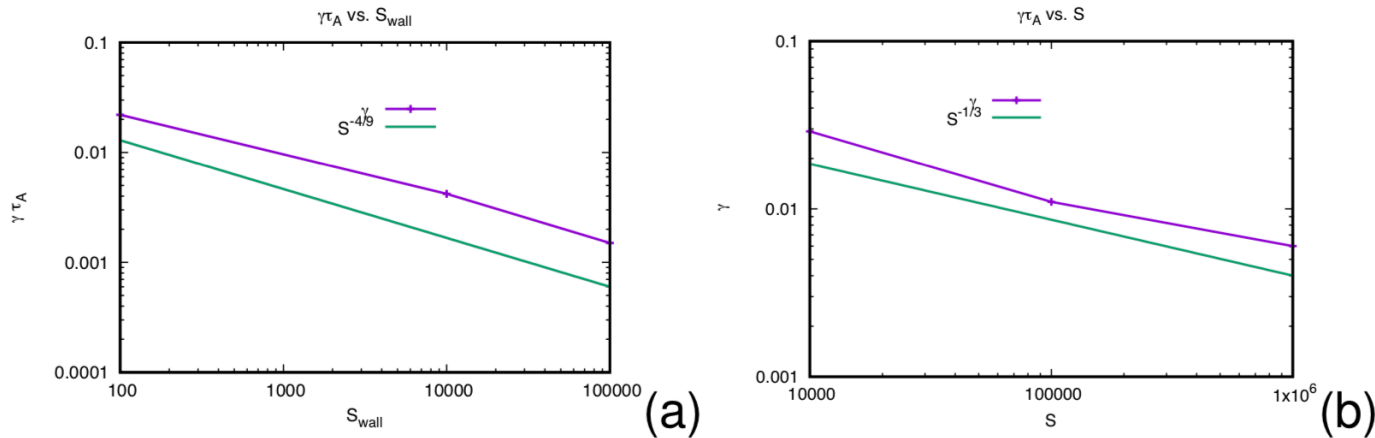
$$\gamma = c_0 S_{wall}^{-4/9} S^{-1/3}.$$

Linear simulations



Linear stability calculations indicate the presence of the resistive wall tearing mode. The RWTM growth rate [Finn, 1995] is

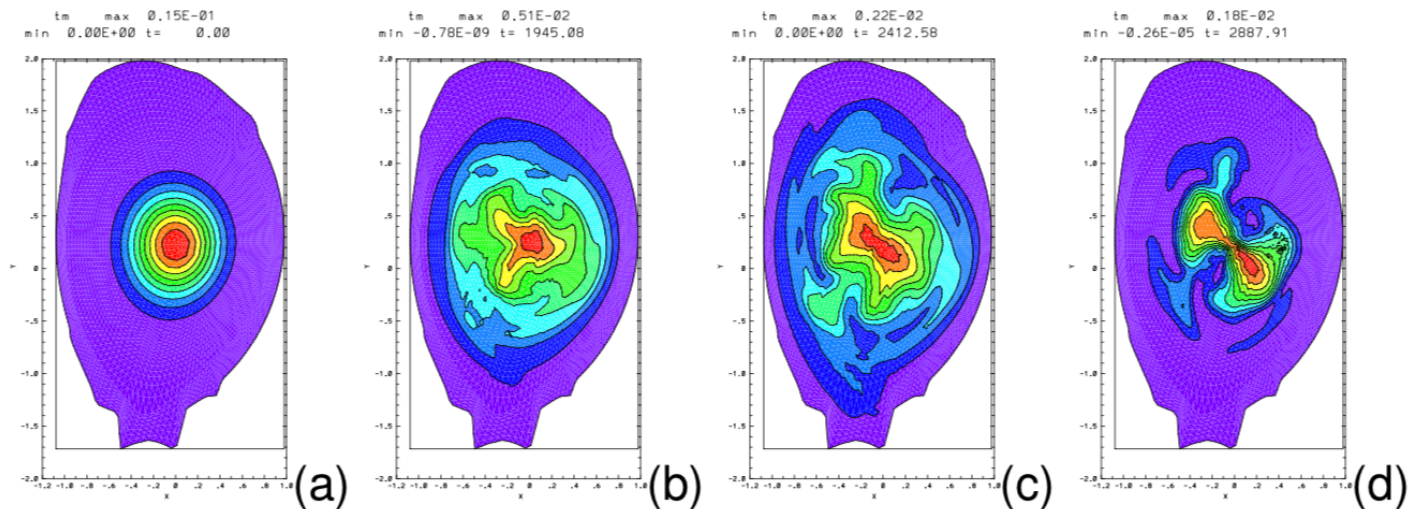
$$\gamma\tau_A = c_0 S^{-1/3} S_{wall}^{-4/9} \quad (1)$$



(a) Linear growth rate γ as a function of S_{wall} , from simulations of JET shot 81540. The growth rate is consistent with $S_{wall}^{-4/9}$. (b) Growth rate as a function of S , consistent with $S^{-1/3}$ scaling. Combining, $\gamma = c_0 S_{wall}^{-4/9} S^{-1/3}$, with $c_0 \approx 9$. ($q > 1$ to eliminate (1, 1) mode.)



Nonlinear TQ simulations



(a) initial temperature T . (b) temperature T at $t = 1945\tau_A$, showing (2,1) and (3,2) magnetic perturbations. At this time $P \approx 70\%$ of its initial value. (c) T at $t = 2428\tau_A$. At this time $P \approx 30\%$ of its initial value. (d) T at $t = 2888\tau_A$, at the end of the simulation.



$$\frac{\partial T}{\partial t} = \frac{1}{r} \frac{\partial}{\partial r} r \chi_{\parallel} b_r^2 \frac{\partial T}{\partial r} \quad (2)$$

where b_r is the normalized asymmetric radial magnetic field, assuming circular flux surfaces for simplicity, and neglecting χ_{\perp} .

Integrating, the total temperature is given by

$$\frac{\partial \langle T \rangle}{\partial t} = a \chi_{\parallel} b_n^2 T' \quad (3)$$

where $\langle T \rangle = \int T r dr$, and $T' = \partial T / \partial r$ at $r = a$, $a^3 T' / \langle T \rangle \approx 1$. The normal magnetic field at the wall grows during the TQ as $b_n = b_0 \exp(\gamma t)$. Then substituting for b_n in (3) and integrating in time, can obtain the approximate *ad hoc* formula

$$\tau_{TQ} \approx \frac{1}{2\gamma + \chi_{\parallel} b_n^2 / a^2} \quad (4)$$

Convection dominates thermal conduction when $T_e < 200\text{eV}$ near the wall, which was observed in shot 81540. The ratio $\gamma / \chi_{\parallel} \propto T^{-3}$.

magnetic perturbations - From the simulations, $b_n \approx 1 \times 10^{-3}$. Consistent with JET data [DeVries *et al.* 2016].

TQ time $t_{TQ} \approx 1\text{ms}$.

Summary



- asymmetric wall force ΔF_x calculated in M3DC1 simulations.
 - plasma scrape off to $q = 1$ causing (1, 1) mode.
 - ΔF_x decreases as τ_{CQ}/τ_{wall} decreases.
 - can mitigate wall force in ITER
- TQ time can vary as $S_{wall}^{-4/9}$ due to RWTMs.
 - RWTM dominates parallel thermal conduction when $T \lesssim 200eV$.
 - In ITER, if RWTM is suppressed, might mitigate wall heat load and RE formation.

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