# **Development and Implementation of Integrated** *q***-profile**+ $\beta_N$ **Feedback Control Strategies for Advanced Scenarios in EAST**

E. Schuster<sup>1</sup>, H. Wang<sup>1</sup>, Z. Wang<sup>1</sup>, Y. Huang<sup>2</sup>, Z. Luo<sup>2</sup>, B. Xiao<sup>2</sup>, Q. Yuan<sup>2</sup>, J. Barr<sup>3</sup>, D.A. Humphreys<sup>3</sup>, A.W. Hyatt<sup>3</sup>, M.L. Walker<sup>3</sup>, W.P. Wehner<sup>3</sup>

<sup>1</sup> Lehigh University, Bethlehem, Pennsylvania 18015, USA
 <sup>2</sup> Institute of Plasma Physics (CAS), Hefei, P. R. of China
 <sup>3</sup> General Atomics, San Diego, California, USA

E-mail: *schuster@lehigh.edu* 

#### Presented at the IAEA Fusion Energy Conference Virtual Meeting, May 10-15, 2021

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Work supported by the U.S. Department of Energy, Office of Science, Office of Fusion Energy Sciences under Awards DE-SC0010537, DE-SC0010685, and by the National Magnetic Confinement Fusion Science Program of China under Award 2017YFE0301300.







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#### Need for Advanced Long-Pulse Scenario Control in EAST

- "Advanced Tokamak" (AT) operational goals for EAST include:
  - Steady-state operation
  - High-performance operation (high  $\beta$ , high  $q_{min}$ , etc.)
  - MHD-stable operation
- Active, feedback control of the current density profile, as well as of other plasma kinetic profiles and scalars, can play critical role in achieving these AT operational goals.

<ul> <li>High dimensionality</li> </ul>	
* Nonlinearity	Model-based Control Design
* Magnetic/kinetic coupling	

• First-principles-driven (FPD) PDE model: Mix of widely accepted first-principles laws and control-oriented models for transport/sources by exploiting both empirical (from physical observations) and analytical scalings as well as neural-network accelerated models.

## Modeling Poloidal-Flux+Energy Evolution for Control Design

#### • Magnetic Flux ( $\psi$ ) Dynamics Modeled by 1D Diffusion Equation

$$\frac{\partial \psi}{\partial t} = \eta(T_e) \begin{bmatrix} 1\\ \mu_0 \rho_b^2 \hat{F}^2 & \frac{1}{\hat{\rho}} & \frac{\partial}{\partial \hat{\rho}} & \left( \hat{\rho} \hat{F} \hat{G} \hat{H} & \frac{\partial \psi}{\partial \hat{\rho}} \right) + R_0 \hat{H} & \leq \overline{j_{NI} \cdot \overline{B}} \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) = 0, \quad \frac{\partial \psi}{\partial \hat{\rho}} \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) = 0, \quad \frac{\partial \psi}{\partial \hat{\rho}} \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) = 0, \quad \frac{\partial \psi}{\partial \hat{\rho}} \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) = 0, \quad \frac{\partial \psi}{\partial \hat{\rho}} \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho} \right) \\ \hline B_{\phi,0} & \left( \frac{\partial \psi}{\partial \hat{\rho}$$

Profiles Consistent with Stored Energy (W) Dynamics Modeled by 0D Power Balance

$$\frac{dW}{dt} = -\frac{W}{\tau_W} + P_{tot}(P_{tot} = P_{aux} + P_{ohm} + P_{rad}) \Rightarrow \beta_N = \frac{a(2W/3)}{I_p B_{\phi,0}/(2\mu_0)}, \tau_W \propto I_p^{\alpha_s} P_{tot}^{-\beta_s} \bar{n}_e^{\gamma_s}$$
(3)

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## Modeling Poloidal-Flux+Energy Evolution for Control Design

Electron Temperature Profile Modeled by Heat Transport Equation
 Assuming diffusion is dominant transport mechanism, the T<sub>e</sub> dynamics is given by

$$\frac{3}{2}\frac{\partial}{\partial t}\left[n_{e}T_{e}\right] = \frac{1}{\rho_{b}^{2}\hat{H}}\frac{1}{\hat{\rho}}\frac{\partial}{\partial\hat{\rho}}\left[\hat{\rho}\frac{\hat{G}\hat{H}^{2}}{\hat{F}}\left(\chi_{e}(\cdot)n_{e}\frac{\partial T_{e}}{\partial\hat{\rho}}\right)\right] + Q_{e}^{ohm} + Q_{e}^{rad} + \sum_{i}Q_{e_{i}}^{aux}$$
(4)

with boundary conditions  $\frac{\partial T_e}{\partial \hat{\rho}}(0,t) = 0$ ,  $T_e(1,t) = T_{e,bdry}$ , and where  $Q_{e_i}^{aux} = Q_i^{dep}(\hat{\rho})P_{aux_i}(t)$ 

- Thermal conductivity  $\chi_e$  can be modeled as an analytical scaling law.
- 2 Thermal conductivity  $\chi_e$  can be modeled as an empirical scaling law, e.g.  $\chi_e = k_{\chi_e} T_e^{\gamma} n_e^{\nu} q^{\mu} s^{\pi}$ 
  - + Multi-linear regression from  $\chi_e$  computed by physics models (TRANSP) to determine structure.
  - + Nonlinear optimization to determine constants:

$$\min_{\theta} J, \quad J = \int_{t_0}^{t_f} \left\{ \sum_{i=1}^N \alpha \left[ q^{exp}(\hat{\rho}_i, t) - q(\hat{\rho}_i, t) \right]^2 + \beta \left[ T_e^{exp}(\hat{\rho}_i, t) - T_e(\hat{\rho}_i, t) \right]^2 \right\} dt, \quad \theta = [k_{\chi_e} \gamma \nu \mu \pi].$$

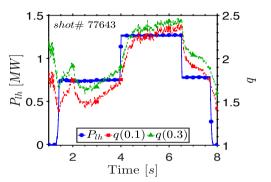
- **(3)** Thermal conductivity  $\chi_e$  can be modeled as state model, e.g.  $\chi_e = f(T_e, n_e, q, s)$ 
  - + Machine Learning techniques  $\rightarrow$  Neural Network training (NEO, TGLF, MMM, ...)

NOTE: Sources  $\frac{\langle \bar{j}_i \cdot \bar{B} \rangle}{B_{\phi,0}}$  and  $Q_{e_i}^{aux}$  can also be modeled using Machine Learning.

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### Plasma Response Characterization Experiments for Model Tailoring

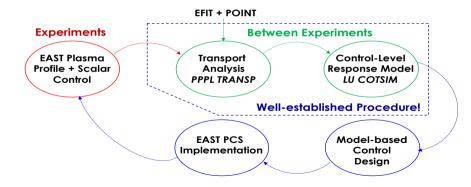
- Several plasma-response characterization experiments were conducted before the q-profile+ $\beta_N$  feedback-control experiments.
- Plasma-response data was generated by exciting the plasma through different available actuators.
- Figure shows typical response of q profile at two spatial locations ( $\hat{\rho} \in [0.05, 0.3]$ ) in response to open-loop excitation of  $P_{LH2}$  (4.60 GHz LHW source power) during flattop in shot #77643.
- This data was used to tailor the control-oriented model (1)-(3) to the EAST scenario of interest.



This tailored control-oriented model was used in this work to optimize the gains of the employed fixed-structure controller and to test the PCS implementation of the control algorithm in closed-loop Simserver simulations before experiments

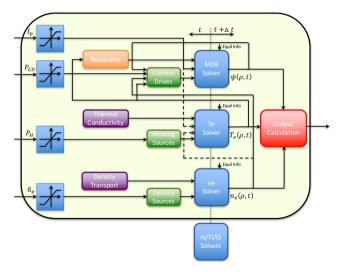
### **Control-oriented Modeling Enabled by TRANSP Prediction/Analysis**

- TRANSP simulations are run in both interpretative and predictive modes to produce plasma response data for the development of lower-complexity, faster, control-oriented models.
- Equilibrium reconstruction constrained by POlarimeter-INTerferometer (POINT) plays critical role in comparing model-predicted q-profile+ $\beta_N$  evolutions with experimental data.



### First-principles-driven Models are Engine of COTSIM

#### LU Control-Oriented Transport SIMulator (COTSIM)



- 1D transport code
- Matlab/Simulink-based
- Control-design friendly
- Modular configuration
- Variable physics complexity
- Closed-loop capable
- Optimizer wrappable
- $\bullet$  Equilibrium: Prescribed  $\rightarrow$  2D Solver
- Fast (offline simulations)
- Very fast (real-time control)

NN models: NUBEAM, MMM

• NN model for LHCD in EAST (MIT)

#### Fixed-structure PID-type Feedback Control Algorithm

• The feedback (FB) control algorithms use a proportional-integral-derivative (PID) structure, i.e.

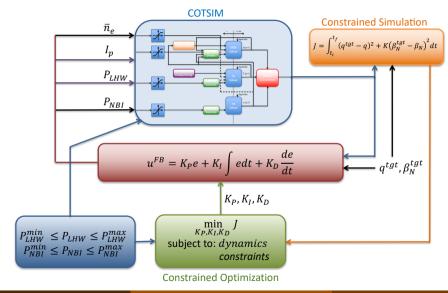
$$u^{FB}(t) = K_P e(t) + K_I \int_0^t e(t) + K_D \frac{de(t)}{dt}$$
(5)

where the input/output vectors are defined as

$$u^{FB} = \begin{bmatrix} I_p^{FB} & P_{LH1}^{FB} & P_{LH2}^{FB} & P_{NB11}^{FB} & P_{NB12}^{FB} & P_{NB13}^{FB} & P_{NB14}^{FB} \end{bmatrix}^T, \qquad e = \begin{bmatrix} q(0.1) - q^{tgt}(0.1) \\ q(0.5) - q^{tgt}(0.5) \\ q(0.9) - q^{tgt}(0.9) \\ \beta_N - \beta_N^{tgt} \end{bmatrix}.$$
(6)

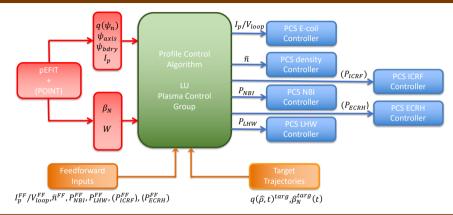
- Actuators considered in this work: total plasma current  $I_p$ , 2.45  $GH_z$  LWH source power  $P_{LH1}$ , 4.6  $GH_z$  LHW source power  $P_{LH2}$ , individual co-current NBI powers ( $P_{NBI1}$  (NBI1L),  $P_{NBI2}$  (NBI1R)), and individual counter-current NBI powers ( $P_{NBI3}$  (NBI2L),  $P_{NBI4}$  (NBI2R)).
- *K<sub>P</sub>*, *K<sub>I</sub>*, *K<sub>D</sub>* are gain matrices optimized in simulations based on control-oriented model (1)-(3).
- The superscript *tgt* denotes target values for the to-be-controlled plasma properties.

### Model-based PID Gain Optimization Before Experimental Testing



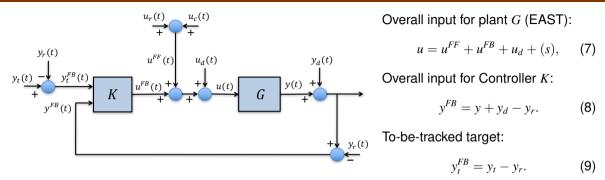
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## DIII-D/LU Profile Control Category Has Been Coded in EAST PCS



- $\bullet\,$  Profile control algorithm has been coded by LU Plasma Control Group: DIII-D  $\rightarrow\,$  EAST
- Interfaces have been coded by EAST PCS Team:
  - Interface with real-time pEFIT + (POINT)
  - Interface with actuators. Actuators must be under PCS.
  - Interface with user data.

# Profile/Scalar Control Configuration in Profile Control Category



- $u^{FF}$ : feedforward control,  $u^{FB}$ : feedback control (output of controller K),  $u_d$ : input disturbance.
- $u^{FF} = u_r + u_c$ ,  $u_r$ : input reference,  $u_c$ : output of feedforward compensator.
- s: output of an optional anti-windup (AW) compensator (signal added only when AW is on).
- y: overall plant output,  $y_d$ : output disturbance,  $y_r$ : output reference (associated with  $u_r$ ).
- $y_t^{FB}$ : reference-modified output target (linearized-model-based controllers),  $y_t$ : output target.

#### Profile/Scalar Control Configuration in Profile Control Category

• One controller implemented in Profile Control category has linear state-space representation:

$$x_{k+1} = Ax_k + B \begin{bmatrix} y_t - y_r \\ y + y_d - y_r \end{bmatrix}_k, \qquad u_k^{FB} = Cx_k + D \begin{bmatrix} y_t - y_r \\ y + y_d - y_r \end{bmatrix}_k,$$
(10)

- IMPORTANT: After time discretization, proposed controller (5) can be implemented in the Profile Category by using this linear discrete-time state-space representation.
- Controller (10) is complemented by an anti-windup compensator in discrete-time state-space form:

$$x_{k+1}^{aw} = A_{aw} x_k^{aw} + B_{aw} \left[ sat(u) - u \right]_k, \qquad s_{k+1} = C_{aw} x_k^{aw} + D_{aw} \left[ sat(u) - u \right]_k, \tag{11}$$

The saturation function is defined as

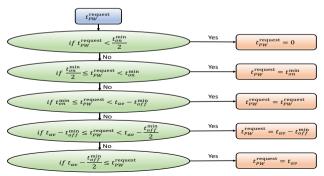
$$sat(\cdot) = \begin{cases} (\cdot)^{min} & \text{if } (\cdot) < (\cdot)^{min} \\ (\cdot) & \text{if } (\cdot)^{min} \le (\cdot) \le (\cdot)^{max} \\ (\cdot)^{max} & \text{if } (\cdot) > (\cdot)^{max} \end{cases}$$

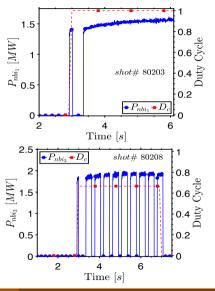
### Pulse Width Modulation for the Command of NBI Power

A pulse width request  $t_{PW}^{request}$  is first defined based on a chosen averaging time interval  $t_{av}$  and a given duty cycle  $D_c$  defined by the requested/maximum NBI power ratio, i.e.

$$t_{PW}^{request} = D_c t_{av}, \qquad D_c = rac{P_{NBI}}{P_{NBI}^{max}}.$$

Algorithm below guarantees fulfillment of minimum on/off times:

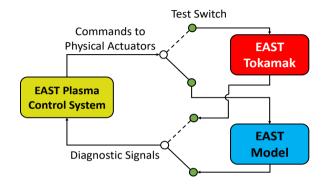




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(12)

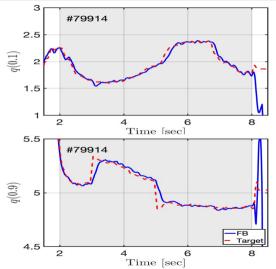
# Simserver Simulations Enable Debugging Before Experiments



- Connection is built between response model (1)-(3) ( $\psi$ ,  $W \rightarrow q$ ,  $\beta_N$  dynamics) and PCS
- Enables debugging of the algorithm implementation in the Profile Control category
- Validates real-time computations carried out by the implemented control algorithm
  - Uses model-based predicted diagnostic data before experimental testing

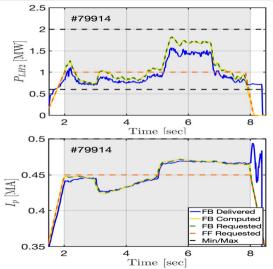
# Simultaneous Feedback *q*-profile Regulation at Edge & Core Was Demonstrated for the First Time by Using 4.60 GHz LHW Source

- Tracking of desired *q* profile at  $\hat{\rho} = 0.1$  and  $\hat{\rho} = 0.9$  is achieved by using  $I_p$  and  $P_{LH2}$  actuation.
- Feedback control (FB) is turned on for 2s < t < 8s (indicated by light-gray background in figures).
- Feedforward-control components are modified by feedback controller so that actual evolutions (solid-blue) track targets (dashed-red).
- Target evolutions for the *q* profile at these 2 points were obtained from actual shot to ensure feasibility.

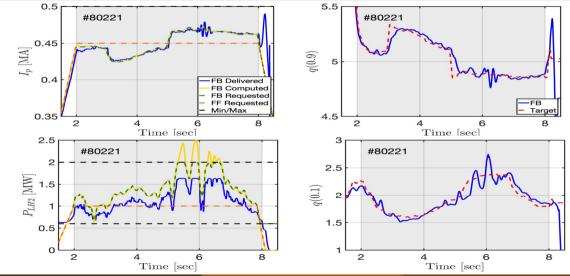


# Simultaneous Feedback *q*-profile Regulation at Edge & Core Was Demonstrated for the First Time by Using 4.60 GHz LHW Source

- Feedforward (FF) control (dashed- orange lines) is corrected by feedback (FB) controller to produce requested actuation (dashed-green lines).
- There is a bias between requested (dashed-green lines) and delivered (solid-blue lines) LHW power due to the way this actuator is controlled.
- In spite of bias, the FB controller is capable of tracking targets due to presence of integral action.
- The requested actuation (dashed-green lines) is the result of constraining the actuation computed by the FB controller (solid-yellow lines) by the physical limits associated to the different actuators.
- These saturation limits (dashed-black lines) were not active in this discharge.



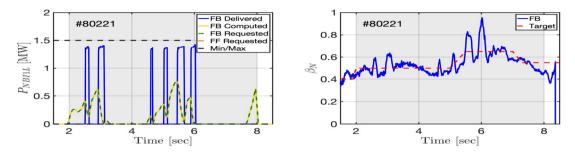
## New Beam Power Modulation Algorithm Implemented in PCS for Simultaneous *q*-profile $+\beta_N$ Control Showed Good Average Tracking



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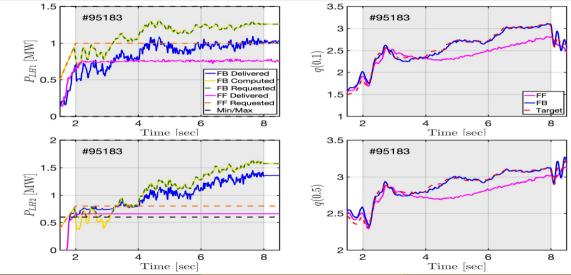
Model-Based Scenario Control in EAST

# New Beam Power Modulation Algorithm Implemented in 2018 for Simultaneous *q*-profile + $\beta_N$ Control Showed Good Average Tracking



- Tracking of desired q profile at  $\hat{\rho} = 0.1$ ,  $\hat{\rho} = 0.9$  and  $\beta_N$  is achieved by using  $I_p$ ,  $P_{LH2}$  and  $P_{NB11}$  actuation
- PWM algorithm (12) was used with mixed results to command the NBI1L source ( $P_{NBI1} = P_{NBI1L}$ )
- The targets are tracked in average but the PWM algorithm introduces significant perturbations due to:
  - + Minimum on/off time constraints significantly impacting this relatively low- $\beta_N$  plasma
  - + Detected implementation issues: i- FF control set to zero, ii- time delay introduced by PWM algorithm

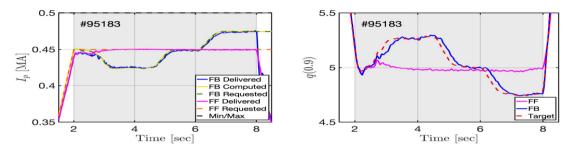
# Simultaneous Feedback *q*-profile Regulation at Three Points Was Demonstrated for the First Time by Using two LHW Sources



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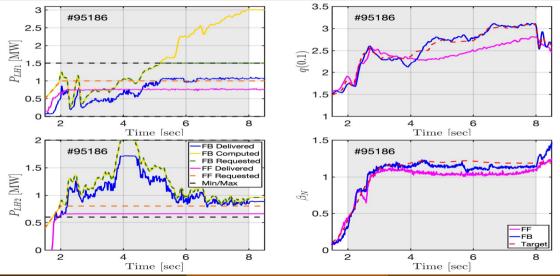
Model-Based Scenario Control in EAST

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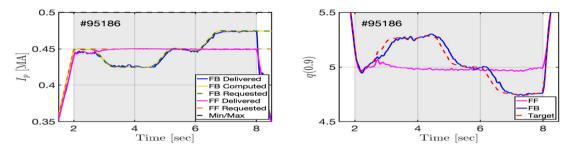
- Tracking of desired q profile at  $\hat{\rho} = 0.1$ ,  $\hat{\rho} = 0.5$ ,  $\hat{\rho} = 0.9$  is achieved by using  $I_p$ ,  $P_{LH1}$ , and  $P_{LH2}$  actuation
- Solid-magenta lines show q-profile evolutions at these points for feedforward-only EAST shot #95176.
- FF control needs to be modified by FB control for actual (solid-blue) profile to track target (dashed-red)
- Saturation in the 4.60 GHz LWH power (P<sub>LH2</sub>) is briefly observed at the beginning of FB-on window.
- Around 1MW of ECRF H&CD power was used in this and subsequent shots to keep plasma in H-mode.

# Simultaneous Feedback Regulation of Two Points of the q Profile and $\beta_N$ Was Experimentally Tested by Using two LHW Sources



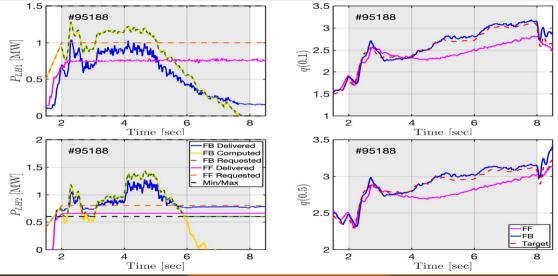
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# Simultaneous Feedback Regulation of Two Points of the q Profile and $\beta_N$ Was Experimentally Tested by Using two LHW Sources



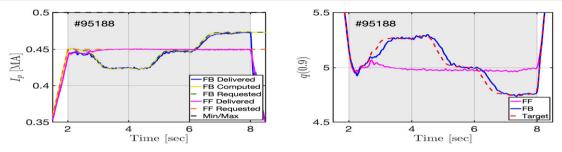
- Tracking of desired q profile at  $\hat{\rho} = 0.1$ ,  $\hat{\rho} = 0.9$  and  $\beta_N$  is achieved by using  $I_p$ ,  $P_{LH1}$ , and  $P_{LH2}$  actuation
- Solid-magenta lines show q-profile evolutions at these points for feedforward-only EAST shot #95176.
- FF control needs to be modified by FB control for actual (solid-blue) profile to track target (dashed-red)
- Saturation in the 2.45 GHz LWH power ( $P_{LH1}$ ) is observed after around 5 sec. as the combined q-profile+ $\beta_N$  controllers tries to track the  $\beta_N$  target more closely while controlling q at  $\hat{\rho} = 0.1$ ,  $\hat{\rho} = 0.9$ .

# Simultaneous Feedback *q*-profile Regulation at Three Points Was Demonstrated Even Under the Presence of Input Disturbances



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# Simultaneous Feedback *q*-profile Regulation at Three Points Was Demonstrated Even Under the Presence of Input Disturbances



- Tracking of desired q profile at  $\hat{\rho} = 0.1$ ,  $\hat{\rho} = 0.5$ ,  $\hat{\rho} = 0.9$  is achieved by using  $I_p$ ,  $P_{LH1}$ , and  $P_{LH2}$  actuation

- Solid-magenta lines show q-profile evolutions at these points for feedforward-only EAST shot #95176.
- FF control needs to be modified by FB control for actual (solid-blue) profile to track target (dashed-red)
- Shot similar to #95183 but introducing 0.3 MW perturbation in the 4.60 GHz LWH power ( $P_{LH2}$ ) for  $t \in [4, 6]$ .
- FB controller starts reducing request of LHW power after actual (solid-blue line) q values at  $\hat{\rho} = 0.1$  and  $\hat{\rho} = 0.5$  exceed targets. Tracking improvement is limited by lower-limit saturation of  $P_{LH2}$  after 6 sec.

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### **Development and Implementation of Integrated** *q***-profile**+ $\beta_N$ **Feedback Control Strategies for Advanced Scenarios in EAST**

- Successful q-profile+ $\beta_N$  control was demonstrated for the first time in EAST
- Task 1: Number of actuators under the Profile Category in the PCS should be increased by:
  - Enhancing the NBI PWM algorithm and testing it in H-mode plasmas
  - Incorporating the command of ECRF and ICRF H&CDs
- Task 2: The quality of the real-time reconstruction of the *q* profile needs to be improved by constraining pEFIT with POINT measurements
- Task 3: The accuracy of the control-level models used for control design should be enhanced by further developing control-physics understanding and continuing validation efforts
- Completion of these tasks will further augment capability of tightly regulating *q*-profile and β<sub>N</sub> to routinely enable access to long-pulse, disruption-free, high-performance operation in EAST
- It is anticipated that this augmented control capability will be achieved by employing more sophisticated, model-based, optimal, control algorithms.