# **IN-DEPTH RESEARCH ON THE INTERPRETABLE DISRUPTION** PREDICTOR IN HL-2A

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A series of in-depth researches are implemented on the disruption predictor in HL-2A, mainly for 2 aims, accuracy and interpretability.

#### For further improvement of accuracy

4 adjustments are tried to solve 4 corresponding problems in the baseline model. These optimizations increase the model's AUC (Area Under receiver operating characteristic Curve) from 0.905 to 0.944.

#### For interpretability of model

An interpretation method is proposed to evaluate the importance of each input signal when deciding the model's output. The result of single shot interpretation shows good coherence with the causes of disruption Shot Nos.20000-36000 are manually analyzed to make a disruption cause dataset. Statistical analysis of

the interpretation algorithm' output on this dataset also shows a good coherence with the disruption causes A Bayes classifier is developed to recognize the cause of disruption based on the interpretation algorithm's output. This classifier has an accuracy of 71.2% on the labelled dataset, which contains 5 disruption causes and 605 disruptive shots.

# Disruption prediction dataset











Other details are same with our previous research [Zongyu Yang et al 2020 Nucl. Fusion 60 016017]

#### **Baseline** model

Although a previous model with high accuracy has been proposed in our previous research. The previous model has about 4 million parameters. thus it is hard to realize real-time prediction. Therefore a new version of model is proposed to be the baseline model. Structure of the baseline model is shown in figure 1. Performance of the model is listed here.

> Number of parameters: 0.1 million ( > Time cost of each input slice: 2ms (;;)

Accuracies

TPR0.832/TNR0.825/AUC0.905

# Optimization methods and Comparison experiments

#### Challenges Solutions Multimodal data 1.5-D structure The input signals come from Signals from different sources are different sources and have dealt separately at first and merged different characteristics in the middle laver of model Variable precursor time **Fuzzy labels in disruptive** Different types of disruptions shots TNR have very different precursor $TTD < 30 ms \rightarrow 1$ TTD > 200ms→0 time. nplete model: 0.944 30ms < TTD < 200ms→ None without 1.5-D Structure: 0.929 Auxiliary heating Preset control signal without fuzzy labels in disruptive shots: 0.925 without fine-tune on latest data: 0.914 The switch on/off of auxiliary The control signals of auxiliary heating brings a sudden heating are set before experiment. \_ \_ baseline model: 0.905 change of environment, which Thus they can be put into to the 02 03 04 1 - TPR 0.1 algorithm in advance. means the criterion of algorithm should change, too. Figure 2 ROC Curve of each version of the model Time variance of device Fine-tune on latest data TPR (True Positive area) means the proportion of disruptive shots that are correctly predicted. TNR (True Negative Rate) means the proportion of The situation of diagnostic Use complete dataset to train the system and control system in model firstly. Then fine-tune the top device varies with time lavers (dotted box in Figure 1) of non-disruptive shots that are correctly predicted. Numbers in the legends are AUC of each model model on the latest part of dataset.

Model interpretation method

> Add random noises to each input signal of model in turn, and the respective change in final output of model would indicate the importance of corresponding signal.

- > Note that the noise should be added to the middle layer output in the model, which is indicated with dashed box in figure 1. There are 3 reasons:
- ✓ middle layer output in neural networks with batch-normalization methods tends to be in a gaussian distribution, therefore the random noise will cause similar effect on each input signal.
- ✓ Data from all input signals are still individual at this location. So noise can added to each signal separately.
- ✓ Only the top layers need to be rerun for 24 times, which greatly reduces of the computational expense

# Interpretable model: single shot interpretation

IP (kA) Target IP (kA

1520 1540 1560 1580

Shot count

67

55

253

170

8

Lock-mode induced disruption: 35104 Density limit induced disruption: 35240 Most related signals: Mirnov probe signals Most related signal: density I Oh Belomets densit HardX HardX P ECR P N IT q Edi EFIT EFIT

## Figure 3 Result of interpretation algorithm and related input signals of example shots ent in Ohmic field coil power of radiation measured by bolometer ensity of electrons at the centre of plasma power of hard-x-ray (0–5 MeV) power of hard-x-ray (5–10 MeV)

IP (kA) Target\_IP (kA

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Disruption cause dataset Shot Nos. 20000-36000 are analyzed Type name manually to find the causes of disruptions in HL-2A. Among them 613 shots with clear causes are selected to make up a disruption cause dataset. The researches in the two subsequent

sections are implemented on this dataset

660 Shot 35104

# Interpretable model: statistical analysis

orizontal displa

- As expected, the most important signals for vertical displacement, lock mode, radiation, low g on boundary and density limit induced disruptions are EFIT\_Z, Mirnov probe, Bolometer/SoftX, EFIT a bdrv and density, respectively,
- The result of horizontal displacement seems to be kind of complex. It is suspected that other causes might also result in horizontal displacement, which calls for a further investigation.
- The heights of bars come from the equation below. Here  $\overline{I}(c,s)$  means the averaged importance of signal s in cause c induced disruptions. I(i, s) means the importance of signal s in shot No. i.  $\sum_{i \text{ in } c} I(i, s)$ means the sum of I(i, s) on all the shots with the cause of c.  $\sum_i I(i, s)$  means the sum of I(i, s) on all the shots in dataset. The  $\sum_{i} 1$  and  $\sum_{i \text{ in } c} 1$  are counts of shots used to calculate the mean value.



#### Interpretable model: disruption cause recognizer

#### Dataset

- The type of low safety factor in boundary has only 8 shots and therefore are
- abandoned Finally 605 shots are reserved.

### Model

- > Considering the limited size of the dataset, a naive Bayes model based on gaussian kernel function is selected to be the
- classifier Input: the importance of each input signal averaged among the time range before the alarm triggered by disruption prediction algorithm, i.e. a vector of 24 elements.

# > Output: cause of disruption

- Result 10-fold cross validation
- > Top-1 accuracy: 71.2%(431/605).
- Figure 5 Confusion matrix of disruption cause et by 10-fold cross

### **Future** works

- Online testing of the disruption predictor.
- > Validating existing algorithms and experiences on other tokamaks
- > Further investigation is still needed on how to reach a high accuracy with a limited computational expense



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Power of NBI

l inductance calcula energy stored in pla normalized beta

D-α ray at diverto power of soft-x-ray

us of plasma calculated by EFIT centre in the radial direction ca

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by EFI